For better or worse, agricultural production studies have increasingly relied upon readily available data to illustrate advances in technical methods of analysis. Readily available data, however, tends to consist of highly aggregated public data in which temporal detail (within a growing season) and spatial detail (among plots, farms, or land used to produce specific crops) is lost. As economists have become more heavily focused on policy-related applications, the aggregate level of analysis has taken on elevated importance. By comparison, as economists have focused relatively less on supporting the management of firms, emphasis on analyses of individual firm data has decreased. In consequence, as production economists have become more focused on aggregate responses and aggregate productivity, technology has tended to be described by a production possibilities frontier (PPF) where both inputs and outputs have been stripped of their temporal and spatial dimensions.

Our purpose is to consider the validity and implications of such practices and illustrate the need for development of data sets that allow the underlying hypotheses to be tested. Results demonstrate that the failure of modern agricultural production analysis, and of typical implementations of duality theory in particular, may be due to such practices. We note also, however, that potentially necessary generalizations can be made in a variety of frameworks including dual models, but such generalizations are likely to require better firm-level data than has hitherto been available.

3.1. A general framework for production analysis

To facilitate formal analysis, we define a general notation that applies through the remainder of this chapter. Following the distinctions emphasized by Debreu, available technology for production is represented by $\boldsymbol{W} \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})$ where

$\boldsymbol{W} \in R^n$ is a netput vector of inputs (if negative) and outputs (if positive);

$\Im$ is the feasible short-run production set;

$\boldsymbol{k} \in R_+^{n_k}$ is a vector of firm-controlled resources;

$\boldsymbol{\varepsilon} \in R_+^{n_\varepsilon}$ is a vector of uncontrolled inputs that describes the state of nature;

both $\boldsymbol{W}$ and $\boldsymbol{k}$ are defined with temporal, spatial, and physical detail; firm-controlled resources in $\boldsymbol{k}$ include family attributes and capital (land, buildings, and machinery) that determine recurring availability of family labor and capital service flows with temporal, spatial, and physical detail; and uncontrolled inputs include weather and pest infestations, also with temporal, spatial, and physical detail. Revisions in the capital stock through investment may change the amount of recurring capital service flows, for example, following a putty-clay framework, but need not be considered in the short-run case of Sections 3 and 4. Because firm-controlled resources are available in fixed amounts depending on capital stocks and family composition, the service flows from them must be allocated either temporally or spatially across competing production activities. These are called allocated fixed factors following the terminology of Shumway, Pope, and Nash (1984).

Typically, the netput vector is partitioned into inputs and outputs. Following Section 2.1, we further distinguish purchased variable inputs from allocated fixed factors so that $\boldsymbol{W} = (\boldsymbol{Y}, -\boldsymbol{X}, -\boldsymbol{Z})$ where

$\boldsymbol{Y} \in R_{+}^{n_y}$ is a vector of output quantities,
$\boldsymbol{X} \in R_{+}^{n_x}$ is a vector of purchased variable input quantities, and
$\boldsymbol{Z} \in R_{+}^{n_z}$ is a vector of allocations of allocated fixed factors,

where $n = n_y + n_x + n_z$. Thus, allocations of recurring capital service flows and family labor appear in $\boldsymbol{Z}$. Netputs if negative represent net inputs which impose costs or deplete firm-controlled resources, and if positive represent net outputs which generate revenue. Thus, the partitioning of netputs into inputs and outputs is regarded as a local convenience and may not apply globally. For example, some goods may be purchased as inputs in some circumstances and produced as outputs in others, and some capital services may be provided fully by firm-owned machinery in some circumstances and purchased by means of commercial contracting in others.

We argue that temporal, spatial, and physical distinctions should not be dropped until doing so can be demonstrated to be appropriate. The purpose of Section 3 is to demonstrate some of the problems encountered by doing so while Section 4 presents a more general disaggregated analysis. Interestingly, temporal and spatial distinctions are commonplace in the agricultural marketing literature although largely ignored in the agricultural production literature. To investigate the importance of temporal and spatial detail, the input and output vectors require further partitioning following

$$\boldsymbol{Y} \equiv \{\boldsymbol{y}^1, \ldots, \boldsymbol{y}^m\}, \quad \boldsymbol{y} \equiv \sum_{i=1}^{m} \boldsymbol{y}^i,$$
$$\boldsymbol{X} \equiv \{\boldsymbol{x}^1, \ldots, \boldsymbol{x}^m\}, \quad \boldsymbol{x} \equiv \sum_{i=1}^{m} \boldsymbol{x}^i,$$
$$\boldsymbol{Z} \equiv \{\boldsymbol{z}^1, \ldots, \boldsymbol{z}^m\}, \quad \boldsymbol{z} \equiv \sum_{i=1}^{m} \boldsymbol{z}^i,$$

where $i = 1, \ldots, m$ indexes time and/or location and $\boldsymbol{y}$, $\boldsymbol{x}$, and $\boldsymbol{z}$ represent aggregate vectors of outputs, purchased variable inputs, and allocated fixed factors, respectively, which include only physical detail. For example, each $\boldsymbol{x}^i$ may specify quantities of specific seeds, fertilizers, and pesticides to apply as inputs at a time and/or location indexed by i and $\boldsymbol{y}^i$ may give quantities of specific types of outputs that occur at a time and/or location indexed by i. Interesting questions arise in considering aggregation over time and/or space. For example, one may consider when the feasible production set can be adequately represented by $\boldsymbol{w} \equiv (\boldsymbol{y}, -\boldsymbol{x}, -\boldsymbol{z}) \in \Im_{-m}$ where $\Im_{-m}$ represents a feasibility set devoid of temporal and/or spatial detail.

For purposes of facilitating discussion of practical implications of technical efficiency, corresponding price vectors are also defined. Let $\boldsymbol{P}$ be a price vector corresponding to output vector $\boldsymbol{Y}$ and let $\boldsymbol{R}$ be a price vector corresponding to input vector $\boldsymbol{X}$. Then short-run profits can be represented by $\pi = \boldsymbol{PY} - \boldsymbol{RX}$. Suppose also that price vectors are partitioned temporally and/or spatially as in the case of $\boldsymbol{Y}$ and $\boldsymbol{X}$ so that short-run profits are equivalently expressed as $\pi = \sum_{i=1}^{m}(\boldsymbol{p}^i \boldsymbol{y}^i - \boldsymbol{r}^i \boldsymbol{x}^i)$. Finally, if and only if $\boldsymbol{p} = \boldsymbol{p}^i$ and $\boldsymbol{r} = \boldsymbol{r}^i$ for $i = 1, \ldots, m$ can profits be generally expressed with temporal and/or spatial aggregation as $\pi = \boldsymbol{py} - \boldsymbol{rx}$.

Agricultural economics has long-standing traditions of pursuing production analysis using both set theoretic models (often represented by normative mathematical programming models) and smooth econometric representations of either average or frontier technologies. For example, the production set is commonly represented by the transformation function F where $\Im = \{\boldsymbol{W} \mid F(\boldsymbol{W}) \leqslant 0\}$ in the general netput case or $\Im = \{(\boldsymbol{Y}, -\boldsymbol{X}, -\boldsymbol{Z}) \mid \boldsymbol{Y} \leqslant f(\boldsymbol{X}, \boldsymbol{Z})\}$ in the partitioned case with explicit inputs and outputs.[14] For smooth econometric representations, equality in the transformation relationship defines the boundary or frontier of the production set, i.e., $F(\boldsymbol{W}) = 0$ or $\boldsymbol{Y} = f(\boldsymbol{X}, \boldsymbol{Z})$ are the boundaries of production sets defined by $F(\boldsymbol{W}) \leqslant 0$ or $\boldsymbol{Y} \leqslant f(\boldsymbol{X}, \boldsymbol{Z})$, respectively. Representations of average technologies follow $\boldsymbol{Y} = f(\boldsymbol{X}, \boldsymbol{Z}) + \boldsymbol{\varepsilon}$ where $\boldsymbol{\varepsilon}$ represents random or uncontrolled inputs and $\mathrm{E}(\boldsymbol{\varepsilon}) = 0$ is used to represent average efficiency conditions. Such models are popular in general agricultural production problems. Alternatively, one-sided error term models such as $\boldsymbol{Y} = f(\boldsymbol{X}, \boldsymbol{Z}) + \boldsymbol{\varepsilon}$ where $\boldsymbol{\varepsilon} \leqslant 0$ have been used where efficiency is of primary interest, in which case all deviations denote random deviations from the case of efficient production, $\boldsymbol{Y} = f(\boldsymbol{X}, \boldsymbol{Z})$ [see Fried et al. (1993)].[15] In these various models, the technology is described by measures such as production elasticities, scale and scope economies, factor substitution, productivity and

[14] In cases with only one output where F is a scalar function, the existence of the function f follows from continuity of F by the implicit function theorem based on the classification of $\boldsymbol{W}$ into $\boldsymbol{Y}$, $\boldsymbol{X}$, and $\boldsymbol{Z}$. As argued below, however, in some cases consideration of a vector-valued f function is appropriate for representing multiple outputs.

[15] Of the smaller programming-based literature in agricultural production economics, data envelopment analysis (DEA) is becoming prominent. The strength of DEA is that it imposes less structure on the form of production and follows the language of leading graduate micro-theory texts [e.g., Varian (1992)]. Its current weakness seems to be that it is not easily used to address the breadth of questions usually considered by agricultural production economists and it generally assumes that all variation in observed production relationships is due to technical inefficiency rather than random, unmeasured, or uncontrollable factors (the same assumption typically applies also to econometric models with one-sided error terms).

Until recently, another weakness was that procedures for statistical inference were not available [Vanker (1996)]. While statistical inference in data envelopment analysis (DEA) models is not yet fully developed, DEA is likely to become fully integrated with econometric methods eventually. In this chapter, our discussion tends to focus on smooth functional representations of production, possibly including cases such as Leontief fixed-proportions production in practice. Thus, we build upon the simple generic representation above to draw implications directly for typical econometric practices. However, we note that the principles and results implied by the unique features of agriculture have applicability for other approaches to modeling agricultural production.

technical change bias, distance functions, separability, and (non)jointness, which we hereafter call "standard characteristics".[16]

3.2. Traditional concepts of efficiency

Traditionally, the frontier of the production set has been used as a representation of technical efficiency. Samuelson (1967), for example, defined aggregate technology by the PPF denoted by $F(\boldsymbol{y}, \boldsymbol{x}) = 0$ where $\boldsymbol{y}$ and $\boldsymbol{x}$ are aggregate vectors of outputs and inputs, respectively (the service flow vector, $\boldsymbol{z}$, is temporarily dropped for convenience and congruence). Samuelson's PPF was determined by various separate technologies for each individual output denoted by $y_i = f_i(\boldsymbol{x}^i)$ where y_i is an element of $\boldsymbol{y}$, and $\boldsymbol{x}^i$ is a nonnegative vector of factor allocations to production activity i. The PPF is thus a smooth function determined by aggregation of individual production functions [Samuelson (1967, pp. 230–231)], e.g.,

$$\begin{aligned} F(\boldsymbol{y}, \boldsymbol{x}) &\equiv y_1 - f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}), \\ f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}) &\equiv \max\left\{ y_1 \mid y_i = f_i(\boldsymbol{x}^i),\ i = 1, \ldots, n_y;\ x = \sum_{i=1}^{n_y} \boldsymbol{x}^i \right\}, \end{aligned} \tag{11}$$

where $\boldsymbol{x}$ is the aggregate input vector that determines the PPF, and $\boldsymbol{y}_{-1}$ is a vector containing all elements of $\boldsymbol{y}$ other than y_1, i.e., $\boldsymbol{y} = (y_1, \boldsymbol{y}_{-1})$. Thus, Samuelson did not maintain the industry (or production activity) distinction when referring to F in (11). For example, where i indexes production activities by time or location, the technology representation in (11) does not retain temporal or spatial detail, respectively.

Following Samuelson, the early literature on production efficiency was based largely on a comparison of actual production to the PPF [e.g., Farrell (1957)]. These boundary points may or may not be technically efficient. For example, the efficient set is at best a subset of the boundary consisting of all $\boldsymbol{W} \in \Im$ such that there is no distinct $\boldsymbol{W}' \in \Im$

[16] Typical assumptions employed to make these technology representations meaningful include (suppressing the arguments of $\Im$ for convenience): (1) $\Im$ is nonempty, i.e., there exists at least one $\boldsymbol{W} \in \Im$; (2) $\Im$ is convex in $\boldsymbol{W}$, i.e., if $\boldsymbol{W}, \boldsymbol{W}' \in \Im$ then $\lambda \boldsymbol{W} + (1-\lambda)\boldsymbol{W}' \in \Im$ where $\lambda \in [0,1]$; (3) $\Im$ is closed, i.e., if $\boldsymbol{W}^k \in \Im$ such that $\boldsymbol{W}^k \to \boldsymbol{W}$ then $\boldsymbol{W} \in \Im$; (4) inaction, i.e., $\boldsymbol{0} \in \Im$; (5) free disposal or monotonicity, i.e., $\boldsymbol{W} - R_+^n \subset \Im$ if $\boldsymbol{W} \in \Im$, which implies that if $\boldsymbol{X}$ can produce $\boldsymbol{Y}$ then $\boldsymbol{X}' \geqslant \boldsymbol{X}$ can produce at least $\boldsymbol{Y}$; (6) additivity, i.e, if $\boldsymbol{W}, \boldsymbol{W}' \in \Im$ then $\boldsymbol{W} + \boldsymbol{W}' \in \Im$; and some subset of (7a) nonincreasing returns to scale, i.e., if $\boldsymbol{W} \in \Im$ then $\lambda \boldsymbol{W} \in \Im$ where $\lambda \in [0,1]$; (7b) nondecreasing returns to scale, i.e., if $\boldsymbol{W} \in \Im$ then $\lambda \boldsymbol{W} \in \Im$ where $\lambda \geqslant 1$; and (7c) constant returns to scale, i.e., if $\boldsymbol{W} \in \Im$ then $\lambda \boldsymbol{W} \in \Im$ where $\lambda \geqslant 0$. As an example of a subset of the latter three, decreasing returns to scale occurs when (7a) but not (7c) holds. It is important to note that various combinations of these assumptions have distinct implications. For example, additivity plus constant returns to scale implies that $\Im$ is a convex cone. Also, adding setup costs to any one of the other properties may yield a very different property. For example, setup costs with inaction introduces nonconvexities into $\boldsymbol{W}$. Note also that items (6) and (7) can be rewritten using a production transformation function as: (6′) if $F(\boldsymbol{W}) \leqslant 0$ and $F(\boldsymbol{W}') \leqslant 0$ then $F(\boldsymbol{W} + \boldsymbol{W}') \leqslant 0$; (7a′) if $F(\boldsymbol{W}) \leqslant 0$ and $\lambda \in [0,1]$ then $F(\lambda \boldsymbol{W}) \leqslant 0$; (7b′) if $F(\boldsymbol{W}) \leqslant 0$ and $\lambda \geqslant 1$ then $F(\lambda \boldsymbol{W}) \leqslant 0$; and (7c′) if $F(\boldsymbol{W}) \leqslant 0$ and $\lambda \geqslant 0$ then $F(\lambda \boldsymbol{W}) \leqslant 0$.

with $W' \geqslant W$. This conceptualization of production has carried through to the modern production literature with slight generalization and now seems to permeate most empirical production analyses of both the data envelopment analysis and conventional econometric approaches. That is, with these implicit Samuelsonian foundations, the modern production literature has evolved toward representation of production in terms of aggregates of allocations of inputs over time and location. For example, a typical empirical model in agricultural production has aggregate output (either for a commodity group or for total agricultural output) depending on aggregate annual inputs such as fertilizer and pesticides rather than allocations of those inputs to specific locations (e.g., to land in specific crops) and stages of production [e.g., Shumway (1983)].

For example, Diewert (1974) gives a commonly cited definition of the PPF, sometimes called the transformation function, as $y_1 \equiv f^*(y_{-1}, x)$ where (when it exists)

$$f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}) \equiv \max\{y_1 \mid (y_1, \boldsymbol{y}_{-1}, \boldsymbol{x}) \in \Im\}. \tag{12}$$

The dual input distance function is

$$D_I(\boldsymbol{y}, \boldsymbol{x}) \equiv \max\{\alpha \mid \boldsymbol{x}/\alpha \in \upsilon(\boldsymbol{y})\},$$

where $\upsilon(\boldsymbol{y})$ is the set of all inputs $\boldsymbol{x}$ that will produce at least $\boldsymbol{y}$, e.g.,

$$\upsilon(\boldsymbol{y}) = \{\boldsymbol{x} \mid f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}) \geqslant y_1\} = \{\boldsymbol{x} \mid (\boldsymbol{y}, \boldsymbol{x}) \in \Im\}.$$

A corresponding dual representation of the PPF is thus given by $D_I(\boldsymbol{y}, \boldsymbol{x}) = 1$. Because Diewert explicitly used the language that f^* and D_I characterize the production possibilities set and because he immediately applied f^* and D_I to international trade, it seems clear that he considered the components of $\boldsymbol{x}$ and $\boldsymbol{y}$ in $\Im$ as neither spatially nor industry specific following the tradition of Samuelson.[17]

The elimination of spatial and temporal distinction is especially apparent in the celebrated paper by Lau (1978). Lau's functional representation of efficient production is based on the input requirement function. Suppose that a primary input such as labor is denoted separately by λ and that the associated input requirement function is $\lambda = \omega^*(\boldsymbol{y}, \boldsymbol{x}_{-1})$ where $\boldsymbol{x}_{-1}$ represents all other inputs such that the full input vector is $\boldsymbol{x} = (\lambda, \boldsymbol{x}_{-1})$. Clearly, λ and $\boldsymbol{x}_{-1}$ represent total use of the respective inputs because Lau's definition of nonjointness states that production is nonjoint in inputs if there exist individual production functions, $\lambda_i = \omega_i^*(y_i, \boldsymbol{x}_{-1}^i)$, such that

$$\omega^*(\boldsymbol{y}, \boldsymbol{x}_{-1}) = \min\left\{\sum_i \omega_i^*(y_i, \boldsymbol{x}_{-1}^i) \mid \boldsymbol{x}_{-1} = \sum_i \boldsymbol{x}_{-1}^i\right\}, \tag{13}$$

[17] Of course, Diewert's (1982) notation could be used to define a PPF in higher dimensions that include both spatial and temporal distinctions. However, this is not what he did nor has this been the practice in modern production applications to date. Our purpose is to explore the implications of following one practice or the other.

where $\boldsymbol{x}_i = (\lambda_i, \boldsymbol{x}_{-1}^i)$. Thus, each element of $\boldsymbol{x}$ is clearly a sum over industry (or individual production activity) uses.

Lau's definition suggests another way to obtain the PPF from an underlying optimization model under nonjointness – that is, by minimizing the use of one input subject to technology constraints for all outputs and endowment constraints for all other inputs. Clearly, when ω^* and ω_i^* are continuous and monotonic in $\boldsymbol{y}$ and $\boldsymbol{y}_i$, the relationships $\lambda = \nu^*(\boldsymbol{y}, \boldsymbol{x}_{-1})$ and $\lambda_i = \nu_i^*(y_i, \boldsymbol{x}_{-1}^i)$ are equivalent to $F(\boldsymbol{y}, \boldsymbol{x}) = 0$ and $y_1 = f^*(\boldsymbol{y}_{-1}, \boldsymbol{x})$ in (11), respectively, by the implicit function theorem. Hence, societal (or firm) level efficiency is characterized equivalently by an input requirement function ω^* defined over total uses of other inputs. Again, spatial, temporal, and physical detail in $\boldsymbol{x}$ is omitted in the definition ω^*.

The concept of efficiency to this point has been discussed without regard to prices of either inputs or outputs. A central tenet of this section, however, is that prices are critically important if the leading concepts of production efficiency are to have practical meaning. Otherwise, the efficiency concepts that correspond to aggregation of inputs or outputs may not be consistent with economic optimization of either costs or profits.

Consider first the possibility of functional aggregation in (1) such that inputs can be simply aggregated additively following the approach used for most agricultural data. In such a case,

$$y = f\big(f_1(\boldsymbol{x}^1, t_1), \dots, f_m(\boldsymbol{x}^m, t_m)\big) = \tilde{f}\big(\boldsymbol{x}^1 + \cdots + \boldsymbol{x}^m\big). \tag{14}$$

Such additivity (a special case of strong separability) implies that the marginal product of an input in stage i is equal to the marginal product of an input in stage j. Hence, a mean-preserving spread in the distribution of an input across stages will have no impact on output. This assumption implies that generic inputs applied across stages are perfect substitutes, which seems unreasonable in virtually all agricultural production. Thus, such a rationalization for adding generic inputs is summarily rejected.[18] Perhaps more general forms of functional aggregation following Blackorby, Primont, and Russell (1978) are appropriate, but additivity seems unreasonable.

By far, the most common reason to presume that technology can be written with the sum of inputs is based upon efficient allocation across outputs. This explanation commonly proceeds by assuming positive use of each x_i in each stage in (3). Efficiency implies that annual aggregate inputs are allocated among production stages to equate marginal products and rates of technical substitution across stages. Thus, optimization results in the efficient description of technology in terms of the aggregate or added inputs. However, this conclusion crucially hinges on a notion similar to Hick's composite commodity theorem [Hicks (1956)].

[18] However, some inputs are apparently perfect substitutes or near perfect substitutes within a stage. For example, two brands of fertilizers with the same chemical content may be perfect substitutes.

Samuelson (1967, p. 231) made clear the assumption that all inputs had to have the same factor prices across industries in his development of the PPF. Under such conditions, efficiency concepts can serve as the first stage of a two-stage optimization process. To this end, if $\boldsymbol{x}$ enters as a sum in the PPF definition, it must enter as the same sum in the calculation of costs. For example, in the Lau problem, if and only if the wage rate is the same for all industries is (13) equivalent to minimizing the cost of an input subject to technology and the endowments of other inputs (e.g., by multiplying both ω^* and ω_i^* by the same wage rate) which then, in turn, is consistent with profit maximization if all input allocations aggregated in $\boldsymbol{x}$ have the same prices.

3.3. Instructive examples of within-firm aggregation

Several examples can illustrate the implicit problem of within-firm aggregation across commodities and allocations in agricultural data. Consider the case with two outputs, y_1 and y_2, distinguished over time or space with corresponding prices p_1 and p_2; and two inputs, x_1 and x_2, distinguished by time or space with corresponding prices r_1 and r_2.

3.3.1. Case 1: Price homogeneity allows additive aggregation independent of prices

Suppose technology follows $y_i = f_i(x_i)$, $i = 1, 2$, so the profit maximization problem is

$$\pi = \max_{x_1, x_2} \{ p_1 f_1(x_1) + p_2 f_2(x_2) - r_1 x_1 - r_2 x_2 \}.$$

If $p_1 = p_2 = p$ and $r_1 = r_2 = r$, then inputs and outputs can be aggregated additively with $x = x_1 + x_2$ and $y = y_1 + y_2$ so the problem can be represented as

$$\begin{aligned} \pi &= \max_{x_1, x_2} \{ p[f_1(x_1) + f_2(x_2)] - r(x_1 + x_2) \} \\ &= \max_{x} \{ p f(x) - r x \} \\ &= \pi^*(p, r), \end{aligned}$$

where the aggregate technology $f(x)$ is defined independent of prices by an implicit maximization,

$$f(x) = \max_{x_1, x_2} \{ f_1(x_1) + f_2(x_2) \mid x = x_1 + x_2 \}. \tag{15}$$

The maximization in (15) requires equating the marginal products across input uses. In many instances, economists (and statisticians who produce the data they use) aggregate inputs or outputs simply by adding them as in Equation (14). As noted earlier, such practices are typical in conceptual descriptions of aggregate technical efficiency. In empirical work, perhaps the most common examples of simple adding across space are

generic inputs like fertilizer, water or land. On the other hand, capital service or labor categories are often summed across time [Shumway (1983, 1988)]. As noted by this case, the ability to do so properly hinges on the equality of prices.

3.3.2. Case 2: Price heterogeneity requires index aggregation

Reality requires consideration of the case where prices are not equal. For example, land typically has heterogeneous quality. Even hard red No. 2 winter wheat prices differ by location and time. Suppose prices are not identical, $p_1 \neq p_2$ and $r_1 \neq r_2$, but other assumptions follow Case 1. In this case, quantity aggregation requires use of price weights. Assuming the existence of index numbers consistent with Fisher's weak factor reversal property [Fisher (1922)], the profit maximization problem can be represented as

$$\begin{aligned} \pi &= \max_{x_1,x_2}\left\{p_1 f_1(x_1) + p_2 f_2(x_2) - r_1 x_1 - r_2 x_2\right\} \\ &= \max_{x}\left\{p f(x) - r x\right\} \qquad (16) \\ &= \pi^*(p,r), \qquad (17) \end{aligned}$$

where p is an index of output prices, r is an index of input prices, aggregate quantities are defined with index weights such that $x = x_1^* + x_2^*$ and $y = y_1^* + y_2^*$ where

$$\begin{aligned} y_1^* &= (p_1/p)y_1, \qquad y_2^* = (p_2/p)y_2, \\ x_1^* &= (r_1/r)x_1, \qquad x_2^* = (r_2/r)x_2, \end{aligned} \qquad (18)$$

and the aggregate technology is represented by $f(x)$ as defined by an implicit maximization,

$$f(x) = \max_{x_1^*,x_2^*}\left\{(p_1/p) f_1(r x_1^*/r_1) + (p_2/p) f_2(r x_2^*/r_2) \mid x = x_1^* + x_2^*\right\}. \qquad (19)$$

In this case, price-weighted marginal products are equated across input uses. Thus, the problem is represented accurately with aggregates but the definitions of the aggregates depend crucially on the price weights. Dependence on the price weights means that an estimate of the technology in (16) or (19) or the profit function in (17) under one price regime may not serve well to forecast the response to a different (possibly unobserved) price regime, i.e., where the corresponding $y = f(x)$ is not known or observed. For example, a very different distribution of prices among the outputs (inputs) could lead to the same price index p (r) as in (17) but a very different $f(x)$.

Examples abound where aggregates are not simply summed but are formed as price-weighted aggregates. Examples are index numbers in Divisia, Paasche or Laspeyres form. Often, Fisher's weak factor reversal property is used so that a quantity (price)

index can be implicitly calculated from a price (quantity) index. The important point is explicit recognition that aggregation involves heterogeneous prices and products. Index numbers that are exact for particular technologies have been explored by Diewert (1976), who coined the phrase "superlative indexes" for those that correspond to homogeneous second-order flexible technical forms.

The development of these indexes is typically based upon cost minimization assuming all prices and quantities are positive. When inputs and outputs are positive and separable from one another, index procedures may exist that are exact for both aggregators of inputs (in the production function) and outputs (in the input requirements function). Clearly, the more aggregate the data, the less likely is observation of a zero production. These indexes are clearly useful to represent aggregate output or inputs or even to aggregate a portion of each. However, they do not generally specify technology in a form that can be used to illuminate allocative technical efficiency. Also, exact indexes are not robust with respect to behavioral preferences. Profit maximization is a crucial assumption. For example, risk aversion where inputs affect risk is sufficient to cause failure.

Currently, publicly reported agricultural data at county, state, regional, and national levels of aggregation contain many Laspeyres aggregations [Shumway (1988)] that are exact only for Leontief or linear technology [Diewert (1976)]. Some data particularly at state or lower levels of aggregation are constructed using simple summation aggregators such as a simple average [Pope and Chambers (1989); Chambers and Pope (1991)]. Neither is exact under flexible functional form technology. In recent years, some public data aggregated with Tornqvist–Theil indexes across groups of inputs or outputs has appeared. This approach is exact for homogeneous translog technology [Ball (1985); Ball et al. (1997); Ball et al. (1999)]. However, this and other index approaches are limited by the fact that data on many of the groups that go into these calculations are constructed with simple summations.

In lieu of using public aggregate data, some studies investigate agricultural production using one of the few farm-level data sets that have been collected (e.g., the Kansas State University farm accounting data). Farm-level data is scarce and, in most cases, access is limited. Moreover, from the standpoint of the discussion in this section, farm-level data is typically derived from expenditure and receipt information in accounting records. Expenditures and receipts are typically aggregated additively over input categories, time, and/or spatially separated production activities. Because no indexing of prices is used, the implicit assumptions necessarily correspond to Case 1.

3.3.3. Case 3: Price homogeneity with short-term fixities or corner solutions

Unfortunately, convenient rationalizations that accompany exact index numbers or simple sums in the production possibilities frontier fail when fixed or corner solutions arise. Suppose prices are identical across time or space as in Case 1 but that at least one of the production activities is constrained by short-term fixities. Where the inputs and outputs represent temporal heterogeneity, the fixities could represent family labor or capital service flow constraints that vary by time period. Where the different inputs and outputs

represent spatial heterogeneity, the fixities could represent land allocation constraints imposed by government policy (acreage set asides, diversion requirements, environmental restrictions such as pesticide use near surface water, etc.). Suppose technology follows $y_i = f_i(x_i, z_i)$, $i = 1, 2$, where z_i represents, say, the amount of land allocated to production activity i. Suppose further that allocation of a fixed input quantity, z, between the two production activities is limited by a restriction, $z_1 \leqslant z_1^*$, that turns out to be binding. If $p_1 = p_2 = p$ and $r_1 = r_2 = r$, then the profit maximization problem is

$$\pi = \max_{x_1, x_2}\{p[f_1(x_1, z_1) + f_2(x_2, z_2)] - r(x_1 + x_2) \mid z_1 = z_1^*, z = z_1 + z_2\}.$$

In this case, the inputs and outputs can be aggregated additively with $x = x_1 + x_2$ and $y = y_1 + y_2$ as in Case 1 but the problem requires a more complicated representation:

$$\begin{aligned} \pi &= \max_{x_1, x_2}\{p[f_1(x_1, z_1^*) + f_2(x_2, z - z_1^*)] - r(x_1 + x_2)\} \\ &= \max_{x}\{pf(x, z_1^*, z) - rx\} \qquad (20) \\ &= \pi^*(p, r, z_1^*, z). \qquad (21) \end{aligned}$$

Here the aggregate technology, $f(x, z_1^*, z)$, can be defined independent of prices but not independent of the short-term fixities,

$$f(x, z_1^*, z) = \max_{x_1, x_2}\{f_1(x_1, z_1^*) + f_2(x_2, z - z_1^*) \mid x = x_1 + x_2\}.$$

The latter implicit maximization requires equating the marginal products of x across input uses but the marginal products depend on how fixities affect land allocation. If factors affecting these fixities (z_1^* or z) vary over observations (time or space) used to estimate the production problem, then the specification and estimation of (20) or (21) is not as simple and elegant as standard methodologies imply. Specifically, estimation of (20) and (21) is not generally valid unless the disaggregated allocation of land is considered explicitly. This implies that the state-level practice of simply adding acreage for the estimation of crop technologies is problematic unless land is homogeneous. The constrained problem becomes particularly complicated if such constraints are intermittently binding across observations that represent different land qualities or are intermittently imposed across time or space by government policy.

As noted in Section 2.1, agricultural production economics has compiled substantial conceptual and empirical support for treating capital and family labor service flows as constrained at crucial times during the growing season. Thus, in certain stages of production in (2), labor or capital service constraints may be binding. These will likely have different shadow values because constraints will be binding in some periods and not others. Any attempt to represent efficiency in terms of total availability or total use of a service is inappropriate.

3.3.4. Case 4: The case of corner solutions with ex post adjustment

Now suppose that a random state of nature is introduced to which the producer can respond, e.g., by applying pesticides if a pest infestation is observed. Suppose production follows $y_i = f_i(x_i, z_i, \varepsilon_i) = z_i^{\alpha_i}[\beta_i + (1-\beta_i)(1-\mathrm{e}^{-x_i})]^{\varepsilon_i}$ where ε_i is a random state of nature equal to zero or one depending on whether a pest infestation occurs, $\alpha_i > 0$, $0 < \beta_i < 1$. Thus, if $\varepsilon_i = 0$, then production is $y_i = z_i^{\alpha_i}$. If $\varepsilon_i = 1$, then a portion of the crop is lost resulting in (i) production $y_i = \beta_i z_i^{\alpha_i}$ if no pesticide is applied or (ii) production asymptotically approaching the case of no pest infestation as large amounts of pesticides are applied. Suppose land allocation must be determined prior to realization of the state of nature and must satisfy the binding land constraint, $z_1 + z_2 = z$. Then the profit maximization problem is represented by

$$\begin{aligned}\pi &= \max_{z_1,z_2}\left\{\mathrm{E}\left[\max_{x_1,x_2}\left\{\sum_i p_i z_i^{\alpha_i}\left[\beta_i + (1-\beta_i)\left(1-\mathrm{e}^{-x_i}\right)\right]^{\varepsilon_i}\right.\right.\right.\\ &\qquad\left.\left.\left.-\sum_i r_i x_i\right\}\right]\,\middle|\, z_1+z_2=z\right\}\\ &= \max_x\left\{pf(z,x,\varepsilon_1,\varepsilon_2) - rx\right\} &(22)\\ &= \pi^*(z,p,r,\varepsilon_1,\varepsilon_2), &(23)\end{aligned}$$

where E is an ex ante expectation, p and r are price indexes for outputs and inputs, respectively, and aggregate quantities are again defined with index weights so that $x = x_1^* + x_2^*$ and $y = y_1^* + y_2^*$ following (18). For this problem, the aggregate technology must be defined by the implicit maximization,

$$f(x,\varepsilon_1,\varepsilon_2) = \max_{x_1^*,x_2^*}\left\{\sum_i (p_i/p)(z_i^*)^{\alpha_i}\left[\beta_i + (1-\beta_i)\left(1-\mathrm{e}^{-rx_i^*/r_i}\right)\right]^{\varepsilon_i}\,\middle|\, x = x_1^*+x_2^*\right\}, \tag{24}$$

where

$$\begin{aligned}(z_1^*, z_2^* \mid x) &= \operatorname*{argmax}_{z_1,z_2}\mathrm{E}\left[\max_{x_1^*,x_2^*}\left\{\sum_i (p_i/p) z_i^{\alpha_i}\left[\beta_i + (1-\beta_i)\right.\right.\right.\\ &\qquad\times\left.\left.\left.\left(1-\mathrm{e}^{-rx_i^*/r_i}\right)\right]^{\varepsilon_i}\,\middle|\, x = x_1^*+x_2^*\right\}\right].\end{aligned}$$

For this problem, the price-weighted marginal products that are equated across input uses are dependent on the states of nature. For example, for (22), (23) or (24) to correctly reflect technology, they must be conditioned on disaggregated states of nature.

These cases make clear that simple index procedures may not be empirically appropriate when corner solutions, fixities, price heterogeneity or ex post adjustments are present.[19] The essential point relevant to representation of production technologies in terms of aggregate inputs and outputs is that either (i) prices (or shadow prices) of those goods that are aggregated additively must be homogeneous or (ii) aggregation must follow index forms appropriate to the (unknown) technology. In the latter case, production choices must not be constrained by fixities and cannot involve ex post adjustment to states of nature. Otherwise, disaggregated data is required to represent efficiency, i.e., production possibilities frontiers expressed solely in terms of simple aggregates are not well defined.

Some important principles implied by the above cases are as follows:

PRINCIPLE 1. *Each unconstrained input aggregation in the efficiency concept should be composed of allocations that have identical prices if fixities or ex post adjustments affect those allocations.*

PRINCIPLE 2. *Each output aggregation in the efficiency concept should be composed of output quantities that have identical prices if fixities or ex post adjustments affect their production.*

It is tempting to state each of these principles in a form that requires identical prices generally. Indeed, the basic concept of technology is typically stated in terms of sets or functions defined over inputs and outputs alone (not depending on prices). Clearly, Case 1 illustrates what is required to represent such technologies. However, Case 2 and the exact aggregation literature clearly show that prices can be appropriately used to aggregate inputs or outputs when, for example, the fixities and ex post adjustments of Cases 3 and 4 are not present. In these cases, theorems are required to rationalize procedures for aggregation using prices as illustrated by the influential work of Diewert (1976). However, these theorems for aggregation via price indexes require knowledge of the functional form of technology, the class of behavior, and all prices that provide behavioral incentives. A number of circumstances limit the practical usefulness of these results. For example, markets for risk are generally believed to be incomplete in agriculture so that necessary prices may not exist. An example can illustrate these index problems when production is random.

3.3.5. *Case 5: Dependence of exact indexes on behavior and technology*

Suppose technology is quadratic and random of the form

$$y = f(\boldsymbol{x})\varepsilon = (\boldsymbol{x}A\boldsymbol{x})\varepsilon, \quad \mathrm{E}(\varepsilon) = 1,$$

[19] Differences in marginal returns due to failure to adjust to identical prices was recognized as a significant problem in published productivity indexes by Griliches (1963) who attempted to estimate the difference in marginal returns among input allocations and to correct index number measurements accordingly.

(where transposition is suppressed for convenience) and that the firm is an expected utility maximizer solving

$$\max_{x} \mathrm{E}\big[U(w_0 + pf(\boldsymbol{x})\varepsilon - \boldsymbol{rx})\big],$$

where all prices are certain, p is output price, $\boldsymbol{r}$ is a vector of input prices, U is utility, E denotes expectation, and w_0 is certain initial wealth. The first-order conditions (assumed sufficient) are

$$pf_x(\boldsymbol{x}) - \boldsymbol{r} - R_x(p, \boldsymbol{r}, w_0) = 0,$$

where R_x is the marginal risk premium. Following the quadratic lemma of Diewert (1976), the difference in output from some base period is given by

$$\mathrm{E}(y) - \mathrm{E}(y_0) = .5[f_x(\boldsymbol{x}) + f_x(\boldsymbol{x}_0)](\boldsymbol{x} - \boldsymbol{x}_0), \tag{25}$$

where $\boldsymbol{x}_0$ is the base period vector of inputs and y_0 is the corresponding output. Inserting the first-order conditions from expected utility maximization into (25) gives

$$\mathrm{E}(y) - \mathrm{E}(y_0) = .5\big[(\boldsymbol{r} + R_x)/p + (\boldsymbol{r}_0 + R_{x_0})/p_0\big](\boldsymbol{x} - \boldsymbol{x}_0).$$

Assuming that inputs are normalized so that $\mathrm{E}(y_0)$ is a known constant, expected output is known only if the two marginal risk premiums are known. Under risk neutrality, R_x and R_{x_0} are zero and (changes in) output is (are) simply represented by

$$\mathrm{E}(y) - \mathrm{E}(y_0) = .5(\boldsymbol{r}/p + \boldsymbol{r}_0/p_0)(\boldsymbol{x} - \boldsymbol{x}_0),$$

which is a simple index of observed relative input prices and inputs. This result illustrates that knowledge of the proper behavioral model is required for use of index numbers and all dual methods that infer the form of technology using them. Of further interest is that restricting the form of technology can lead to a standard index number. For example, consider homogeneous quadratic production, $y = f(\boldsymbol{x}) = (\boldsymbol{xAx})^{.5} + (\boldsymbol{xBx})^{.25}\varepsilon$, $\mathrm{E}(\varepsilon) = 0$ where $\boldsymbol{A}$ and $\boldsymbol{B}$ are parameter matrices. Given constant absolute risk aversion and normality, $p(\boldsymbol{xAx})^{.5} - .5\lambda p^2\sigma^2(\boldsymbol{xBx})^{.5}$ is obtained as Fisher's (1922) ideal price index, which is the geometric mean of the Paasche and Laspeyres price indexes where σ^2 is the variance of ε and λ is the absolute risk aversion coefficient. Here the index is standard but its meaning is not. The index recovers expected revenue reduced by the risk premium.

Even when exact index forms are known, it must be recognized that many prices may not be known to firms when inputs are applied or when outputs are planned, implying again that behavior may well not follow optimization of cost, revenue, or profit functions based on index numbers. That is, explicit technological parameters may be eliminated using first-order conditions for optimization. Risk preferences, moments of the

distribution of prices and even technological parameters in the marginal risk premium may remain. These also will vitiate the convenience of index number aggregation. The simple fact is that prescription or prediction for unobserved price scenarios (such as are necessary in ex ante policy analyses) cannot be usefully addressed with the exact index number approach. Although one might initially think that these problems refer only to outputs, Case 4 makes clear that input prices in a dynamic world can be subject to many of the same concerns as output price uncertainty.[20]

Principles 1 and 2 must be enlarged when they apply to aggregation of service flows from farmer-owned resources. Suppose the farm production problem is described by

$$\begin{aligned} &F(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}) \equiv y_1 - f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}), \\ &f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}) \equiv \max\{y_1 \mid \boldsymbol{y} = f(\boldsymbol{x}, z^1, \ldots, z^m),\ z^i \leqslant \boldsymbol{k},\ i = 1, \ldots, m\}. \end{aligned} \tag{26}$$

Here i indexes time. Use of recurring allocated fixed factors must meet availability constraints. These may be limiting in some time periods and slack in others. An obvious question is when can this problem be represented by time-aggregated service flows in the form

$$y_1 = f^{**}(\boldsymbol{y}_{-1}, \boldsymbol{x}, z), \tag{27}$$

[20] To highlight the severity of this problem, we note that almost all agricultural production studies combine pesticides into one variable. This is problematic because (i) at least some pesticides are applied after commencement of the growing season when some random conditions are already observed (as in Case 4), (ii) many pesticides have highly specific uses, and (iii) individual pesticide prices may not be highly correlated because of the role of patents and market concentration. To illustrate the specificity of uses, grasses on corn lands are typically controlled by Eradicane or Sutan at the pre-planting stage, by Lasso, Dual, or Prowl in other pre-emergent applications, and by Beacon or Accent in post-emergent applications. In contrast, grasses on soybean lands are typically controlled by Treflan or Prowl at pre-planting, by Lasso or Dual in pre-emergent applications, and by a number of additional herbicides in post-emergent applications. Broadleaf weeds on corn lands, on the other hand, are typically controlled by Atrazine at pre-planting, by Atrazine or Bladex in pre-emergent applications, and by Banvel, 2,4-D, Buctril, Permit, or Exceed in post-emergent applications. To illustrate the magnitude of unrelated price movements among leading pesticides, note that newly patented pesticides come onto the market almost every year while patents on others expire, leading to generic competition. Either can cause the price of a specific pesticide competing in a specific use to decline by as much as 20–50 percent while other pesticide prices are rising. Examples include a 43 percent decline in glyphosate price due to patent expiration while the price of atrazine increased 25 percent in response to a dramatic reduction in the number of selling firms during 1989–1992. Such dramatic differences in price variation are not the exception. For example, generic entry following patent expiration caused a price decline of 20 percent for atrazine, 26 percent for diuron, 40 percent for simazine, and 25 percent for trifluralin (not simultaneously) while the pesticide price index and prices for leading pesticides such as Lasso and Lorsban were rising [United States Senate (1987)]. Such examples are likely to increase in importance because of the increasing predominance of pesticide-dependent no-till technologies and because of genetic engineering which is creating niche products such as Roundup-ready soybeans that introduce dependence on specific products. To illustrate this trend, note that pesticides now account for 17–21 percent of the variable costs of corn production and 30–35 percent of the variable costs of soybean production in most areas of the United States [Economic Research Service (1999a and 1999b). Thus, serious concern may be warranted when crop- or location-specific variation in pesticide prices is aggregated or swept under the guise of an error term.

where $z = \sum_{i=1}^{m} z^i$? The answer is that the behavior of a profit-maximizing farmer can be represented generally with such a production function only when the shadow prices of service flows are constant over time. The reasons are that (i) profit-maximizing service flows in each time period will have different marginal productivities corresponding to the different shadow prices and (ii) the constraints are typically binding only intermittently. Once aggregated, the differences in shadow prices are lost.[21] A simple example can illustrate.

3.3.6. Case 6: Aggregation of service flows

Let output be additive in the stage outputs with output price equal to 1 where the first stage output is given by $z_1 - .5z_1^2$ and the second stage output is $3z_2 - .5z_2^2$. The first stage has marginal product $1 - z_1$ and the second stage has marginal product $3 - z_2$. Where $k = 2$ the optimal solution is

$$z_1^* = 1, \quad \lambda_1^* = 0, \quad z_2^* = 2, \quad \text{and} \quad \lambda_2^* = 1$$

with output 4.5 where λ_i^* represents the shadow value of the service flow constraint in time period i. One cannot maximize profit or output subject to an aggregate service flow availability constraint, $z = 4$, or an aggregate service flow use constraint, $z = 3$, because the different magnitudes of multipliers in different time periods cause different marginal products. In both cases in this example, the use constraint in the second time period would be violated. However, if the shadow prices and total shadow value of available service flows are observed, one could correctly maximize profit or output subject to $v = \lambda_1^* z_1 + \lambda_2^* z_2$ where v is the total shadow value of available service flows ($v = 2$ in the example above). The problem here is that both the optimal shadow prices and the total shadow value of available service flows depend on parameters of the problem that are likely to vary among observations used for estimation both across stages of production and across farms.

The principle implied by this discussion of shadow prices is as follows.

PRINCIPLE 3. *For inputs or outputs that are constrained, each output and input aggregation in the efficiency concept should be composed of those allocations that have identical shadow prices. For service flows that are constrained, if shadow prices of service flows are not observed intraseasonally and used for weighted aggregation, each service flow aggregation in the efficiency concept should be composed of service flows*

[21] The assumption implicit in the allocated fixed input constraint is a "use it or lose it" concept, e.g., if operator labor is not used this time period it does not add to operator labor available for next period. While this assumption applies quite well to labor and land, some types of machinery if used less may have more machinery life available for future time periods. In such cases, the recurring fixity constraint would apply because of fixed machinery capacity but some further user costs would need to be considered among variable costs to reflect how much of a machine's life is exhausted with use.

that have identical shadow prices. Alternatively, the efficiency concept should be based on intraseasonal service flow constraint levels as in (4) *rather than actual service flows.*

As Case 6 implies, it is not the total seasonal flow or stock that is relevant. It is the maximal capacity service flow in each period (which for notational convenience we have assumed is identical in each period). This capacity is what enters (4). The representation of technical efficiency will not be smooth in maximal service flow capacities represented in $\boldsymbol{k}$ because constraints bind in some seasons and do not bind in others.

The implications of not following this principle are difficult to determine because shadow prices are not readily observable. Furthermore, shadow prices typically depend on market prices and behavioral objectives. Thus, aggregating service flows makes the description of technology dependent on prices, policy and behavior. In other words, the associated efficiency concept is not generally a technical efficiency concept when aggregate service flow data are used.

We note that agricultural production analysis has been increasingly turning toward representing aggregate production relationships in terms of aggregate service flows. That is, agricultural production is increasingly being modeled using capital service flows as variable inputs as in (27) rather than with capital investments as fixed inputs as in (26). This movement has both motivated and been motivated by the development of public agricultural production data as measurements of capital service flows rather than capital stocks [Ball (1985); Ball et al. (1999)]. Thus, the prevailing direction of emphasis both in agricultural production analysis and data generation appears to be leading away from a valid representation as in (26) and toward a representation as in (27), the underlying assumptions of which are inapplicable according to Principle 3 except in a narrow and unlikely set of circumstances.

The principles of this section highlight the critical nature of heterogeneity due to spatial or temporal price variation in agricultural production. As discussed in Section 2, some major price variations over typical spatial and temporal aggregations of both inputs and outputs appear to be relatively large and thus render those aggregates of questionable value for testing technical efficiency of production or for simply representing the standard characteristics of technology.

These examples and principles lead to a set of conditions that are sufficient for simple aggregate representations of technology dependent on observed data.

3.3.7. The aggregation qualification condition

A. Simple input or output aggregation devoid of prices requires:
   1. Functional separability [Blackorby et al. (1978)], or
   2. Equality of prices and marginal conditions across all aggregated quantities. If ex post adjustments under uncertainty apply, then all aggregated quantities must also be adjusted according to the same ex post information.

B. Conventional input or output aggregation using prices and observable production data requires the cases for which index forms yield exact cost or revenue optimization in terms of aggregates, e.g, as in the quadratic approximation lemma of Diewert (1976). These aggregations must not be over variables affected other than as aggregates by intertemporal or activity-specific policy constraints or ex post adjustments under uncertainty and must not depend on preferences. Such aggregations are not useful when disaggregated prices are unobserved.

3.4. The production possibilities frontier as a representation of technology

Consider next the typical practice of representing multi-output technologies by their PPFs. With the development and application of tractable flexible forms using dual methods, a number of studies based upon the PPF of multiproduct firms have ensued [e.g., Antle (1984); Ball (1988); Shumway (1983); Weaver (1983)]. That is, in virtually all multi-output empirical applications of duality, allocations of inputs are ignored [Chambers and Just (1989) is an exception]. For empirical purposes (when smoothness is imposed), efficient technology is characterized implicitly by a single-equation representation of the product transformation function involving only aggregate inputs and aggregate outputs. These studies examine issues for which the measurement of $F(\boldsymbol{y}, \boldsymbol{x})$ is beneficial, including measurement of total factor demands and product supplies, various forms of separability, productivity and technical change, and the standard characteristics of the PPF.[22]

However, examination of an economic sector or firm as a whole by means of the PPF using $F(\boldsymbol{y}, \boldsymbol{x})$ or its dual profit function cannot answer a number of interesting questions that have policy or management relevance. To illustrate, suppose production is truly nonjoint so that the existence and notion of an underlying technology is clear – the f_i's in Samuelson's case in (11) or the ω_i^*'s in Lau's definition in (13). Total profit, π, is the sum of industry (or production activity) profits where each industry (or production activity) profit, π_i, depends only on the corresponding output price, p_i, and input price vector $\boldsymbol{r}$,

$$\pi(\boldsymbol{p}, \boldsymbol{r}) = \sum_i \pi_i(p_i, \boldsymbol{r}), \tag{28}$$

where $\boldsymbol{p}$ is the output price vector. The dual to the left side of (28) is the PPF or transformation function, $F(\boldsymbol{y}, \boldsymbol{x}) = y_1 - f^*(\boldsymbol{y}_{-1}, \boldsymbol{x})$, while the dual to an element of the sum on the right-hand side of (28) is the industry production function, $y_i = f_i(\boldsymbol{x}^i)$.

Note that any structure found to be present in π or F says almost nothing about the structure of any π_i or f_i. For example, separability of π in some partition of $\boldsymbol{r}$ does not

[22] For these purposes, however, one must attach a *ceteris paribus* qualification as demonstrated in the following section. That is, changes in policy or behavior can alter the apparent PPF.

imply separability of π_i in that partition nor vice versa. In other words, learning about the structure of $F(\boldsymbol{y}, \boldsymbol{x})$ either directly or implicitly through $\pi(\boldsymbol{p}, \boldsymbol{r})$ reveals little about the structure of any $f_i(\boldsymbol{x}^i)$.

PRINCIPLE 4. *The structure of a production possibilities frontier, which is the level at which production technology is represented in most modern production studies, does not reveal the structure of any distinct underlying (industry- or production-activity-specific) technologies.*

3.5. An illustration of the technical content of a production frontier

The point of Principle 4 can be illustrated with an example including two competitive industries (or production activities). Using an underlying technology that is nonjoint and symmetrically separable in inputs from outputs, the PPF exhibits separability in inputs from outputs when the partial production elasticities in both sectors are equal. Thus, a test for separability of the PPF may be only a test about the relationship of production elasticities rather than separability of the underlying technology.

Consider a production technology with two outputs and two allocated inputs, one variable and one fixed, following Cobb–Douglas technology,

$$y_1 = a x_1^{\alpha_1} z_1^{\alpha_2}, \qquad y_2 = b x_2^{\beta_1} z_2^{\beta_2}, \tag{29}$$

where x_1 and x_2 are amounts of the variable input allocated to the respective production activities and z_1 and z_2 are amounts of the fixed input allocated to the respective production activities. The aggregate amounts of the two inputs are thus $x = x_1 + x_2$ and $z = z_1 + z_2$, respectively. Suppose the latter must satisfy the allocated fixed input constraint, $z = k$. These relationships can be considered as constraints on the technology in any behavioral optimization or substituted into (29) to represent technology by

$$y_1 = a x_1^{\alpha_1} z_1^{\alpha_2}, \tag{30}$$

$$y_2 = b(x - x_1)^{\beta_1}(k - z_1)^{\beta_2}, \tag{31}$$

where $\boldsymbol{X} = (x_1, x_2)$ and $\boldsymbol{Z} = (z_1, z_2)$. To maximize profits, $\pi = p_1 y_1 + p_2 y_2 - rx$, subject to the constraints, the first-order conditions corresponding to (29) are

$$\alpha_1 p_1 a x_1^{\alpha_1 - 1} z_1^{\alpha_2} - \beta_1 p_2 b(x - x_1)^{\beta_1 - 1}(k - z_1)^{\beta_2} = 0, \tag{32}$$

$$\alpha_2 p_1 a x_1^{\alpha_1} z_1^{\alpha_2 - 1} \beta_2 p_2 b(x - x_1)^{\beta_1}(k - z_1)^{\beta_2 - 1} = 0, \tag{33}$$

$$\beta_1 p_2 b(x - x_1)^{\beta_1 - 1}(k - z_1)^{\beta_2} - r = 0. \tag{34}$$

Combining (30)–(34) and solving out prices obtains the relationship corresponding to (11) or (12).

Another representation of technology is to solve two of these relationships for prices, e.g., p_1 and p_2, after normalizing the other, e.g., setting $w = 1$, to obtain three remaining relationships devoid of prices. One such representation includes (30), (31) and

$$\frac{\beta_1(k - z_1)}{\alpha_1 z_1} = \frac{\beta_2(x - x_1)}{\alpha_2 x_1}, \tag{35}$$

which follows from combining (32) and (33). To obtain (11) or (12) from (30), (31), and (35), one can solve (35) for z_1. This result can be substituted into (30) which can then be solved for x_1. Then both of these results can be substituted into (31) to obtain an equation in y_1, y_2, x, and k.

Even though this step is possible in principle, an explicit solution cannot be found in practice without constraining the parameter space. Since an example suffices, let $\alpha_1 = \alpha_2$. Then solving (35) for z_1 obtains

$$z_1 = \frac{\beta_1 \alpha_2 x_1 k}{\alpha_1 \beta_2 (x - x_1) + \beta_1 \alpha_2 x_1} \tag{36}$$

and solving (30) for x_1 obtains

$$x_1 = (y_1/a)^{1/\alpha_1}/z_1. \tag{37}$$

Solving (36) and (37) simultaneously yields

$$z_1 = \frac{2y_1^\gamma}{cx}\left[1 + \sqrt{1 + ckxy_1^{-\gamma}}\right], \qquad x_1 = \frac{cxa^{-\gamma}}{2}\left[1 + \sqrt{1 + ckxy_1^{-\gamma}}\right]^{-1},$$

where $\gamma = 1/\alpha_1, c = 4\beta_2 a^{1/\alpha_1}/(\beta_2 - \beta_1)$. The negative root is ruled out by positivity constraints. Substituting these results into (31) obtains

$$\begin{aligned} y_2 = b&\left\{x - \frac{cxa^{-\gamma}}{2}\left[1 + \sqrt{1 + ckxy_1^{-\gamma}}\right]^{-1}\right\}^{\beta_1} \\ &\times \left\{k - \frac{2y_1^\gamma}{cx}\left[1 + \sqrt{1 + ckxy_1^{-\gamma}}\right]\right\}^{\beta_2}. \end{aligned} \tag{38}$$

The relationship in (38) illustrates the problem with implicit representation of technology. While the underlying technology in (29) is separable in both inputs and outputs, and nonjoint in inputs, the implicit representation of technology by (38) satisfies none of these properties except in special circumstances.[23] For example, if one further assumes $\beta_1 = \beta_2$, then (38) reduces to

$$(y_1/a)^{1/(2\alpha)} + (y_2/b)^{1/(2\beta)} = (xk)^{1/2}$$

[23] Shumway, Pope, and Nash (1984) have previously shown that the presence of allocated fixed inputs can induce an apparent jointness even though the underlying technology is nonjoint. This result is somewhat more

which satisfies separability in both inputs and outputs. Thus, a test for separability in (38) may simply test whether parameters have particular relationships even though the underlying technology satisfies separability regardless.

This misleading conclusion occurs because additional information must be imposed together with technology to obtain (38) from (29). This additional information may be viewed as relatively harmless. For example, the assumption of profit maximization is not needed to obtain (38) from (29). Simple Pareto efficiency is enough or, equivalently, following Chambers (1988, p. 261) one can simply assume inputs and outputs are chosen to maximize, say, y_1 given y_2 and x subject to (30) and (31). Nevertheless, the implied relationship in (38) obscures the underlying technology and makes detection of its standard characteristics misleading and impossible. This example thus verifies Principle 4.

3.6. Prescription versus description

Ignoring or subsuming allocations has led to an ever larger division of interests and methods between farm management economists and production economists. Farm management economists have concentrated on strategies and prescriptions for input allocation across production stages and production activities (which they call enterprises) such that both technical and price efficiency is maintained. Production economists, on the other hand, have tended to assume efficient allocation implicitly in order to concentrate on properties of the multi-output efficiency frontier. An excellent example of this approach is the creation and subsequent analysis of aggregate agricultural productivity by Ball (1985) and Ball et al. (1999). Production economists, while often allowing for technical inefficiencies, typically have had little to say about the allocations of a given input over the growing season or across production activities. While this practice by production economists is due in part to data limitations, the data limitations are at least partially endogenous. Those designing data set construction and reporting have chosen to ignore allocations.

The most fundamental definition of economics involves the allocation of productive resources to the satisfaction of competing wants. In the study of production, application of this practice involves determining the optimal allocation of aggregate inputs to various industries or production activities in addition to simply determining the optimal aggregate. Historically, one of the important motivations for studying agricultural production economics was indeed prescriptive – to improve farm management and help farmers make better decisions. More recently, efforts have been devoted to helping regional and national policymakers formulate better policies. We note, however, that the

general because all that is changed in this example if both inputs are variable inputs allocated to separate production activities is that k is replaced by z in (38). The additional first-order condition is used in solving for the additional price of the second variable input. Thus, presence of allocated fixed inputs is not crucial in these results. Rather, ignoring allocations, whether of fixed or variable inputs, is the cause of incorrectly reflecting the properties of technology.

PPF is often inadequate in a prescriptive sense when inputs and outputs are aggregated. For example, it does little good for a water economist to determine the optimal capacity of a water system under rationing if no guidance is available for allocation of rations among jurisdictions or farms. Similarly, it does little good for a farmer to know the profit-maximizing aggregate use of fertilizer if no information is available on how to allocate it among crops of different productivities or plots of different soil capacities. Optimal benefits are generally unattainable without proper allocation.

The same principle applies to allocation of aggregate inputs over time. In the framework of Equation (3), knowledge of f^0 does not reveal the nature of the stage production functions nor do deviations from the frontier in f^0 reveal where inefficiencies occur in allocations.[24] Agricultural economists typically measure or estimate f^0 rather than f^*. Knowledge of f^0 is sufficient to address many interesting questions if it is well defined, but the existence, meaning, and appropriate measurement of f^0 hinges crucially on an implicit assumption of constant input prices within aggregates or lack of corner solutions throughout the stages. During growing seasons with high interest rates and varying input prices, f^0 may not be well defined.

This discussion implies an additional principle broadly derived from Principles 1–4 and put in context as follows.

PRINCIPLE 5. *Descriptions of technology expressed only with aggregates over time and location are not conducive to prescription for farm management and they limit meaningful analysis of policy controls.*

In summary, the conventional PPF that subsumes allocative efficiency is not the object of interest in many economic analyses. In practice, knowing what is good may be of little help without knowing how to get there. Conventional analysis of the PPF leaves out direct information on most allocation decisions. It cannot be used to uncover the structure of any underlying sub-technologies. Furthermore, the conventional PPF is not robust in the presence of various policies, behavioral preferences, and environments. When complexities of behavior or environment are introduced, one must proceed from a more basic notion of production efficiency to determine if the usual concept and calculation of allocative efficiency is appropriate or should be amended. Knowledge of any underlying sub-technologies is essential in this process. Hence, knowledge of the sub-technologies is always relevant but knowledge of the PPF may not be relevant. Moreover, the PPF may not be well defined because dependence on policies and behaviors may not be specified but yet affect empirical observations. The above discussion motivates the need to explore alternative concepts of technical and production efficiency which may be useful in distinguishing underlying technologies from the conventional PPF.

[24] Of course being on a production function is not sufficient for allocative technical efficiency.

3.7. Eliminating behavior and policy from representations of technology

Principles 4 and 5 are important because some inquiries are required at the level of a single production activity or of a single input to a single production activity that are not sensible at the aggregate PPF level. For example, inquiries regarding technical efficiency need to be sensitive to the extent of price variation across time, space, and production activities in order to have practical implications for overall firm efficiency or social efficiency. When an environmental agency considers prohibiting use of a single pesticide on a group of crops (perhaps the most common type of economic benefit analysis used by an environmental protection agency), a PPF that aggregates use of all pesticides across all crops will be of little use for analyzing the implications. On a more technical level with respect to the properties of production, homotheticity is essentially about the scaling of inputs and/or outputs leaving ratios unchanged. Examination of homotheticity of agricultural technology, for example, using a regional PPF seems to have little policy (or "what if") relevance due to the fixity of land. Nonjointness as implied by $\partial y_i/\partial p_j = 0$ $(j \neq i)$ is likely not present in the PPF due to land fixities even when technologies for individual production activities are nonjoint [Shumway et al. (1984)].

From a practical standpoint, the primary intent of many policies is to alter specific input allocations. For example, acreage controls in agriculture (allotments, set asides, and base acreages) apply to the use of a specific input (land) in a specific production activity (crop). Also, pesticide use standards apply at the crop- and sometimes location-specific levels. For example, EPA registrations allow a pesticide to be used only on crops that appear on its registration label. Other EPA requirements limit how close to surface water certain pesticides can be applied. With respect to outputs, government policy instruments such as target and support prices cause the same crop to be sold at more than one price in the same season (not all of a farmer's crop may qualify for the higher subsidized price). Turning to more recent crop and revenue insurance policies, the alteration of effective prices by indemnity payments is crop-specific in some cases and farm-wide in others. In each of these cases, the focus on a PPF following the modern practices of production economics effectively eliminates the relevant policy consideration by aggregating over decisions that are treated distinctly by policies.

Similar considerations apply to behavioral preferences that treat different production activities differently. While much of the modern production literature is based on profit maximization following standard dual approaches, one of the unique features of agriculture is risky production. If some production activities involve more risk than others, then risk averse farmers will tend to allocate fewer inputs to more risky activities, i.e., expected marginal productivities of inputs will be higher among more risky activities. With either a change in behavior (e.g., an increase in risk aversion with operator age) or an enhancement in policies such as crop insurance or government disaster assistance that mitigate risk, the differences in marginal productivities among production activities of different risks could change. Descriptions of technology that do not reflect individual production activities but only aggregate production possibilities cannot be used to analyze such policies or phenomena. Furthermore, analyses of technical efficiency based

on revealed preference data affected by such policies is of questionable import when the effects of such policies are ignored.

Probably the most important reason to explore the underlying technology rather than the PPF has to do with robustness. Unless coupled with estimation of disaggregated production technologies, the observable PPF is policy- and behavior-dependent. For example, data envelopment analysis would tend to identify the production efficiency of the least risk averse farmer or the farmer least affected by policy parameters as "the" PPF. Alternatively, if the basic underlying technologies and preferences are estimated conditional on the specific policies affecting them, then a host of alternative policies can be evaluated, including those that address a specific type of behavior (e.g., like crop insurance addresses risk aversion). Pope and Just (1996) demonstrate that even production uncertainty with risk neutrality has fundamental implications for conceptualization and estimation of the cost function. Risk aversion is critical in evaluating, for example, changes in crop insurance. A conventional PPF (not conditioned on policy or behavior) may be clearly irrelevant for such analyses. It may serve only to indicate a potential that can never be reached or that is irrelevant in practice and, if so, will hold no useful information of social benefit.

Although there might be broad conceptual agreement that the PPF represents technology parameters and technical efficiency, distinguishing between a PPF conditioned on policy and one that is purely technological may be very difficult. They may appear observationally equivalent. For example, the constraint in Case 3 above could represent heterogeneity of land quality or an acreage policy control. In the former case it would be a part of technology while in the latter it would not. If policy controls are mingled with technology then a shift in the PPF has an uncertain source and estimates of the PPF are not useful for policy analysis. Productivity could increase due to either a technical change or a policy change such as elimination of the control. Principle 6 summarizes the advantages of a representation of efficiency that depends solely on technological relationships.

PRINCIPLE 6. *A useful concept of production efficiency for policy and management purposes corresponds to the first stage of a two-stage characterization of the producers optimization problem where the first stage fully reflects technical possibilities and the second stage includes all impacts of policies and behavior on decisions.*

3.8. An example with production errors

The point of Principle 6 can be illustrated by a simple one-input, two-output example using multiplicatively random nonjoint production functions. Let $y_1 = f_1(x_1)\varepsilon_1, \mathrm{E}(\varepsilon_1) = 1$, and $y_2 = f_2(x_2)\varepsilon_2$, $\mathrm{E}(\varepsilon_2) = 1$, where each f_i is strictly increasing. The PPF can be written as

$$y_2 = f_2\big(x - f_1^{-1}(y_1/\varepsilon_1)\big)\varepsilon_2,$$

where $x = x_1 + x_2$. Assuming prices are certain, if uncertainty is ignored in the second stage then the firm is assumed to produce on the PPF described by

$$-\partial y_2/\partial y_1 = f_{x_2}/f_{x_1} = p_1/p_2, \tag{39}$$

$$y_2 = f_2\big(x - f_1^{-1}(y_1)\big). \tag{40}$$

However, because y_1 and y_2 are random, (39) and (40) are not consistent with expected utility maximization. A risk neutral firm will produce where

$$-\partial \mathrm{E}(y_2)/\partial \mathrm{E}(y_1) = f_{x_2}/f_{x_1} = p_1/p_2,$$

$$y_2 = f_2\big(x - f_1^{-1}(y_1/\varepsilon_1)\big), \tag{41}$$

because y_1/ε_1 is $\mathrm{E}(y_1)$ given x_1. Given the nonlinear transformation of y_1 in (40), $\mathrm{E}(y_2)$ is not equal on average to the right-hand side of (41). Thus, ignoring uncertainty is inconsistent with two-stage expected utility maximization.

In general, to build a PPF in the Samuelsonian fashion consistent with expected utility maximization under price and production risk, one must identify all of the relevant moments of wealth that enter expected utility and develop a two-stage maximization approach consistent with the overall expected utility maximization problem. For example, if input prices are certain and equal as in the typical generic input case, and ε_1 and ε_2 are independent and have two parameter distributions, then

$$\mathrm{E}[U(w)] = U^*(m_{11}, m_{12}, m_{21}, m_{22}, w_0, r),$$

for some function U^* where m_{ij} is the ith moment of revenue for good j $(i, j = 1, 2)$, w_0 is additive initial certain wealth, r is the generic input price, U is utility, and w is wealth (assuming cross-moments are zero). An appropriate two-stage procedure is defined by

$$\max_{m_{12}, m_{22}, m_{21}, x} \; \max_{m_{11} | m_{12}, m_{22}, m_{21}, x} \; \mathrm{E}[U(w)], \tag{42}$$

where x is total input use. If production is nonjoint and described by

$$y_1 = f_1(x_1) + h_1(x_1)\varepsilon_1, \quad \mathrm{E}(\varepsilon_1) = 0,$$
$$y_2 = f_2(x_2) + h_2(x_2)\varepsilon_2, \quad \mathrm{E}(\varepsilon_2) = 0,$$

and output prices are certain, then $m_{1j} = p_j f_j(x_j)$ and $m_{2j} = p_j^2 h_j(x_j)^2 \mathrm{E}(\varepsilon_j^2)$. Thus, h_1, f_2, h_2, and x can be effectively constrained in the first stage of (42).

In summary, the appropriate PPF concept for risk neutrality must be based on expected production but, more generally, the PPF must be tailored to the way risk enters production and the extent of risk aversion. This implies that an empirically useful PPF is necessarily dependent upon behavior and the environment.

4. Fundamentals of modeling agricnltural production

This section builds upon the principles of Section 3 to suggest needed advances in models of agricultural production. Some of these advances may be feasible with present limitations while application of others is constrained by data availability. Finally, the meaning of existing empirical work when more general specifications apply is discussed. Traditionally, multi-output technologies were represented either by single-equation forms such as $F(y, x) = 0$, e.g., Klein (1947), or by individual production functions for each output where all inputs are allocated among individual outputs such as in (11), e.g., Pfouts (1961). Regarding these two cases as extremes, we suggest an intermediate premise based on the assertion that multi-output production problems typically exhibit at least one of the following properties: (i) some input(s) must be allocated among production processes or points of application in the production process either temporally or spatially,[25] (ii) some output(s) are produced by more than one production process or at more than one location or time in the production process, and/or (iii) some output(s) are produced as by-products so that their production is related in some way to the production of one or more other outputs.

As an example of (i), land in farms must be allocated among crops or (in developing agriculture) among crop mixes; automobile factory assembly lines are allocated among makes or models of cars; and chemical production plants are allocated among primary chemical processes. As an example of (ii), corn production on a farm is diffused among locations while the output of most manufacturing processes is diffused over time. As an example of (iii), many chemical production processes produce both a primary and one or more secondary chemicals; cotton ginning produces both cotton and cottonseed; and soybean crushing produces both soy oil and soy meal. In some activities, the producer may be able to influence the mix of outputs by adjusting the application of inputs (e.g., the choice of seed variety affects the oil content of soybeans) but, in others, the outputs may be constrained to fixed physical relationships (e.g., chemical reactions). While these examples are sufficient to verify validity of the premise, the discussion in Section 2 suggests that these features of agriculture are widespread and dominant.

This section explores the implications of this premise for technology representation. Results show that typical indirect or single-equation representations in such circumstances can, at best, provide reduced-form "as if" representations of technology that facilitate characterization of supply and demand in perfectly competitive markets but cannot identify the technology itself. At worst, such representations of technology are not

[25] Typically, some inputs are allocated to distinct production processes while others apply jointly. Knudsen (1973) argues that full nonjointness in inputs is unlikely because it assumes away technological reasons for the observed existence of multi-output firms. For example, training for management or automated control equipment in a multi-output plant or multi-production-process firm may simultaneously enhance production of all outputs. However, Leathers (1991) shows that a sufficient reason for existence of multi-output firms is short-run fixity of allocated factors.

well defined and are useless for investigation of a host of policy, management, and market structure issues in an imperfect world where credit constraints apply, contingency markets are missing, etc. The true underlying technology may provide more flexibility (the typical effect of unrepresented input allocations) or less flexibility (the typical effect of unrepresented by-product relationships). To develop these results requires a substantial development of conceptual groundwork to permit sorting out behavior from technology and to identify the meaning of various functions of aggregate variables. For this purpose, we place the technical detail in an Appendix but describe results in the following sections.

4.1. Structural concepts and efficiency of production

To facilitate clarity of discussion for the case where a firm's technology is possibly composed of several sub-technologies, several alternative concepts of efficiency must be defined. Sub-technologies are defined as production activities where, more generally than in specifications such as (11), each production activity can have more than one output thus allowing input jointness within sub-technologies. When the technology of a firm is composed of sub-technologies, we will say that the technology has *structure*. Typically, this structure can be exploited to understand the implications of alternative policies and preferences.

Suppose the production set $\Im$ can be described by sub-technologies $(\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})$ where $\boldsymbol{y}^i$ and $\boldsymbol{x}^i$ are subvectors of $\boldsymbol{Y} \equiv \{\boldsymbol{y}^1, \dots, \boldsymbol{y}^m\}$ and $\boldsymbol{X} \equiv \{\boldsymbol{x}^1, \dots, \boldsymbol{x}^m\}$, $\Im_i(z^i, \boldsymbol{\varepsilon})$ represents all possible combinations of $\boldsymbol{y}^i$ and $\boldsymbol{x}^i$ regardless of values taken by other elements of $\boldsymbol{Y}$ and $\boldsymbol{X}$, and aggregate outputs and inputs satisfy $\boldsymbol{y} \equiv \sum_i \boldsymbol{y}^i$ and $\boldsymbol{x} \equiv \sum_i \boldsymbol{x}^i$, respectively. This structure is sufficient to explore some possible implications of technologies where an important step in choosing the output mix is spatial allocation of inputs among plots as in Section 2.2. The different sub-technologies may represent various crop production activities on different plots. For example, one sub-technology may produce wheat and another soybeans by single cropping techniques and another might produce both wheat and soybeans at different times by double cropping. Clearly, the same principles apply to temporal allocation among time periods as in Section 2.1.[26]

[26] For added generality, this framework can easily add dependence of each sub-technology on outputs of lower sub-technologies. For example, the dependence of each successive stage of production on the intermediate outputs of the previous stage can be represented by

$$\{(\boldsymbol{Y}, \boldsymbol{X}) \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})\} \equiv \left\{(\boldsymbol{y}^1, \dots, \boldsymbol{y}^m, \boldsymbol{x}^1, \dots, \boldsymbol{x}^m) \mid (\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon}, \boldsymbol{y}^{i-1}),\ i = 1, \dots, m, \right.$$
$$\left. \sum_s z_t^s \leqslant \boldsymbol{k},\ t = 1, \dots, T \right\}.$$

Note that a suitable definition of $\boldsymbol{y}^{i-1}$ can permit dependence of each stage on all $\boldsymbol{y}^{i-j}$ for $j > 1$ as typical

For simplicity of presentation, this notation does not represent explicitly the possible presence of public inputs that cause jointness across sub-technologies, i.e., inputs that jointly affect multiple sub-technologies simultaneously. For example, the production set of each sub-technology might be described more completely by $(\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(\boldsymbol{x}^0, z^i, \boldsymbol{\varepsilon})$ where $\boldsymbol{x}^0$ is a vector of public inputs and the detailed use of variable inputs is described by

$$\boldsymbol{X} = \{\boldsymbol{x}^0, \boldsymbol{x}^1, \ldots, \boldsymbol{x}^m\}.$$

For purposes of this chapter, such public inputs may be present but are suppressed from notation to focus on the implications of allocations that are required for production decision implementation.

For notational simplicity, aggregations of the spatial and temporal allocation detail in $\boldsymbol{Y}$ and $\boldsymbol{X}$ vectors are represented by $\boldsymbol{y} = \boldsymbol{A}\boldsymbol{Y}$ and $\boldsymbol{x} = \boldsymbol{B}\boldsymbol{X}$, respectively, where $\boldsymbol{A}$ and $\boldsymbol{B}$ are full row rank matrices of ones and zeros. The vectors $\boldsymbol{y}$ and $\boldsymbol{x}$ maintain only physical distinction of outputs and inputs. Because each sub-technology may potentially produce only one or a few physical outputs using some subset of physical inputs, this notation can be suitably collapsed to eliminate identically zero elements of $\boldsymbol{Y}$ and $\boldsymbol{X}$ and related columns of $\boldsymbol{A}$ and $\boldsymbol{B}$.

In addition to descriptions of sub-technologies, the available technology set is assumed also to be constrained by availability of allocated fixed factors such as machinery services and operator labor. For example, if sub-technologies are indexed strictly by location, then the constraints on allocated fixed factors follow $\sum_i z^i \leqslant \boldsymbol{k}$ as in the case where a farmer's tractor services or labor must be allocated across plots so as not to exceed availability. If sub-technologies are indexed strictly by time and represent the stages of production, then these constraints follow $z^i \leqslant \boldsymbol{k}$, $i = 1, \ldots, m$, as in the case where tractor services or operator labor are available with recurrence in each successive time period. Where $\boldsymbol{Z} = \{z^1, \ldots, z^m\}$ represents the allocation of fixed factors to m sub-technologies with both spatial and/or temporal detail, the constraints on allocated fixed factors may be represented generally and compactly by $\boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}$, where $\boldsymbol{C}$ is a matrix of ones and zeros with full row rank, and $\boldsymbol{K}$ is a vector that duplicates $\boldsymbol{k}$ for each time period (or modifies it as appropriate if capacities differ by time period) and is thus a function of $\boldsymbol{k}$. For example, the first several rows of $\boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}$ may constrain the total allocation of labor and machinery services in time period 1 by $\boldsymbol{k}$, the next several rows may do the same for time period 2, and so on.[27] With this framework, one way of

in Markovian frameworks. We forgo the generality of this representation for simplicity of exposition but note the importance of this generality for empirical applications following Section 2.1.

[27] As for purchased variable inputs, the presence of any public fixed factor inputs is suppressed from the explicit notation for simplicity of presentation. For example, each sub-technology production set might be described more completely by $(\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(\boldsymbol{x}^0, z^0, z^i, \boldsymbol{\varepsilon})$ where both $\boldsymbol{x}^0$ and z^0 are vectors of public inputs and the detailed use of fixed factors is represented by $\boldsymbol{Z} = \{z^0, z^1, \ldots, z^m\}$.

describing the technology is[28]

$$\begin{aligned}&\{(\boldsymbol{y},\boldsymbol{x})\in\Im_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})\}\\&\quad\equiv\{(\boldsymbol{y},\boldsymbol{x})\mid(\boldsymbol{y}^i,\boldsymbol{x}^i)\in\Im_i(z^i,\boldsymbol{\varepsilon}),\ \boldsymbol{y}=\boldsymbol{A}\boldsymbol{Y},\ \boldsymbol{x}=\boldsymbol{B}\boldsymbol{X},\ \boldsymbol{C}\boldsymbol{Z}\leqslant\boldsymbol{K}\},\end{aligned}\tag{43}$$

where $\Im_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ represents the set of potential choices of aggregate output and input vectors, i.e., total amounts of physical outputs and inputs after aggregation over time and space.

We refer to descriptions of technology as on the left-hand side of (43) as reduced-form representations because the underlying structure on the right-hand side is solved out of the problem. Structured technologies can be represented by reduced-form production sets devoid of temporal and/or spatial detail as on the left-hand side of (43), but without the right-hand side structural detail the implications of policy instruments that impose limitations on specific $\boldsymbol{y}^i$'s, $\boldsymbol{x}^i$'s, or z^i's cannot be considered nor can preferences that value specific $\boldsymbol{y}^i$'s, $\boldsymbol{x}^i$'s, or z^i's such as peak operator labor. Furthermore, the specific production plan that attains any distinct $(\boldsymbol{y},\boldsymbol{x})\in\Im_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ is not apparent without the right-hand side detail in $\boldsymbol{Y}$, $\boldsymbol{X}$, and $\boldsymbol{Z}$.

Alternatively, the technology can be represented completely by

$$\begin{aligned}&\{(\boldsymbol{Y},\boldsymbol{X},\boldsymbol{Z})\in\Im(\boldsymbol{k},\boldsymbol{\varepsilon})\}\\&\quad\equiv\{(\boldsymbol{y}^1,\dots,\boldsymbol{y}^m,\boldsymbol{x}^1,\dots,\boldsymbol{x}^m,z^1,\dots,z^m)\mid(\boldsymbol{y}^i,\boldsymbol{x}^i)\in\Im_i(z^i,\boldsymbol{\varepsilon}),\boldsymbol{C}\boldsymbol{Z}\leqslant\boldsymbol{K}\},\end{aligned}\tag{44}$$

where the selection of an element of the technology set prescribes the production plan completely. Also, the elements of the technology set excluded by any particular policy that limits inputs or outputs at specific times or locations can be clearly imposed on (44) but not on the left-hand side of (43).

We submit that the differences in (43) and (44) are fundamentally important. Clearly, if (43) is appropriate, then it substantially reduces the dimension of the efficient choice set. This is a welcome convenience for the study of some issues. However, serious errors can occur from use of (43) when the Aggregation Qualification Condition fails. We note that virtually all empirical applications of duality to agricultural production use the reduced-form representation on the left-hand side of (43) rather than the structural representation of (44). If the efficiency standards of (43) are inappropriate, the state of the empirical agricultural production literature must be seriously questioned. These

[28] While more general descriptions of technology structure with nonlinear relationships in place of $\boldsymbol{A}$, $\boldsymbol{B}$, and $\boldsymbol{C}$ are easily possible, such generalizations needlessly complicate the points made below without adding insight. We leave extension to these obvious cases to the reader. It should also be noted that the left-hand side of (43) is defined by $\boldsymbol{k}$ rather than $\boldsymbol{z}=\sum_i z^i$ because the right-hand side of (43) embeds the determination of the z^i's and because the use of allocated fixed factors cannot be freely reallocated among the alternative time periods represented in $\boldsymbol{C}\boldsymbol{Z}\leqslant\boldsymbol{K}$.

differences are best illuminated by defining several concepts of technical efficiency. We begin with the strongest technical efficiency concept imposed by (43). Corresponding formal definitions are given in the Appendix.

Reduced-form technical efficiency corresponds to operating on the efficient frontier of $\Im_{-i}$ defined by (43), which under continuity and monotonicity can be represented as a production possibilities frontier, $F^*(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) = 0$.[29]

Note that reduced-form efficiency is the typical concept of production efficiency and is defined in terms of aggregate inputs and outputs. An example is given by (11) for the case where allocated fixed inputs are not present (or are ignored) and production is conjoint. Several weaker concepts of output-oriented technical allocative efficiency can be defined depending on which allocations are considered: (i) allocation of purchased variable inputs, (ii) allocation of allocated fixed inputs, and/or (iii) allocation of production among sub-technologies. Each holds one vector of allocations fixed while optimizing another:

Fixed factor technical allocative efficiency holds for a production plan $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ if no other production plan $(\boldsymbol{Y}', \boldsymbol{X}, \boldsymbol{Z}')$ achieves more of at least one output with no less of others $(\boldsymbol{Y}' \nleqslant \boldsymbol{Y})$ without using more allocated fixed factors $(\boldsymbol{C}\boldsymbol{Z}' \leqslant \boldsymbol{C}\boldsymbol{Z})$.[30]

Variable input technical allocative efficiency holds for a production plan $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ if no other production plan $(\boldsymbol{Y}', \boldsymbol{X}', \boldsymbol{Z})$ achieves more of one output and no less of others $(\boldsymbol{Y}' \nleqslant \boldsymbol{Y})$ without using more purchased variable inputs $(\boldsymbol{B}\boldsymbol{X}' \leqslant \boldsymbol{B}\boldsymbol{X})$.

Output technical allocative efficiency holds for a production plan $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ if no other production plan $(\boldsymbol{Y}', \boldsymbol{X}', \boldsymbol{Z}')$ achieves more of one aggregate output and no less of other aggregate outputs $(\boldsymbol{A}\boldsymbol{Y}' \nleqslant \boldsymbol{A}\boldsymbol{Y})$ without using more purchased variable inputs $(\boldsymbol{B}\boldsymbol{X}' \leqslant \boldsymbol{B}\boldsymbol{X})$ or more allocated fixed factors $(\boldsymbol{C}\boldsymbol{Z}' \leqslant \boldsymbol{C}\boldsymbol{Z})$.

In these definitions, technical allocative efficiency is differentiated from standard concepts of allocative efficiency that depend on prices and correspond to operating at tangencies of price lines with physical trade-off possibilities, e.g., the tangency of the output price line with the PPF. These concepts of technical allocative efficiency are weaker

[29] Following Chambers (1988, p. 261), the PPF is defined by $F^*(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) = y_1 - f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) = 0$ where $\boldsymbol{y} = (y_1, \boldsymbol{y}_{-1})$ and $y_1 = f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) = \max\{y_1 \mid (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\}$. The term "efficient frontier" in this context refers to the upper right-hand frontier of the set of possible aggregate outputs and purchased variable inputs, $(\boldsymbol{y}, -\boldsymbol{x})$.

[30] Consistent with Principle 3, it should be noted in the definition of fixed factor technical allocative efficiency that $z = \sum_i z^{i'} \leqslant z = \sum_i z^i$, which does not include temporal detail, is not an appropriate condition in place of $\boldsymbol{C}\boldsymbol{Z}' \leqslant \boldsymbol{C}\boldsymbol{Z}$, which imposes allocated fixed factor constraints by time period. The reason is that allocated fixed inputs cannot be freely reallocated among time periods as might be the case for purchased variable inputs. The implication is that data on aggregate flows of machinery services are not appropriate for modeling production if decisions are made in a reality of intraseasonal constraints on machinery service flows.

and merely correspond to operating on the physical trade-off frontier. The reason for using these weaker definitions is to identify a measure of technical efficiency that is sufficiently independent of prices, policy, and behavior for various circumstances.

To verify that these concepts of technical allocative efficiency are weaker than reduced-form efficiency, consider a somewhat stronger concept of fixed factor technical allocative efficiency:

Feasible fixed factor technical allocative efficiency holds for a production plan $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ if no other production plan $(\boldsymbol{Y}', \boldsymbol{X}, \boldsymbol{Z}')$ achieves more of at least one output with no less of others $(\boldsymbol{Y}' \nleqslant \boldsymbol{Y})$ given feasibility of allocated fixed factors $(\boldsymbol{C}\boldsymbol{Z}', \boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K})$.

Reduced-form efficiency is obtained by combining this stronger concept of feasible fixed factor technical allocative efficiency with variable input and output technical allocative efficiency. Thus, all of the above technical allocative efficiency concepts are implied by reduced-form efficiency.

The potential inappropriateness of reduced-form technical efficiency can thus be studied by considering potential inappropriateness of the technical allocative efficiency concepts. Each of the various forms of technical allocative efficiency (which are implied by corresponding standard concepts of price-based allocative efficiency) may be inconsistent (i) with plausible preferences, (ii) with restrictions imposed by government policies, and (iii) even with profit maximization in absence of policy restrictions. In particular, if the allocated fixed inputs, variable inputs, or outputs that are aggregated over time and space by physical characteristics do not satisfy the Aggregation Qualification Condition, then the respective technical allocative efficiency concept is inappropriate. This condition implies that aggregation is not appropriate in cases where (i) generic input prices are heterogeneous over space and time and disaggregated prices are unobserved, (ii) allocation-specific government policy controls apply, (iii) allocation-specific ex post adjustments respond to unanticipated conditions, or (iv) behavioral criteria more general than profit maximization have allocation-specific considerations (such as risk aversion with allocation-specific risk effects of inputs).

These failures occur because technical allocative efficiency employs a standard of minimizing physical aggregates of fixed allocated resources and/or variable inputs, and/or maximizing physical aggregates of outputs under the assumption of equal marginal productivities and possibly also equal marginal risk effects. If these standards are inappropriate due to, say, spatial or temporal price variation, then the assumption of equal marginal productivities is typically not satisfied. If profit maximization fails due to risk aversion, then the assumption of equal marginal risk effects may not be satisfied. When the Aggregation Qualification Condition is not satisfied, a weaker concept of technical efficiency can be satisfactory.

Feasible disaggregated input-output efficiency corresponds to operating on the efficient frontier of $\Im$ where $\Im$ is defined by (44).

Feasible disaggregated input-output efficiency implies operating on the upper right-hand frontier of the set of possible disaggregated outputs and purchased variable inputs, $(\boldsymbol{Y}, -\boldsymbol{X})$, given feasible allocations of fixed factors. It is likely the strongest concept of technical efficiency devoid of policy or behavioral content among those above. Similarly, feasible disaggregated input-output efficiency is also likely the strongest concept of efficiency clearly independent of (typically unobserved) spatial and/or temporal price distributions among those above.

If the producer has preferences over leisure as well as profit (and thus, implicitly, over operator labor), then feasible disaggregated input-output efficiency is also inappropriate because the producer may choose a level of operator labor inside the associated fixed allocated input constraint. In this case, fixed factor technical allocative efficiency, which does not require exhausting constraints, may hold while feasible fixed factor technical allocative efficiency fails. For this case, the following weaker concepts of sub-technology and structural technical efficiency are appropriate. If the Aggregation Qualification Condition fails for allocated fixed factors, then these may be the strongest appropriate concepts of technical efficiency.

Sub-technology efficiency corresponds to operating on the efficient frontier of $\Im_i$, which under continuity and monotonicity can be represented as $F_i(\boldsymbol{y}^i, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon}) = 0$.[31]

Structural technical efficiency corresponds to operating on the efficient boundary of all sub-technologies simultaneously which under continuity and monotonicity can be represented as

$$F(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon}) \underset{m}{\equiv} \begin{bmatrix} F_1(\boldsymbol{y}^1, \boldsymbol{x}^1, z^1, \boldsymbol{\varepsilon}) \\ \vdots \\ F_m(\boldsymbol{y}^m, \boldsymbol{x}^m, z^m, \boldsymbol{\varepsilon}) \end{bmatrix} \underset{m}{=} 0. \tag{45}$$

Note that, to avoid confusion, a subscript is added to these equalities to denote vector dimensionality of the equalities.

Intuitively, sub-technology efficiency is appropriate for any objective function that is monotonically increasing in the elements of $\boldsymbol{y}^i$, a highly plausible condition. The same can be said for the more expansive concept of structural technical efficiency. Note that feasible input-output technical efficiency is obtained by adding feasible fixed factor technical allocative efficiency to structural technical efficiency. While this stronger concept of technical efficiency appears highly plausible because production plans that violate fixed production resource constraints are not feasible, the example above where the producer has preferences with respect to use of particular fixed resource service flows such as operator labor gives an example where it is not.

[31] Specifically, define $F_i(\boldsymbol{y}^i, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon}) = y^i_i - f_i(\boldsymbol{y}^i_{-i}, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon})$ where $\boldsymbol{y}^i_{-i}$ is the $\boldsymbol{y}^i$ vector with y^i_i deleted and $y^i_i = f_i(\boldsymbol{y}^i_{-i}, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon}) = \max\{y^i_i \mid (\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})\}$. The term "efficient frontier" in this context refers to the upper right-hand frontier of the set of possible $(\boldsymbol{y}_i, -\boldsymbol{x}_i)$.

Some important points evident from this discussion are as follows (see Appendix Section A.1 for sketches of proofs).

PROPOSITION 1. *Preferences, policies, and spatial and/or temporal price variation can affect allocation under technologies with structure, which renders typical concepts of technical allocative efficiency (and thus standard concepts of price-based allocative efficiency) inapplicable.*

PROPOSITION 2. *For technologies with structure (technologies composed of sub-technologies), reduced-form technical efficiency, i.e., operating on the aggregate production possibilities frontier, is not necessarily consistent with profit maximization.*

PROPOSITION 3. *If there is at least one allocated fixed (variable) input and the output(s) of at least two sub-technologies are strictly monotonic in that input, then structural technical efficiency is not equivalent to output technical allocative efficiency nor fixed factor (variable input) technical allocative efficiency.*

4.2. The purpose of characterizing production efficiency

Presumably, the major objective of characterizing production efficiency is to decompose the producer's problem usefully into technical, behavioral, and policy components. Without this decomposition, microeconomic models of supply and demand cannot predict or analyze the effects of changes in technology and/or policy. According to the Aggregation Qualification Condition, decomposition whereby the first stage is strictly technical may be correctly accomplished only under particular circumstances. Suppose that Aggregation Qualification Condition A.2 holds prior to imposing any constraints and that all functionals of the decision variables subject to distinct policy controls or behavioral preferences are retained as decision variables in the second stage (Principle 6). For example, if (i) the producer is a profit maximizer, (ii) government policy controls are fully expressed by $(\boldsymbol{y}, \boldsymbol{x}) \in G$, and (iii) prices are identical among sub-technologies ($\boldsymbol{p} = \boldsymbol{p}_i, \boldsymbol{r} = \boldsymbol{r}_i$ for $i = 1, \ldots, m$), then the first stage defined by (43) is devoid of policy and behavioral content and is sufficient to reflect the full generality of the remaining decisions in a second-stage problem of the form $\pi = \max_{y,x}\{\boldsymbol{py} - \boldsymbol{rx} \mid (\boldsymbol{y}, \boldsymbol{x}) \in G \cap \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\}$.

By comparison, if either a full expression of government policy controls requires $(\boldsymbol{Y}, \boldsymbol{X}) \in G$ or prices (market or shadow) are not identical among sub-technologies, then the first stage must retain the detail of (44). In the case of profit maximization, the corresponding second stage is then of the form $\pi = \max_{Y,X}\{\boldsymbol{PY} - \boldsymbol{RX} \mid (\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z}) \in G \cap \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})\}$. For example, policy might constrain the use of a particular input such as a fertilizer, pesticide, or tillage practice differently depending on the proximity of an individual plot to surface water resources. Similar conclusions apply to aggregations over time and space as well as over sub-technologies.

If behavioral alternatives to profit maximization are admitted, then additional generalities must be preserved by the first stage. For example, under risk aversion some

functional must be included describing how risk is fully determined by second-stage decisions. If this functional is affected differently according to which sub-technology an input is applied (e.g., if fertilizer affects risk on a corn field differently than it affects risk on a wheat field), then distinction in the input vector must be carried to the second stage if behavioral content is to be avoided in the first stage.

Alternatively, suppose the production problem is decomposed so that the first stage is not purely technical but also admits policy constraints or behavioral preferences. For example, where the first-stage decision set G_{-i} is defined by

$$\begin{aligned}&\{(\boldsymbol{y},\boldsymbol{x}) \in G_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})\}\\&\quad\equiv \{(\boldsymbol{y},\boldsymbol{x}) \mid (\boldsymbol{y}^i,\boldsymbol{x}^i) \in G \cap \Im_i(z^i,\boldsymbol{\varepsilon}),\ \boldsymbol{y}=\boldsymbol{A}\boldsymbol{Y},\ \boldsymbol{x}=\boldsymbol{B}\boldsymbol{X},\ \boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}\},\end{aligned}$$

the description of technology carried to the second stage by $(\boldsymbol{y},\boldsymbol{x}) \in G_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ clearly carries policy content. If so, then determination of whether $(\boldsymbol{y},\boldsymbol{x})$ choices are on the frontier of $G_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ has little to say about technical efficiency. Policy-constrained behavior may be technically inefficient. Further, statistical tests about the structure of $G_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ have little to say about the structural properties of technology. Decisions may be on the frontier of $G_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ but yet be technically inefficient. Finally, accurate estimation of the second stage decision equations for this problem will be of little value for analyzing the effects of changes in policies that affect G_{-i}. The parameters of such equations will be dependent on the policies that determine $G_{-i}(\boldsymbol{k},\boldsymbol{\varepsilon})$ and thus inappropriate for analyzing alternative policies following the Lucas critique. The important point of this discussion is summarized by the following proposition (see Appendix Section A.2 for a sketch of the proof).

PROPOSITION 4. *If the (first-stage) description of technology depends on policy or behavior, then statistical tests regarding efficiency and structural characteristics do not necessarily apply to technology nor are estimated (second-stage) models useful for policy analysis.*

Proposition 4 points out a problem that applies to many agricultural production studies in the literature to date because of crop- and/or spatial- and/or time-specific policy instruments associated with commercial agricultural and environmental policy. Of course, for estimation, sufficient variation in policy instruments and variables affecting preferences must be observed to facilitate identification and distinction of technical relationships from policy- or preference-induced relationships. In other words, the problem is not whether inputs or outputs are aggregated but that the dimensions and configuration of A, B, and C are likely wrong in most empirical studies. "Wrong" in this context means that either the Aggregation Qualification Condition is violated or that observed data are inadequate for identification because of excessive detail. With limited data, distinction may not be possible.

These considerations motivate the definition of criteria for technical allocative efficiency that satisfy policy- and behavior-independence where feasible aggregation is

undertaken to conserve degrees of freedom for estimation. That is, aggregation of $\boldsymbol{Y}$, $\boldsymbol{X}$, and $\boldsymbol{Z}$ is appropriate within groups that have common prices and that enter the policy and preference calculus as aggregates. Suppose the technology choice is summarized by $(y^*, x^*, z^*) = \boldsymbol{H} \cdot (\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z}) \in R_+^{n*}$ where $n^* < n$ and $\boldsymbol{H}$ is a full row rank aggregator matrix of ones and zeros similar to $\boldsymbol{A}$, $\boldsymbol{B}$, and $\boldsymbol{C}$. If $\boldsymbol{H}$ preserves distinction for all input and output quantities that have distinct prices, distinct policy controls, distinct ex post adjustment possibilities, or distinct behavioral preferences and implications, then the full flexibility of the technology for responding to price, policy, and behavioral concerns is preserved by the first stage of a production problem that satisfies

$$\{(y^*, x^*, z^*) \in \Im^*(\boldsymbol{k}, \boldsymbol{\varepsilon})\} \equiv \{\boldsymbol{H} \cdot (y^1, \ldots, y^m, x^1, \ldots, x^m, z^1, \ldots, z^m) \mid (y^i, x^i) \in \Im_i(z^i, \boldsymbol{\varepsilon}), \boldsymbol{CZ} \leqslant \boldsymbol{K}\}. \tag{46}$$

Two additional definitions facilitate this distinction.

An aggregation (y^*, x^*, z^*) *is policy- and behavior-relevant* if it satisfies the Aggregation Qualification Condition. The efficient frontier of $\Im^*$ defined in (46) thus provides a standard of technical allocative efficiency independent of policy and behavior.

An aggregation (y^*, x^*, z^*) *is policy- or behavior-dependent* if it does not satisfy the Aggregation Qualification Condition. The efficient frontier of $\Im^*$ defined in (46) thus does not provide a standard of technical allocative efficiency independent of policy and behavior.[32]

Aside from the extreme assumptions of functional separability, the Aggregation Qualification Condition implies distinction must be preserved for all input and output quantities that have distinct prices, distinct ex post adjustments, distinct policy controls, distinct ex post adjustment possibilities, and distinct behavioral preferences and implications. According to Proposition 4, this concept of policy- and behavior-relevance must be satisfied in order to investigate technical efficiency or properties of the technology in a meaningful and relevant way.

For the remainder of this paper, we emphasize that imposing efficiency concepts in the definition of the technology is inappropriate whenever it is incongruent with policy- and behavior-relevance. For example equating marginal rates of technical substitution or marginal value products across allocated fixed factors such as land is inappropriate if (i) agricultural policy restrictions impose crop-specific acreage limitations, (ii) environmental policy imposes land-use restrictions or acreage-specific conservation measures,

[32] Note that policy- and behavior-relevance is the opposite of policy- and behavior-dependence. A representation is policy- and behavior-relevant if it applies regardless of the particular policy or behavior in effect.

(iii) the farmer has crop-specific preferences, or (iv) the farmer values leisure and different crops have different returns to operator labor. In each of these cases, policy- or behavior-related considerations cause implicit prices to vary across allocation variables. Similarly, if allocation-specific prices of variable inputs are unobserved then similar marginal conditions may be inappropriate for variable input allocations. Because some aggregation is required for practical and tractable representation of most production problems, we assume from this point forward that the disaggregated description of the production problem includes all aggregation that is policy- and behavior-relevant. That is, the notation of (44) will be assumed to represent a policy- and behavior-relevant description of the production problem as in (46) where asterisks are dropped for convenience.[33]

4.3. Functional representation of technology

A common practice in production economics has been to switch readily from set theoretic notation to smooth functional representation of technology for econometric purposes upon assuming continuity and monotonicity. Technologies with structure can be analyzed somewhat more generally using the dual set theoretical framework developed by Chambers, Chung, and Färe (1996). Related empirical applications are possible along the lines of Chambers and Just (1989). However, the bulk of our presentation uses functional notation to facilitate accessibility for the broader agricultural economics profession and to relate better to common empirical practices. In practice, the switch to a functional representation is typically made arbitrarily with little regard for the structure of production.

From its earliest consideration in economics, multi-output efficiency has been characterized by single-equation multi-output production functions of the form

$$F(\boldsymbol{Y}, \boldsymbol{X}) = 0. \tag{47}$$

Samuelson (1967) argued that such forms are very general and can be derived from a host of underlying production functions and optimal conditions. Some have taken these arguments to mean that (47) can contain a host of distinct functions and conditions of the form, $F_i(\boldsymbol{Y}, \boldsymbol{X}) = 0$, $i = 1, \ldots, m$, which are imposed simultaneously by, say,

$$F(\boldsymbol{Y}, \boldsymbol{X}) \equiv \sum_{i=1}^{m} \left[F_i(\boldsymbol{Y}, \boldsymbol{X})\right]^2 = 0 \tag{48}$$

[33] Accordingly, the policy- and behavior-relevant description of a sub-technology corresponds to

$$\left\{(\boldsymbol{y}^{i*}, \boldsymbol{x}^{i*}) \in \Im_i^*(\boldsymbol{z}^{i*}, \boldsymbol{\varepsilon})\right\} \equiv \left\{\boldsymbol{H} \cdot (0, \ldots, 0, \boldsymbol{y}^i, 0, \ldots, 0, \boldsymbol{x}^i, 0, \ldots, 0, \boldsymbol{z}^i, 0, \ldots, 0) \mid (\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(\boldsymbol{z}^i, \boldsymbol{\varepsilon})\right\}$$

and the physical sums of allocations are represented by $\boldsymbol{c}^*\boldsymbol{z}^* = \boldsymbol{C}\boldsymbol{Z}$ where $\boldsymbol{z}^* = (\boldsymbol{z}^{1*}, \ldots, \boldsymbol{z}^{n_z*})$.

[Mittelhammer et al. (1981)].[34] If so, then a simple direct specification that completely determines n_y outputs from n_x inputs following n_y distinct scalar relationships,

$$y_i = f_i(X), \quad i = 1, \ldots, n_y, \tag{49}$$

can be represented by (48) where $F_i(Y, X) = y_i - f_i(X)$, $i = 1, \ldots, n_y$. For practical purposes, however, the representation in (48) is not useful because it yields $\partial F/\partial Y = 0$ and $\partial F/\partial X = 0$ whenever $F(Y, X) = 0$. Such single-equation forms are not consistent with many standard manipulations of production problems and, in particular, violate the standard convexity assumption of duality (see Appendix, Section A.3, for details).

PROPOSITION 5. *Single-equation implicit production functions cannot represent technologies with structure in ways that lend themselves to standard assumptions of duality or other standard manipulations of production problems using Lagrangians, Kuhn–Tucker conditions, or the implicit function theorem.*

To represent technologies with structure, ambiguity about how many functional conditions are imposed by the technology must be resolved. In spite of the potential generality of (47), common single-equation specifications of technology render representations such as (48) and (49) inapplicable. For example, Klein's (1947) multi-product generalization of the Cobb–Douglas production function,

$$F(Y, X) = y_1 y_2^{\delta} - A x_1^{\alpha_1} x_2^{\alpha_2},$$

or, indeed, any single-equation form that is separable in inputs and outputs,

$$F(Y, X) = h(Y) - g(X) = 0,$$

cannot represent structures such as (48) and (49). Alternatively, the structure in either (48) or (49) is represented unambiguously by (45) without requiring $\partial F/\partial Y = 0$ and $\partial F/\partial X = 0$ when $F(Y, X) = 0$. As a result, the standard assumptions and manipulations identified in Proposition 5 are not excluded. Thus, the form in (45) is used below.

To see that similar implications apply in the dual approach, consider the special input nonjointness case of (49) where $y_i = f_i(x^i)$, $i = 1, \ldots, n_y$. With the dual approach of

[34] Samuelson (1967) is somewhat ambiguous on this point. Clearly, Samuelson interprets (11) as giving the maximum amount of any one output given amounts of all inputs and all other outputs. In other words, (11) characterizes the production possibilities frontier associated with a given input vector X. This interpretation alone, however, does not identify whether more than one condition may be required to reflect, say, a technology where 2 outputs follow a particular by-product relationship in addition to a typical implicit production possibilities frontier relationship. We note also that Samuelson also uses standard Lagrangian techniques which, as shown below, are not applicable for representations such as (11) that combine multiple conditions.

Chambers, Chung, and Färe (1996), which is sufficiently general to handle technologies with structure, the input distance function becomes[35]

$$D_I(\boldsymbol{y}, \boldsymbol{x}) = \max\left\{\min_i\{D_I^i(y_i, \boldsymbol{x}^i)\} \,\middle|\, \sum_i \boldsymbol{x}^i = \boldsymbol{x},\, \boldsymbol{y} = (y_1, \ldots, y_{n_y})\right\},$$

where $D_I^i(y_i, \boldsymbol{x}_i)$ is the input distance function associated with sub-technology i. Each of the sub-technology distance functions corresponds to one of the production relationships in Lau's (1978) development illustrated in Equation (13). The left-hand side distance function cannot reflect the structural characteristics of the multiple sub-technology distance functions on the right-hand side. Thus, multiple functions are required to fully represent multiple sub-technology structure in dual as well as primal approaches.

4.4. Structural versus reduced-form representation of technology

A typical view that has followed from the duality emphasis on PPFs has been that the input vector determines the output possibilities set rather than a specific output vector [e.g., Chambers (1988)]. Indeed, this view is appropriate as a reduced-form representation where allocations of aggregate inputs both spatially and temporally as well as among production activities represent a corresponding structural determination of the output mix. The contrast between these reduced-form and structural concepts of technology are analogues of reduced form and structure in econometric models. Each has its appeal. However, unlike econometric models, the just-identified case occurs here only when technologies have trivial structure (i.e., either there are no sub-technologies or the sub-technologies have mutually exclusive sets of inputs and outputs). Otherwise, if technical inefficiency is measured in the reduced form in (43), one cannot identify whether the sub-technologies are inefficient, or whether the inefficiency comes from allocative inefficiency, or whether the Aggregation Qualification Condition is violated.

At the basic level of management decision making, the manager must control decisions that determine which mix of outputs is produced (for given magnitudes of uncontrollable factors). Otherwise, the typical tangency conditions of price lines with production possibilities frontiers cannot be attained by deliberate choice, in which case the

[35] To see this result, let the input requirement set for each sub-technology be represented by $\upsilon_i(y_i) = \{\boldsymbol{x}^i \mid (y_i, \boldsymbol{x}^i) \in \Im_i\}$ in which case the overall input requirement set is $\upsilon(\boldsymbol{y}) = \sum_i \upsilon_i(y_i)$. The input distance function is

$$\begin{aligned} D_I(\boldsymbol{y}, \boldsymbol{x}) &= \max\left\{\alpha > 0 \,\middle|\, \boldsymbol{x}/\alpha \in \sum_i \upsilon_i(y_i)\right\} \\ &= \max\left\{\alpha > 0 \,\middle|\, \boldsymbol{x}^i/\alpha \in \upsilon_i(y_i),\ i = 1, \ldots, n_y;\ \sum_i \boldsymbol{x}_i = \boldsymbol{x}\right\}. \end{aligned}$$

Since α can only be feasible if $\boldsymbol{x}^i/\alpha \in \upsilon_i(y_i)$, $i = 1, \ldots, n_y$, it must satisfy $\alpha \leqslant D_I^i(y_i, \boldsymbol{x}^i)$, $i = 1, \ldots, n_y$, where $D_I(\boldsymbol{y}, \boldsymbol{x}) = \max\{\min_i\{D_I^i(y_i, \boldsymbol{x}^i)\} \mid \sum_i \boldsymbol{x}^i = \boldsymbol{x}, \boldsymbol{y} = (y_1, \ldots, y_{n_y})\}$.

bulk of multi-output production theory is inapplicable. Thus, given convexity of sub-technology production sets (quasi-concavity of the associated production functions), no generality is lost by assuming that input decisions for the underlying sub-technologies determine the output vector with structural technical efficiency uniquely for given magnitudes of uncontrollable factors. This determination is made by the allocation of inputs both spatially and temporally among sub-technologies as in the following axiom.

The Fundamental Axiom of Multi-output Production: For given magnitudes of uncontrollable factors, the complete vector of input decisions uniquely determines the technically efficient vector of outputs.

The complete vector of decisions includes all spatial and temporal allocations of both purchased variable inputs and allocated fixed factors including allocations of recurring service flows from firm-owned resources (as well as any non-allocated fixed factors not represented explicitly here). From a practical standpoint, this axiom simply implies that a farmer can determine the production mix of, say, corn and soybeans (subject to uncontrolled exogenous and random forces such as weather, pest infestations, illness, variations in work quality, and errors in applying decisions) by making all available input decisions including allocations of land, fertilizer, pesticides, labor, machinery services, etc., both spatially and temporally. This axiom, in effect, simply divides all forces affecting production into two groups – controlled and uncontrolled – and assumes that these two groups of forces determine production uniquely. In other words, once all production decisions are made and uncontrolled forces act, the producer is not left with an *ex post* ability to adjust the output mix.

As realistic and innocuous as this axiom seems, it has been the focus of an implicit ongoing debate [compare the PPF-based duality literature to Mittelhammer et al. (1981); Just et al. (1983); Shumway et al. (1984)]. Adopting this Fundamental Axiom, however, immediately leads away from the PPF and toward sub-technology characterizations of technology. The basic points are that (i) PPFs represent a reduced-form summary of the implications of a more basic representation of technology involving spatial and temporal allocations of inputs among sub-technologies, whereas (ii) the structures of sub-technologies have potential implications for production analysis and related policy analysis.

The Fundamental Axiom permits the use of sub-technology representations to examine implications. An immediate implication of the Fundamental Axiom is that sub-technology efficiency under continuity and monotonicity can be represented by

$$\mathbf{y}^i \underset{k_i}{=} f_i\left(\mathbf{x}^i, z^i, \boldsymbol{\varepsilon}\right), \tag{50}$$

where f_i is a multivariate function determining the complete vector of output quantities and k_i is the number of outputs that are not identically zero in sub-technology i. Thus, if $F_i(\mathbf{y}^i, \mathbf{x}^i, z^i, \boldsymbol{\varepsilon})$ in (45) includes multiple implicit relationships along the lines of (48) then the representation in (50) is assumed to make these relationships explicit

yielding non-trivial derivatives for purposes of standard manipulations of production problems. Thus, whereas $F_i(\boldsymbol{y}^i, \boldsymbol{x}^i, \boldsymbol{z}^i, \boldsymbol{\varepsilon})$ in (45) represents a sub-technology by its reduced-form PPF, Equation (50) represents the structure of a sub-technology explicitly with the multiple equations of a vector valued function where appropriate. In turn, structural technical efficiency is represented by[36]

$$\boldsymbol{Y} \underset{\sum_i k_i}{\equiv} \begin{bmatrix} \boldsymbol{y}^1 \\ \vdots \\ \boldsymbol{y}^m \end{bmatrix} \underset{\sum_i k_i}{=} \begin{bmatrix} f_1(\boldsymbol{x}^1, \boldsymbol{z}^1, \boldsymbol{\varepsilon}) \\ \vdots \\ f_m(\boldsymbol{x}^m, \boldsymbol{z}^m, \boldsymbol{\varepsilon}) \end{bmatrix} \underset{\sum_i k_i}{\equiv} f(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon}), \tag{51}$$

which specifies the complete vector of output quantities of the firm. The number of non-identically-zero outputs in $\boldsymbol{Y}$ is thus $\sum_i k_i$. For example, the simple Samuelsonian case of (11) where each sub-technology produces a unique single output yields $k_i = 1$ for all i, which is the case of full input nonjointness.[37] In addition, fixed allocated inputs must obey $\boldsymbol{CZ} \leqslant \boldsymbol{K}$ so that feasible disaggregated input-output efficiency is given by

$$\boldsymbol{Y} \in \left\{ f(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon}) \mid \boldsymbol{CZ} \leqslant \boldsymbol{K};\ \nexists \boldsymbol{Z}' \ni f(\boldsymbol{X}, \boldsymbol{Z}', \boldsymbol{\varepsilon}) \nleq f(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon})\ \&\ \boldsymbol{CZ}' \leqslant \boldsymbol{K} \right\}.$$

A brief example can illustrate the richness of (51). Suppose a farm has two sub-technologies: one for production of wheat and one for cow-calf production. The wheat sub-technology may produce both grain and straw (both are outputs of harvesting). The cow-calf operation produces both bull calves and heifer calves. The farmer faces decisions of how much labor to allocate to each of the two sub-technologies but each sub-technology has two outputs. Thus, each $f_i(\boldsymbol{x}^i, \boldsymbol{z}^i, \boldsymbol{\varepsilon})$ is two-dimensional whereas $\boldsymbol{Y}$ is four-dimensional.

The characterization of technology by (50) and (51) employs possibly numerous equations to describe a firm's technology compared to the more traditional single equation reduced-form description of a PPF as in (47). The purpose of the next several sections is to show that the multitude of equations in (50) and (51) have much to say about the structure and properties of technology that can only be uncovered by examining sub-technologies. Furthermore, typical econometric efficiency considerations suggest advantages to estimation of as much of this structure as data availability permits. By comparison, single-equation reduced-form PPF estimation of (47) or duality based supply-demand estimation based on a PPF characterization of the production set suffers from econometric inefficiency [Mundlak (1996)].[38]

[36] Again, the reader should bear in mind the possible presence of public inputs, which are suppressed for notational convenience. For example, each $f_i(\boldsymbol{x}^i, \boldsymbol{z}^i, \boldsymbol{\varepsilon})$ in (50) and (51) might be described more completely by $f_i(\boldsymbol{x}^0, \boldsymbol{z}^0, \boldsymbol{x}^i, \boldsymbol{z}^i, \boldsymbol{\varepsilon})$ where $\boldsymbol{x}^0$ and $\boldsymbol{z}^0$ are public variable and fixed inputs, respectively.

[37] Note that from this point forward $\boldsymbol{Y}$ is assumed to include only outputs that are not identically zero. Thus, $n_y = \sum_i k_i$ where the dimensions of the $\boldsymbol{y}^i$'s are not all the same. Nevertheless, $\boldsymbol{y} = \boldsymbol{AY}$ is assumed to represent aggregation by physical attributes across time, space, and sub-technologies.

[38] The underlying econometric principle has been developed by, for example, Dhrymes (1973), who showed that more efficient estimates of reduced forms are obtained by estimating the underlying structure.

To examine the structural representation of technology for empirical purposes, however, requires careful specification of allocation decisions, by-product relationships, and related concepts of controllability and rank of technologies. These issues are discussed in detail in Appendix Section A.4 but are outlined intuitively here to facilitate remaining discussion. While relatively little may be known regarding specific functional forms, the dimensions of allocations, by-product relationships, controllability and rank can typically be determined quite well on the basis of actual farming practices and information available from production scientists. For example, purchased inputs for crop production must typically be allocated among plots and time (i.e., among specific trips over specific plots with specific farm equipment). When one crop is grown at a time as in developed agriculture, a major decision is how much land to allocate to each crop in each growing season as well as how much seed, fertilizer, and pesticides to apply per unit of land on each crop or plot and when to apply it. These simple observations determine much about the structure of production and the dimension of the producer's decision vector. Additionally, some products like cotton and cottonseed or bull calves and heifer calves are produced in tandem. Cottonseed is not produced as a by-product of wheat production nor is cottonseed produced independent of cotton. These relationships, in effect, reduce the producer's flexibility in choosing the decision vector in substantive ways.

With this background, we say a sub-vector of decisions is locally controllable if the producer is free to vary any part of the vector by a small amount in any direction. The existence of by-product relationships reduces the producer's controllability in choosing output mixes. Assuming continuity and monotonicity and partitioning the Y vector as $Y = (\widetilde{Y}, \widehat{Y})$ where $\widehat{Y} \in R_+^{n_b}$, the outputs in $\widehat{Y}$ are called by-products of $\widetilde{Y}$ under technology $\Im$ if there exists a non-trivial relationship $\widehat{Y} \underset{n_b}{=} g(\widetilde{Y}, \varepsilon)$ that uniquely determines $\widehat{Y}$. For example, in the case of a wheat sub-technology, if grain and straw are produced in fixed proportions aside from uncontrolled forces, then either output may be considered a by-product of the other. If, on the other hand, the choice of inputs determines the mix of grain and straw output, then the two equations describing their production differ substantively (in rank) and neither output is a by-product of the other. In the fixed proportions case, straw is typically considered the by-product because of its lower value, but this designation is price-dependent and not appropriate in a pure description of technology.

Although this partitioning of the output vector is not unique, results in the Appendix show that the dimension of controllability is determined uniquely by the rank of the technology, i.e., $n_a = \text{rank}(f_X, f_Z)$ where subscripts of f denote differentiation, $n_y = n_a + n_b$, and $\widetilde{Y} \in R_+^{n_a}$. The useful purpose of defining the rank of a technology is to determine how many equations are required to represent it empirically and, in turn, what the dimension is of the investigation required to determine production efficiency. This information is also necessary to determine econometric efficiency (how many equations are required to represent structure fully). This framework gives a constructive way to test for the existence of by-products. For example, nonparametric estimates of f can be used to test for the rank of (f_X, f_Z) following Cragg and Donald (1997).

A similar issue of controllability applies to inputs. For example, constraints imposed on allocated fixed inputs by fixed resources of the firm limit the producer's flexibility in making input choices because they must satisfy $\boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}$. Because the individual constraints contained therein may or may not be locally binding, suppose that $\widetilde{\boldsymbol{C}}$ and $\widetilde{\boldsymbol{K}}$ represent subsets of the rows of $\boldsymbol{C}$ and $\boldsymbol{K}$, respectively, corresponding to locally binding constraints. Then $\widetilde{\boldsymbol{C}}\boldsymbol{Z} \underset{n_c}{=} \widetilde{\boldsymbol{K}}$ summarizes all locally binding constraints on allocated fixed inputs. Assuming without loss of generality that $\boldsymbol{C}$ includes no redundant restrictions, $\widetilde{\boldsymbol{C}}$ has rank n_c so that $\widetilde{\boldsymbol{C}}\boldsymbol{Z} \underset{n_c}{=} \widetilde{\boldsymbol{K}}$ can be solved uniquely for $\widehat{\boldsymbol{Z}} \underset{n_c}{=} h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K})$ where $\boldsymbol{Z}$ is partitioned as $\boldsymbol{Z} = (\widetilde{\boldsymbol{Z}}, \widehat{\boldsymbol{Z}})$, $\widetilde{\boldsymbol{Z}} \in R_+^{n_z - n_c}$, and $\widehat{\boldsymbol{Z}} \in R_+^{n_c}$. Obviously, an arbitrary fixed input allocation vector is not fully controllable unless no fixed inputs are limiting. That is, even though there are n_z allocated fixed input decisions, only $n_f = n_z - n_c$ of them are freely controllable.

The presence of allocated fixed input constraints explains why the responses of seemingly independent production activities may appear dependent.[39] That is, input constraints across production activities can induce jointness between them even when the production activities are fully nonjoint [Shumway et al. (1984)]. This is true whether the constraints result from allocated fixed inputs or other sources such as policy parameters imposed on a firm (such as water use restraints, acreage controls or pesticide standards). For this reason, statistical testing for restrictions on the input space appears advisable. For example, nonparametric tests can be used to determine controllability of inputs. Alternatively, such tests can be based upon the existence of a non-trivial h function by regressing $\widehat{\boldsymbol{Z}}$ on $\widetilde{\boldsymbol{Z}}$ for hypothesized partitions of $\boldsymbol{Z}$.

With this background, a standard form for the structure of technology is useful.

A canonical form for the local structure of multi-output technologies consists of[40]

(i) the controllable production technology,

$$\widetilde{\boldsymbol{Y}} \underset{n_a}{=} \tilde{f}(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon}), \tag{52}$$

(ii) the byproduct relationships,

$$\widehat{\boldsymbol{Y}} \underset{n_b}{=} g(\widetilde{\boldsymbol{Y}}, \boldsymbol{\varepsilon}), \tag{53}$$

[39] In other words, a producer's decisions result in a specific vector of output quantities – a production possibilities surface. Even if aggregate inputs produce a production possibilities surface (as in some dual developments), an additional decision must be made to determine a particular point on the production possibilities surface if the standard multi-output profit maximization theory is appropriate.

[40] Note that Equations (52) and (53) are jointly equivalent to Equation (51) in the sense that either can be solved for the other. Equations (52) and (53) correspond to a representation that solves the $\boldsymbol{x}^i$'s and z^i's out of as many individual equations of (51) as possible. Note, however, that $n_z \geqslant m$ because each sub-technology must have at least one substantive production relationship.

and (iii) the binding input restrictions,

$$\widehat{Z} \underset{n_c}{=} h(\widetilde{Z}, K), \tag{54}$$

where $\widetilde{Y}$ and $\widetilde{Z}$ are locally controllable, $Z = (\widetilde{Z}, \widehat{Z})$, and the Jacobians of $\tilde{f}$, g, and h have full row rank.

Appendix Section A.4 derives the following proposition.

PROPOSITION 6. *Every technology that satisfies*
(i) *the Fundamental Axiom of Multi-output Production,*
(ii) *continuity, and*
(iii) *differentiability*
can be characterized locally in canonical form.

This characterization of technology is convenient for applying the various measures of efficiency defined above. For example, each of the individual equations in the controllable technology corresponds to sub-technology efficiency. The equations in the controllable technology plus the by-product relationships correspond to structural technical efficiency. Combining the controllable technology with by-product relationships and input restrictions corresponds to feasible disaggregated input-output efficiency. This description of technology is thus policy- and behavior-relevant.

Before turning to applications of this framework, we consider one remaining generality of the controllable technology. Some inputs may be allocated so that a distinct portion is applied to each production activity, i.e., is allocated to a specific time and location within that activity. However, other distinct input applications may have positive marginal products in more than one output equation as in the case of a public input. This gives rise to joint output relationships that may connect some output equations in the controllable technology. Appropriate modeling of such relationships is essential for proper investigation of issues such as diversification. Indeed, such modeling is essential for understanding issues of scope and scale (to the extent that economies of scope depend on scale). Chavas (2001) mentions several examples of processes that determine economies of scope such as nitrogen fixation, pest control, and crop-livestock interactions. As explained above, single-equation representations cannot convey useful understanding of such multi-dimensional interaction. Economies of scope and diversification may depend on many factors including public inputs as well as binding input restrictions and by-product relationships [even under profit maximization as in Pope (1976)] in addition to typical risk aversion explanations. We submit that the approach of description versus technical detail in Chavas' review is indicative of (i) the poor state of understanding of these issues and (ii) the lack of true explanation provided by PPF approaches.

4.5. *The problem with unobservable decision variables*

A typical problem for empirical analysis of production is that some variables are not observed. For example, a typical case in aggregate agricultural production is where temporal and spatial allocations of purchased variable inputs within growing seasons are not observed. This lack of data availability seems to motivate the focus on PPFs in typical production studies. As noted above, however, such approaches as typically practiced have not led to policy- and behavior-relevant representations of technology.

Here we investigate the feasible approach to estimation and identification of policy- and behavior-relevant technology when some decisions are not observed. An appropriate approach in this case is to solve unobserved variables out of the system in (52)–(54). We argue that this is the only feasible approach if the resulting representation of technology is to be policy- and behavior-relevant, i.e., truly a representation of nothing more than technology.[41]

Consider, for example, the case where an individual output is not observed. Then the corresponding individual equation in (52) or (53), which explains that output, is not observable and must be dropped from any estimable system. Alternatively, suppose an individual input variable is not observed. If the input appears among the binding constraints, then one of the binding constraints can be solved for that input variable; that result can then be used to substitute for the unobserved variable in (52). If a constraint with known coefficients is solved, such as a simple aggregation constraint for an allocated fixed input, then values of the variable can be calculated from the others to substitute into (52). When a constraint that has unknown coefficients is solved for an unobserved input variable, then an estimable form must be substituted for the unobserved variable in (52). This process may complicate estimation of (52) because numerous parameters may appear in individual equations after substitution thus requiring more observations for identification. But estimation is possible in principle and no justifiable alternative is apparent.

If additional input variables are unobserved, remaining input constraints can be used one-by-one if the unobserved variables appear among the remaining input constraints. Otherwise, one of the remaining equations in (52) must be solved for the unobserved input variable. Such a relationship may include an unobservable error term and add to the stochastic complications of estimation of remaining relationships. But again, estimation is possible in principle with sufficient numbers of observations.

Continuing inductively with this approach which is applicable under the assumptions of the Implicit Function Theorem obtains the following proposition.

[41] We remind the reader that all policy- and behavior-relevant aggregations are assumed to be included in the problem representation at this point as in (46). If further policy- and behavior-relevant aggregation is possible, then simple Pareto efficiency among those allocations may yield additional policy- and behavior-relevant structural equations.

PROPOSITION 7. *Aside from by-product relationships, which do not characterize the effects of inputs, the maximum number of non-redundant observable equations that can characterize purely technological relationships is equal to the number of observable controllable outputs* (n_a) *plus the number of purely technological binding input constraints* (n_c) *minus the number of unobservable decision variables (if non-negative).*

An immediate implication is as follows.

COROLLARY 1. *Aside from by-product relationships, if the number of observable controllable outputs plus the number of purely technological binding input constraints minus the number of unobservable decision variables is non-positive, then no purely technological relationship is estimable. Any estimable relationship between outputs and decision variables must embody non-technical relationships imposed on the observed data, for example, by behavioral and policy criteria.*

4.6. The typical agricultural production problem

In typical agricultural production problems involving multiple outputs, farmers choose not only a production possibilities set, but choose a production point in that set. In typical dual representations, the choice of a production possibilities set is made by choosing an aggregate input vector. The concept of efficiency based on profit maximization is used to restrict choices to the frontier of the production possibilities set. Then the choice of a point on the frontier is represented implicitly by the choice of an output vector. Outputs, however, are *ex post* observations of the production problem and thus do not characterize the actual process of production or decision making. Choice of an output vector implicitly involves determining other choices relating to how the aggregate input vector is used. These implicit choices typically involve allocation of aggregate inputs over production activities, i.e., over space and time. For example, in examples of basic economic principles with two production processes using the same input, the production possibilities frontier depends on the aggregate amount of input available, and the choice of a point on the frontier is determined by how much of the aggregate input is allocated to one production process versus the other.

With the allocation of fixed inputs discussed by Shumway, Pope, and Nash (1984), farmers must determine how much land to allocate to each crop or how many tractor hours and hours of labor to allocate to each plot, etc. Variable inputs must also be allocated among production activities (plots) and times of application to choose a point on the production possibilities frontier [Just et al. (1983)]. For example, farmers must generally determine how much fertilizer, pesticides, and labor to apply to each crop and plot as well as how much of each variable input to use in the aggregate. We do not contend that all inputs must be allocated but argue that at least some allocation decisions are required to determine the mix of outputs in most agricultural production problems. Such decisions must be considered part of the detailed $\boldsymbol{X}$ and $\boldsymbol{Z}$ vectors that determine outputs.

Allocations of both fixed and variable inputs are typically treated as unobserved in common applications of duality. For example, a common specification of the profit function in multi-output production problems is

$$\max_{y,x}\{\boldsymbol{py} - \boldsymbol{rx} \mid (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\}$$

where $\boldsymbol{p}$ is an output price vector taken to apply to the entire growing season, $\boldsymbol{r}$ is an input price vector taken to apply uniformly to the entire aggregate of input quantities used, $\boldsymbol{x}$ represents choice of aggregate input quantities without regard to temporal or spatial allocations, and $\Im_{-i}$ represents possible choices of aggregate inputs and aggregate outputs with available technology and fixed inputs [e.g., Shumway (1983); Ball and Chambers (1982); Weaver (1983)]. This specification yields maximum profit as a function of $\boldsymbol{p}$, $\boldsymbol{r}$, $\boldsymbol{k}$, and $\boldsymbol{\varepsilon}$ if Aggregation Qualification Condition A.2 holds.

Alternatively, the production framework in (52)–(54) reveals all detailed allocations and decisions that demonstrate how outputs are determined *ex ante* (aside from uncontrollable factors). Clearly, if variable or fixed allocation decisions must be made and allocations are ignored as in a typical dual framework, then the allocations must either be considered unobservable or the econometric efficiency that can be attained with full structural estimation is lost. We note, however, that there is nothing about the modern dual approach that prevents this more detailed empirical investigation. For example, Chambers and Just (1989) use a dual approach to investigate allocations of an observed allocated fixed factor. Similar techniques can also be used to investigate price differences among allocated quantities where they apply following the general theoretical framework of Chambers, Chung, and Färe (1996).

Undoubtedly, some of the elegance and simplicity of the typical reduced form (dual or primal) approach is lost by considering a full structure for production technology as in (52)–(54). However, unobserved or ignored allocations of inputs have dramatic implications for estimation of technology as the following proposition demonstrates (see the Appendix for the proof).

PROPOSITION 8. *If* (i) *two or more inputs* (*whether variable or fixed*) *must be allocated among sub-technologies,* (ii) *the allocations are unobserved or ignored in estimation, and* (iii) *the number of controllable outputs is less than the number of allocated inputs times the number of sub-technologies, then no purely technological relationship other than by-product relationships is estimable. In particular, no purely technological relationship is estimable in the input nonjointness case of* (11).

The conditions of Proposition 8 appear to be broadly applicable and cast doubt on the ability to estimate purely technological relationships from aggregate data. Furthermore, a much stronger result applies if physical inputs must be allocated over space and time within sub-technologies. Proposition 8 focuses only on allocations of inputs over sub-technologies. The problem is that many allocations of inputs over crops as well as space and time are generally not recorded in aggregate data. For example, aggregate public

data are generally not available on the allocation among crops (or plots) of variable inputs such as labor or of allocated fixed inputs such as tractor hours. We note, however, that allocation of land among crops is usually available and has not been exploited by typical dual production studies. Thus, the failure to utilize allocation data cannot be blamed entirely on data unavailability.

While we note that allocation data for land among crops is generally available and unutilized (and was a prominent subject of study prior to the duality revolution), the principle of Proposition 8 also suggests that specific assumptions may be required for its use. For example, suppose that land allocations are observed but that other allocations are unobserved as in the following corollary to Proposition 8 (see the Appendix for a proof).

COROLLARY 2. *If* (i) *three or more inputs (whether variable or fixed) must be allocated among sub-technologies,* (ii) *only the allocations of one input are observed and used in estimation, and* (iii) *the number of controllable outputs is less than the number of observed allocated inputs times the number of sub-technologies, then no purely technological relationship other than by-product relationships is estimable. In particular, no purely technological relationship is estimable in the input nonjointness case of* (11).

The implication of Corollary 2 is that if only land allocations are observed and at least two other input allocations are unobserved, then purely technological relationships are generally unobservable unless specific restrictions are imposed on the technology. For example, one could assume that other allocated inputs are applied in fixed proportions with land. Since such assumptions must be imposed to observe technology, it follows that hypotheses such as fixed input proportions among allocated inputs cannot be rejected with observable data under the conditions of Corollary 2.

In Mundlak's (2001) review (this Handbook), he characterizes the modern dual approach as having not delivered its promised benefits in the empirical analysis of production. We agree but argue that the criticism should not be of the potential of the dual approach but of the failure to pursue understanding of the structure of production. It is simply the *typical practice* of duality (the focus on the PPF alone) that has been limiting. We argue that this practice is, at least in part, a self-imposed limitation of the profession. But it is also, in part, a result of public data limitations. With proper consideration, some hypotheses that have been entertained in the literature may not be testable with available data.

4.7. Estimable relationships among inputs and outputs

To examine additional implications of the criticism in Section 4.6, the production problem can be further characterized by determination of the decision vectors $\boldsymbol{X}$ and $\boldsymbol{Z}$ according to some behavioral criterion given available technology.

A behavioral criterion is a rule sufficient to determine production decisions in $\boldsymbol{X}$ and $\boldsymbol{Z}$ uniquely given the full description of technology in (52)–(54).

For example, in the case of profit maximization (ignoring uncontrollable factors for purposes of illustration), the problem is

$$\max_{Y,X,Z}\left\{PY - RX \mid \widetilde{Y} \underset{n_a}{=} \tilde{f}(X, Z, \varepsilon),\ \widehat{Y} \underset{n_b}{=} g(\widetilde{Y}, \varepsilon),\ \widehat{Z} \underset{n_c}{=} h(\widetilde{Z}, K)\right\}. \tag{55}$$

After substitution of the constraints and assuming well-behaved technology, this problem generates a set of $n_o = n_x + n_f$ first-order conditions for optimization of the form

$$\zeta(X, \widetilde{Z}, P, R, K, \varepsilon) \underset{n_o}{=} 0. \tag{56}$$

These n_o relationships together with the n_c binding constraints in (54) uniquely determine X and Z. The remaining $n_a + n_b$ relationships in (52) and (53), in turn, determine Y following the Fundamental Axiom of Multi-output Production. This framework clearly differentiates the relationships defining technology in (52)–(54), which appear as constraints in (55), and the behavioral relationships in (56).

Alternatively, if all allocations of input and output quantities have identical prices over space and time in the production cycle (the typical assumption), the decision problem can be represented by[42]

$$\max_{y,x}\left\{py - rx \mid y \underset{n_y^*}{=} Af\left(X, \widetilde{Z}, h(\widetilde{Z}, K), \varepsilon\right),\ x \underset{n_x^*}{=} BK\right\}, \tag{57}$$

where $y \in R_+^{n_y^*}$, $x \in R_+^{n_x^*}$. Several points are important in comparing this problem to typical analysis of aggregate production problems. First, the decision variables in this problem, after substituting constraints, are not simply y and x but rather X and $\widetilde{Z}$. Thus, the number of first-order conditions is $n_x + n_f$. In this set of first-order conditions, the price of one input or output can be arbitrarily normalized (set to 1) because of homogeneity of supplies and demands in prices, which follows from (57). Then, in principle, $n_y^* + n_x^* - 1$ of the $n_x + n_f$ first-order conditions can be solved for the non-normalized prices and substituted into the remaining first-order conditions obtaining $n_o^* = n_x + n_f - n_y^* - n_x^* + 1$ relationships expressed solely in terms of y, X, and $\widetilde{Z}$, say,

$$\zeta(y, X, \widetilde{Z}, K, \varepsilon) \underset{n_o^*}{=} 0. \tag{58}$$

Typically, the number of relationships in (58) is large when there are allocations because n_x^* represents the number of aggregate variable inputs whereas n_x represents the number of variable factor allocation variables summed over all variable inputs and, similarly, n_y^*

[42] Note that $y \underset{n_y^*}{=} Af(X, Z, \varepsilon) = A \cdot (\widetilde{Y}, \widehat{Y})$ where $\widetilde{Y} \underset{n_a}{=} \tilde{f}(X, Z, \varepsilon)$ and $\widehat{Y} \underset{n_b}{=} g(\widetilde{Y}, \varepsilon)$. Also note that $Z = (\widetilde{Z}, \widehat{Z}) = (\widetilde{Z}, h(\widetilde{Z}, K))$.

represents the number of aggregate outputs whereas n_f represents the number of fixed factor allocation variables summed over all production activities.

Note, however, that the relationships in (58) cannot be purely technological relationships even though they include only input and output quantities because they are derived from first-order conditions based on the behavioral criterion. Clearly, these relationships include more information than reflected in the pure statement of technology, $\boldsymbol{y} \underset{n_y^*}{=} \boldsymbol{A} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K}), \boldsymbol{\varepsilon})$ because the rank of first-order conditions leading to (58) is $n_x + n_f - n_y^* - n_x^* + 1$ (if they can be solved uniquely for all decisions) whereas the reduced-form statement of technology in (57) has at most rank n_y^*.

From these results, estimation and hypothesis testing based on first-order conditions, including all dual methodology, does not necessarily reveal information about technology. For example, apparent nonjointness or apparent nonseparability suggested by estimates of any subset of these relationships may simply reflect an interaction among variables induced by the maintained behavioral hypothesis (see the example of Section 3.4). These results are summarized by Proposition 9 (see the Appendix for a proof).

PROPOSITION 9. *Under the conditions of Proposition* 8, *no hypotheses about the structure of technology are testable. All observable relationships of inputs and outputs are policy- or behavior-dependent.*

All hypothesis tests on the structure of agricultural technology relating to jointness and separability of which we are aware are made in problems where the presence of two or more inputs with unobserved allocations cannot be ruled out. On the basis of Proposition 9, the associated conclusions are invalid.

4.8. The "technology" estimated with standard dual applications

In standard dual applications assuming differentiability, technology is implicitly represented by a scalar PPF relationship of the form derived in (44), $F(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) \underset{1}{=} 0$, i.e., one involving only aggregate inputs and outputs [e.g., Shumway (1983); Ball and Chambers (1982); Weaver (1983)]. From the $n_a + n_b + n_c$ relationships describing technology and firm-controlled resource constraints in (52)–(54) and the $n_o = n_x + n_f$ first-order conditions in (56), exactly one such relationship involving only aggregate inputs and outputs is observable in general. To find this relationship starting from (55), one must aggregate not only the outputs as in (57) but also eliminate all the allocations. In other words, after obtaining (57), the $n_o^* = n_x + n_f - n_y^* - n_x^* + 1$ relationships among all input decisions and outputs that are devoid of prices can be used together with $\boldsymbol{y} \underset{n_y^*}{=} \boldsymbol{A} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K}), \boldsymbol{\varepsilon})$ and $\boldsymbol{x} \underset{n_x^*}{=} \boldsymbol{B} \boldsymbol{X}$ to solve for all $n_x + n_f$ allocations, which are then substituted into a remaining single condition.

The resulting single condition is of the form $F^*(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) \underset{1}{=} 0$ and is regarded as characterizing the production possibilities frontier. However, under the conditions of

Propositions 7, 8, and 9, this relationship may be determined at least partially by the behavioral criterion. For example, if one of the inputs is an allocated fixed input or involves allocation of a variable input that does not have the same price across all locations or times, then any single-equation representation of technology using only aggregate variables will be policy- or behavior-dependent.

An interesting question is whether knowledge of this frontier can reveal information about the structure of technology for which it is commonly used to test. In general, the answer is no. At best (when the Aggregation Qualification Condition holds), it can only answer very limited questions about the reduced-form structure. The illustrative example of Section 3.4 demonstrates clearly the difference between structure and reduced form.

4.9. Congruent modeling of econometric errors and inefficiencies

Thus far, we have largely ignored uncertainty issues related to agricultural production. In reality, agricultural production is highly subject to random forces such as weather and pests. The presence of such forces in worldwide agricultural production causes prices also to be random and unpredictable – particularly because of long lags between commencement of production and realization of output. Adding unanticipated stochastic variation in production reveals further problems with typical practices.

To illustrate, note that the profits in (55) after substituting constraints can be represented by $\boldsymbol{P} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}$ where

$$\begin{aligned} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}) &= \left[\tilde{f}(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K}), \boldsymbol{\varepsilon}), g(\tilde{f}(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K}), \boldsymbol{\varepsilon}), \boldsymbol{\varepsilon})\right] \\ &= \left\{(\widetilde{\boldsymbol{Y}}, \widehat{\boldsymbol{Y}}) \mid \widetilde{\boldsymbol{Y}} = \tilde{f}(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon}), \widehat{\boldsymbol{Y}} = g(\widetilde{\boldsymbol{Y}}, \boldsymbol{\varepsilon}), \widehat{\boldsymbol{Z}} = h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K})\right\}. \end{aligned} \tag{59}$$

Prices and production disturbances are assumed to be random at the time decisions are made and, for simplicity in this section, the behavioral criterion is assumed to be expected profit maximization. The expected profit function and resulting demands and allocations are

$$\pi(\boldsymbol{I}, \boldsymbol{K}) = \max_{\boldsymbol{X}, \widetilde{\boldsymbol{Z}}} \left\{\mathrm{E}_{\boldsymbol{I}}[\boldsymbol{P} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}]\right\},$$

$$\left[\boldsymbol{X}^*(\boldsymbol{I}, \boldsymbol{K}), \widetilde{\boldsymbol{Z}}^*(\boldsymbol{I}, \boldsymbol{K})\right] = \operatorname*{argmax}_{\boldsymbol{X}, \widetilde{\boldsymbol{Z}}} \left\{\mathrm{E}_{\boldsymbol{I}}[\boldsymbol{P} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}]\right\},$$

respectively, where $\boldsymbol{I}$ represents information (e.g., a subjective distribution) upon which the producer's expectations of $\boldsymbol{P}$, $\boldsymbol{R}$, and $\boldsymbol{\varepsilon}$ are based.

Assuming mean expected prices are included among $\boldsymbol{I}$, differentiation of the profit function with respect to them obtains demands, $\boldsymbol{X} = \boldsymbol{X}^*(\boldsymbol{I}, \boldsymbol{K})$, by the envelope theorem consistent with Hotelling's lemma.[43] Chambers and Just (1989) demonstrate how

[43] Depending on the stage of production in a dynamic representation, some of the random disturbances may have already been realized in which case $\boldsymbol{I}$ can include some actual values of some elements of $\boldsymbol{\varepsilon}$.

the allocation equation specifications, $\widetilde{Z} = \widetilde{Z}^*(I, K)$, can also be derived consistent with sub-technology profit function specifications. Because prices and output are random, however, simple differentiation of the profit function does not generally obtain consistent output supply specifications following Hotelling's lemma. Rather, substituting input demands and allocations into (59) yields the actual output supplies,

$$Y = Y^*(I, K, \varepsilon) = f(X^*, \widetilde{Z}^*, K, \varepsilon),$$

which have expectation $\mathrm{E}_I(Y) = \overline{Y}^*(I, K) = \mathrm{E}_I[f(X^*, \widetilde{Z}^*, K, \varepsilon)]$. This specification generally differs from the derivative of the profit function with respect to mean output prices because of correlation among output prices and quantities, and nonlinearities of output in the production disturbance.

Two often-overlooked problems arise in subjecting this framework to estimation. First, the need to treat allocations differently than variable input demands is typically ignored assuming their prices can be represented implicitly as constants across space and time. Since this practice was criticized above, we abstract from the case with allocations for the remainder of this section because most readers are more familiar with notation that ignores allocations.

The second typically-overlooked problem relates to stochastic specification for estimation. Because input demands are derived by maximizing expected profits rather than actual profits, random variation is removed, leaving the resulting specification devoid of the random disturbances necessary for econometric purposes. The typical practice has been to append arbitrarily an econometric disturbance vector, say δ, to the vector of demand equations so the estimated specifications follow $X = X^*(I, K) + \delta$. Alternatively, the profit function has been treated as a deterministic problem in mean prices, say $\overline{P} = \mathrm{E}(P)$ and $\overline{R} = \mathrm{E}(R)$, so that application of Hotelling's lemma obtains

$$\begin{aligned}
&\overline{\pi}(\overline{P}, \overline{R}, K) = \max_X \{\overline{P} f(X, K, \varepsilon) - \overline{R} X \mid \varepsilon = \mathbf{0}\},\\
&Y = \overline{Y}^*(\overline{P}, \overline{R}, K) = \partial\overline{\pi}(\overline{P}, \overline{R}, K)/\partial\overline{P},\\
&X = \overline{X}^*(\overline{P}, \overline{R}, K) = -\partial\overline{\pi}(\overline{P}, \overline{R}, K)/\partial\overline{R}.
\end{aligned}$$

This approach leaves each specification lacking an econometric disturbance for purposes of estimation. Typical practice has been to simply append disturbances to each relationship obtaining an estimation system of the form

$$Y = \overline{Y}^*(\overline{P}, \overline{R}, K) + \nu, \qquad X = \overline{X}^*(\overline{P}, \overline{R}, K) + \delta, \tag{60}$$

where ν and δ are vector-valued disturbances with zero expectations, e.g., $\varepsilon = (\nu, \delta)$.

A major problem with arbitrarily appending disturbances to a profit-function-based system is suggested by McElroy (1987) who initiated work on congruent specifications of input and output disturbances in the context of cost function estimation. The problem is that after arbitrarily appending disturbances to supply and demand specifications as in

(60), they no longer integrate back to the same underlying profit function.[44] In the spirit of McElroy, the profit function that yields via Hotelling's lemma both random supplies and factor demands as in (60) is of the form

$$\bar{\pi}(\bar{\boldsymbol{P}}, \bar{\boldsymbol{R}}, \boldsymbol{K}) = \max_{\boldsymbol{X}} \left\{ \bar{\boldsymbol{P}}[f(\boldsymbol{X}, \boldsymbol{K}) + \boldsymbol{v}] - \bar{\boldsymbol{R}}(\boldsymbol{X} + \boldsymbol{\delta}) \right\}. \tag{61}$$

The remaining problem with McElroy's approach is that disturbances are arbitrarily inserted to satisfy a particular theoretical convenience rather than to correspond to how random forces actually affect decision makers. In particular, the specification in (61) imposes additive errors in the production relationship and thus cannot admit risk-reducing or risk-increasing effects of inputs [Just and Pope (1978)]. Also, if the demand disturbances in (60) represent errors in optimization, then the specification in (61) is inappropriate because it has profits monotonically decreasing in errors, i.e., the decision maker is better off making large negative errors thus contradicting the concept of optimization.

To explore this problem further, an assessment of potential sources of error is instructive. Typically errors in agricultural production systems can be expected to arise from errors in decision making by farmers, random variation in uncontrolled forces such as weather that affect the production process, and errors in variables (measurement errors in data).[45] In each of these cases, the role of disturbances may be different. Yet typical a priori information hardly allows exclusion of one or the other.

The errors-in-optimization (EIO) case. To illustrate, if disturbances represent errors in decision making, then optimization errors can be simply appended to the profit-maximizing input levels as in the demand system in (60). In this case, however, the supply specification in (60) is no longer appropriate because the errors in input levels affect output following $\boldsymbol{Y} = f(\boldsymbol{X}^* + \boldsymbol{\delta}, \boldsymbol{K}, \boldsymbol{v})$, which surely differs from the $\boldsymbol{Y} = f(\boldsymbol{X}^*, \boldsymbol{K}, \boldsymbol{v})$ that generates the supply system in (60).[46]

[44] While all the discussion here is in terms of profit functions for simplicity, as illustrated by McElroy's work the same principles apply to cost and revenue function estimation as well.

[45] Another source of error in modeling is econometrician error. Perhaps these errors dominate all others but we refrain from a substantive discussion because (i) a major goal of this entire chapter is to improve econometric modeling, and (ii) the effects of modeling errors are dependent on the particular type of econometrician error and thus present too many alternatives to discuss here. For example, one possible econometrician error is made by assuming disturbances follow EIO (EIV) when EIV (EIO) applies. Another typical example is when, following the practice of modern duality theory, the econometrician specifies a profit function with little thought about the underlying technology because the profit function is not estimated but only used instrumentally to specify demands and supplies. Thus, the factor demands are obtained up to a random error but the profit function depends on this error because the supply or production depends on actual inputs. This is also an econometrician error.

[46] This result showing failure of Hotelling's lemma when input errors are transmitted to production functions is developed formally by Pope and Just (2000a).

The errors-in-variables (EIV) case. Suppose the disturbances represent errors in variables. For example, let $\boldsymbol{v}$ represent additive errors in measurement for $\boldsymbol{Y}$ and let $\boldsymbol{\delta}$ represent additive errors in measurement for $\boldsymbol{X}$, which are thus not part of the disturbances in $\boldsymbol{\varepsilon}$ that affect the true production problem. Then the specification in (60) is appropriate for the case where prices are nonstochastic. However, the profit function does not then follow (61) because the errors in $\boldsymbol{v}$ and $\boldsymbol{\delta}$ are not errors that actually affect decision makers and actual outcomes.

The errors-in-uncontrolled-conditions (EIU) case. If disturbances represent errors in uncontrolled conditions affecting the production process that are not observed until after decision making, then the representation of $\boldsymbol{\varepsilon}$ as an argument of f above is appropriate. In this case, the errors possibly interact with other input choices to alter production responses and marginal risk effects of inputs. For this problem, practical wisdom implies that the researcher is not free to choose an arbitrary representation (or point of insertion) of an ad hoc disturbance because the role of the disturbance is a substantive part of the economic problem. For this problem, a first-order Taylor series approximation of $\boldsymbol{Y}$ about $\boldsymbol{\varepsilon} = 0$ yields a Just–Pope production function, $\boldsymbol{Y} = f(\boldsymbol{X}, \boldsymbol{K}, \boldsymbol{0}) + f_{\boldsymbol{\varepsilon}}(\boldsymbol{X}, \boldsymbol{K}, \boldsymbol{0})\boldsymbol{\varepsilon}$, which provides a minimal yet tractable level of flexibility in the production specification.

Considering these three sources of error begs a discussion of which are most likely to be manifest in agricultural data. Based on the discussion in Section 2.4, it seems that the highly unpredictable effects of weather and pests inherent in the EIU case are most important to admit unless variables that reflect weather and pest conditions are included as measured variables rather than disturbances. While the other two sources of error seem less essential, they cannot be ruled out. Thus, the most conservative approach is to consider all three simultaneously. For example, one might start with a specification for $\pi(\boldsymbol{I}, \boldsymbol{K}) = \max_X \{\mathrm{E}_I[\boldsymbol{P} f(\boldsymbol{X}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}]\}$ and derive a specification for $\boldsymbol{X}^*(\boldsymbol{I}, \boldsymbol{K}) = \operatorname{argmax}_X \{\mathrm{E}_I[\boldsymbol{P} f(\boldsymbol{X}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}]\}$, which explicitly recognizes the potential randomness of prices. Then the supplies and demands might be estimated following

$$\boldsymbol{X} = \boldsymbol{X}^*(\boldsymbol{I}, \boldsymbol{K}) + \boldsymbol{\delta} + \boldsymbol{\zeta}, \qquad \boldsymbol{Y} = f(\boldsymbol{X}^* + \boldsymbol{\delta}, \boldsymbol{K}, \boldsymbol{\varepsilon}) + \boldsymbol{v}, \tag{62}$$

where $\boldsymbol{\delta}$ represents errors in optimization (which enter through the decisions and thus affect outputs through the technology that describes output responses to inputs), $\boldsymbol{\zeta}$ represents errors in measurement of inputs that do not affect observed outputs, $\boldsymbol{\varepsilon}$ represents uncontrolled inputs such as weather, and $\boldsymbol{v}$ represents errors in measurement of outputs.

Misspecification of the role of disturbances in production problems can cause considerable misinterpretation of data and empirical results. For example, Pope and Just (1996) developed what appears to be the first approach for consistent estimation of ex ante cost functions in the EIO case of stochastic production. Moschini (forthcoming) later showed that a different estimator was required for consistent estimation in the EIV

case.[47] The contrast of these two papers and the bias and inconsistency resulting from using the wrong estimator demonstrates the importance of focusing carefully on the source of errors in production problems.

Moreover, these results underscore the need to develop robust estimation methods that can address a more general model such as in (62) for the case where the correct disturbance specification is not known a priori. Then statistical inference can be used to determine the correct error specification. In such an effort, Pope and Just (2000b) employ a specification similar to (62) by combining $\delta + \zeta$ into a single disturbance, say ξ, and then including $\lambda\xi$ as the embedded disturbance in place of δ in the production function. Their estimate of λ using aggregate U.S. agricultural data is .919 with a standard error of .322 implying that the pure EIV case is soundly rejected. The EIO case is not rejected even at the .001 level.

The results in this section are derived for the case where all decisions are made ex ante and all uncertainty is then resolved to determine final production and profit. More realistically, decision makers make some decisions, then observe some resolution of uncertainty. Then further decisions are made and further uncertainty is resolved, and so on until the end of a production cycle. Many of the principles in this section can be developed for this more complex and realistic case but space does not allow development here.

Based on the points in this section, we suggest that agricultural production economists have been far too cavalier about inserting disturbances in econometric specifications to facilitate estimation. The form in which disturbances enter has dramatic effects on estimated technology and on the statistical properties of estimators. The form in which disturbances enter can ultimately be answered by statistical inference. Until such answers are forthcoming and accepted, agricultural production estimation should seek for robust specifications or at least specifications consistent with accepted wisdom regarding the nature of agricultural production.

5. Other generalizations and empirical progress

Thus far, we have focused on the static production problem to demonstrate some fundamental principles and show how the structural implications and usefulness of agricultural production analyses depend on specification. In reality, the agricultural production problem is more complex. This section considers briefly several important additional frontiers of generalization: (i) dynamic interseasonal considerations related to physical and biological processes and investment, (ii) market uncertainties and characterization of information regarding them, (iii) implications of imposing behavioral criteria in agricultural production analyses, and (iv) changing technology with atomistic heterogeneity of adoption.

[47] Moschini (forthcoming) shows that the Pope and Just (1996) estimator is inconsistent in his EIV case. But Moschini's estimator is inconsistent for EIO cases covered by Pope and Just's estimator under risk aversion [Pope and Just (1998)]. The properties of Moschini's estimator clearly depend on risk neutrality.

5.1. *Investment, asset fixity, biological growth, and fertility carryover*

In general, agriculture presents a complicated problem of modeling production over time because of partial fixity and limited flexibility of physical production capital, the dynamic nature of biological capital (e.g., perennial plants and animals), accumulations of pest populations and resistance, and evolution of soil fertility and erosion. For example, machinery and buildings may be highly subject to asset fixity considerations [Chavas (2001)] but yet some assets may be highly flexible in application to production of a variety of crops. For example, for the most part the same machinery is used to cultivate wheat, sorghum, barley, oats, rice and most other small grains. Other types of equipment such as hay balers, milking equipment, and tomato harvesters may be highly output specific. Because of the dramatic role that physical capital plays in agricultural production, understanding investment in machinery, buildings, and land is likely the most important step to understanding agricultural production in a time series context. Specifically, lags and dynamic processes appear to be at the heart of understanding large-animal livestock and perennial crop production problems. Similarly, as Evenson (2001) states, lags and dynamic processes are also at the heart of understanding such broad policy questions as the economic aspects of R&D. Indeed, they are at the heart of understanding agricultural productivity.

Because new machinery can often be purchased with little delay, is highly lumpy (many farms have a single combine or high-horsepower tractor), and embodies unique technologies (as in the case of the tomato harvester and related color-sorting equipment), machinery investment may fit the putty-clay model well [Johansen (1972)] and require sophisticated discrete-continuous modeling of physical capital investment [see Just and Zilberman (1983) for a primitive such model]. For example, the problem of machinery replacement appears to be one of comparing the cost of new equipment less salvage value of old equipment (along with the higher productivity of new embodied technology) to the cost of continuing operations with old equipment given its higher repair costs and down time. Similar principles apply to constructing new buildings. The obstacle to analyzing these problems is that available data typically do not report machinery or building vintages (ages). Thus, for example, neither the relative technological improvements embodied in new machinery nor the salvage value of old equipment can be considered adequately in explaining machinery investment. Nor can repair costs be explained adequately by the machinery age distribution because it is unobservable.

Alternatively, development of biological capital (e.g., breeding stock, perennial stands of trees, or fertility content of soil) is constrained by biological and physical laws of nature and may require long lags for biological growth and adjustment. This is why such problems are typically modeled with difference equations that describe the number of animals or (acres of) plants that survive from one time period or age cohort to the next [see, e.g., Nerlove and Bessler (2001)]. With respect to these investments, costs and supply response may follow the traditional model of short- versus long-run cost curves [Viner (1931)]. Thus, knowledge of biological growth functions from the agricultural sciences may greatly improve empirical modeling of agricultural produc-

tion and allow economists to focus estimation on features of the problem about which economic knowledge is weak (behavior and expectations).

To date, however, relatively little research has been devoted to understanding many of these longer-term problems of agricultural production. Several studies have examined asset fixity in agriculture both theoretically and empirically [e.g., Johnson (1956); Johnson and Quance (1972); Chambers and Vasavada (1983)]. Competing conceptual models with putty-putty, putty-clay, and clay-clay properties have been proposed [e.g., Johansen (1972); Fuss (1977)]. But little recent work has focused on fundamental empirical representations for some important classes of outputs. For example, the work of French, King, and Minami (1985) is essentially the last substantive work on perennial crops. Again, perhaps the major obstacle is lack of data regarding the age distribution of perennial crops. We note also that perennial crops and large-animal capital stocks have hardly been addressed with the modern tools of duality, in part because some of the elegance of duality is lost in doing so. For example, embedding a known biological process in a more complex production problem essentially requires a primal representation of part of the process.

Perhaps agricultural production economists occupied with simple dual approaches have been reluctant to tackle such problems. We suggest that more work is needed to enhance models for perennial crop and large-animal livestock production by combining known aspects of the age distribution evolution of biological capital with the advances in representations of the short-run production problem, dual or otherwise. For example, the canonical form of the short-run production problem remains as in (52)–(54) after adding τ subscripts to each variable to denote crop season (e.g., year). What must be added is the state equation,

$$\boldsymbol{K}_\tau = \kappa(\boldsymbol{K}_{\tau-1}, \boldsymbol{X}_{\tau-1}, \boldsymbol{Z}_{\tau-1}, \boldsymbol{\varepsilon}_{\tau-1}), \tag{63}$$

which describes buildings and machinery (by age and wear attributes), livestock and perennials (by age, size and health attributes), pest populations (by accumulated resistance attributes), soil quality (by accumulated fertility attributes, which depend on previous crop use and inputs), and accumulated debt and credit limitations (which depend on previous decisions to defer or accelerate repayment).[48]

A dual quasi-profit function may represent the short-run production problem if the state equation adequately represents interseasonal aspects of the problem. Such a representation of the production problem would not be complete, however, without adding a representation of how behavioral criteria determine implicit and explicit investment decisions, conservation behavior, crop rotation decisions, etc. (see Section 5.3). That is, behavioral criteria must be supplemented with long-term objective criteria that depend on $\boldsymbol{K}_\tau$; and the behavioral relationships in (56) must be supplemented accordingly

[48] While we consider only one lag in defining the state equation, as in any Markov process individual elements of the $\boldsymbol{K}$ vector can represent individual vintages of arbitrary age for any capital stock variable. Thus, the complete age distribution of various capital assets can be included.

with preferences that relate to choices in the stock equation. While the state equation in (63) may be complex, in some cases substantial knowledge of biological growth functions from the agricultural sciences can greatly improve empirical modeling and allow economists to focus estimation on features of the problem about which economic knowledge is weak (behavior and expectations).

5.2. *Expectations formation and information acquisition*

Representing production problems with price and output risk requires modeling both producer information (expectations) and producer behavior. A variety of approaches to modeling expectations have been used to model short-run (annual) production under uncertainty with some success [see the review by Nerlove and Bessler (2001)]. However, the problem of modeling expectations is more difficult in longer-term dynamic problems because (i) expectations are, in general, not directly observable, (ii) different producers may follow different approaches to forming expectations, and (iii) individual producers may switch among different information bases (or expectations mechanisms) depending on circumstances.

Modeling aggregate behavior is particularly difficult when producers' expectations are neither directly observable nor identical. The problem is that no data are typically available to explain even indirectly how expectations may be distributed among producers. However, Nerlove (1983) presents evidence of considerable heterogeneity in individual expectations. So, in many cases, the present state of knowledge simply does not reveal how vulnerable agricultural production analysis is to this problem.

Just and Rausser (1983) further suggest that rationality with costly information implies endogeneity of the operative expectation mechanism at the individual level. For example, some decision makers may find rational expectations require too much costly information in periods of stability compared to, say, naive expectations, but yet are worth the cost in periods of instability. Nerlove and Bessler (2001) also suggest that separation of expectations and optimizing behavior is not theoretically correct. Rather, the formation of expectations depends on the use to which expectations are put.

These considerations imply that agricultural economists are far from unraveling the role of expectations and the process of expectations formation particularly in heavily dynamic problems. The hope of doing so with aggregate data and current limitations on availability of firm-specific data appears dim [Nerlove (1983)]. Nevertheless, the role of information is becoming of increasing interest in this "age of information". More efforts are focusing on understanding individual information demand and vendor choice [Salin et al. (1998); Wolf et al. (forthcoming)]. We predict an increasing importance of these efforts in both aggregate and broad farm-specific models of agricultural production. For example, suppose the profits in (55) are represented using (59). Then the information choice problem might be represented as

$$\max_{\boldsymbol{I},\boldsymbol{X},\widetilde{\boldsymbol{Z}}} \mathrm{E}_{I}\big[\boldsymbol{P} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X} - c_{\boldsymbol{I}}(\boldsymbol{I}) \mid \boldsymbol{I} \in \Phi\big],$$

where $\boldsymbol{I}$ represents a choice among various available sets of information in Φ, information is acquired with cost $c_I(\boldsymbol{I})$, and E_I represents a subjective assessment of expectations over $\boldsymbol{P}$, $\boldsymbol{R}$, and $\boldsymbol{\varepsilon}$ given information vector $\boldsymbol{I}$. The concept here is one of forming an expectation for the benefits of each information set when the actual information set is unknown and perhaps untried. In forming subjective assessments of the benefits of various information choices, a variety of experimentation and learning-by-doing possibilities arise akin to the problem of learning about new technologies in the technology adoption problem [see Sunding and Zilberman (2001)]. Clearly, much remains to be done to address these issues.

5.3. Imposed versus revealed behavioral criteria

Much of the traditional body of economic theory and empirical modeling, whether by input share equations, duality, or non-parametric estimators, implicitly imposes competitive profit maximization [see Mundlak (2001)]. This behavioral assumption apparently has been quite robust in the general economics literature for problems where certainty approximates reality in short-run production problems. Because of the importance of uncertainty in agriculture, however, this robustness may not apply. Most studies in agricultural economics that recognize this possibility have modeled agricultural production assuming either expected profit maximization or expected maximization of von Neuman–Morgenstern utility under risk aversion. Very little statistical testing against more general maintained behavioral hypotheses has been done, although a few studies have attempted to measure properties of risk aversion (absolute risk aversion, relative risk aversion, and partial risk aversion) and determine whether such measures are constant, increasing or decreasing. For example, Pope and Just (1991), Chavas and Holt (1996), and Bar-Shira, Just and Zilberman (1997) have attempted to determine the structure of risk preferences from actual production data, and Binswanger (1980, 1981) has attempted to determine the structure of risk preferences from revealed preferences for manipulated lotteries.

Outside of the expected utility hypothesis (which has expected profit maximization as a special case), however, few alternative behavioral hypotheses have been considered empirically. However, numerous studies have criticized the expected utility hypothesis on positive grounds because it fails to describe observed behavior [Kahneman and Tversky (1979); Moschini and Hennessy (2001); Chambers and Quiggin (1998)]. One approach is to introduce a different weighting of outcomes in different states following the generalized expected utility approach [Quiggin (1982); Machina (1987)]. While alternatives have been proposed, little comprehensive empirical evidence has been generated in direct comparative support of alternatives. Most recently Buschena and Zilberman (2000) have shown that generalized expected utility models lose much of their predictive dominance over expected utility when a heteroscedastic error structure is used. While the expected utility model has been criticized because it is informationally demanding [Moschini and Hennessy (2001)], generalized approaches tend to be even more informationally demanding at least when many states of nature are considered. An

approach that reduces information demands on both decision makers and researchers is to rely on rules of thumb and recommendations of agricultural extension specialists. Just et al. (1990) show for Israeli agricultural data that such behavioral hypotheses tend to better fit observed behavior than the expected utility hypothesis.

Still other generalizations of behavior are appealing. Some of these are suggested by the multiple-goal programming models of farm management [e.g., Candler and Boehlje (1971); de Koning et al. (1995)]. For example, in a business where family labor appears to be a qualitatively different input for some tasks because of moral hazard considerations, farmers may prefer to trade off profit for labor depending on the amount of family labor needed to maximize (expected) profit. Thus, the utility function may have more arguments than profit that must be considered to explain behavior. Similarly, because of complex dynamics caused by biological production relationships, some farmers may prefer to trade off present profits for future wealth or long-term financial security. The large number of alternative objective criteria considered by Barry and Robison (2001) are evidence of such considerations. In recent decades, hobby farming has also become more important in which case farmers may have preferences for specific outputs (e.g., horses) or inputs (e.g., picturesque white fences).

With the possibility of such concerns in farmer preferences, we suggest that agricultural economists have been cavalier regarding behavioral criteria in most standard production studies. Forging ahead with the convenience and intuitive appeal of the profit maximization hypothesis in agricultural production analysis may be subject, at least for some problems, to the McCloskey (1998) criticism of searching under a lamppost for a lost wallet merely because the light is brighter there.

Evenson (2001) states that models of diffusion based on revealed preferences depend on properly sorting out technology, behavior, and expectations from one another. Barry and Robison (2001) emphasize the need for the study of agricultural production to support policy analysis by correctly sorting out (i) the role of constraints such as collateral limits or other credit rationing, (ii) the role of policy in altering behavior, (iii) the role of risk and risk preferences, and (iv) the role of intertemporal behavior. The central points of this paper further demonstrate that sorting out the properties and structure of production depends on sorting out technology from behavior. When behavioral criteria are imposed rather than determined empirically, models may be far from robust and results may fall far short of sorting out this crucial distinction. Moreover, imposing a false behavioral criterion may cause results to suggest a false representation of technology [Alston and Chalfant (1991); Smale et al. (1994)].

To suggest a framework in which observed data rather than assumptions are used to uncover behavioral criteria, recall the canonical representation of the production problem in (52)–(54). From a representation of technology that is complete and yet devoid of behavioral content, the description of the production problem (possibly an econometric system representing it) is properly closed by adding the behavioral relationships (and policy constraints) that determine choices given the technology. However, rather than assuming fixed and known relationships for this purpose, the relationships representing behavior can be made a matter of inference. Models that estimate a risk aversion coeffi-

cient (or risk preference structure) take a step in this direction but allow only one (or a few) estimated parameter(s).

Specifically, under the Fundamental Axiom of Multi-output Production, the full production system is closed by supplementing the purely technical equations in (52)–(54) with behavioral relationships such as (56). Under (expected) profit maximization, the researcher assumes that no additional unknown parameters appear in these behavioral equations, e.g., in the case of an interior solution,

$$\frac{\partial}{\partial(\boldsymbol{X}, \widetilde{\boldsymbol{Z}})}\mathrm{E}\big[\boldsymbol{P} f\big(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}\big) - \boldsymbol{R}\boldsymbol{X}\big] = 0, \tag{64}$$

where E is the producer's expectation with respect to $\boldsymbol{P}$, $\boldsymbol{R}$, and $\boldsymbol{\varepsilon}$ and f is defined as in (59). With von Neuman–Morgenstern expected utility maximization, the researcher assumes only one or a few unknown parameters are introduced in a utility function U so that the behavioral relationships in (56) follow

$$\frac{\partial}{\partial(\boldsymbol{X}, \widetilde{\boldsymbol{Z}})}\mathrm{E}\big[U\big(\boldsymbol{P} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, \boldsymbol{K}, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}\big)\big] = 0.$$

Strangely, the production literature (as represented by the typical duality approach) has tended over the past few decades toward introducing greater parametric flexibility into (52)–(54), e.g., second-order flexible forms, while imposing total inflexibility in (56). In principle, the behavioral equations can be made a matter of inference by estimating a general and perhaps flexible form for them and then testing for expected profit or expected utility maximization in the context of a broader maintained behavioral hypothesis. For example, suppose U is specified as a second-order flexible form in profit, family labor, creditworthiness, and ending wealth. In this context, wealth differs realistically from initial wealth plus profit by including the productive value of physical capital and soil fertility that have distinctly lower salvage or liquidation values. Then the behavioral relationships in (56) may follow

$$\frac{\partial}{\partial(\boldsymbol{X}, \widetilde{\boldsymbol{Z}})}\mathrm{E}\big[U\big(\boldsymbol{P} f(\boldsymbol{X}, \widetilde{\boldsymbol{Z}}, K, \boldsymbol{\varepsilon}) - \boldsymbol{R}\boldsymbol{X}, z_{i'}, \omega(\boldsymbol{K}), \eta(\boldsymbol{K})\big)\big] = 0, \tag{65}$$

where $z_{i'}$ represents total family labor, $\omega(\boldsymbol{K})$ represents ending wealth as a function of stocks and assets (asset prices are suppressed for convenience), and $\eta(\boldsymbol{K})$ represents creditworthiness as a function of stocks in $\boldsymbol{K}$ (i.e., asset quantities and accumulated debts). In this case, the complete representation of the problem, which closes the system, includes (52)–(54) and (63) in addition to (65). This approach allows inferences about preferences regarding the difficult practical question of how much profit family farms choose to use for consumption versus reinvestment in the operation (as opposed to simply imposing, say, either maximization of the discounted value of profits or maximization of terminal wealth).

Although space in this Handbook is inadequate for presenting a detailed example of this approach, we suggest that balance in the flexibility of technical and behavioral modeling is needed. In the longer-term planning horizons considered by Barry and Robison (2001) for agricultural finance problems, simulation approaches are often found preferable to optimization. One reason is that little has been determined empirically about (i) the importance of current income and consumption versus net worth, (ii) how farmers trade off short-run returns and riskiness with long-run security, and (iii) how asset fixity versus flexibility are used as tools for accomplishing these trade-offs. By estimating the complete production system with flexible behavioral approaches such as in (65), data can begin to sort out empirical applicability of the variety of simulation criteria identified by Barry and Robison. Also, in this context, the need to consider simultaneity in the combined production system as discussed by Mundlak (2001) becomes clear as does the need to use estimation methods that correct for it.

As an additional consideration, dynamic optimization under uncertainty typically assumes additive temporal separability of utility in order to treat dynamic problems of uncertainty [Nerlove and Bessler (2001)]. Better formal modeling depends on understanding the dynamic aspects of risk preferences and how short-term risk trades off with long-term risk given agricultural producers' preferences. Additive temporal separability of utility and risk preferences may not apply. In reality, a farmer may prefer an income stream with low or negative serial correlation rather than high positive serial correlation given the same overall risk because some types of capital investment, debt payment or consumption can be postponed without great difficulty if they can be made up in the near future. On the other hand, postponing such items for many years can cause reduced production, business failure or severe loss in welfare. No satisfactory approach for addressing such problems has yet been proposed.

To date, only the simplest of models have been developed that permit mid-course corrections as specific risks are resolved. As the review by Moschini and Hennessy (2001) shows, even a two-period model that permits one ex post choice has outcomes that depend on third derivatives of production technology. While statistical significance might be obtained in estimating a third derivative of the production technology in a single production study, the variety of results typically obtained by fitting even second-order flexible specifications leaves a great deal open to question. As suggested by Mundlak (2001), the profession has barely, if at all, come to agreement on many elasticities of production, which are determined by first derivatives. Duality has permitted flexibility in estimation of second derivatives but little agreement has been reached on characterizing second derivatives. The profession has hardly crossed the threshold of trying to identify third derivatives. Admitting needed interaction in estimation of technology and preferences and pursuing it with more balance may make clear why models estimated to date do not forecast as well as statistics of fit suggest they should.

5.4. Technology adoption and technical progress

In addition to dynamic intertemporal relationships, expectations, and behavioral criteria, modeling technology adoption is also a complicated and complex problem [Sunding

and Zilberman (2001); Feder et al. (1985)]. Some technology is embodied in physical capital such as machinery and irrigation so adoption depends on long-term financing opportunities. Some is embodied in variable inputs such as seeds, fertilizer, and pesticides so short-run financing is critical. Depending on how well known and locally applicable is the performance of a technology, adoption can depend heavily on subjective risk, experience, and the extent of rents on technology included in input prices. Some technology is adopted through improved breeding methods and is thus relatively costless but requires years of implementation through succeeding production cycles to realize benefits. Other technology can be implemented only after acquiring costly information or acquiring skills of learning by doing, in which case limited experimentation is a prudent way to proceed [see Foster and Rosenzweig (1995)].

In each of these cases, adoption depends on different factors and constraints that affect an individual farm's production. The role of these factors and the extent to which they apply at the individual level is crucial to understanding the aggregate rate of adoption and agricultural productivity growth. Similarly, each of these cases enters differently through behavioral criteria, production constraints, and modifications of production functions. Again, sorting out technology from behavior from external constraints on the firm is crucial. Because of the complexity of factors potentially affecting technology adoption, space in this overview is not adequate for a critical evaluation of the technology adoption literature beyond the principles already developed throughout this chapter. However, we underscore that technology adoption is a highly heterogeneous problem because of heterogeneous physical capital and differing abilities to take advantage of individual technologies among farms, heterogeneous abilities to learn and thus make new technologies work quickly when information is limited, heterogeneous access to information based on education and other factors, heterogeneous credit constraints that limit financial ability to adopt, etc. The role of experimentation and heterogeneity in technology adoption underscores the importance of considering allocation variables, risk preferences, appropriate long-term as well as short-term preferences, etc. All of these issues fall squarely among the topics addressed in this chapter. For example, because much new technology is embodied in inputs that are subject to financial constraints, the associated principles in Section 4 are relevant. Because much new technology is embodied in capital investment with long-term implications and uncertainties, the principles of Sections 5.1–5.3 are relevant. Accordingly, we suggest many remaining avenues to improving understanding of technology adoption.

6. Heterogeneity and data limitations

As much of this essay has concluded, perhaps the most significant obstacle to further progress in agricultural production analysis is lack of better and more detailed data. Mundlak, Moschini and Hennessy (2001), Nerlove and Bessler (2001), Sunding and Zilberman (2001), and Barry and Robison (2001) (all in this Handbook) each emphasize the problem of trying to learn about micro-level behavior from aggregate data and/or

modeling aggregate behavior when individual firms are heterogeneous. As pointed out by Moschini and Hennessy, these problems are difficult under certainty but are more difficult under uncertainty. Considering the other surveys in this part of the Handbook, Deininger and Feder (2001) emphasize heterogeneity of farms associated with soil fertility, soil degradation, liquidity, and transactions costs. Huffman (2001) underscores heterogeneity in human capital and education. Schultz (2001) highlights differences in sex, age, and quality of labor among households and household members, and the associated off-farm labor opportunities. Evenson (2001) also emphasizes soil factors, farmer skills, climatic factors, and infrastructure. Given this heavy recognition of heterogeneity, we finally turn to considerations of heterogeneity and a related call for action.

6.1. Heterogeneity and aggregation across firms

In this section, we examine some remaining issues of heterogeneity and suggest that failure to consider heterogeneity across firms causes errors in aggregation so that estimated forms not only misrepresent technology but fail to support the assumptions used to recover technology from estimated structures.[49] Typically, statistical tests have rejected the standard regularity conditions of homogeneity, monotonicity, symmetry, and convexity of profit functions. Since these regularity conditions are typically used to integrate estimated supplies and demands back to the profit function for purposes of inferring properties of technology, such statistical results call into question the associated inferences regarding technology.[50] In this section, we show that exact aggregation across firms fails when heterogeneity among firms is not represented adequately, which explains one source of failure of the standard regularity conditions. The problem is due to over-summarizing micro-level behavior in publicly reported aggregate data.

Consider the disaggregated static profit maximization problem $\pi = \max_{Y,X}\{\boldsymbol{PY} - \boldsymbol{RX} \mid (\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z}) \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})\}$ with resulting vector-valued firm-level supplies $\boldsymbol{y}_i = \boldsymbol{y}(\boldsymbol{p}, \boldsymbol{r}, \boldsymbol{k}_i)$ and demands $\boldsymbol{x}_i = \boldsymbol{x}(\boldsymbol{p}, \boldsymbol{r}, \boldsymbol{k}_i)$ where an i subscript is now added to index firms. For simplicity of notation, let supplies and demands be combined into a netput vector, $\boldsymbol{w}_i = \boldsymbol{w}(\boldsymbol{p}, \boldsymbol{r}, \boldsymbol{k}_i) = (\boldsymbol{y}_i, -\boldsymbol{x}_i)$, let elements of $\boldsymbol{w}_i$ be denoted by w_{ij} where j indexes netputs, and let the netput price vector corresponding to $\boldsymbol{w}_i$ be denoted by $\boldsymbol{q} = (\boldsymbol{p}, \boldsymbol{r})$. Thus, netput functions are denoted compactly by $\boldsymbol{w}_i = \boldsymbol{w}(\boldsymbol{q}, \boldsymbol{k}_i) = \boldsymbol{w}_i(\boldsymbol{q})$. With standard assumptions on technology, profit maximization, and differentiability, individual firm netputs satisfy the four standard regularity conditions of homogeneity, $w_{ij}(\lambda \boldsymbol{q}) = w_{ij}(\boldsymbol{q})$, $\lambda > 0$; monotonicity, $\partial w_{ij}/\partial q_j \geqslant 0$; symmetry, $\partial w_{ij}/\partial q_{j'} =$

[49] This section draws on Just and Pope (1999) where further results and detail are found.

[50] As shown elsewhere in this chapter, standard approaches for aggregation within the firm fail if behavioral preferences follow various alternatives to profit maximization (as discussed in Section 5.3) or firms face various types of constraints such as policy constraints and imperfect capital market constraints (Section 3.3). Just and Pope (1999) show further that the standard regularity conditions generally fail at the firm level when these conditions are present.

$\partial w_{ij'}/\partial q_j$; and convexity, $\{\partial w_{ij}/\partial q_{j'}\} \geqslant 0$, i.e., positive semidefiniteness of the matrix of cross partials.

Defining aggregate netputs across firms as $\overline{\boldsymbol{w}} = \sum_i \boldsymbol{w}_i$, it follows immediately that the four standard regularity conditions must hold at the aggregate level if they hold at the firm level:

$$\overline{w}_j(\lambda \boldsymbol{q}) = \sum_i w_{ij}(\lambda \boldsymbol{q}) = \sum_i w_{ij}(\boldsymbol{q}) = \overline{w}_j(\boldsymbol{q});$$

$$\partial \overline{w}_j/\partial q_j = \sum_i \partial w_{ij}/\partial q_j \geqslant 0;$$

$$\partial \overline{w}_j/\partial q_{j'} = \sum_i \partial w_{ij}/\partial q_{j'} = \sum_i \partial w_{ij'}/\partial q_j = \partial \overline{w}_{j'}/\partial q_j;$$

$$\{\partial \overline{w}_j/\partial q_{j'}\} = \left\{\sum_i \partial w_{ij}/\partial q_{j'}\right\} = \sum_i \{\partial w_{ij}/\partial q_{j'}\} \geqslant 0.$$

Thus, exact aggregation preserves the four standard properties but requires knowledge of all micro variables and functions. The implication is that statistical failure of the regularity conditions must be due to either bias in aggregation of factors and characteristics or failure of the regularity conditions at the firm level. Indeed, the regularity conditions can fail at the firm level because of inapplicability of profit maximization, inappropriate (within-season) temporal aggregation, discrete start-up/shut-down decisions, imperfect capital markets (resource constraints), or errors in measurement [Just and Pope (1999)]. These reasons for failure of standard theory at the firm level have been largely explored in earlier sections. Here we focus on reasons for theoretical failure at the aggregate level assuming regularity conditions hold at the firm level. Results show how aggregation bias and failure of aggregate regularity conditions occur because of the typical approach to representing both price and non-price heterogeneity.

Non-price heterogeneity occurs because of differences among firms in physical capital, technology (including farmer ability and soil productivity), information, and constraints (possibly due to government policy). If such factors are constant across firms, then their effects can be captured in constant parameters. However, investment and technology tend to change over time and differ among firms. Government restrictions change from one policy regime to another and depend on individual farm characteristics such as planting and yield histories or proximity to water resources. These differences cause firms to respond differently to changes in prices.

Suppose $\boldsymbol{k}_i$ represents all short-run fixed factors such as physical capital stock and embodied technologies, family labor constraints, debt constraints, and other attributes of the farm and farmer that explain differences in productivity and profits among individual producers after accounting for variable input choices and allocations of fixed factors. If each firm faces the same price vector, an accurate aggregate netput specification is $\overline{w}_j(\boldsymbol{q}, \boldsymbol{k}_1, \ldots, \boldsymbol{k}_\eta) = \sum_i w_j(\boldsymbol{q}, \boldsymbol{k}_i)$ where η is the total number of firms. However, estimation of an aggregate equation of the form $\overline{w}_j(\boldsymbol{q}, \boldsymbol{k}_1, \ldots, \boldsymbol{k}_\eta)$ is likely impractical

both because complete firm-specific data is typically not available and because too many parameters require estimation (without considerable simplification).

A feasible approach is to model the distribution of non-price factors. Where $G(\boldsymbol{k})$ represents the joint distribution of such factors among firms, an accurate specification of aggregate netputs is $\overline{w}_j(\boldsymbol{q}, G) = \int \eta w_j(\boldsymbol{q}, \boldsymbol{k})\,\mathrm{d}G(\boldsymbol{k})$. If this distribution has a parameter vector, say $\boldsymbol{\theta}$, then aggregate netputs follow

$$\overline{w}_j(\boldsymbol{q}, \theta) = \int \eta w_j(\boldsymbol{q}, \boldsymbol{k})\,\mathrm{d}G(\boldsymbol{k} \mid \boldsymbol{\theta}). \tag{66}$$

From this result, exact aggregation and the standard regularity conditions are preserved if aggregation considers the full distribution of characteristics among firms. While a full distribution would require complete sampling of all firms, if $\boldsymbol{\theta}$ is a sufficiently short parameter vector it can be estimated from a random sample of $\boldsymbol{k}$. Thus, (66) facilitates tractable empirical representation under heterogeneity. Aggregation is then exact aside from errors in estimating $\boldsymbol{\theta}$ so that regularity conditions are preserved. For example, if G can be represented by, say, a two-parameter distribution such as a log-normal, then the two parameters can be usefully estimated from survey data over a limited random sample of firms.

Alternatively, aggregate demand is typically estimated in the form $\overline{w}_j(\boldsymbol{q}, \overline{\boldsymbol{k}})$ where $\overline{\boldsymbol{k}}$ is a vector of non-price indexes. A relevant question is whether some choice of $\overline{\boldsymbol{k}}$ can achieve exact aggregation, $\overline{\boldsymbol{w}}_j(\boldsymbol{q}, \overline{\boldsymbol{k}}) = \sum_i \boldsymbol{w}(\boldsymbol{q}, \boldsymbol{k}_i)$, where $\overline{\boldsymbol{k}}(\boldsymbol{k}_1, \ldots, \boldsymbol{k}_\eta)$ is an aggregate index vector of firm characteristics. Such macro indexes typically consist only of sums or means (e.g., total or per capita physical capital). Unfortunately, neither exact aggregation nor the standard regularity conditions are preserved when all moments in $\boldsymbol{\theta}$ other than the first are ignored (assuming $\boldsymbol{\theta}$ contains two or more parameters). Following (66), other moments corresponding to each of the moments in $\boldsymbol{\theta}$ are generally needed for exact aggregation.

This result implies that aggregate netput specifications based on distribution-insensitive indexes cannot, in general, represent the aggregate marginal effects of either price or non-price factors. Aggregate netput specifications based only on total, per capita, or average characteristics cannot represent aggregate marginal effects because aggregate marginal effects depend on how increments in aggregate characteristics are allocated among firms. Similarly, incomplete models depending only on single-moment indexes cannot represent the aggregate marginal effects of prices because marginal price effects depend on the distribution of non-price factors among firms. For example, consider the case where shut-down conditions vary among firms because of differences in characteristics. In such a case, both aggregation and standard regularity conditions fail [see Just and Pope (1999)].

In reality, some of the factors that differentiate farms and farmers such as management ability or soil fertility may be hard to observe. However, other public data on farm characteristics is routinely collected. For example, data on physical capital are compiled by sampling individual farms. Typically, public data report only means or totals for such

data collection efforts. Additionally reporting, say, the standard deviation and skewness would be relatively costless. The full data set would be useful but is usually not made available because of right-to-privacy restrictions. However, the major cost is in conducting the survey – a cost that must be incurred whether one or many moments of the distribution are reported – so a more complete reporting of the distribution appears feasible with minor costs of reporting. The results here suggest that models of production and estimates of supplies and demands could possibly be improved substantially as a result.

While the above discussion considers one-dimensional differences among firms, in reality firms differ in multiple ways. Note, however, that $G(\boldsymbol{k})$ represents the joint distribution of all characteristics among farms including capital structure and technology, information, constraints, farmer abilities, and farm fertility. Thus, the right-hand side of (66) considers cross-characteristic relationships among firms, e.g., between factors such as capital and family labor availability. Therefore, the result in (66) further implies that aggregate netput specifications may depend on correlations among characteristics. By implication, correlation-insensitive indexes of non-price factors cannot, in general, represent the aggregate marginal effects of either price or non-price factors [see Just and Pope (1999) for details].

These results imply that expanded data reporting efforts should focus not only on own-moments of characteristic distributions among firms, but also on cross-moments. For example, if $G(\boldsymbol{k})$ follows a multivariate log normal distribution, then the mean and covariance matrix of characteristics across firms would be sufficient to facilitate exact aggregation following (66). Unfortunately, much agricultural data is reported in a way that does not reflect correlations of characteristics. This is particularly true of the relationship of productivity characteristics to environmental characteristics because these two sets of characteristics tend to be collected by independent surveys and even by independent government agencies [Just and Antle (1990); Antle and Just (1992)]. For roughly the same data collection costs, correlations could be estimated if data were indexed by farms, and efforts were made to include the same farms in samples. Apparently, more exact aggregation is possible with little additional data collection cost if data reporting efforts are sensitive to these possibilities. If so, more congruence of theory and empirical results seems likely.

A similar additional generalization permits consideration of price heterogeneity. Regardless of competition, firms may face different prices because of transportation costs, volume discounts, and seasonality.[51] Where individual netputs follow $w_j(\boldsymbol{q}_i, \boldsymbol{k}_i)$, an

[51] The potential magnitude of this problem is illustrated by spatial variations of output prices due to geographic variation in seasonality of crop production. For example, because of typical weather patterns, the wheat harvest in the U.S. typically starts in Texas in May and continues gradually northward to North Dakota in September. If wheat prices vary throughout the year, then southern farmers are not responding to the same price signals as northern farmers. A dramatic example of wide price variation in a single crop season was caused by the Soviet grain deals in the 1970s. As the Soviet Union bought more and more grain in 1972, wheat prices increased from \$1.56 per bushel in Texas to \$1.70, \$1.68, \$1.74, \$1.81, and \$1.90 in Oklahoma,

accurate aggregate netput specification is $\overline{w}_j(\boldsymbol{q}_1, \ldots, \boldsymbol{q}_\eta, \boldsymbol{k}_1, \ldots, \boldsymbol{k}_\eta) = \sum_i w_j(\boldsymbol{q}_i, \boldsymbol{k}_i)$. While complete data on heterogeneity of both prices and characteristics among farms is typically not available, a tractable approach is again available if a joint distribution of prices and characteristics among firms can be estimated. Where $G(\boldsymbol{q}, \boldsymbol{k})$ represents this joint distribution, an accurate specification of aggregate netputs is $\overline{w}_j(G) = \int \eta w_j(\boldsymbol{q}, \boldsymbol{k})\, \mathrm{d}G(\boldsymbol{q}, \boldsymbol{k})$. If this distribution is parameterized by a vector $\boldsymbol{\theta}$ that can be estimated for each aggregate observation, then aggregate netputs can be represented as $\overline{w}_j(\boldsymbol{\theta}) = \int \eta w_j(\boldsymbol{q}, \boldsymbol{k})\, \mathrm{d}G(\boldsymbol{q}, \boldsymbol{k} \mid \boldsymbol{\theta})$, which facilitates accurate aggregation to the extent that $\boldsymbol{\theta}$ is accurately estimated. With this approach, aggregate netputs preserve homogeneity in mean and spread parameters of the price distribution; and monotonicity, symmetry and convexity are preserved in mean prices [see Just and Pope (1999)]. For other results on aggregation with price heterogeneity, see Pope and Chambers (1989).

In lieu of this approach, most aggregate specifications attempt to represent netputs as functions of aggregate price indexes, $\overline{\boldsymbol{q}}(\boldsymbol{q}_1, \ldots, \boldsymbol{q}_\eta)$, as well as indexes of characteristics, $\overline{\boldsymbol{k}}(\boldsymbol{k}_1, \ldots, \boldsymbol{k}_\eta)$. The related problem is whether the standard linear aggregation condition, $\boldsymbol{w}(\overline{\boldsymbol{q}}, \overline{\boldsymbol{k}}) = \sum_i \boldsymbol{w}_i(\boldsymbol{q}_i, \boldsymbol{k}_i)$, holds. Such aggregate indexes typically include only average prices or characteristics and include only one index for each price and each characteristic that differentiates individual firms. Again, more accurate aggregation is possible and standard properties are more likely to hold if the indexes used to represent prices as well as characteristics reflect all of the moments in $\boldsymbol{\theta}$ needed to differentiate the distribution of prices and characteristics among aggregate observations used for estimation. Again, because price data are collected at a disaggregated level, at least some measures of dispersion could easily be reported in addition to the simple or weighted averages now reported with no additional data collection costs and small additional reporting costs.

Finally, we suggest the potential for heterogeneity of information. While a non-trivial role of information can be posed under certainty, many interesting information problems in agriculture arise under uncertainty. Agricultural producers must make decisions affecting output before uncertain output prices are known. Producers likely have different expectations for both prices and technology performance. Such heterogeneity can have important implications even under risk neutrality as demonstrated by Pope and Just (1996, 1998).

Suppose the firm maximizes expected profit as in (64). Then the resulting expected netput vector of the firm can be represented by $\boldsymbol{w}(\boldsymbol{q}, \boldsymbol{k}_i, \boldsymbol{I}_i)$ where $\boldsymbol{I}_i$ denotes the information by which farmer i formulates expectations regarding production responses and uncontrolled production effects (disturbances). Assuming farmers' expectations are unbiased, an accurate specification for expected aggregate netput j is

Kansas, Nebraska, South Dakota, and North Dakota, respectively, as the harvest moved north. In 1973, prices increased from \$3.04 in Texas to \$3.56, \$3.75, \$3.80, \$4.24, and \$4.82 in Oklahoma, Kansas, Nebraska, South Dakota, and North Dakota, respectively [Economic Research Service (various years)]. Aggregating inputs and outputs across these farmers based only on the national average price, one would thus expect such volatile price years to appear technically inefficient falsely even if all individual farmers are fully efficient [Chambers and Pope (1991)].

$\overline{w}_j(\boldsymbol{\theta}) = \int \eta \mathrm{E}_I[w_j(\boldsymbol{q}, \boldsymbol{k}, \boldsymbol{I})]\,\mathrm{d}G(\boldsymbol{q}, \boldsymbol{k}, \boldsymbol{I} \mid \boldsymbol{\theta})$ where $\overline{w}_j$ now represents an expected aggregate netput and G represents a joint distribution of prices $\boldsymbol{q}$, characteristics $\boldsymbol{k}$, and information $\boldsymbol{I}$ over all farmers. Thus, similar conclusions follow as for other cases of heterogeneity.

Characterizing the distribution of information among producers, however, is a daunting task. Only recently has work such as Wolf, Just, and Zilberman (forthcoming) attempted to characterize sources and choices of information by individual firms. However, no systematic and recurring efforts have been developed to compile such data for use in comprehensive production studies. Other studies [e.g., Just (1974)] have attempted to describe producer information by including regression functions explaining moments of subjective price or yield distributions. To date, however, these approaches have been implemented only at the aggregate level and thus introduce potential aggregation problems in information. Perhaps if other firm-level information were sufficiently complete, differences in information among firms could be inferred with these approaches. In either case, it seems that information heterogeneity is a source of aggregation bias that will be difficult to overcome empirically without more complete firm-level data.

This section demonstrates several generalizations whereby congruence of theory and empirical work can be (better) achieved by better data and aggregation. In each case, empirical implementation is constrained by current data availability. The most promising step to improving aggregation appears to be generalizing data reporting to include at least second own- and cross-moments of producer characteristics. Then aggregate supply/demand specifications can be based on at least two-parameter distributions of characteristics among firms. Seemingly, reporting independent distributional data for capital, prices, government controls, and many determinants of technology (e.g., land quality) is possible with little additional public expense. On the other hand, characterization of some factors such as farmer ability and information at the firm level will likely be more difficult.

6.2. Data limitations: a call for action

That existing data seriously limits agricultural production research may be surprising given that Leontief (1971, p. 5), while president of the American Economics Association, pronounced agricultural economic data to be a model which other economic subdisciplines could/should emulate: "Official agricultural statistics are more complete, reliable, and systematic than those pertaining to any other major sector of our economy". The part of this statement that now seems implausible is related to the word "complete". Though agricultural economists' appetite for data is probably insatiable, a brief evaluation of the sources of agricultural production data is worthwhile in assessing whether Leontief's 1971 evaluation is accurate today.

Secondary aggregate data for both crops and livestock are abundant. For example, data on crops include acres planted and harvested, inventories, trade, storage, disappearance, and price. Though there are differences in quality and availability, such data

are generally available throughout the world. They are summarized annually in the U.S. Department of Agriculture's publication, Agricultural Statistics, and are available for most countries from the FAO. A second source of aggregate U.S. data is the *Census of Agriculture*, which is published at roughly five-year intervals. Additionally, county and state data on individual commodities and crop and livestock aggregates are widely available therein. However, individual farm data are not released by public sources because of right-to-privacy concerns.

As previous sections have shown repeatedly, aggregate data is a poor substitute for disaggregated data for understanding agricultural production. This is particularly true for problems where allocations within firms over time (production stages) and space (plots) are important but unrecorded, and for problems where variation among firms is crucial (e.g., where risk and heterogeneity of characteristics are important). For example, Just and Weninger (1999) show that farm-level yield variances are from two to ten times greater than reflected by aggregate data so that most of the risk faced by individual farmers is averaged out of aggregate data, and the structure of risk facing farmers is often significantly mischaracterized. Theoretical models suggest that response to risk is unlikely to be measured effectively with secondary aggregate data because it (i) tends to obfuscate individual responses and risk and (ii) offers very poor measurement of wealth on which risk aversion likely depends. In addition, conceptual studies are finding that representation of heterogeneity is of crucial structural importance for policy analysis, particularly when environmental concerns are important, because both actual and contemplated controls depend on localized land characteristics [e.g., Hochman and Zilberman (1978); Just and Antle (1990); Antle and Just (1992)]. Yet the vast majority of agricultural production studies are done using aggregate data without apology. The primary reason is lack of adequate firm-level data.

At the firm level, the "Agricultural Resource Management Study" (formerly "The Farm Cost and Returns Survey") conducted by the U.S. Department of Agriculture's Economic Research Service contains extensive data on individual farms, but these are not available for use outside of the agency as a public use sample. Furthermore, these surveys are limited in scope because of governmental sampling exposure concerns. Lacking are microeconomic data that will allow a more thorough understanding of farm behavior. As discussed throughout this chapter, needed data must be capable of representing considerable heterogeneity. Yet the very identifying data that could permit merging of these observations with the extensive data base on land quality compiled by the U.S. Natural Resources Conservation Service (formerly the U.S. Soil Conservation Service) is typically restricted. As well, for many issues, the data needs to include intertemporal continuity. To avoid excessive survey exposure, observations are typically drawn on different farms from year to year so no information is available to track investment and productive asset replacement over time. In absence of obtaining such data, a reliable analysis of productive asset acquisition and replacement is difficult and doubtful. Panel data is necessary to do a careful and comprehensive analysis of agricultural investment behavior.

In the U.S., some state land grant institutions have developed farm-level data sets across both time and farms by offering farm-level accounting and management assistance (e.g., Kansas State University). However, since participation is farmer-selected these samples are not random. Furthermore, these data are typically not publicly available and the data are not organized around a broad set of recurring economic issues. For example, such data typically record only external transactions of the farms whereas some additional recording of internal decisions (e.g., allocations of variable inputs) and characteristics (e.g., soil quality) could greatly enhance the value of the data. Yet in spite of these limitations, judging by publications in the leading agricultural economic journals, these samples are heavily used by those who have access to them. Such studies try to understand a variety of behaviors ranging from consumption and wealth accumulation to risk response [e.g., Jensen et al. (1993); Saha et al. (1994)].

Perhaps the best approximation of a comprehensive panel data base for agricultural production is the ICRISAT household data base, which represents primitive developing agriculture. With these data, many aspects of developing agriculture have been investigated and considerable additive debate has emerged accordingly. Developed agriculture, however, is considerably more complex because of scale heterogeneity, policy variability, complex finance and investment, greater scope of inputs and outputs, etc. Furthermore, understanding policy, markets and prices in all countries depends heavily on understanding agricultural production in the major developed countries because of their domination of world trade.

We propose that a significant and complete data base for developed agricultural production needs to be developed as an investment by/for the agricultural economics profession, and that access to such data should be made freely available to all in order to facilitate debate. Debate could be additive because researchers would be forced to compare their maintained hypotheses when working with the same data. Such a data set would allow students to hone their research skills more comprehensively and allow the leading contributions of the profession to add cumulatively to a set of commonly held stylized facts. From these, additional knowledge would spring. Such a data base could facilitate investigation of many issues identified by this study as blocked by data unavailability. By comparison, the current proliferation of studies with uncommon data bases and incongruent maintained hypotheses has led to endless speculative explanations of differences in results with little comprehensive comparison [Alston and Chalfant (1991); Smale et al. (1994).

Such a data base could serve much like public labor data have served the labor economics discipline to facilitate debate and development of a set of stylized facts for the discipline and its policy analysis efforts.[52] Labor economics is a field of economics that

[52] An example of the usefulness of stylized facts is given for the marketing arm of the agricultural economics discipline by the focus and debate about elasticities of supply and demand during the 1950s and 1960s. Prior to the flexibility fad in supply and demand estimation, empirical production and marketing studies were heavily judged and criticized on the basis of accepted wisdom regarding supply and demand elasticities and whether they added to the profession's knowledge of them.

has aggressively developed a useful set of microeconomic data. These data include the public use samples of the Census and Current Population Survey (CPS). The CPS is a monthly survey of approximately 60,000 households in all 50 states. Approximately one in 1600 households are surveyed. These data are extensive regarding wages, labor force participation, and socio-demographic data. Other panel-type data are found in the "Panel Study of Income Dynamics" (PSID), the National Longitudinal Survey (NLS and NLS Y2), the High School and Beyond Survey, and many special purpose instruments as well. In comparison, the dearth of microeconomic agricultural data makes understanding agricultural production, a seemingly more complex problem, very difficult.

Any effort to create a broad and complete public panel of agricultural production data will likely require more resources than state land-grant efforts could/should devote. Furthermore, state-level development is likely not to lead to the public access that is needed to facilitate a broad professional and cumulative debate. Because the benefits of such data would be broadly applicable, such an effort seems to be merited at the national or even international level. However, because of excessive survey exposure and right-to-privacy restrictions applied to government surveys, a non-governmental organization may be a more effective means of developing such a data set.

If these possibilities are pursued, the agricultural economics profession can once again lead the general economics discipline as an example of empirical excellence. Many of the issues raised throughout this chapter regarding the structure of technology and preferences can be addressed under assumptions much more consistent with practical agricultural knowledge. And many of the thorny generalizations (representation of investment, information acquisition, and the role of disturbances) yet needed to represent the agricultural production problem meaningfully and comprehensively can then be addressed sensibly.

7. Conclusions

Economists have a primary responsibility to discover behavioral relationships. In practice, this has led to use of methodologies that require minimal or no resources for understanding the underlying structure of technology. Ironically, the effort to represent technologies with maximal flexibility has resulted in empirical approaches that exhaust the identifying potential of available data in capturing that flexibility. Little or no identifying potential remains for discovering behavior.

Presumably, all production economists agree that understanding the essential elements of technology is important to economic thought and measurement. Indeed, the concepts and measurement of productive and technical efficiency and the creation and adoption of technology all seem to be undergoing a considerable rebirth of interest in recent years. A fundamental question in these pursuits is, "What elements of technology should economists consider essential?" That no consensus exists is evident by perusing the *American Journal of Agricultural Economics*, the *Journal of Productivity Analysis*,

and the *International Journal of Production Economics*. We have argued that agricultural technology is fundamentally different than for most industrial production and that potentially large gains may come from understanding more of the structure that underlies aggregate reduced-form concepts of production technology. Questions regarding economies of scale and scope, prescriptions for farm management, adoption of technology, productivity and technical change, input demand, output supply, outsourcing [Coase (1937)] and the structure of the firm are only properly understood in the context of technology descriptions that include dynamics, risk, technical structure, input allocation, and constraints associated with policy controls and firm-owned resources. If technology, behavior, and policy instruments are confounded in specification and estimation, then models are not useful for investigating the effects of changes in policy, technologies or industry structure.

As an example, one of the most important issues for future policy is the rapid evolution in the nature of the farm firm. Many farms, particularly those in the livestock sector, increasingly resemble the large-scale specialized manufacturing model. Many farms (e.g., those involved in contract farming) resemble component suppliers to manufacturers. Some (e.g., in the poultry industry) specialize as proprietors of technology. These developments likely have explanation in the framework proposed by Coase (1937). Careful representation and analysis of structured technology in the presence of information asymmetries appear to be crucial to understanding why some services are purchased, why others are produced within the farm, and yet others are produced by the operator or owner of the farm [Allen and Lueck (1998)].

If the agricultural economics profession lacks either relevant theory or evidence, it is a profession without science. Improved congruence of theory and evidence is needed to (i) enable researchers to better understand behavior, (ii) provide better support for policymakers, and (iii) facilitate greater appreciation of classroom theory by students. Some of the most basic theoretical properties of production theory – for example, monotonicity, homogeneity, convexity, and symmetry – are rejected by a predominance of empirical work [Shumway (1995)]. Rejection could be due to flawed theory, flawed empirical analysis, or flawed data. We have suggested several possibilities of theoretical failure beginning in Section 3, several possible failures of empirical practices beginning in Section 4.4, and some major shortcomings of available data in Section 6. Likely some combination of these explanations accounts for the poor performance of agricultural production models noted by Mundlak (2001). Without further research – some of which may not be possible with present data – the extent of failure caused by each is almost impossible to determine. Thus, enhancement of data seems to be a first priority.

We noted in our introduction that there is an increasing gulf between farm management economists on one hand and (agricultural) production economists on the other. Economists are accustomed to arguing for the benefits of division of labor. However, we have argued that much of this gulf is due to cavalier empirical treatment by agricultural production economists of the structure of technology, behavioral preferences of producers, and the constraints and policies they face. Our point of departure is the Fundamental Axiom of Multi-output Production. If this axiom is taken seriously, then

methods used by production economists and the data required for analysis are fundamentally different.

The results of this paper underscore the need to develop farm-level data and data on input allocations. One of the greatest problems is inappropriate aggregation and inappropriate representation of heterogeneity imposed by present data availability. Public data are mostly aggregate data describing only the first moment of the underlying distribution among farms. Furthermore, data rarely record allocations of inputs except for land. Even most farm-level survey data such as the Agricultural Resource Management Study (formerly the Farm Costs and Returns Survey) carried out by the Economic Research Service do not record input use by crop or application rates. A few private services (e.g., Doane Marketing Research, Inc.) provide data on pesticide use or application rates by crop but this information is rarely if ever used in the journals of the agricultural economics profession in part because of the expense and in part because the data cannot be provided to others as required by some journal policies.

Lack of data on allocations has tended to cause agricultural production analysis to use aggregate implicit representations of technology. Conceptually, we have demonstrated that implicit representation of technology can lead to deceiving conclusions when some producer decisions are unobserved (most particularly, allocations). Hypothesis tests of technology structure using standard dual and implicit representations of technology are shown to be invalid for typical cases. Under-representing the dimensions of the producer's decision problem can cause inappropriate conclusions. If a producer does not simply decide how much fertilizer to use, but must decide how much fertilizer to use on corn and how much to use on wheat, or how much to use at planting and how much to use during the growing period, then these considerations must be taken into account in specifying the technology before solving out the unobserved variables to reach estimable forms. Allocations as well as aggregate use must be considered in testing for technology structure.

While policy- and behavior-relevant aggregations are appropriate in representing technology, the typical practice has been to ignore allocations and characterize technology with purely aggregate variables. While the set notation of duality lends itself to a high level of generality in theory, the typical step to empirical representation has ignored that potential by assuming technology is neatly described by a single equation devoid of allocations. Standard implicit or explicit specifications of scalar product transformation functions of the form $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$ do not permit generality with respect to the rank of the relationship between $\boldsymbol{X}$ and $\boldsymbol{Y}$.[53] Implicit representation is particularly distorting if some producer decisions are unobserved. That is, when some unobserved variables are solved out of the structural representation before computing the reduced form, the apparent structure of the observable production possibilities frontier may not reflect characteristics of the underlying technology. However, implicit representation is

[53] That is, all common scalar specifications of $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$ imply a Jacobian for the transformation from $\boldsymbol{X}$ to $\boldsymbol{Y}$ of rank 1.

an important problem even if all producer decisions are observed and included in the scalar implicit representation of technology. If such generality is not admitted, then implicit forms arbitrarily exclude the potential nonjointness of, say, (45) for which they are used to test. Alternatively, explicit representations such as (11) can be estimated and used to determine the rank of the relationship between X and Y.

More importantly, single-equation and indirect representations of multi-output production can under-represent the dimensionality of the decision problem. Most often, inputs are represented only by aggregate variables that under-represent the dimensionality of the production technology (and the associated decision problem) when inputs must be allocated in some way over space, time, or production activities. As a result, estimates are policy- or behavior-dependent implying that "technology" models are unstable across observations where policy differs (as is typical in time series data) or behavior differs (as is likely in cross section data). In fact, if there are two or more unobserved allocated inputs, then no purely technological relationship is likely observable. With the present state of data, this may be a major constraint to any meaningful analysis of technical efficiency. Also, if decisions are changing frequently because of changes in policy instruments, then time series data and typical dual (PPF) approaches may offer little hope for estimating a stable "technology."

Dual methods, while not inherently tied to this problem, have led to flexible but indirect representations of technology in practice because flexible forms are not self dual [McFadden (1978); Blackorby et al. (1978)]. Because these approaches start from a PPF representation of technology, most estimates of production technologies in the literature likely include behavioral criteria, are contaminated by policy heterogeneity either across firms or time, and are not pure estimates of technology. Associated hypothesis tests about technology are therefore invalid and actually represent joint tests about technology, policy, and behavioral criteria. For example, rejection of a hypothesis of, say, technical change could, in fact, imply rejection of the profit maximization assumption on which standard duality is based.

Because a large part of the empirical agricultural production literature is based on a PPF approach (e.g., the typical PPF dual approach), the limits of usefulness of PPFs need to be recognized. A PPF permits (i) estimation of total factor demands and supplies and (ii) measurement of industry rents, but even these are valid only if the Aggregation Qualification Condition is met. By comparison, estimates of the PPF alone do not permit (i) examination of nonjointness, homotheticity, or separability of the technology, (ii) prescription of decisions, (iii) analysis of effects of changes in policy instruments, or (iv) explanation of how technical change affects decisions. The reason is that PPFs, because they do not represent allocations, may be policy- or behavior-dependent. In any case, tests of nonjointness, homotheticity, and separability on the frontier do not determine similar properties of the underlying technology.

More seriously, under-representing technological dimensionality may induce structural characteristics such as jointness and non-separability on the aggregate variables when similar characteristics do not apply to underlying technology. These possibilities invalidate some tests and limit the usefulness of almost all tests of technology structure

to date for multi-output production problems. These results also offer a likely explanation for why empirical methodologies have not delivered according to their conceptual promises [see Mundlak's (2001) criticism]. That is, if the technology description implicitly includes policy and behavioral criteria, then it is not surprising that empirical estimates are not stable and are inappropriately interpreting observed empirical relationships as implausible relationships in the data. Seemingly the practice noted by Moschini and Hennessy (2001) of sophisticated theoretical modeling with simplistic empirical modeling has led to few recognized empirical regularities. Given the potential invalidating implications of ignored realities, we fear that the current state of empirical knowledge of agricultural production sums up to little more than an empty box.

Appendix. Describing technology independent of policy and bebavior

This appendix gives a brief formal treatment of some of the points in Sections 4.1–4.4 using the notation introduced in Sections 3.1 and 4.1. The overall technology is assumed to have a structure composed of sub-technologies $(\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})$ that yield aggregate output $\boldsymbol{y} = \boldsymbol{A}\boldsymbol{Y}$ using aggregate purchased inputs $\boldsymbol{x} = \boldsymbol{B}\boldsymbol{X}$ given fixed allocated resource constraints $\boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}$, i.e.,

$$\big\{(\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\big\} \equiv \big\{(\boldsymbol{y}, \boldsymbol{x}) \mid (\boldsymbol{Y}, \boldsymbol{X}) \in \cup_i \Im_i\big(z^i, \boldsymbol{\varepsilon}\big), \boldsymbol{y} = \boldsymbol{A}\boldsymbol{Y}, \boldsymbol{x} = \boldsymbol{B}\boldsymbol{X}, \boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}\big\}, \tag{A.1}$$

which is equivalent to (43). Under continuity and monotonicity, the upper right-hand (efficient) boundary of feasible $(\boldsymbol{y}, -\boldsymbol{x})$ associated with $\Im_{-i}$ is described by

$$\begin{aligned} &F(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) \equiv y_1 - f(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) = 0, \\ &y_1 = f(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) \equiv \max\big\{y_1 \mid (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\big\}, \end{aligned} \tag{A.2}$$

where $\boldsymbol{y} = (y_1, \boldsymbol{y}_{-1})$. To identify the specific production plan necessary to attain any distinct $(\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}$, the spatially and temporally detailed vectors $\boldsymbol{X} = (\boldsymbol{x}^1, \dots, \boldsymbol{x}^m)$, $\boldsymbol{Z} = (z^1, \dots, z^m)$, and $\boldsymbol{Y} = (\boldsymbol{y}^1, \dots, \boldsymbol{y}^m)$ not included in (A.2) must be determined. Also, to facilitate determination of the implications of policy instruments that impose limitations on specific $\boldsymbol{x}^i$'s or $\boldsymbol{y}^i$'s, such as $(\boldsymbol{Y}, \boldsymbol{X}) \in G$, the representation in (A.2) does not suffice. Alternatively, this technology can be represented with spatial and temporal detail,

$$\{(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z}) \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})\} \equiv \big\{(\boldsymbol{Y}, \boldsymbol{X}) \in \cup_i \Im_i\big(z^i, \boldsymbol{\varepsilon}\big)\big\} \cap \{\boldsymbol{Z} \mid \boldsymbol{C}\boldsymbol{Z} \leqslant \boldsymbol{K}\}, \tag{A.3}$$

which is equivalent to (44). To represent spatially and temporally detailed technology in functional form under continuity and monotonicity, the upper right-hand (efficient)

boundaries of feasible $(\boldsymbol{y}^i, -\boldsymbol{x}^i)$ associated with $\Im_i$ are described by

$$\begin{aligned} F_i(\boldsymbol{y}^i, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon}) &\equiv y_1^i - f_i(\boldsymbol{y}_{-1}^i, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon}) = 0, \\ y_1^i = f_i(\boldsymbol{y}_{-1}^i, \boldsymbol{x}^i, z^i, \boldsymbol{\varepsilon}) &\equiv \max\{y_1^i \mid (\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})\}, \end{aligned} \tag{A.4}$$

where $\boldsymbol{y}^i = (y_1^i, \boldsymbol{y}_{-1}^i)$. The combination of these conditions across all sub-technologies is represented by (45).

A.1. Alternative concepts of efficiency

The alternative concepts of technical efficiency in Section 4.1 are defined formally by

DEFINITION A.1.

(E1) $(\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})$ is sub-technology efficient if there does not exist $(\boldsymbol{y}^{i\prime}, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})$ such that $\boldsymbol{y}^{i\prime} \nleq \boldsymbol{y}^i$. With continuity and monotonicity, this condition reduces equivalently to (A.4).

(E2) $(\boldsymbol{Y}, \boldsymbol{X})$ satisfies structural technical efficiency for a given $(\boldsymbol{Z}, \boldsymbol{\varepsilon})$ if there does not exist $(\boldsymbol{y}^{i\prime}, \boldsymbol{x}^i) \in \Im_i(z^i, \boldsymbol{\varepsilon})$ such that $\boldsymbol{y}^{i\prime} \nleq \boldsymbol{y}^i$ for any sub-technology. With continuity and monotonicity, this condition reduces to (45).

(E3) $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ satisfies fixed factor technical allocative efficiency if there does not exist an alternative allocation $\boldsymbol{Z}'$ such that $(\boldsymbol{Y}', \boldsymbol{X}, \boldsymbol{Z}') \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})$, $\boldsymbol{C}\boldsymbol{Z}' \leqslant \boldsymbol{C}\boldsymbol{Z}$, and $\boldsymbol{Y}' \nleq \boldsymbol{Y}$.[54]

(E4) $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ satisfies variable input technical allocative efficiency if there does not exist an alternative allocation $\boldsymbol{X}'$ such that $(\boldsymbol{Y}', \boldsymbol{X}', \boldsymbol{Z}) \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})$, $\boldsymbol{B}\boldsymbol{X}' \leqslant \boldsymbol{B}\boldsymbol{X}$, and $\boldsymbol{Y}' \nleq \boldsymbol{Y}$.

(E5) $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ satisfies output technical allocative efficiency if there does not exist an alternative allocation among sub-technologies such that $(\boldsymbol{Y}', \boldsymbol{X}', \boldsymbol{Z}') \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})$, $\boldsymbol{B}\boldsymbol{X}' \leqslant \boldsymbol{B}\boldsymbol{X}$, $\boldsymbol{C}\boldsymbol{Z}' \leqslant \boldsymbol{C}\boldsymbol{Z}$, and $\boldsymbol{A}\boldsymbol{Y}' \nleq \boldsymbol{A}\boldsymbol{Y}$.

(E6) $(\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})$ is technically efficient in a reduced-form sense if there does not exist an alternative allocation of the aggregate input vector $\boldsymbol{x}$ that will produce an aggregate output vector $\boldsymbol{y}' \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})$ such that $\boldsymbol{y}' \nleq \boldsymbol{y}$. This condition corresponds to the efficient boundary of (A.1) which reduces equivalently to (A.2).

(E7) $(\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z})$ satisfies feasible disaggregated input-output efficiency if in addition to (E2) there does not exist an alternative allocation $\boldsymbol{Z}'$ such that $(\boldsymbol{Y}', \boldsymbol{X}, \boldsymbol{Z}') \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon})$, $\boldsymbol{C}\boldsymbol{Z}' \leqslant \boldsymbol{K}$, and $\boldsymbol{Y}' \nleq \boldsymbol{Y}$. This condition corresponds to the efficient boundary of (A.3) and includes (E3).

Because Propositions 1–3 state negative results, they can be proved by examples. For purposes of brevity, proofs of propositions are only outlined.

[54] The relationship $\boldsymbol{Y}' \nleq \boldsymbol{Y}$ means $\boldsymbol{Y}' \geqslant \boldsymbol{Y}$ with strict inequality in at least one element.

PROOF OF PROPOSITION 1. Consider the full profit-maximization problem with temporal and spatial price detail in $\boldsymbol{P} = (\boldsymbol{p}^1, \ldots, \boldsymbol{p}^m)$ and $\boldsymbol{R} = (\boldsymbol{r}^1, \ldots, \boldsymbol{r}^m)$ ignoring for the moment inability to forecast $\boldsymbol{\varepsilon}$,

$$\pi = \max_{Y,X} \{ \boldsymbol{PY} - \boldsymbol{RX} \mid (\boldsymbol{Y}, \boldsymbol{X}, \boldsymbol{Z}) \in \Im(\boldsymbol{k}, \boldsymbol{\varepsilon}) \}. \tag{A.5}$$

Considering aggregation over sub-technologies, the corresponding profit maximization problem,

$$\pi = \max_{y,x} \{ \boldsymbol{py} - \boldsymbol{rx} \mid (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon}) \},$$

is clearly not an aggregate of the solution to problem (A.5) when $\boldsymbol{p} \neq \boldsymbol{p}_i$ and $\boldsymbol{r} \neq \boldsymbol{r}_i$ for $i = 1, \ldots, m$. Accordingly, (E4) and (E5) may be inconsistent with standard profit maximization behavior. Similarly, imposing a policy or behavioral constraint on a specific element of the $\boldsymbol{X}$ or $\boldsymbol{Z}$ vector as in $(\boldsymbol{Y}, \boldsymbol{X}) \in G$ renders (E4) or (E3) inapplicable, respectively. □

PROOF OF PROPOSITION 2. See the proof of Proposition 1 and note that (E4) and (E5) are required by profit maximization of (A.1). □

PROOF OF PROPOSITION 3. This proof follows by noting that (45) has no condition equating marginal productivities of allocated fixed factors and, conversely, equating marginal productivities of allocated fixed factors does not necessarily satisfy (45). □

As noted in Section 3.4, the problems in Propositions 1–3 may be encountered in aggregating inputs or outputs spatially and/or temporally over allocations that are not subject to the same prices, shadow prices, policy constraints, or preference relationships (see the Aggregation Qualification Condition).

A.2. Two-stage representation of the producer's problem

This section illustrates the issue concerning policy and/or behavioral content in the first-stage of a two-stage decomposition of a production problem. Suppose, for example, that policy and/or behavioral considerations impose only one constraint on the first input in the first sub-technology represented by $h(x_1^1) \leqslant \alpha$. Adding this constraint to (A.1) obtains

$$\begin{aligned} &\{ (\boldsymbol{y}, \boldsymbol{x}, x_1^1) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon}) \} \\ &\quad = \{ (\boldsymbol{y}, \boldsymbol{x}, x_1^1) \mid h(x_1^1) \leqslant \alpha, (\boldsymbol{y}^i, \boldsymbol{x}^i) \in \Im_i(\boldsymbol{z}^i, \boldsymbol{\varepsilon}), \boldsymbol{y} = \boldsymbol{AY}, \boldsymbol{x} = \boldsymbol{BX}, \boldsymbol{CZ} \leqslant \boldsymbol{K} \}. \end{aligned}$$

Under continuity and monotonicity, (A.2) thus becomes

$$F(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}, \alpha) = y_1 - f(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}, \alpha) = 0, \tag{A.2'}$$

$$y_1 = f(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}, \alpha) = \max\{y_1 \mid h(x_1^1) \leqslant \alpha, (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\}.$$

This form is not dependent on the specific policy or behavioral constraint. That is, the constrained level α can be imposed, adjusted, or dropped in the second-stage problem. However, the form in (A.2′) is substantially different than that in (A.2). Indeed, the domain is a different space.

An alternative way to proceed is to define F with the constraint in place,

$$y_1 = f(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) = \max\{y_1 \mid h(x_1^1) \leqslant \alpha, (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\}, \tag{A.2″}$$

with F defined as in (A.2). However, if this is done, the frontier is clearly policy- or behavior-dependent. The resulting PPF corresponding to (A.2′) will depend not only on the existence of a policy affecting x_1^1 as in (A.2″) but also on the policy level, α. Likewise, the profit function dual to F will also depend on α. Thus, the true PPF will be policy-dependent and what may appear as technical change or inefficiency in the PPF associated with (A.2″) may be due to changes in policy. Similarly, if the PPF from the first stage is based on (A.2″), then second-stage analyses cannot consider changes in policy or behavior associated with α.

PROOF OF PROPOSITION 4. Because Proposition 4 is stated in negative form, the above example suffices as a proof. □

Using the partial aggregation definitions associated with (46), the definitions of technical allocative efficiency can be generalized and divided into policy- and behavior-relevant and policy- or behavior-dependent categories under Aggregation Qualification Condition A.2.

DEFINITION A.1′.

(E3′) $(\boldsymbol{y}^*, \boldsymbol{x}^*, \boldsymbol{z}^*)$ satisfies fixed factor technical allocative efficiency for a given $\boldsymbol{\varepsilon}$ if there does not exist an alternative allocation $\boldsymbol{z}^{*\prime}$ such that $(\boldsymbol{y}^{*\prime}, \boldsymbol{x}^*, \boldsymbol{z}^{*\prime}) \in \Im^*(\boldsymbol{k}, \boldsymbol{\varepsilon})$ in (46) and $\boldsymbol{y}^{*\prime} \nleq \boldsymbol{y}$.

(E4′) $(\boldsymbol{y}^*, \boldsymbol{x}^*, \boldsymbol{z}^*)$ satisfies variable input technical allocative efficiency for a given $\boldsymbol{\varepsilon}$ if there does not exist an alternative allocation $\boldsymbol{x}^{*\prime}$ such that $(\boldsymbol{y}^{*\prime}, \boldsymbol{x}^{*\prime}, \boldsymbol{z}^*) \in \Im^*(\boldsymbol{k}, \boldsymbol{\varepsilon})$, $\boldsymbol{x}^{*\prime} \in C(\boldsymbol{x}^*)$, and $\boldsymbol{y}^{*\prime} \nleq \boldsymbol{y}$ where $C(\boldsymbol{x}^*)$ defines the set of possible purchased variable input allocations with a given vector of aggregate purchases, i.e., $C(\boldsymbol{x}^*) = \{\boldsymbol{x}^{*\prime} \mid (\boldsymbol{y}^{*\prime}, \boldsymbol{x}^{*\prime}, \boldsymbol{z}^*) = H(Y', X', Z), \boldsymbol{B}\boldsymbol{X}' \leqslant \boldsymbol{B}\boldsymbol{X}\}$.

(E5′) $(\boldsymbol{y}^*, \boldsymbol{x}^*, \boldsymbol{z}^*)$ satisfies output technical allocative efficiency for a given $\boldsymbol{\varepsilon}$ if there does not exist an alternative allocation among sub-technologies $\boldsymbol{y}^{*\prime}$ such that $(\boldsymbol{y}^{*\prime}, \boldsymbol{x}^{*\prime}, \boldsymbol{z}^{*\prime}) \in \Im^*(\boldsymbol{k}, \boldsymbol{\varepsilon})$, $\boldsymbol{x}^{*\prime} \in C(\boldsymbol{x}^*)$, and $\boldsymbol{y}^{*\prime} \in Y(\boldsymbol{y}^*)$ where $Y(\boldsymbol{y}^*)$ defines the set of outputs that correspond to a dominant aggregate output vector, i.e., $Y = \{\boldsymbol{y}^{*\prime} \mid (\boldsymbol{y}^{*\prime}, \boldsymbol{x}^{*\prime}, \boldsymbol{z}^*) = H(Y', X', Z), \boldsymbol{A}Y' \nleq \boldsymbol{A}Y\}$.

(E8) $(\boldsymbol{y}^*, \boldsymbol{x}^*, \boldsymbol{z}^*)$ is policy- and behavior-relevant if it satisfies the Aggregation Qualification Conditions, i.e., preserves distinction for all input and output

quantities that have distinct prices, distinct policy controls, distinct ex post adjustment possibilities or distinct behavioral preferences and implications so that (46) preserves full generality of policy and behavioral issues to the second stage.

(E9) (y^*, x^*, z^*) is policy- or behavior-dependent if it does not satisfy the Aggregation Qualification Condition, i.e., does not preserve distinction for all input and output quantities that have distinct prices, distinct policy controls, distinct ex post adjustment possibilities or distinct behavioral preferences and implications, in which case (46) does not preserve the full generality of policy and behavioral issues to the second stage.

Using these definitions jointly one can define, for example, technologies that satisfy various concepts of technical allocative efficiency and are also policy- and behavior-relevant. We submit that policy- and behavior-relevance as defined by (E8) must be a prerequisite requirement for investigating technical efficiency following (E3′), (E4′) or (E5′). Otherwise, tests of technical efficiency are actually confounded tests of policy and behavior that are not meaningful for investigating properties of technology.

A.3. Implicit representation of technical efficiency by scalar functions

All specific single-equation multi-output production functions in the literature of which we are aware satisfy $\partial F/\partial \boldsymbol{Y} \neq 0$ and $\partial F/\partial \boldsymbol{X} \neq 0$ whenever $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$. By comparison, a form such as

$$F(\boldsymbol{Y}, \boldsymbol{X}) \equiv \sum_{i=1}^{m} \left[F_i(\boldsymbol{Y}, \boldsymbol{X})\right]^{2\nu}, \tag{A.6}$$

where ν is a positive integer can impose multiple constraints of the form $F_i(\boldsymbol{Y}, \boldsymbol{X}) = 0$ but yields $\partial F/\partial \boldsymbol{Y} = 0$ and $\partial F/\partial \boldsymbol{X} = 0$ whenever $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$. Mittelhammer, Matulich, and Bushaw (1981) have shown that such forms do not lend themselves to Lagrangians, Kuhn–Tucker conditions, nor the implicit function theorem. To illustrate, the profit maximization problem $\max_{\boldsymbol{Y},\boldsymbol{X}}\{\boldsymbol{PY} - \boldsymbol{RX} \mid F(\boldsymbol{Y}, \boldsymbol{X}) = 0\}$ can be expressed as the Lagrangian $\mathcal{L} = \boldsymbol{PY} - \boldsymbol{RX} + \lambda F(\boldsymbol{Y}, \boldsymbol{X})$ for which first-order conditions cannot be solved when $\partial F/\partial \boldsymbol{Y} = 0$ and $\partial F/\partial \boldsymbol{X} = 0$ at $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$.[55]

Two approaches to implicit representation are possible: (i) require non-zero derivatives of F with respect to all relevant inputs and outputs when $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$, or (ii) develop methods to deal with zero derivatives. The first approach facilitates standard mathematical manipulations, but obtains a model that can neither reflect input allocations nor

[55] More technically, the Jacobian of the constraint does not have full rank when $F(\boldsymbol{Y}, \boldsymbol{X})$ has all zero derivatives so the first-order conditions of the Lagrangian are not necessary. For Kuhn–Tucker problems, constraint qualification fails.

impose by-product relationships. By the implicit function theorem, $F(\boldsymbol{Y}, \boldsymbol{X}) = 0$ yields a function such as $y_i = f_i(y_1, \ldots, y_{i-1}, y_{i+1}, \ldots, y_{n_y}, \boldsymbol{X})$ where all partial derivatives are non-zero. Thus, any input change (even though it may represent an allocation of a distinct input to production of a distinct output) can be transformed into a change in any other output (rather than the output to which it is allocated). Similarly, any transformation between distinct outputs (possibly between a primary output and a by-product that, in reality, can be produced only in fixed proportions) is allowed.

Alternatively, one can argue that assuming non-zero derivatives for F is very restrictive. By comparison, the representation in (A.6) clearly has all zero derivatives and yet implies[56]

$$F(\boldsymbol{Y}, \boldsymbol{X}) \underset{m}{\equiv} \begin{bmatrix} F_1(\boldsymbol{Y}, \boldsymbol{X}) \\ \vdots \\ F_m(\boldsymbol{Y}, \boldsymbol{X}) \end{bmatrix} \underset{m}{=} 0. \tag{A.7}$$

Conversely, one can always transform (A.7) into (A.6) but, interestingly, the Implicit Function Theorem (which is only sufficient, not necessary) can apply in (A.7) even if not in (A.6).

An interesting question is, can the product transformation functions implied by standard profit and cost function specifications admit forms such as (A.7)? The answer is no. A standard axiom of duality is convexity of the feasible technology set $\Im$ which is defined as the set of all feasible combinations of $(\boldsymbol{Y}, \boldsymbol{X})$. Diewert has shown for the single-output case that if $\Im$ is convex then the corresponding product transformation function, $F(\boldsymbol{Y}, \boldsymbol{X})$, is a convex function. However, $F(\boldsymbol{Y}, \boldsymbol{X})$ in (A.6) is not necessarily convex even in the single-output case.[57] Furthermore, a form such as (A.6) is not monotonic in $\boldsymbol{Y}$ and $\boldsymbol{X}$. Thus, disposability does not correspond to an inequality in (A.6) and the producible output set cannot be defined as $\{\boldsymbol{Y} \mid F(\boldsymbol{Y}, \boldsymbol{X}) \leqslant 0\}$ as in the multi-output development of Chambers (1988). Moreover, all dual developments that derive production functions and product transformation functions do so by implicitly imposing a technical efficiency criterion leading to the convex hull of the technology

[56] Mittelhammer, Matulich, and Bushaw (1981) argue that vector-valued implicit functions are required to represent multi-output technology because single-valued functions with non-zero derivatives are restrictive. The result in (26) shows that the vector-valued representation they propose can be derived directly from a single-valued representation if zero derivatives are allowed. In either case, what really matters is the rank of the technological relationship (defined below) rather than the number of equalities used to describe it. Even if expressed in a vector-valued implicit form, one must still verify full rank of the system and make sure no equation discarded in getting to full rank is of a form such as (11) that embodies further restrictions implicitly. (Note that Mittelhammer, Matulich, and Bushaw apparently allow zero derivatives of individual scalar-valued functions contained in vector-valued representations.)

[57] To illustrate where x and y are scalar, let $F(y,x) = [y - f(x)]^2$ where $f(x)$ is concave and let $y_1 = f(x_1)$, $y_2 = f(x_2)$, $y_0 = \theta y_1 + (1-\theta)y_2$, and $x_0 = \theta x_1 + (1-\theta)x_2$. Then $F(y_0, x_0) = \{\theta y_1 + (1-\theta)y_2 - f[\theta x_1 + (1-\theta)x_2]\}^2 > 0 = \theta F(y_1, x_1) + (1-\theta)F(y_2, x_2)$. Thus, $F(y,x)$ is concave. Convexity is obtained, for example, if $F(y,x) = y - f(x)$.

set [e.g., Diewert (1974, 1982)]. Additionally, while not a serious problem for single-output problems, imposing both structural technical efficiency and technical allocative efficiency for multi-output production problems limits the rank of the resulting technology representation to unity so that structure (related to sub-technologies) cannot be represented (see Sections 4.6 and 4.7 for further details).[58]

PROOF OF PROPOSITION 5. Proposition 5 follows from the discussion of this section and results in Mittelhammer, Matulich, and Bushaw (1981). □

A.4. Controllability and rank of structural technology representations

To represent structure of technologies meaningfully, possible redundancies in (50) and (51) must be considered. For example, under continuity, the Jacobian of f_i may not be of full rank, e.g., one of the outputs of the sub-technology may be some function of another as in the case where $y_1^i = g(y_2^i)$, $g' > 0$. In this case, $\text{rank}\{\partial(y_1^i, y_2^i)/\partial X; \partial(y_1^i, y_2^i)/\partial Z\} = 1$. Thus, the decision maker is not able to control the second output independently of the first. Such relationships represent the case of by-products. Similarly, constraints on allocated fixed inputs reduce the dimension of the input space when constraints are binding. Thus, it is helpful to consider the following definitions:

DEFINITION A.2. Let $\widetilde{Y} \in R_+^{n_a}$ be a subset of outputs in $Y \in R_+^{n_y}$ and let $N(\widetilde{Y}) \subset R_+^{n_a}$ denote a neighborhood of $\widetilde{Y}$. The mix of outputs $\widetilde{Y}$ is locally controllable in $R_+^{n_a}$ if $N(\widetilde{Y}) \subseteq \Im$.

If $n_a = 1$, then this neighborhood would correspond to an open set on the real line. If $n_a \geqslant 2$, then N corresponds to an open ball in multi-dimensional space. When controllability is not met, the producer does not have the flexibility to attain all output mixes in $N(\widetilde{Y})$.

DEFINITION A.3. Let $\widehat{Y} \in R_+^{n_b}$ be a subset of outputs in $Y \in R_+^{n_y}$. The outputs in $\widehat{Y}$ are by-products of $\widetilde{Y}$ under technology $\Im$ if there exists a non-trivial relationship in $\Im$ such that only one $\widehat{Y}$ exists for each $\widetilde{Y}$ given uncontrollable factors, i.e., $\widehat{Y} \underset{n_b}{=} g(\widetilde{Y}, \boldsymbol{\varepsilon})$.

The existence of by-product relationships reduces the producer's flexibility in choosing output mixes. The remaining flexibility after taking these relationships into account is described by the rank of a technology.

[58] If the PPF is defined conventionally by $F^*(\boldsymbol{y}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) \equiv y_1 - f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon})$ where $\boldsymbol{y} = (y_1, \boldsymbol{y}_{-1})$ and $y_1 = f^*(\boldsymbol{y}_{-1}, \boldsymbol{x}, \boldsymbol{k}, \boldsymbol{\varepsilon}) \equiv \max\{y_1 \mid (\boldsymbol{y}, \boldsymbol{x}) \in \Im_{-i}(\boldsymbol{k}, \boldsymbol{\varepsilon})\}$ and if no fixed factors are allocated, then the same function is obtained as in (A.2) upon imposing technical allocative efficiency with respect to inputs and outputs.

DEFINITION A.4. The rank of a technology is the dimension of the largest locally controllable mix of outputs.

To proceed, suppose that the relationships in (50) and (51) are continuous and differentiable.

LEMMA A.1. *Under continuity and differentiability, the rank of a technology*

$$\underset{m\cdot n_y}{\boldsymbol{Y} =} f(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon})$$

is given by $\operatorname{rank}(f_X, f_Z)$.

PROOF OF LEMMA A.1. Let $\boldsymbol{W} = (\boldsymbol{X}, \boldsymbol{Z})$ and $\operatorname{rank}(f_X, f_Z) = \operatorname{rank}(f_W) = \rho$. Then there exists a nonsingular $\rho \times \rho$ Jacobian f_W^* as a submatrix of f_W after appropriate reordering of $\boldsymbol{Y}$ and $\boldsymbol{W}$. Corresponding to f_W^* are equations $\boldsymbol{Y}^* \underset{\rho}{=} f^*(\boldsymbol{W}^*, \boldsymbol{W}^{**})$ which together with $\boldsymbol{Y}^{**} = f^{**}(\boldsymbol{W}^*, \boldsymbol{W}^{**})$ represent a partitioning of $\boldsymbol{Y} = f(\boldsymbol{W})$ where $\boldsymbol{W} = (\boldsymbol{W}^*, \boldsymbol{W}^{**})$ is a corresponding partitioning of $\boldsymbol{W}$. By the Implicit Function Theorem, the equation $\boldsymbol{Y}^* \underset{\rho}{=} f^*(\boldsymbol{W}^*, \boldsymbol{W}^{**})$ has a solution where $\boldsymbol{W}^*$ are the active or endogenous variables. Let $\boldsymbol{W}_0^*, \boldsymbol{W}_0^{**}, \boldsymbol{Y}_0^*$ be such a solution. By the Implicit Function Theorem, there is an open ball $\mathcal{B}(\boldsymbol{Y}_0^*)$ such that $\boldsymbol{Y}^* = \{f^*(\boldsymbol{W}^*, \boldsymbol{W}^{**}) \mid \boldsymbol{W}^{**} = \boldsymbol{W}_0^{**}\}$ is a one-to-one transformation for all $\boldsymbol{Y}_0^* \in \mathcal{B}(\boldsymbol{Y}_0^*)$ and $\boldsymbol{W}^*$ near $\boldsymbol{W}_0^*$. Hence, $\boldsymbol{Y}^*$ of dimension ρ is locally controllable. □

LEMMA A.2. *Where the rank of a technology is n_a and $\widetilde{\boldsymbol{Y}}$ is a locally controllable vector of outputs in $R_+^{n_a}$, the complete output vector can be partitioned into $\boldsymbol{Y} = (\widetilde{\boldsymbol{Y}}, \widehat{\boldsymbol{Y}})$ where the choice of $\widetilde{\boldsymbol{Y}}$ determines the other outputs in $\widehat{\boldsymbol{Y}} \in R_+^{n_b}$ and $n_b = n_y - n_a$, i.e., the number of by-products in a multi-output technology is equal to the number of outputs minus the rank of the technology.*

PROOF OF LEMMA A.2. Consider the production relations in (51) and assume $\operatorname{rank}(f_X, f_Z) = n_a$. By the Inverse Function Theorem and Definition A.2, $\widetilde{\boldsymbol{Y}}$ can be found as a function of $(\boldsymbol{X}, \boldsymbol{Z})$ for a given $\boldsymbol{\varepsilon}$, say $\widehat{\boldsymbol{Y}} \underset{n_a}{=} \tilde{f}(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon})$. This relationship is simply a subset consisting of n_a of the individual equations contained in (51). Using Definition A.3, $\widehat{\boldsymbol{Y}} \underset{n_b}{=} g(\tilde{f}(\boldsymbol{X}, \boldsymbol{Z}, \boldsymbol{\varepsilon}))$, where $n_b = \sum_i k_i - n_a$. □

From the proof of Lemma A.2, the gradient of f only spans an n_a-dimensional space. In particular, the Jacobian of $\widehat{\boldsymbol{Y}}$ is $g_{\widetilde{Y}} \cdot (\tilde{f}_X, \tilde{f}_Z)$ which is a linear transformation of the Jacobian of $\widetilde{\boldsymbol{Y}}$ given by $(\tilde{f}_X, \tilde{f}_Z)$, which itself has only rank n_a. Next consider input controllability.

DEFINITION A.5. Let $\widetilde{\boldsymbol{Z}} \in R_{+}^{n_f}$ be a subset of inputs included in $\boldsymbol{Z} \in R_{+}^{n_z}$ and let $N(\widetilde{\boldsymbol{Z}}) \subset R_{+}^{n_f}$ denote a neighborhood of $\widetilde{\boldsymbol{Z}}$. The mix of inputs $\widetilde{\boldsymbol{Z}}$ is locally controllable in $R_{+}^{n_f}$ if $N(\widetilde{\boldsymbol{Z}}) \subseteq \Im$. A subset of inputs is locally restricted if it is not locally controllable.

Even though there are n_z allocated fixed input decisions, only $n_f = n_z - n_c$ of them are freely controllable. Generalizing to the possibility of nonlinear constraints, let $\widehat{\boldsymbol{Z}} \underset{n_c}{=} h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K})$ represent the set of allocated fixed inputs determined by the choice of $\widetilde{\boldsymbol{Z}}$ given $\boldsymbol{K}$. Under continuity and differentiability, a parsimonious nonlinear representation of the binding (non-redundant) constraints will have a Jacobian of full rank.

LEMMA A.3. *Let the vector of all constrained inputs be denoted by $\boldsymbol{Z} \in R_{+}^{n_z}$ and let all locally binding input constraints in $\Im$ be summarized by $\widehat{\boldsymbol{Z}} \underset{n_c}{=} h(\widetilde{\boldsymbol{Z}}, \boldsymbol{K})$ with full rank Jacobian, $h_{\widetilde{Z}}$. Then the input vector can be partitioned into $\boldsymbol{Z} = (\widetilde{\boldsymbol{Z}}, \widehat{Z})$ where $\widetilde{\boldsymbol{Z}} \in R_{+}^{n_z - n_c}$ is locally controllable and the choice of $\widetilde{\boldsymbol{Z}}$ determines the other inputs in $\widehat{\boldsymbol{Z}} \in R_{+}^{n_c}$.*

PROOF OF LEMMA A.3. The proof is omitted because it is similar to Lemma A.1. □

Note that this lemma is worded generally so as to apply to all forms of constraints whether associated with firm-owned resources, policy instruments, behavior, or market rationing and whether applicable to allocated fixed inputs or purchased variable inputs.

PROOF OF PROPOSITION 6. The proof of Proposition 6 follows the Fundamental Axiom, which permits technology to be represented as in (51), and from Lemmas A.1–A.3 under continuity and differentiability. □

PROOF OF PROPOSITION 7. This proof is omitted for brevity since it is sketched clearly in the text. □

PROOF OF PROPOSITION 8. If n_c fixed inputs must be allocated among m subtechnologies, then at least $n_c(m-1)$ allocation variables are unobserved. From Proposition 7, the maximum number of non-redundant observable controllable equations is thus $n_a + n_c - n_c(m-1)$. This number is greater than zero only if $n_a \geqslant n_c m$. In the case of nonjointness, $m = n_y = n_a$ in which case this condition reduces directly to $n_c \leqslant 1$. In the case where some variable input allocations are unobserved but their aggregates are observed, a similar proof applies where (i) $\boldsymbol{x} = \boldsymbol{B}\boldsymbol{X}$ is used to substitute into (52)–(54), (ii) the number of such variable inputs is added to n_c, and (iii) the associated number of unobserved allocations are considered in the calculation. For allocated fixed inputs without binding restrictions, note that m rather than $m-1$ allocation variables are unobserved so even more variables are unobserved. □

PROOF OF COROLLARY 2. Since n_c fixed inputs must be allocated among m subtechnologies, then at least $(n_c - 1)(m-1)$ allocation variables are unobserved. From

Proposition 7, the maximum number of non-redundant observable controllable equations is thus $n_a + n_c - (n_c - 1)(m - 1)$. This number is greater than zero only if $n_a + m - 1 \geqslant n_c m$. If $n_a < (n_c - 1)m$, then $n_a + m - 1 < n_c m - 1$. Other assertions follow as in the proof of Proposition 8. □

PROOF OF PROPOSITION 9. Under the conditions of Proposition 8, no purely technological relationship among inputs and outputs is estimable. All estimable relationships of y and x obtained from solving the production problem with conditions (51) and (58) must embody policy or behavioral criteria. Thus, hypothesis tests on the relationship of input and output variables cannot test the structure of technology alone, but rather test the relationship of variables induced by a combination of behavioral criteria and technology. □

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AUTHOR INDEX

n indicates citation in footnote.

Abbott, P.C., *see* Patterson, P.M. 886, 886n
Abdulai, A. 352, 364
Abdurachman, E., *see* Evenson, R.E. 603
Abel, M., *see* Folbre, N. 402
Abel, M.B., *see* Wetmore, J.M. 1202
Abidogun, A. 601
Abizadeh, F., *see* Arthur, L. 519
Ackerlof, G.A. 1109
Ackerman, K. 883, 1167
Acuff, G.R., *see* Knutson, R.D. 1122
Adams Jr., R.H. 493, 496
Adams, D.W. 533, 558
Adelman, I. 464, 494, 495
Adelman, I., *see* Taylor, J.E. 494, 495
Adioetomo, S.M., *see* King, E.M. 419, 435, 437n
Adler, M. 993
Adrangi, B. 752n
Adu-Asamoah, R., *see* Richards, T.J. 852n, 963
Afriat, S.N. 43
Agarwal, B. 394
Aghib, A. 611, 612
Aghion, P. 322, 909
Agricultural Issues Center 248
Aguilera-Alfred, N. 329
Ahmadi-Esfahani, F.Z., *see* Mushtaq, D.J. 908
Ahmad, M. 599
Ahmed, M., *see* Chisi, M. 611, 612
Ahmed, R., *see* Gulati, P. 1010
Ahmed, Z., *see* Pray, C.E. 593, 602
Ahrendsen, B.L. 541
Ainsworth, M. 404
Aird, J.S. 394, 415
Aiyagari, S.R. 837n
Akbari, A.H., *see* Khan, M.H. 594, 601
Akerlof, G. 234, 873
Akgunkov, S. 604
Akino, N., *see* Hayami, Y. 597
Akresh, R. 389, 405n
Alaouze, C.M. 884
Alarcón, R., *see* Massey, D.S. 485
Albert, A., *see* Shuford, B. 186n
Alchian, A.A., *see* Klein, B. 877
Alderman, H. 395n, 410, 1007
Alderman, H., *see* Adams Jr., R.H. 496
Alderman, H., *see* Haddad, L. 389, 399, 401
Alderman, H., *see* Higgins, P. 389, 416
Alderman, H., *see* Sahn, D. 429
Alderman, H., *see* Senauer, B. 415, 437n
Aldinger, P., *see* Weinschenck, G. 974
Alesina, A.A. 430n
Alexander, C. 999, 1201
Alexander, W.P., *see* Shumway, C.R. 37, 37n
Ali, M., *see* Flinn, J.C. 364
Ali, S.A. 495
Aliber, M., *see* Chavas, J.-P. 271, 272
Allaire, M.-J. 869, 869n
Allais, M. 93n
Allanson, P. 267, 278
Allaz, B. 1153
Allen, D.W. 300, 531, 633, 636, 723, 1166, 1201
Allen, P.G. 1145–1147
Allshouse, J.E., *see* Putnam, J.J. 947n
Alm, J., *see* Strauss, J. 316
Alston, J.M. 218, 225, 226, 576n, 577n, 588n, 604, 710, 721, 830, 918, 919, 975, 1119, 1194
Alston, J.M., *see* Chalfant, J.A. 1202
Alston, L.J. 297, 559
Alston, L.J., *see* Kucker, R.R. 559
Altonji, J. 441, 497
Ambrosi, I. 610
Amemiya, T. 637n
Amin, S. 414
Anandajayasekeram, P. 611, 612
Anandajayasekeram, P., *see* Chisi, M. 611, 612
Anandajayasekeram, P., *see* Mudhara, M. 594, 611
Anderson, D., *see* Azzam, A.M. 903n, 954n, 965, 1156
Anderson, D.W. 911
Anderson, G. 110
Anderson, J. 558

Anderson, J.G., *see* Wessells, C.R. 1099
Anderson, J.R. 89
Anderson, J.R., *see* Gautam, M. 588n, 595n
Anderson, J.R., *see* Hamal, K.B. 106
Anderson, J.R., *see* Pardey, P.G. 273, 275
Anderson, J.R., *see* Purcell, D.L. 576n, 608n
Anderson, J.R., *see* Roumasset, J.A. 122n
Anderson, K.H. 419
Anderson, R.W. 125n, 127, 131, 132, 779, 804, 851
Andre, C. 294
Andrews Jr., W.H., *see* Marschak, J. 6
Angrist, J. 428
Anker, R.B., *see* Knowles, J.C. 473, 485, 496
Anscombe, F. 93n
Antle, J.M. 21, 22, 22n, 36, 37, 37n, 109, 111, 113, 117, 121, 122n, 209n, 218n, 359, 366, 478, 634, 635, 647, 669, 717, 720, 1086, 1091, 1102, 1112, 1114, 1118, 1122, 1123, 1127, 1129, 1202
Antle, J.M., *see* Capalbo, S.M. 272
Antle, J.M., *see* Just, R.E. 632, 717, 720
Antonovitz, F. 115, 183
Appelbaum, E. 888, 890, 955
Apps, P.F. 398
Appu, P.S. 317n, 318
Aradhyula, S.V. 115, 117
Araji, A.A. 610
Arango, J., *see* Massey, D.S. 482, 485, 488
Arango, J., *see* Taylor, J.E. 494, 495
Archibald, S.O. 1088
Ardeni, P.G. 852n, 1007, 1007n
Ardila, J., *see* Hertford, R. 597
Ardila, S., *see* Innes, R. 138
Arhin, K. 883, 884
Armstrong, J.S. 1145
Arrow, K.J. 23, 91, 94, 95n, 391, 836n, 1028, 1091
Arthur, L. 519
Arzac, E.R. 826
Ashby, J.A., *see* Pachico, D.H. 591
Ashenfelter, O. 391, 407, 408, 959
Ashley, R. 1000
Askari, H. 48, 161
Atiyas, I., *see* Caprio, G. 554
Atwood, D.A. 299
Aumann, R., *see* Anscombe, F. 93n
Avila, A.F.D. 594, 597, 610
Avila, A.F.D., *see* da Cruz, E.R. 593, 596, 597, 610
Avila, A.F.D., *see* Evenson, R.E. 593, 604, 607
Avila, A.F.D., *see* Luz Barbosa, M.K.T. 598
Ayer, H.W. 597
Ayers, C.H.S. 594
Azam, J.-P. 121
Azam, Q.T. 602, 608
Azzam, A.M. 276, 875, 891, 895, 898, 903, 903n, 903n, 907, 917, 917n, 919, 954n, 955, 963, 965, 1156
Azzam, A.M., *see* Schroeter, J.R. 896, 903, 955, 961, 962
Azzam, A.M., *see* Stiegert, K.W. 907, 956n
Azzam, A.M., *see* Weliwita, A. 907

Babcock, B.A. 112, 138, 141
Babcock, B.A., *see* Hennessy, D.A. 141
Babu, P., *see* Bidinger, P.D. 308
Baffes, J. 1007
Bailey, D. 1154, 1161
Bailey, R.E., *see* Chambers, M.J. 852
Bailey, W., *see* Marion, B.W. 905, 905n
Baker, C.B. 524, 525, 1189
Baker, C.B., *see* Barry, P.J. 516, 517, 525, 529, 534, 538, 541–543, 552, 556
Baker, C.B., *see* Gabriel, S.C. 540
Baker, C.B., *see* Karmajou, F. 558
Baker, C.B., *see* Lee, W. 556
Baker, C.B., *see* Vandeputte, J.M. 525
Baker, J.B. 899, 900
Baker, T., *see* Barry, P.J. 525
Baker, T.G. 639
Baker, T.G., *see* Featherstone, A.M. 535, 540, 541
Baker, T.G., *see* Leatham, D.J. 541
Bal, H.K., *see* Kahlon, A.S. 600
Balan, J. 487
Baland, J.-M. 317
Balcazar, A. 307
Baldwin, L.H. 1161
Ball, V.E. 26, 26n, 39, 62, 209n, 272, 273, 365, 545, 661, 668, 669, 672, 697, 700, 947, 962
Ball, V.E., *see* Vasavada, U. 649
Banerjee, A. 311n, 318
Banerjee, A.V. 318, 318n
Banerjee, B. 492
Banner, D.K., *see* Barry, P.J. 556
Banterle, A., *see* Oustapassidis, K. 868
Baquet, A., *see* Smith, V.H. 140
Bar-Shira, Z. 43, 44, 46, 47, 709
Bar-Shira, Z., *see* Just, R.E. 640, 710
Barbosa, M., *see* Strauss, J. 357
Bardhan, P.K. 311, 415, 479

Bardsley, P. 848
Bare, B.B. 598
Barefoot, S.F. 1087
Barham, B.L. 478, 479, 496
Barham, B.L., *see* Carter, M.R. 308
Barkema, A. 870, 874, 1160, 1164
Barkley, A.P. 351, 481
Barkley, A.P., *see* Schroeder, T.C. 875
Barkley, A.P., *see* Ward, C.E. 875, 1156, 1157
Barkley, D., *see* Wilson, P.N. 556
Barletta, N.A. 597, 600
Barnaby, G.A., *see* Williams, J.R. 110
Barnard, C.H. 517
Barnard, F.L. 556
Barnard, F.L., *see* Barry, P.J. 556
Barnett, W.A. 1033, 1039
Barney, K., *see* Kim, C.S. 919
Barney, L.D., *see* LaFrance, J. 1045, 1053, 1070n
Barnhart, S.W. 799
Barnum, H.N. 385, 390, 441, 471, 480
Baron, D.P. 126, 1114, 1124
Barraclough, S.L. 320n
Barrera, A. 437n
Barrett, C.B. 121, 976, 1008, 1016
Barrett, W.B. 1158
Barro, R.J. 163, 337n, 487
Barros, R. 422
Barry, P., *see* Miller, L.H. 529, 530
Barry, P.J. 516–518, 520, 525, 526, 528–530, 534–539, 539n, 540–543, 552, 555–559, 710, 712, 713, 1189, 1195
Barry, P.J., *see* Barnard, F.L. 556
Barry, P.J., *see* Collins, R.A. 120
Barry, P.J., *see* Ellinger, P.N. 517, 529, 535, 556
Barry, P.J., *see* Gibson, S. 539
Barry, P.J., *see* Gustafson, C. 547, 550
Barry, P.J., *see* Gwinn, A.S. 525, 542
Barry, P.J., *see* Hughes, D.W. 559
Barry, P.J., *see* Khoju, M.R. 556
Barry, P.J., *see* Lins, D.A. 550
Barry, P.J., *see* Lufburrow, J. 529
Barry, P.J., *see* Miller, L.H. 521, 529, 530
Barry, P.J., *see* Nasr, R. 524
Barry, P.J., *see* Patrick, G.F. 518
Barry, P.J., *see* Pflueger, B.W. 526
Barry, P.J., *see* Rahman, M.L. 556
Barry, P.J., *see* Robison, L.J. 91, 520, 539, 544, 556
Barry, P.J., *see* Schnitkey, G.D. 534, 538
Barry, P.J., *see* Splett, N.S. 529
Barry, P.J., *see* Young, R.P. 519
Barten, A. 1027
Basu, K. 122, 307n
Basu, S. 959
Bates, R.H. 795
Batlin, C.A. 125n
Batra, R.N. 103
Battalio, R.C., *see* Dwyer, G.P. 188, 190, 197
Batterham, R.L. 1153n
Baulch, R.J. 1011
Baumer, D.L. 878n
Baumol, W.J. 267n, 639, 908, 953, 965, 1117
Baur, R.F. 797
Baylis, K., *see* Fulton, M. 1155
Baylis, K., *see* Schmitz, A. 1169
Beachy, R.N., *see* Barefoot, S.F. 1087
Bean, F.D. 497
Bean, F.D., *see* White, M.J. 483
Bean, L.H. 47
Bear, R. 752n
Beattie, B.R., *see* Shumway, C.R. 21n
Becht, J.A., *see* Kuyvenhoven, A. 611, 612
Beck, H. 598
Beck, S.E. 808
Becker, G.S. 335, 337, 346, 385, 387–389, 391, 392, 395, 398, 401, 405, 408, 410, 411, 413, 418, 419, 419n, 421, 422, 426, 428, 430, 440, 467, 1030, 1032
Becker, G.S., *see* Barro, R.J. 163, 487
Becker, G.S., *see* Ehrlich, I. 122
Becker, G.S., *see* Ghez, G.R. 338, 368
Beckman, C.V., *see* Kenyon, D.E. 793n
Beckman, S.R. 190, 197, 200
Beegle, K., *see* Strauss, J. 390, 394, 396, 410, 415
Beghin, J.C. 884
Behm, H. 437n
Behr, M.R., *see* Imel, B. 866
Behrman, J.R. 114, 393–395, 435, 437n, 437n
Behrman, J.R., *see* Foster, A.D. 434
Belbase, K. 364
Bell, C. 312
Beller, A.H. 422
Bellman, R. 836n
Belongia, M. 548, 556
Belzer, R.B. 1097, 1129
Ben-Porath, Y. 338, 348, 430
Bengston, D.N. 597, 598, 610
Benirschka, M. 853, 975, 1150
Benjamin, D. 269, 305, 305n, 363n, 390, 441
Benjamin, D., *see* Deaton, A. 592

Benninga, S. 126, 781
Benson, B.L., *see* Faminow, M.D. 974, 983, 1001n, 1010
Benveniste, L. 834
Bera, A.K. 121
Berck, P. 212, 633, 779, 880, 963
Berger, M., *see* Kenkel, D. 1097
Berger, M.C. 1097
Berglof, E. 522, 523
Bergman, M.A. 876, 877n
Bergstrom, T.C. 395
Bernardo, D.J., *see* Teague, M.L. 120
Bernoulli, D. 90, 93n
Bernsten, R., *see* Sterns, J.A. 594, 611, 612
Berry, A. 268
Berry, R.A. 305, 305n, 491, 501
Berry, S.T. 902
Bertelsen, M. 611, 612
Berwald, D., *see* Carter, C.A. 884, 1169
Besley, T. 296, 297, 298n, 319n, 354, 422
Bessembinder, H. 771
Bessler, D.A. 183, 184, 186n, 192–194, 1145–1147
Bessler, D.A., *see* Chen, D.T. 1145
Bessler, D.A., *see* Covey, T. 183, 184
Bessler, D.A., *see* Kling, J. 187n
Bessler, D.A., *see* Nelson, R.G. 187, 189, 190, 194, 196, 197, 200
Bessler, D.A., *see* Nerlove, M. 648, 652, 706, 708, 712, 713, 1191
Bewley, R., *see* Williams, C. 1004
Béye, A.M., *see* Seck, P.A. 599
Bhagwati, J.N. 501
Bhalla, S.S. 305n
Bhargava, V., *see* Baker, C.B. 525
Bhattacharjee, J.P. 7, 7n, 20, 21
Bhua, Li, *see* Zeng, Yi 423n
Bhuyan, S. 890, 914n, 916, 917, 917n
Bidinger, P.D. 308
Biere, A.W., *see* Grunewald, O. 798
Bigman, D. 120, 802
Billups, S.C. 983
Bilsborrow, R.E. 500
Bindlish, V. 358
Bindlish, V., *see* Evenson, R.E. 588n, 592, 594, 595n
Binkley, J.K. 905, 906n
Binkley, J.K., *see* Benirschka, M. 853, 975, 1150
Binswanger, H.P. 33, 107–109, 211, 217, 217n, 218n, 265, 267, 268, 270, 273, 297, 300, 302n, 306n, 319, 429, 633, 709
Binswanger, H.P., *see* Rosenzweig, M.R. 121, 306n
Bird, R. 316
Birdsall, N., *see* Behrman, J.R. 437n
Birkhaeuser, D. 357n, 432, 433, 595
Bishop, C.E. 480
Bishop, J. 335, 373, 374n
Bjornson, B. 775
Black, F. 804
Black, J.D., *see* Galbraith, J.K. 47
Blackmer, A.M., *see* Babcock, B.A. 112
Blackorby, C. 635n, 658, 668, 725
Blanc, A.K., *see* Lloyd, C.B. 437n
Blank, S.C. 1151
Blank, S.C., *see* Dahlgran, R.A. 983, 986
Blarel, B. 293
Blau, D. 415
Blau, G. 769, 780
Blaylock, J.R., *see* Smallwood, D.M. 1092
Blejer, M.I. 483
Blinder, A.S. 832
Blomquist, G., *see* Kenkel, D. 1097
Blomquist, G.C., *see* Berger, M.C. 1097
Bloom, D., *see* Stark, O. 468, 477
Bloom, E.A., *see* Azam, Q.T. 602, 608
Blumberg, R.L. 418, 437n
Blyn, G. 993
Board of Governors of the Federal Reserve System 557
Bobenrieth, E.S.A. 851, 853–855
Bobenrieth, J.R.A., *see* Bobenrieth, E.S.A. 855
Bockstael, N.E. 1122
Boehlje, M. 1160, 1193
Boehlje, M., *see* Barry, P.J. 525
Boehlje, M., *see* Candler, W. 710
Boehlje, M., *see* Lowenberg, D.J. 270, 278
Boehlje, M.D. 536, 538, 539
Boehlje, M.D., *see* Hughes, D.W. 559
Boehlje, M.D., *see* Pederson, G. 559
Boehlje, M.D., *see* Thomas, K.. 539
Boehm, W. 839
Boggess, W.G., *see* Patrick, G.F. 518
Boggess, W.G., *see* Purvis, A. 106, 549
Boggess, W.G., *see* Thurow, A.P. 243
Böhm, V., *see* Barten, A. 1027
Bojanic, A. 598
Bollerslev, T.P. 116
Bollerslev, T.P., *see* Engle, R.F. 116
Bollman, R.D. 353
Bolton, P., *see* Aghion, P. 522, 909
Bond, G.E. 778n

Borch, K. 136
Borjas, G.J. 486, 497, 498
Boserup, E. 211, 265, 293, 416, 422, 432, 433
Bosworth, B. 557
Bottomley, A. 121, 122, 556
Bottomley, P., *see* Thirtle, C. 601
Boucher, S., *see* Barham, B.L. 478, 479, 496
Bouchet, F. 38
Bougheas, S. 851
Boughton, D. 599
Boulier, B.L. 419n, 437n
Bourdieu, P. 532
Bourguignon, F. 475
Bourguignon, F., *see* Browning, M. 396, 397, 399, 412
Boussard, J.M. 534
Bowen, R. 1028
Bowles, S., *see* Bardhan, P.K. 311
Boyce, J.K. 575n
Boyce, J.K., *see* Judd, M.A. 575n
Boyd, M.S., *see* Kohzadi, N. 1158
Boyle, G.E. 601
Braden, J.B., *see* Kolstad, C.D. 1092
Braden, J.B., *see* Nelson, C.H. 549
Braha, H. 601
Brake, J.R., *see* Barry, P.J. 556
Brake, J.R., *see* Robison, L.J. 539
Brandao, A.S.P. 308
Brander, J.A. 1154
Brandow, G.E. 50, 277, 280, 1202
Brandow, G.E., *see* Buse, R.C. 948, 950
Brandt, J.A. 805
Brandt, J.A., *see* Bessler, D.A. 183, 184
Brandt, L., *see* Rozelle, S. 297, 298
Brandt, L., *see* Turner, M.A. 302n
Brannen, P.P. 802n
Brannman, L.E. 1161
Brasselle, A.-S. 296
Braulke, M. 942
Braverman, A., *see* Hoff, K. 246
Bravo-Ureta, B.E. 364
Bravo-Ureta, B.E., *see* Evenson, R.E. 592
Bray, M. 127
Bredahl, M.E. 600, 943n, 976, 1170, 1171
Brennan, D. 763, 851, 853, 1152
Brenner, R.J. 806n
Bresee, D., *see* Unterschultz, J. 1152
Bresnahan, T.F. 792, 843, 890, 953, 954, 954n, 956
Bresnahan, T.F., *see* Baker, J.B. 899, 900
Bressler, R.G. 865, 887, 974
Brester, G.W. 962
Brester, G.W., *see* Goodwin, B.K. 953, 963
Brester, G.W., *see* Klein, N.L. 1091, 1101, 1127
Brewster, J.M. 47
Brier, G.W. 186
Brinegar, C.S. 798
Brink, L. 107
Brinkman, G.L. 598
Brinkman, G.L., *see* Fox, G. 598
Brinkman, G.L., *see* Haque, A.K.E. 598
Brinkman, G.L., *see* Hust, M. 598
Brinkman, G.L., *see* Zachariah, O.E.R. 598
Britto, R. 779
Briz, J., *see* Oustapassidis, K. 868
Brock, W.A. 851
Brockett, C.D. 308, 308n
Bromley, D., *see* Sjaastad, E. 296
Bronfenbrenner, M. 6
Brooks, H. 1154, 1169
Brooks, H., *see* Fulton, M. 1155
Brooks, K.M., *see* Gardner, B.L. 976
Brorsen, B.W. 115, 783, 961, 962, 999, 1149, 1159
Brorsen, B.W., *see* Bailey, D. 1154, 1161
Brorsen, B.W., *see* Irwin, S.H. 766
Brorsen, B.W., *see* Stiegert, K.W. 907, 956n
Brorsen, B.W., *see* Yang, S.R. 854, 1158
Brown, L., *see* Southgate, E. 300
Brown, L.R. 209
Brown, L.R., *see* Meinzen-Dick, R. 434
Brown, M., *see* Manser, M. 398, 401
Brown, R., *see* Turvey, C.G. 529
Brown, S.L. 779
Browning, H., *see* Balan, J. 487
Browning, M. 396, 397, 399, 412, 1068
Brownlee, O.H., *see* Schultz, T.W. 184, 191, 192, 196
Brownlee, O.H., *see* Tintner, G. 5, 6, 6n, 8n
Bruce, J.W. 315n
Brunner, A.D. 598
Bruno, M. 936
Bryant, K.J. 633
Bryant, W.K. 352
Buccola, S.T. 980
Buccola, S.T., *see* Love, H.A. 113, 647
Budge, C.C., *see* Peck, A.E. 752n
Buffier, B.D. 517, 556
Bureau, J.-C., *see* Ball, V.E. 26, 26n, 39, 62, 209n, 272, 273, 365, 661
Burfisher, M.E., *see* Robinson, S. 464
Burger, B. 646

Burgess, R. 305
Burgess, R., *see* Besley, T. 319n
Burghardt, W.G., *see* Robison, L.J. 520
Burris, A.E., *see* Kolstad, C.D. 884
Burt, O.R. 121, 633, 1194
Burt, O.R., *see* Foster, K.A. 633
Burt, R.S. 532
Burton, M. 1158
Buschena, D.E. 709, 885, 891
Buse, R.C. 948, 950
Bushaw, D., *see* Mittelhammer, R.C. 688, 690, 730, 731n, 732
Butault, J., *see* Ball, V.E. 62
Butcher, K.F. 497
Butler, L.J., *see* Klotz, C. 358
Buttari, P.J. 558
Butz, W.P. 403
Butzer, R., *see* Larson, D. 62
Butzer, R., *see* Mundlak, Y. 24, 26
Buvinic, M. 430n
Buzby, J.C. 1099, 1100
Buzby, J.C., *see* Crutchfield, S.R. 1087, 1091, 1120
Buzby, J.C., *see* Roberts, T. 1091, 1120
Buzina, R., *see* Waterlow, J.C. 429
Byerlee, D. 602, 611
Byerlee, D., *see* Traxler, G. 604

Cai, F., *see* Lin, J.Y. 296
Cain, M. 308, 309n
Cakmak, E., *see* Schmitz, A. 1149
Caldwell, J.C. 403n, 422, 437n
Caldwell, P., *see* Caldwell, J.C. 403n
Callison, C.S. 319n
Calomiris, C.W. 548
Calonius, E. 527
Calvert, J.D., *see* Barry, P.J. 556
Calvin, L., *see* Just, R.E. 139, 140
Calvo, G.A. 305
Campbell, D. 200
Canavesi, M.L., *see* Adams, D.W. 533
Candler, W. 710
Candler, W., *see* Just, R.E. 634
Candler, W.V., *see* McCarl, B.A. 637
Canoles, W.B. 765
Capalbo, S.M. 26, 31n, 35n, 272, 366
Capalbo, S.M., *see* Antle, J.M. 366, 634
Caplin, A.S. 849
Caprio, G. 554
Capule, C.A. 591
Card, D. 428, 497
Card, D., *see* Altonji, J. 497
Card, D., *see* Butcher, K.F. 497
Cardenas, M. 884, 1167
Cargill, T.F. 798
Carletto, C. 252
Carlin, P.S. 403
Carlson, G.A., *see* Clark, J.S. 648
Carlson, J. 193
Carman, H.F., *see* Alston, J.M. 880
Carman, H.F., *see* Kinney, W. 882
Carman, H.F., *see* Pick, D.H. 882n
Carman, H.F., *see* Sexton, R.J. 904n, 1011, 1012, 1012n, 1014
Carr, D.L., *see* Bilsborrow, R.E. 500
Carriker, G.L., *see* Williams, J.R. 110
Carriquiry, A.L. 1092
Carron, A., *see* Bosworth, B. 557
Carter, C.A. 774, 798, 808, 884, 902n, 1151–1153, 1157–1159, 1169, 1170
Carter, C.A., *see* Arthur, L. 519
Carter, C.A., *see* Bjornson, B. 775
Carter, C.A., *see* Blank, S.C. 1151
Carter, C.A., *see* Rausser, G.C. 805
Carter, H.O., *see* Cocks, K.D. 536
Carter, H.O., *see* Halter, A.N. 1190
Carter, M.R. 299, 300, 305, 305n, 306n, 307, 308, 316, 530
Carter, M.R., *see* Zimmerman, F. 294n, 306
Carvajal, M.J. 473
Carvalho, J.L. 173n
Carvalho, J.L., *see* Nerlove, M. 161n, 175, 180, 181
Case, A., *see* Besley, T. 354
Casella, A. 281
Cassel, G. 975
Cassels, J.M. 47, 865, 1198
Castillo, F., *see* Parker, D. 254
Castillo-Freeman, A.J. 482, 488
Castle, E.N. 1204
Caswell, J.A. 1086, 1090, 1100, 1112, 1114, 1119
Caswell, J.A., *see* Colatore, C. 1125
Caswell, M.F. 234, 252
Cato, J.C. 1125
Cavallo, D. 12, 72, 251, 252
Cavallo, D., *see* Mundlak, Y. 18, 25, 27n, 62, 72
Cave, J. 880
Caves, D.W. 31n
Chakravorty, U.N., *see* Roumasset, J.A. 122n
Chalamwong, Y., *see* Feder, G. 296, 299
Chalfant, J.A. 35n, 45, 873, 1202

Chalfant, J.A., *see* Alston, J.M. 710, 721
Chalfant, J.A., *see* Finkelshtain, I. 103n
Chalfant, J.A., *see* Rausser, G.C. 1192
Chamberlain, E.H. 1153
Chambers, M.J. 852
Chambers, R.G. 31n, 36, 42, 104, 136, 137, 632, 647, 648, 650, 661, 669, 672, 681n, 687, 689, 697, 701, 707, 709, 718n, 731, 938, 975, 1101, 1114, 1124, 1190
Chambers, R.G., *see* Ball, V.E. 697, 700, 947, 962
Chambers, R.G., *see* Lee, H. 70
Chambers, R.G., *see* Pope, R.D. 650, 661, 718
Chambers, R.G., *see* Vasavada, U. 64, 65, 65n, 278, 549, 649
Chambolle, C., *see* Allain, M.-L. 869, 869n
Chamley, C. 830n
Chamrathrithirong, A., *see* Knodel, J. 419
Chanakanyuka, K., *see* Macmillan, J. 611
Chang, C.C. 56, 66
Chang, C.C., *see* Hsu, S. 549
Chang, E.C. 807
Chang, S.U. 598
Chatrath, A. 772
Chatrath, A., *see* Adrangi, B. 752n
Chavas, J.-P. 43, 44, 55, 105, 109, 113, 115, 116n, 118, 182, 244, 267, 270–272, 273n, 274, 275, 278, 366, 549, 604, 637n, 638, 641, 642, 648, 694, 706, 709, 1158, 1166, 1186, 1188, 1192
Chavas, J.-P., *see* Brorsen, B.W. 115, 961, 962, 999, 1149, 1159
Chavas, J.-P., *see* Cox, T.L. 43
Chavas, J.-P., *see* Helmberger, P.G. 1148, 1150
Chavas, J.-P., *see* Pope, R.D. 97, 98, 103, 104
Chavas, J.-P., *see* Shiha, A. 278
Chavas, J.-P., *see* Smith, L.C. 405n, 430n, 433
Chen, C.L., *see* Thomas, D. 397n, 409, 437n
Chen, D.T. 1145
Chen, K. 919
Chen, L. 414, 415, 424
Chen, W.-H., *see* Dixon, B.L. 826
Chen, Z. 891n
Chenery, H.B. 57
Chenery, H.B., *see* Arrow, K.J. 23
Cheng, C., *see* Sundquist, W.B. 601
Chennareddy, V. 7n
Chern, W.S., *see* Just, R.E. 226, 890, 904, 956, 1156
Chernichovsky, D. 416, 417, 437n
Cheung, N.S. 310
Chevalier, J.A. 911
Chhikara, R. 529
Chhikara, R.K. 525
Chiappori, P.-A. 385, 396–398, 401, 410, 419
Chiappori, P.-A., *see* Alderman, H. 410
Chiappori, P.-A., *see* Bourguignon, F. 475
Chiappori, P.-A., *see* Browning, M. 396, 397, 399, 412
Chin, O.P.L., *see* Giles, D.E.A. 787
Chirinko, R.S. 58, 69
Chishli, S., *see* Alderman, H. 395n
Chisi, M. 611, 612
Chiswick, C.U. 430
Chitalu, G., *see* Howard, J. 594
Chiwele, D., *see* Deininger, K. 294n
Choe, Y., *see* Akgunkov, S. 604
Choi, E.K. 1092
Choi, E.K., *see* Feinerman, E. 105
Chotigeat, T., *see* Rao, V. 268
Chou, E.C. 592
Chowdhury, A., *see* Chen, L. 414
Chowdhury, M.E., *see* Keplinger, K.O. 637
Christensen, L.A., *see* Lasley, F.A. 276
Christensen, L.R. 23, 1190
Christensen, L.R., *see* Caves, D.W. 31n
Christian, J.E., *see* Alston, J.M. 880
Christian, J.W., *see* Jones, L.S. 480
Christiano, L.J. 839
Christina-Tsigas, E., *see* Goletti, F. 1010
Chuma, H., *see* Otsuka, K. 310, 313
Chung, Y., *see* Chambers, R.G. 687, 697
Claffey, B.A., *see* Clayton, K.C. 1159
Clair, J.S.St., *see* Menkhaus, D.J. 903
Clark, C. 7n, 8n
Clark, J.M. 865
Clark, J.S. 35, 648
Clark, J.S., *see* Reed, A.J. 939, 965
Clarke, R. 866n
Clayton, K.C. 1159
Cline, P.L. 600
Cline, P.L., *see* Lu, Y.C. 594, 600
Cline, W.R., *see* Berry, A. 268
Cline, W.R., *see* Berry, R.A. 305, 305n
Clodius, R.L. 866
Coase, R.H. 723, 870, 1172
Coate, S., *see* Besley, T. 422
Cobb, C.W. 6, 7, 45
Coble, K.H. 138, 140
Coble, K.H., *see* Hudson, D. 804
Coble, K.H., *see* Knight, T.O. 135, 140n
Cochrane, S.H. 435, 436, 437n

Cochrane, W.W. 209, 213, 244, 251, 274, 826
Cochrane, W.W., *see* Wetmore, J.M. 1202
Cocks, K.D. 536
Coeymans, J.E. 18, 62, 72, 252
Coggins, J.S. 1150
Cogill, B., *see* Kennedy, E.T. 418, 433, 437n
Colander, D. 1187
Colatore, C. 1125
Cole, W.E. 466
Coleman, J.S. 532
Collender, R.N. 556, 560
Collender, R.N., *see* Ahrendsen, B.L. 541
Collier, P. 303n
Colling, P.L. 193, 798
Collins, A., *see* Oustapassidis, K. 868
Collins, K.J., *see* Bredahl, M.E. 943n, 976
Collins, N. 866
Collins, N.R., *see* Schrader, L. 866
Colllns, R.A. 120, 534, 540–542
Collins, R.A., *see* Shepard, L. 529
Colman, D., *see* Traill, B. 549
Colyer, D. 8n
Commodity Exchange Authority 799
Connor, J.M. 867, 909, 910, 916, 916n, 953, 1085
Connor, J.M., *see* Binkley, J.K. 905, 906n
Connor, J.M., *see* Parker, R.C. 915
Connor, J.M., *see* Peterson, E.B. 916
Constantatos, C. 1119
Conway, R., *see* LeBlanc, M. 546
Cooley, T.F. 1004
Cooper, R.J. 1048
Cooper, R.J., *see* McLaren, K.J. 1048
Cooper, R.J., *see* McLaren, K.R. 59
Cootner, P.H. 771
Cornell, B. 800
Cothern, J., *see* Hall, L. 905, 905n, 1156
Cotlear, D. 591, 592
Cotterill, R.W. 276, 866n, 875n, 900, 901, 905, 906, 911, 912, 912n
Cotterill, R.W., *see* Franklin, A.W. 869
Cotterill, R.W., *see* Marion, B.W. 867
Council for Agricultural Science and Technology 1087, 1099, 1122
Council of Economic Advisers 1091
Covey, T. 183, 184
Cowling, K. 866n, 936
Cowling, K., *see* Rayner, A.J. 545
Cox, C.C. 759
Cox, D. 397, 441, 442
Cox, J.C. 129n
Cox, T.L. 43
Cox, T.L., *see* Chavas, J.-P. 43, 44, 273n, 274, 275, 366, 604, 637n
Coyle, B.T. 118
Cragg, J.G. 692
Craig, B.J. 273, 275, 367
Craig, B.J., *see* Alston, J.M. 577n, 588n, 604
Crain, S.J. 804
Crawford, R.G., *see* Klein, B. 877
Crego, A., *see* Larson, D. 62
Crissman, C.C., *see* Antle, J.M. 121, 122n, 634
Cromarty, W.A. 544
Cropper, M.L. 1092, 1097, 1098
Cropper, M.L., *see* Arrow, K.J. 1091
Cross, H.R., *see* Knutson, R.D. 1122
Crouhy, M., *see* Crouhy-Veyrac, L. 975
Crouhy-Veyrac, L. 975
Crutchfield, S.R. 1087, 1091, 1120
Crutchfield, S.R., *see* McDonald, J.M. 1091
Cummings Jr., R.W. 992, 993
Cummings, J.T., *see* Askari, H. 48, 161
Currie, J. 422
Currie, J.R. 1011

da Cruz, E.R. 590n, 593, 596, 597, 610
da Cruz, E.R., *see* Ambrosi, I. 610
da Silva, G.L.S.P. 594, 601
Dahlgran, R.A. 983, 986
Dalal, A.J. 118
Dalrymple, D.G. 950
Danthine, J.-P. 124
Danthine, J.-P., *see* Anderson, R.W. 125n, 127, 131, 132, 779
Das Gupta, M. 415, 424
Daughety, A.F. 1111, 1124
DaVanzo, J. 419n
DaVanzo, J., *see* Butz, W.P. 403
David, P.A. 233, 473
Davidson, C., *see* Deneckere, D. 901n
Davies, J.B. 491, 492
Davies, S.P., *see* Vickner, S.S. 901
Davies, S.W., *see* Clarke, R. 866n
Davis, D.D. 185, 194
Davis, J.S. 600
Davis, S.J., *see* Slaughter, M.J. 975
Davutyan, N. 975
Dawson, P.J., *see* Triffin, A.L. 917
Day, R.H. 111, 482, 633
D'Cruz, J.R., *see* Rugman, A.M. 1172
de Finetti, B. 93, 186

de Gorter, H. 220, 221, 251
de Janvry, A. 217, 220, 267, 278, 307, 319, 390, 391, 472, 479, 646
de Janvry, A., *see* Carletto, C. 252
de Janvry, A., *see* Gordillo, G. 315
de Janvry, A., *see* Key, N. 292
de Janvry, A., *see* McCarthy, N. 292
de Janvry, A., *see* Moscardi, E. 107, 113
de Janvry, A., *see* Sadoulet, E. 310n, 313
de Koning, G.H.J. 710
De Meza, D. 300
de Rezende, G.C., *see* Brandao, A.S.P. 308
Dean, G.W., *see* Lin, W. 106, 120, 270, 272
Deardorff, A.V. 784n
Deaton, A. 408, 412, 425, 592, 833–835, 835n, 837n, 852, 1027, 1032, 1202
Debavalya, N., *see* Knodel, J. 419
Debertin, D.L., *see* Goetz, S.J. 267, 278, 352
Debreu, G. 91, 652, 1028
DeFritas, G. 497
Deininger, K. 292, 294n, 321, 714, 1193
Deininger, K., *see* Binswanger, H.P. 265, 267, 268, 270, 297, 302n, 319
del Rey, E.C. 594, 600
Delgado, C.L., *see* Abdulai, A. 352
Dembele, I., *see* Lilja, N. 411, 430n
Demsetz, H. 866, 912, 953, 965, 1091
Den Haan, J.W. 838
Deneckere, D. 901n
Denison, E.F. 365
Denny, M.G.S., *see* Capalbo, S.M. 366
Denny, M.G.S., *see* Epstein, L.G. 63, 64, 66, 1048
Deodhar, S.Y. 891
Deolalikar, A. 391, 423
Deolalikar, A., *see* Behrman, J.R. 437n, 437n
Department of Health and Human Services, U.S. 410
Dercon, S. 306n, 415
DeSilva, S. 390, 441
DeVuyst, C., *see* Miller, L.H. 529, 530
Dey, J. 430n, 433
Dey, M.M. 602
Dhar, R., *see* Cotterill, R.W. 901
Dhar, S.K., *see* Raju, J.S. 875n
Dhrymes, P.J. 691n
Diamond, J. 234
Diarra, M.B., *see* Henry de Frahan, B. 611
Dickens, W.T. 478
Diebold, F.X. 187n
Diewert, W.E. 30n, 637n, 657, 657n, 661, 664, 665, 669, 732, 945, 952n, 956n, 956n, 957
Dillon, J.L. 89, 106, 107
Dillon, J.L., *see* Anderson, J.R. 89
Dillon, J.L., *see* Heady, E.O. 7, 23n, 360, 431
Dinar, A., *see* Zilberman, D. 244
DiNovi, M., *see* Olempska-Beer, Z.S. 1087
Diop, H., *see* Kazmierczak, R.F. 887
DiPietre, D.D. 125n
Dirkse, S.P., *see* Billups, S.C. 983
Dixit, A.K. 106, 243, 278, 909, 976
Dixit, P.M., *see* Ackerman, K. 883, 1167
Dixon, B.L. 559, 826
Dixon, B.L., *see* Ahrendsen, B.L. 541
Dixon, B.L., *see* Barry, P.J. 556
Dixon, B.L., *see* Elam, E. 806n
Dixon, B.L., *see* Lufburrow, J. 529
Dixon, B.L., *see* Sonka, S.T. 525
Dixon, B.L., *see* Splett, N.S. 529
Djajic, S. 492
Djata, K.K., *see* Alesina, A.A. 430n
Doll, J.P. 646
Doll, J.P., *see* McQuigg, J.D. 646
Domenech, R., *see* Mundlak, Y. 18, 25, 27n, 62, 72
Domingo, L.J., *see* King, E.M. 419, 435, 437n
Donald, S.G., *see* Cragg, J.G. 692
Dong, X.-Y. 293
Donnelly, J.T., *see* Mittelhammer, R.C. 8n
Dorfman, J.E., *see* Alston, J.M. 880
Dorfman, R. 534
Dorner, P. 319n
Doss, C.R. 405n, 409
Doster, D.H., *see* McCarl, B.A. 637
Douglas, P.H. 6n
Douglas, P.H., *see* Cobb, C.W. 6, 7, 45
Dow, J.C.R. 769
Downs, D., *see* Beckman, S.R. 190, 197, 200
Downs, R.W. 294
Doye, D., *see* Pederson, G. 559
Doyle, C.J. 601
Doyle, C.J., *see* Dryburgh, C.R. 919
Drabenstott, M. 1160, 1193
Drabenstott, M., *see* Barkema, A. 870, 874, 1160
Drake, W., *see* Heller, P. 435
Driscoll, P.J., *see* Kambhampaty, S.M. 903, 1156
Dryburgh, C.R. 919
D'Souza, S., *see* Chen, L. 415, 424
Dubin, H.J., *see* Morris, M.L. 604, 611
Dubin, H.J., *see* Smale, M. 611
Duewer, L.A. 1126

Duncan, J. 141
Duncan, R.C. 600
Duncan, T., *see* Strauss, J. 1123
Dunn, D. 529
Dunn, J. 952
Duraisamy, P. 403, 437n
Durand, J., *see* Massey, D.S. 485, 496
Durand, J.D. 402
Durham, C.A. 868n, 900, 904, 1154
Durham, C.A., *see* Lilja, N. 411, 430n
Durst, R., *see* LeBlanc, M. 546
Dusak, K. 774, 1151, 1152
Dutt, H.R. 1158
Duval, J.W.T. 799
Dvoretzky, A. 836n
Dwyer, G.P. 188, 190, 197
Dykes, N.S., *see* Turner, S.C. 1161

Eads, G.C., *see* Arrow, K.J. 1091
Eales, J. 182
Easter, K.W. 610
Easterking, E.H., *see* Lasley, F.A. 276
Eaton, B.C. 1085, 1112, 1115, 1172
Eaton, J. 850
Echeverría, R.G. 576n, 601
Echeverría, R.G., *see* Bojanic, A. 598
Eckard Jr., E.W. 910
Eckel, C.C. 409
Eckstein, Z. 170n, 175, 176, 180, 181, 318n
Eckstein, Z., *see* Aiyagari, S.R. 837n
Eckstein, Z., *see* Eaton, J. 850
Economic Research Service 518, 560, 666n, 718n
Eddleman, B.R. 610
Edelman, M., *see* Schmiesing, B.H. 556
Edwards, C. 55, 545
Edwards, F.R. 766
Eeckhoudt, L. 100, 644
Ehrlich, I. 122
Eichenbaum, M., *see* Aiyagari, S.R. 837n
Eilenberg, S. 1028
Eisenstat, P.M., *see* Masson, R.T. 878, 881n
Eisgruber, L.M., *see* Boehlje, M.D. 538, 539
Eisgruber, L.M., *see* Patrick, G.F. 536
Ejiga, N.O.O. 992
Elam, E. 779, 806n, 875
Eldor, R., *see* Benninga, S. 126, 781
Elgin, M., *see* Binswanger, H.P. 300, 306n
Elhorst, J. 547
Elias, V.J. 594, 600
Elitzak, H. 935, 936, 950
Elkin, K., *see* Ball, V.E. 39
Ellickson, R.C. 292n, 293n, 301n
Ellinger, P.N. 517, 529, 535, 556
Ellinger, P.N., *see* Barry, P.J. 516, 517, 528–530, 534, 538, 543, 552, 556, 557
Ellinger, P.N., *see* Gwinn, A.S. 525, 542
Ellinger, P.N., *see* Miller, L.H. 521, 529, 530
Ellinger, P.N., *see* Nasr, R. 524
Ellinger, P.N., *see* Neff, D. 556
Ellinger, P.N., *see* Splett, N.S. 529
Ellis, J.R., *see* Folwell, R.J. 1150
Ellsberg, D. 91n
Elmer, N., *see* Salin, V. 708
Elterich, J.G., *see* Fernandez-Cornejo, J. 271, 272
Ember, C.R. 422, 433, 434
Emerson, P.M. 759
Emerson, R.D. 347, 350, 368, 473, 477–479, 483, 484
Emerson, R.D., *see* Martin, P.L. 348n, 502
Emery, H.C. 802
Emlano, N.E., *see* Librero, A. 601, 602
Engel, P.L. 437n
Engels, F. 462
Engle, B., *see* Eales, J. 182
Engle, R.F. 115, 116, 1005n, 1047n
Enke, S.A. 981
Ennew, C., *see* Kellard, N. 1158
Enthoven, A.C., *see* Arrow, K.J. 1028
Eom, Y.S. 1092, 1122
Epps, T.W. 805n
Epstein, L.G. 59, 63, 64, 66, 132, 1048
Erickson, A., *see* Collender, R.N. 560
Ernstberger, J. 598
Esguerra, F. 533
Espenshade, T.J., *see* Muller, T. 497
Espenshade, T.J., *see* White, M.J. 483
Eswaran, M. 268, 270, 305
Evangelou, P., *see* Forsythe, K. 1087
Evans, L.B., *see* Siegfried, J.J. 911n
Eveleens, W.M., *see* Scobie, G.M. 594, 601
Evenson, R.E. 22, 22n, 213, 214, 363, 371, 425, 433, 583, 583n, 587, 588n, 589, 590n, 592–594, 595n, 597, 600–604, 605n, 607–609, 640, 706, 710, 714, 1196
Evenson, R.E., *see* Azam, Q.T. 602, 608
Evenson, R.E., *see* Bindlish, V. 358
Evenson, R.E., *see* Binswanger, H.P. 429
Evenson, R.E., *see* Birkhaeuser, D. 432, 433, 595
Evenson, R.E., *see* Birkhauser, D. 357n

Evenson, R.E., *see* Boyce, J.K. 575n
Evenson, R.E., *see* da Cruz, E.R. 590n
Evenson, R.E., *see* Dey, M.M. 602
Evenson, R.E., *see* Flores, P. 600
Evenson, R.E., *see* Huffman, W.E. 38, 274, 336, 361, 365, 366, 575n, 589, 589n, 603, 605n, 607, 608
Evenson, R.E., *see* Johnson, D.K. 607
Evenson, R.E., *see* Judd, M.A. 575n
Evenson, R.E., *see* Mohan, R. 593
Evenson, R.E., *see* Rosegrant, M.W. 27, 366, 603, 607
Evenson, R.E., *see* Rosenzweig, M.R. 437n, 469
Evenson, R.E., *see* Setboonsarng, S. 593, 594, 602
Evenson, R.E., *see* Welch, F. 589, 601
Ewell, P. 598

Fackler, P.L. 805, 1150, 1159, 1199
Fackler, P.L., *see* Frechette, D.L. 853
Fackler, P.L., *see* McNew, K. 779, 985n, 1007, 1008
Fackler, P.W., *see* Miranda, M.J. 839
Fafchamps, M. 318n, 395, 431
Fafchamps, M., *see* de Janvry, A. 278, 390, 391, 472, 479
Fafchamps, M., *see* Gavian, S. 297
Fair, R.C. 181
Falaris, W.M. 484
Falck-Zepeda, J., *see* Traxler, G. 111
Falconi, C. 1092, 1112
Falkner, F. 429
Fall, A., *see* Fisher, M.G. 611, 612
Fama, E.F. 789n, 851, 853, 1152, 1157
Faminow, M.D. 974, 983, 1001n, 1010
Fan, S. 603
Fane, G. 361
Farah, A.A. 437n
Färe, R. 644, 689
Färe, R., *see* Chambers, R.G. 687, 697
Farid, N., *see* Goletti, F. 1010
Farrell, M.J. 656
Farris, P.L., *see* Oellermann, C.M. 787
Fausti, S.W. 1149
Fausti, S.W., *see* Feuz, D.M. 1149
Fawson, C. 43, 44
Fawson, C., *see* Bailey, D. 1161
Fazzari, S.M. 547
Featherstone, A.M. 43, 44, 535, 540, 541
Feder, G. 121, 124, 177, 230, 235, 237, 296, 299, 300, 303, 304n, 315, 357n, 549, 582n, 592, 594, 643, 646, 713, 781, 1150, 1151
Feder, G., *see* Binswanger, H.P. 265, 267, 268, 270, 297, 302n, 319
Feder, G., *see* Birkhaeuser, D. 432, 433, 595
Feder, G., *see* Birkhauser, D. 357n
Feder, G., *see* Deininger, K. 714, 1193
Federal Crop Insurance Corporation 135
Feeney, D. 292
Feeney, D., *see* Feder, G. 300
Fei, J., *see* Liu, T.-J. 819
Fei, J.C.H., *see* Ranis, G. 463, 464, 489
Feijòo, V.M. 594, 598, 601
Feinerman, E. 105
Feldstein, H.S., *see* Meinzen-Dick, R. 434
Feldstein, M. 308, 1194
Feller, W. 846
Fenton, J., *see* Dutt, H.R. 1158
Feridhanusetyawan, T., *see* Huffman, W.E. 351
Fernald, J.G., *see* Basu, S. 959
Fernandez-Cornejo, J. 271, 272
Ferris, M.C. 983
Ferris, M.C., *see* Billups, S.C. 983
Feuz, D.M. 1149
Feuz, D.M., *see* Fausti, S.W. 1149
Fichett, D.A., *see* Adams, D.W. 558
Fields, G. 430, 466, 477, 480
Findeis, J.L., *see* Hallberg, M.C. 352
Findeis, J.L., *see* Lass, D.A. 353
Finkelshtain, I. 103n
Finkelshtain, I., *see* Bar-Shira, Z. 43, 44, 46, 47
Finlayson, J.A. 795
Firch, R.S., *see* Schmitz, A. 1170
Fischer, M. 529
Fishel, W.L. 609
Fisher, B.S. 938
Fisher, E.O., *see* de Gorter, H. 251
Fisher, F.M. 912, 1042
Fisher, I. 660, 665, 819
Fisher, J.D.M., *see* Christiano, L.J. 839
Fisher, M.G. 611, 612
Fitzharris, J.C., *see* Peterson, W.L. 597
Fix, M. 497
Fix, M., *see* Taylor, J.E. 497–499
Flaccus, J.A., *see* Dixon, B.L. 559
Fleisher, B.M. 364
Flemming, J.M. 823
Fletcher, L.B., *see* Ulveling, E.F. 8n
Fletcher, L.B., *see* Ward, R.W. 779
Fletcher, P.L. 469

Fletcher, S.M., *see* Misra, S.K. 1088
Flinn, J.C. 364
Florencio, C.A., *see* Binswanger, H.P. 429
Flores, P. 600
Flores, P., *see* Evenson, R.E. 600, 608
Floud, R. 409, 429
Floud, R., *see* Steckel, R.H. 429
Floyd, J.E. 50, 1188
Flynn, E.M., *see* Dixon, B.L. 559
Fogel, R.W. 392, 409, 427, 429
Folbre, N. 402, 442
Folwell, R.J. 1150
Fonseca, M.A.S. 597, 610
Food and Drug Administration 1089, 1125
Food Safety and Inspection Service 1089, 1105, 1120, 1121, 1125, 1128
Foote, R.J. 939n
Forker, O.D., *see* Kinnucan, H.W. 959, 960
Forker, O.D., *see* Suzuki, N. 905, 919
Fornari, I., *see* Nerlove, M. 159n, 166, 166n, 179n, 180n, 181
Forsythe, K. 1087
Fort, R. 773n
Fortenbery, T.R. 1158
Fortenbery, T.R., *see* Garcia, P. 805
Fortin, B. 398
Fortin, B., *see* Chiappori, P.-A. 397, 398, 419
Foster, A.D. 347, 356, 362, 363, 394, 434, 435, 437n, 442, 643, 713
Foster, A.D., *see* Behrman, J.R. 395, 435, 437n
Foster, K.A. 633
Foster, K.A., *see* Johnson, C.S. 874, 1166
Foster, K.A., *see* Walburger, A.M. 1159
Foster, W.E. 123n, 520
Fox, G. 31n, 598, 601
Fox, G., *see* Haque, A.K.E. 598
Fox, G., *see* Hust, M. 598
Fox, G., *see* Zachariah, O.E.R. 598
Fox, J.A. 1099, 1100
Fox, K., *see* Strauss, J. 427
Fox, K.A. 545, 939, 949, 1190
Fox, L., *see* Barros, R. 422
France, V.G., *see* Canoles, W.B. 765
Franco, G.R. 884
Frank, S.D. 870
Franklin, A.W. 869
Franks, J.R. 529
Frechette, D.L. 853
Frederic, G., *see* Brasselle, A.-S. 296
Freebairn, J. 960, 1145–1147
Freed, R.D., *see* Schwartz, L. 598
Freeman III, A.M., *see* Cropper, M.L. 1092, 1098
Freeman, R.B., *see* Castillo-Freeman, A.J. 482, 488
French, B. 707, 880, 882, 1125, 1188
French, K., *see* Fama, E.F. 789n, 851, 853, 1152
Freshwater, D. 517
Freshwater, D., *see* Peoples, K. 559
Freund, R.J. 120
Frey, T., *see* Dunn, D. 529
Fried, H.O. 637n, 655
Frieden, A. 398, 419n
Friedman, M. 178, 411, 942n
Frisch, R. 1202
Frisvold, G. 275, 305n
Froeb, L.M., *see* Werden, G.J. 974
Froot, K.A. 123n
Frydman, R. 160
Fuchs, V.R. 400, 409
Fudenberg, D. 906n
Fuglie, K., *see* Frisvold, G. 275
Fujimoto, A. 309n
Fukui, S., *see* Sadoulet, E. 310n, 313
Fukuyama, F. 532
Fulginiti, L. 68
Fulton, M. 1155
Fung, H.-G., *see* Wilson, W. 804
Funkhouser, E. 476, 483
Furtan, W.H., *see* Kraft, D.F. 886, 1149, 1169
Furtan, W.H., *see* Nagy, J.G. 600
Furtan, W.H., *see* Schmitz, A. 1168, 1169
Furtan, W.H., *see* Ulrich, A. 598, 601, 607, 610
Furtan, W.H., *see* van Kooten, G.C. 1151
Fuss, M. 23n, 29n, 31n, 707

Gabbard, S. 348
Gabbard, S., *see* Mines, R. 459, 498
Gabbard, S., *see* Perloff, J.M. 350, 473, 478, 479, 484
Gabriel, S.C. 540
Gabriel, S.C., *see* Hughes, D.W. 559
Gabriel, S.C., *see* Lee, J. 551, 558
Galbraith, J.K. 47, 918, 1204
Gale, H.F. 267, 278, 279
Galeotti, M. 58
Gallagher, P.W. 111
Galopin, C.A., *see* Carter, C.A. 798, 1159
Galor, O. 318n
Ganoza, V., *see* Norton, G.W. 594, 610
Garbade, K.D. 787, 999
Garcia, M., *see* Senauer, B. 415

Garcia, P. 193, 805
Garcia, P., *see* Hurt, C.A. 115
Garcia, P., *see* Koontz, S.R. 907, 907n, 999
Garcia, P., *see* Martin, L. 182–184
Garcia, P., *see* Yumkella, K.K. 886
Garcia, R. 268
Gardner, B.D. 270, 278
Gardner, B.L. 134, 135, 140, 181, 198n, 245, 375, 464, 481, 499, 792, 793n, 829, 835, 837, 837n, 887, 913, 914n, 936, 938, 944, 948n, 951, 976, 1168
Gardner, B.L., *see* McNew, K. 839
Gardner, G., *see* Brown, L.R. 209
Gardner, R., *see* Stover, R. 529
Garoyan, L. 877n
Gasmi, F. 901, 913
Gaspart, F., *see* Baland, J.-M. 317
Gautam, M. 588n, 595n
Gavian, S. 297
Gay, G.D. 752n
Gbetibouo, M., *see* Evenson, R.E. 592, 594
Geertz, C. 294
Geithman, D.T., *see* Carvajal, M.J. 473
Geithman, F., *see* Marion, B.W. 867, 903
Geithman, F., *see* Quail, G. 903
Gellynck, X., *see* Viaene, J. 868
Gemente, A.C., *see* Pinazza, A.H. 598
Gempesaw II, C.M., *see* Fernandez-Cornejo, J. 271, 272
Gempesaw II, C.M., *see* Lass, D.A. 352, 353, 370
Genesove, D. 915
George, P.S. 887, 943, 943n, 948, 950, 1202
Gersovitz, M., *see* Eaton, J. 850
Gertler, M. 549
Gertler, P. 1108
Gertler, P., *see* Banerjee, A. 318
Gertler, P., *see* Newman, J.L. 412n, 429, 443
Gertler, P., *see* Strauss, J. 427
Geweke, J. 116
Ghatak, M., *see* Banerjee, A. 318
Ghez, G.R. 338, 368
Ghosh, S. 826
Gibbons, R. 335, 369n
Gibson, S. 539
Gilbert, A., *see* Belongia, M. 548, 556
Gilbert, C.L. 759, 820n, 848
Gilbert, C.L., *see* Ghosh, S. 826
Gilbert, R.J. 909
Giles, D.E.A. 787
Gillespie, J.M. 875
Gilpin, J., *see* Oustapassidis, K. 868
Gintis, H., *see* Bardhan, P.K. 311
Gisser, M. 427, 915, 917
Glauber, J.W., *see* Miranda, M.J. 119, 141, 839, 850
Glewwe, P. 437n
Glick, P. 430n
Glover, D. 304n
Goetz, S.J. 267, 278, 352
Golan, A. 1150
Goldberg, P.K. 886
Goldberg, R.A. 1160
Goldfarb, D., *see* Bigman, D. 802
Goldin, C. 346, 422
Goldring, L.P., *see* Massey, D.S. 496
Goldstein, D.A., *see* Siegel, S. 185
Goletti, F. 1010
Gollier, C. 103
Gollier, C., *see* Eeckhoudt, L. 644
Gollin, D., *see* Evenson, R.E. 603
Gollop, F.M. 898n
Gollop, F.M., *see* Ball, V.E. 661, 668, 672
Gollop, F.M., *see* Jorgenson, D.W. 27, 273, 365
González, H., *see* Massey, D.S. 485
Gonzalez-Vega, C., *see* Aguilera-Alfred, N. 529
Goodger, W.J., *see* Antle, J.M. 111, 117
Goodhue, R.E. 228, 874, 1193, 1200, 1201
Goodhue, R.E., *see* Alexander, C. 1201
Goodwin, B.K. 139, 953, 963, 965, 975, 999, 1004, 1006, 1007, 1010, 1013, 1014
Goodwin, B.K., *see* Fackler, P.L. 1150, 1159, 1199
Goodwin, B.K., *see* Featherstone, A.M. 43, 44
Goodwin, B.K., *see* Mishra, A.K. 410, 411
Goodwin, B.K., *see* Schroeder, T.C. 787
Goodwin, B.K., *see* Smith, V.H. 138
Goodwin, R.M. 167
Goodwin, T.H. 181, 182
Gopinath, M. 604, 607
Gordillo, G. 315
Gordon, M. 1171, 1171n
Gorman, W.M. 1030, 1043n
Goss, B.A., *see* Giles, D.E.A. 787
Gotsch, N., *see* Regev, U. 647
Gottret, P.E., *see* Shumway, C.R. 37, 38
Gould, B.W. 352, 353, 370
Gould, J.P. 51
Gould, J.R., *see* De Meza, D. 300
Grabowski, R., *see* Belbase, K. 364
Graham, D.A. 1092
Graham, D.H. 533

Graham, D.H., *see* Adams, D.W. 558
Graham, J.W., *see* Beller, A.H. 422
Graham-Tomasi, T., *see* Roe, T.L. 390
Grandmont, J.-M. 172u
Granger, C.W.J. 190, 998, 998n, 1000, 1000n
Granger, C.W.J., *see* Ashley, R. 1000
Granger, C.W.J., *see* Engle, R.F. 1005n
Grant, W.R., *see* Brorsen, B.W. 115, 961, 962, 999, 1149, 1159
Gray, R., *see* Fulton, M. 1155
Gray, R., *see* Schmitz, A. 1149, 1154, 1168, 1169, 1169n
Gray, R.W. 759, 765, 769, 771, 772, 780, 802, 803, 808, 1152, 1153
Gray, R.W., *see* Tomek, W.G. 177, 182, 184, 794, 801
Green, E.J. 906, 907, 907n
Green, J.R., *see* Mas-Colell, A. 92
Green, R. 1202
Green, R., *see* Antonovitz, F. 115, 183
Green, R., *see* Kinney, W. 882
Green, R., *see* Moschini, G. 1202
Green, W.H. 374
Greenhut, M.L. 1153, 1154
Greenwood, M.J. 485, 501
Greenwood, M.J., *see* Hunt, G. 477
Gregerson, H., *see* Haygreen, J. 598
Gregory, A., *see* Floud, R. 409, 429
Gregory, P. 421, 490
Grennes, T.J. 884
Grennes, T.J., *see* Goodwin, B.K. 999, 1004, 1013, 1014
Grether, D.M., *see* Nerlove, M. 161n, 175, 180, 181
Grey, J.S. 421
Griffith, G.R. 960
Griliches, Z. 8n, 14, 14n, 15, 15n, 18, 22, 51, 62, 218n, 230, 231, 274, 336, 360, 365, 388, 428, 544, 545, 597, 599, 600, 605, 664n, 1192
Griliches, Z., *see* Klette, T.J. 225
Grimard, J., *see* Barnard, C.H. 517
Grimes, G.A., *see* Hayenga, M.L. 874
Gronau, R. 425
Groote, H., *see* Lilja, N. 411, 430n
Grossbard-Shechtman, S. 398
Grossfield, K. 597
Grossman, J.B. 497
Grossman, P.J., *see* Eckel, C.C. 409
Grossman, S.J. 872, 1109, 1113, 1119, 1172
Grubel, H.B. 490
Grunewald, O. 798
Gu, D. 519
GuBaochang, *see* Zeng, Yi 423n
Guinnane, T.W. 320, 538
Guinnane, T.W., *see* Besley, T. 422
Gunjal, K. 308
Gunter, L., *see* Hearn, D.H. 267, 278
Guo, L., *see* Rozelle, S. 297, 298
Gupta, R.C. 992
Gupta, S. 998, 999
Gustafson, C. 547, 550
Gustafson, R.L. 825, 833, 835, 836, 836n, 837, 840, 855, 1191, 1198
Guttman, J.M. 221
Guveya, E., *see* Macmillan, J. 611
Guyer, J. 430n, 433
Gwilliams, K. 532
Gwinn, A.S. 525, 542

Haavelmo, T. 8
Habib, A. 495
Habib, A., *see* Stahl, C. 495
Hackner, J. 1119
Hadar, J. 95
Haddad, L. 389, 399, 401, 437n
Haddad, L., *see* Alderman, H. 410
Haddad, L., *see* Hoddinott, J. 409, 437n
Hahn, R.W., *see* Arrow, K.J. 1091
Haidacher, R.C., *see* Wohlgenant, M.K. 942, 943, 945, 946, 948
Halbrendt, C. 1100
Halcrow, H.G. 141
Halim, A. 591
Hall, B.F. 268, 269
Hall, L. 905, 905n, 1156
Hall, R.E. 41, 42, 959, 1039, 1040, 1102
Hall, R.E., *see* Slaughter, M.J. 975
Hallam, A., *see* Orazem, P.F. 336
Hallam, A., *see* Pope, R.D. 631
Hallberg, M.C. 352, 1090
Hallberg, M.C., *see* Lass, D.A. 353
Haller, L.E. 878
Haller, L.E., *see* Cotterill, R.W. 900, 911
Halter, A.N. 1190
Halweil, B., *see* Brown, L.R. 209
Hamal, K.B. 106
Hamermesh, D.S. 55
Hamilton, J., *see* Kim, C.S. 919
Hamilton, J.D. 183n, 854
Hamilton, S.F. 226, 227, 891n, 919
Hammond, J.W., *see* Coggins, J.S. 1150
Handy, C., *see* Kaufman, P. 905

Hanf, C.H., *see* von Witzke, H. 1087, 1112
Hangladoran, C., *see* Feder, G. 296, 299
Hannemann, W.M. 1042, 1092
Hanoch, G. 31, 43, 95, 892
Hansen, B.E., *see* Cox, D. 441, 442
Hansen, L.P. 180, 181
Hansen, P., *see* Eeckhoudt, L. 100
Hanson, G., *see* Peoples, K. 559
Hanson, J.A., *see* Caprio, G. 554
Hanson, S.D. 533
Hanson, S.D., *see* Lapan, H. 127, 129, 130
Hanson, S.D., *see* Myers, R.J. 131, 132
Hanson, S.D., *see* Siles, M. 532
Hanssen, H., *see* de Koning, G.H.J. 710
Haque, A.K.E. 598
Hardaker, B., *see* Anderson, J.R. 89
Hardy, W. 529
Harken, B.R. 591
Harl, N.E. 539, 559
Harl, N.E., *see* Lence, S.H. 751n
Harp, H.H. 936, 939n
Harper, C.D., *see* Cotterill, R.W. 905
Harper, J.K., *see* Williams, J.R. 110
Harrington, W. 1097
Harris, J.R. 466
Harris, T., *see* Arrow, K.J. 836n
Harrison, G. 187n
Harriss, B. 394, 976, 979, 992, 993, 1002
Hart, O.D. 519, 522, 850
Hart, O.D., *see* Grossman, S.J. 872, 1119, 1172
Hartman, R. 105, 132
Hartmann, P.A., *see* Leuthold, R.M. 805
Hartzmark, M.L. 765, 766, 766n, 774, 807
Harvey, A. 594, 598
Harvey, A.C. 852n
Hassan, M.D.N., *see* Pitt, M. 389, 395
Hasset, K.A. 243
Hasting, T. 600
Haszler, H.C. 848
Hatchett, S., *see* Antle, J.M. 635
Hatton, T.J. 482
Hauser, R. 804
Hauser, R., *see* Eales, J. 182
Hausker, K. 1161
Hausman, J. 900
Hausman, J.A. 1099
Haveman, R. 430, 437n
Havlicek Jr., J., *see* Otto 601
Havlicek Jr., J., *see* Smith, B. 601
Havlicek Jr., J., *see* White, J.F. 594, 600, 601
Hay, M.J. 473
Hayami, Y. 20, 21, 23n, 210, 273, 274, 316, 362, 366, 367, 597
Hayami, Y., *see* Flores, P. 600
Hayami, Y., *see* Kawagoe, T. 21, 367
Hayami, Y., *see* Morooka, Y. 309n
Hayami, Y., *see* Otsuka, K. 310, 313
Hayashi, F. 404
Hayashi, F., *see* Altonji, J. 441
Hayek, F.A. 819
Hayenga, M.L. 868n, 874, 974, 1156
Hayenga, M.L., *see* DiPietre, D.D. 125n
Hayenga, M.L., *see* Kimle, K.L. 1152
Hayenga, M.L., *see* Lence, S.H. 751n
Hayes, D.J., *see* Fox, J.A. 1099, 1100
Hayes, D.J., *see* Hennessy, D.A. 141
Hayes, D.J., *see* Lence, S.H. 779
Hayes, D.J., *see* Shin, S.Y. 1100
Haygreen, J. 598
Hazell, P. 108, 120, 138
Hazell, P., *see* Blarel, B. 293
Hazuka, T.B. 802
Headley, J.C. 7n
Heady, E.O. 6, 6n, 7, 8n, 23n, 62, 191, 196, 360, 431, 481, 544
Hearn, D.H. 267, 278
Heath, J.B., *see* Grossfield, K. 597
Heckman, J.J. 373, 391, 401, 407, 408n, 412, 427, 438, 478, 483
Heckman, J.J., *see* Ashenfelter, O. 391, 407, 408
Hefler, C., *see* Youssef, N. 419, 422
Heien, D.M. 960
Heien, D.M., *see* Dunn, J. 952
Heiman, A. 239
Heiman, A., *see* Zilberman, D. 253, 257
Heimforth, K., *see* Marion, B.W. 905, 905n
Heiner, R.A. 938, 942
Heisey, P., *see* Smale, M. 599
Helfand, G., *see* Berck, P. 633
Heller, P. 435
Hellinghausen, R., *see* Mundlak, Y. 21, 22
Helmberger, P.G. 876n, 1148, 1150
Helmberger, P.G., *see* Imel, B. 866
Helmberger, P.G., *see* Miranda, M.J. 792, 831, 845
Helmberger, P.G., *see* Mueller, W.F. 878, 1156
Helmers, G., *see* Mapp, H.P. 535
Helms, B.P., *see* Martell, T.F. 768
Henderson, D.R. 870
Henderson, D.R., *see* Frank, S.D. 870
Hendrikse, G.W.J. 876
Hendry, D. 1063n

Hendry, D., *see* Engle, R.F. 1047n
Hennessy, D.A. 101, 141, 870, 870n, 873, 963, 1118, 1162, 1166, 1192, 1193
Hennessy, D.A., *see* Babcock, B.A. 112, 138, 141
Hennessy, D.A., *see* Moschini, G. 644, 647, 709, 712, 726, 1191
Henrichsmeyer, W., *see* Weinschenck, G. 974
Henriques, M.H., *see* Thomas, D. 415, 437n
Henry de Frahan, B. 611
Henry de Frahan, B., *see* Boughton, D. 599
Herdt, R.W. 7n
Herdt, R.W., *see* Evenson, R.E. 609
Herring, P.J. 554
Herruzo, A.C. 598
Hertel, T.W., *see* Lanclos, D.K. 920
Hertel, T.W., *see* Peterson, E.B. 1149
Hertford, R. 597
Hesp, P., *see* Arhin, K. 883, 884
Hewitt, J.D., *see* Wright, B.D. 134
Hey, J. 187, 190, 191, 196, 200
Hicks, J.R. 158, 658, 1151
Hieronymus, T.A. 799
Higgin, P. 389, 416
Higgins, M. 410
Higinbotham, H.N., *see* Telser, L.G. 754
Hildebrand, J.R. 7, 8n
Hildenbrand, W. 159n
Hildreth, C. 939n, 943n
Hill, M.A., *see* Anderson, K.H. 419
Hill, M.A., *see* King, E.M. 416, 429
Hill, P. 433
Hilliard, J.E. 1158
Hillman, J.S., *see* Bredahl, M.E. 1170, 1171
Hillman, J.S., *see* Schmitz, A. 1170
Hines, J. 597
Hinloopen, J. 916n
Hinojosa-Ojeda, R., *see* Robinson, S. 464
Hirshleifer, J. 91, 158n
Ho, F.S., *see* King, R.A. 983
Hoch, I. 8, 8n
Hoch, I., *see* Mundlak, Y. 8n, 431
Hochman, E. 720
Hochman, E., *see* Just, R.E. 42, 640, 690, 696, 710
Hochman, E., *see* Rausser, G.C. 106, 854, 1197
Hocking, J.G., *see* Halter, A.N. 1190
Hoddinott, J. 409, 437n, 476, 486, 492
Hoddinott, J., *see* Alderman, H. 410
Hoddinott, J., *see* Haddad, L. 389, 399, 401, 437n
Hodgman, D.R. 527
Hoehn, J.P., *see* van Ravenswaay, E.O. 1092
Hoff, K. 246, 316, 530
Hoffman, A.C. 865, 918
Hoffman, G.W. 808
Hoffman, G.W., *see* Duval, J.W.T. 799
Hoffman, M., *see* Kislev, Y. 597, 600
Hoffman, S., *see* Chen, L. 414
Holden, K. 1146
Holland, D. 1100
Holland, I., *see* Haygreen, J. 598
Hollander, A. 1163
Holloway, G.J. 887, 889, 890, 908, 913, 945, 958, 1117
Holmes, J. 437n
Holt, C.A. 187
Holt, C.A., *see* Davis, D.D. 185, 194
Holt, J., *see* Purvis, A. 106, 549
Holt, M.T. 115, 117, 961, 962, 1149
Holt, M.T., *see* Aradhyula, S.V. 115, 117
Holt, M.T., *see* Chavas, J.-P. 109, 113, 115, 116n, 118, 270, 642, 648, 709, 1158
Holt, M.T., *see* Green, R. 1202
Holthausen, D.M. 124, 177, 781
Holthausen, D.M., *see* Vukina, T. 129n
Holtmann, A.G., *see* MacMinn, R.D. 98
Hong, A., *see* Zellner, A. 187n
Hong, K.Y. 592
Hoofnagle, W.S., *see* Mighell, R.L. 870n
Hoos, S. 884
Hoos, S., *see* Helmberger, P.G. 876n
Hopcraft, P.N. 591
Hopkin, J.A., *see* Baker, C.B. 525
Hopkin, J.A., *see* Barry, P.J. 516, 517, 529, 534, 538, 543, 552, 556
Hopper, W.D. 7n
Horney, M.J. 403
Horney, M.J., *see* McElroy, M.B. 385, 397, 398, 410, 472, 475
Horowitz, A.W. 320n
Horowitz, J.K. 138, 647
Horvath, B. 158, 172, 196
Hossain, M., *see* Evenson, R.E. 609
Hotelling, H. 1153
Houck, J.P. 549, 1186
House, W.J. 473, 480
Houthakker, H.S. 765, 766n, 772, 777
Howard, J. 594
Howard, W., *see* Van Duren, E. 1160
Howard, W.H. 65, 66, 66n
Howell, L.D. 824

Howitt, R.E. 1187
Howitt, R.E., *see* Paris, Q. 637n
Howitt, R.E., *see* Zilberman, D. 244
Hrubovcak, J., *see* LeBlanc, M. 546
Hsu, S. 549
Huang, C.J., *see* Spiller, P.T. 974
Huang, C.L., *see* Misra, S.K. 1088
Huang, K.S. 953
Huang, S.-Y. 276, 896, 904, 919
Huang, T.-L. 351
Huang, Y. 7n
Huault, C. 868
Hubbard, R.G. 544, 547, 548
Hubbard, R.G., *see* Calomiris, C.W. 548
Hubbard, R.G., *see* Fazzari, S.M. 547
Hudson, D. 804
Hudson, M.A., *see* Koontz, S.R. 907, 907n, 999
Hudson, M.A., *see* Streeter, D.H. 1163
Hueth, B. 1200
Hueth, D. 648
Hueth, D., *see* Just, R.E. 1119
Hueth, L. 1166
Huffman, W.E. 38, 218, 219, 274, 336–338, 344, 346–348, 351–354, 360, 361, 365, 366, 370, 371, 375, 408, 427, 432, 440, 575n, 589, 589n, 593, 596, 603, 605n, 607, 608, 714, 1194
Huffman, W.E., *see* Abdulai, A. 364
Huffman, W.E., *see* Evenson, R.E. 605n
Huffman, W.E., *see* Martin, P.L. 348n, 502
Huffman, W.E., *see* Rahm, M.R. 355, 356
Huffman, W.E., *see* Tokle, J.G. 352, 353, 440
Huffman, W.E., *see* Torok, S.J. 483
Hug, E., *see* Chen, L. 415, 424
Hughes Hallett, A.J., *see* Ghosh, S. 826
Hughes, D.R. 558, 1163
Hughes, D.W. 555, 559
Hughes, D.W., *see* Penson, J.B. 545
Hugo, G., *see* Massey, D.S. 482, 485, 488
Hugo, G., *see* Taylor, J.E. 494, 495
Hung, C.S., *see* Greenhut, M.L. 1153, 1154
Hunt, G. 477
Hunter, W.C., *see* Gay, G.D. 752n
Hurt, C. 1165
Hurt, C.A. 115
Hushak, L.J., *see* Shih, J.T. 8n
Hust, M. 598
Hutabarat, B., *see* Evenson, R.E. 603
Huthoefer, L.S., *see* Tronstad, R. 1150
Huu-Vo, D., *see* Roe, T.L. 976
Hyde, C.E. 138, 905n, 914, 959
Hyun, O.-S. 495

Illy, L., *see* Ouédraego, S. 599
Imel, B. 866
Industry Canada 867
Innes, R. 98, 123n, 138, 265, 270, 877n, 1111
Ippolito, R.A. 881
Iqbal, M. 602
Ireland, N., *see* Stoneman, P. 246
Irias, L.J., *see* Avila, A.F.D. 610
Irwin, G. 517, 536
Irwin, G., *see* Lee, W. 556, 559
Irwin, G., *see* White, T. 638
Irwin, H.S. 761
Irwin, S.H. 196, 766
Irwin, S.H., *see* Canoles, W.B. 765
Irwin, S.H., *see* Colling, P.L. 193, 798
Ise, S. 368
Ishii, Y. 103, 126
Isinika, A.C. 604

Jacinto, E., *see* Senauer, B. 415
Jacobs, R.L. 193
Jacobs, S.H. 1091
Jacoby, H. 363, 394, 403, 411, 417, 419n, 428, 431, 437n
Jacoby, H., *see* Glewwe, P. 437n
Jacquemin, A. 879
Jagannathan, R. 775n
Jalan, J. 318n
James, J.S., *see* Chalfant, J.A. 873
James, S., *see* Newell, A. 305, 305n
Jamison, D. 362, 431, 432, 591, 592
Jamison, D., *see* Perraton, H.D. 591
Jarrett, F.G., *see* Hildreth, C. 939n, 943n
Jarvis, L.S. 166
Jarvis, L.S., *see* Sere, C. 611
Jasdanwalla, Z.Y. 990
Jeffrey, S.R., *see* Richards, T.J. 68
Jelin, E., *see* Balan, J. 487
Jenkins, J.C. 483
Jensen, F.E. 548, 721
Jensen, H. 631
Jensen, H., *see* Unnevehr, L.J. 1091, 1114
Jensen, H.H. 353, 370, 1126
Jensen, H.H., *see* Carriquiry, A.L. 1092
Jensen, H.H., *see* Choi, E.K. 1092
Jensen, M. 304, 305, 519, 520, 524
Jesse, E.V. 877n
Jewitt, I. 103
Jha, D., *see* Evenson, R.E. 593, 600

Jha, D., *see* Kahlon, A.S. 600
Jimenez, E., *see* Cox, D. 397, 441, 442
Jimenez, G., *see* Colyer, D. 8n
Joakin, J. 320n
Jodha, N.S. 301n
Johansen, L. 706, 707
Johansen, S. 1006
Johnson Jr., A.C., *see* Jesse, E.V. 877n
Johnson, C. 517
Johnson, C.S. 874, 1166
Johnson, D.G. 47, 177, 182, 184, 347, 372, 462, 481, 545, 1191
Johnson, D.K. 607
Johnson, G.E. 492
Johnson, G.L. 55, 277, 278, 545, 631, 707
Johnson, G.V., *see* Caswell, J.A. 1112, 1119
Johnson, G.V., *see* Kolstad, C.D. 1111
Johnson, H.G. 491, 826
Johnson, H.G., *see* Blejer, M.I. 483
Johnson, L.L. 777
Johnson, P.R., *see* Grennes, T.J. 884
Johnson, S.R., *see* Feinerman, E. 105
Johnson, S.R., *see* Rausser, G.C. 1192
Jolliffe, D. 432
Jolly, R., *see* Pederson, G. 559
Jones Jr., H.B., *see* Lasley, F.A. 276
Jones, B.L., *see* Sonka, S.T. 525
Jones, C.I. 335, 336
Jones, C.N. 389, 401, 405, 433
Jones, E. 1163
Jones, E., *see* Kenyon, D.E. 802
Jones, L.A., *see* Mighell, R.L. 870
Jones, L.S. 480
Jones, R., *see* Schroeder, T.C. 875
Jones, R.A., *see* Jacobs, R.L. 193
Jones-Lee, M.W. 1098
Jordan, J., *see* Kenyon, D.E. 804
Jorgenson, D.W. 27, 29n, 30n, 52, 54, 57, 273, 365, 464, 1027, 1031
Jorgenson, D.W., *see* Christensen, L.R. 23, 1190
Jorgenson, D.W., *see* Griliches, Z. 14, 18
Judd, K.L. 839, 853
Judd, M.A. 575n
Judge, G.G. 1187
Judge, G.G., *see* Nordin, J.A. 1202
Judge, G.G., *see* Takayama, T. 981, 1153, 1154
Junior, R.G., *see* Strauss, J. 357
Juselius, K., *see* Johansen, S. 1006
Just, D.R., *see* Wolf, S. 708, 719
Just, R.E. 42, 104, 110–112, 115, 139, 140, 161, 182–184, 226, 235, 236, 246, 250, 256n, 308, 478, 632, 634, 640, 644, 647, 650, 690, 696, 703, 706, 708, 710, 714n, 715–720, 805, 885n, 890, 904, 956, 1119, 1156, 1194, 1196
Just, R.E., *see* Antle, J.M. 717, 720
Just, R.E., *see* Bar-Shira, Z. 709
Just, R.E., *see* Bockstael, N.E. 1122
Just, R.E., *see* Chambers, R.G. 36, 42, 632, 669, 687, 697, 701, 975
Just, R.E., *see* Feder, G. 121, 124, 177, 230, 237, 357n, 643, 713, 781, 1150, 1151
Just, R.E., *see* Huffman, W.E. 219
Just, R.E., *see* Pope, R.D. 109, 112, 115, 675, 703n, 704, 705, 705n, 709, 718
Just, R.E., *see* Rausser, G.C. 805n, 1193, 1201
Just, R.E., *see* Smale, M. 121, 710, 721

Kagan, A., *see* Richards, T.J. 882n, 963
Kahl, K.H. 778n, 801n
Kahlon, A.S. 600
Kahneman, D. 108, 709
Kaiser, H.M., *see* Kawaguchi, T. 1154
Kaiser, H.M., *see* Liu, D.J. 905
Kaiser, H.M., *see* Suzuki, N. 905, 919
Kako, T. 34
Kalat, K.L., *see* Salant, S.W. 832n
Kaldor, D.R., *see* Heady, E.O. 191, 196
Kaldor, N. 769, 851, 1151
Kalirajan, K. 268
Kallio, P.K. 887
Kalonge, S., *see* Howard, J. 594
Kamara, A. 1153
Kambhampaty, S.M. 903, 1156
Kamien, M.I. 60
Kanbur, R. 418
Kanbur, R., *see* Alderman, H. 410
Kanbur, R., *see* Haddad, L. 389
Kanbur, S.M.R. 826
Kao, R., *see* Chavas, J.-P. 182
Kapteyn, A. 159n
Karagiannis, G., *see* Quiggin, J. 140
Karanja, D.D. 602, 611
Karantininis, K., *see* Gillespie, J.M. 875
Karmajou, F. 558
Karp, L.S. 121, 127, 131, 132, 907, 908, 913
Karp, L.S., *see* Beghin, J.C. 884
Karp, L.S., *see* Collins, R.A. 534, 542
Karrenbrock, J., *see* Pick, D.H. 882n
Kashyap, A.K., *see* Hubbard, R.G. 548
Kastens, T.L. 1145n, 1147
Katz, E. 100
Katz, E., *see* Stark, O. 470, 474

Katz, L.F., *see* Goldin, C. 346
Katz, M.L. 1119
Kaufman, P. 905
Kawagoe, T. 21, 367
Kawaguchi, T. 1154
Kawai, M. 759
Kaylen, M.S. 1147
Kazmierczak, R.F. 887
Keane, M.P. 193
Kehrberg, E.W., *see* Patrick, G.F. 591
Kellard, N. 1158
Kelley, T.G., *see* Bera, A.K. 121
Kelly, A., *see* Ball, V.E. 661, 668, 672
Kemp, M.C. 491
Kemp, M.C., *see* Flemming, J.M. 823
Kendrick, J.W. 365
Kenkel, D. 1096, 1097
Kenkel, D., *see* Berger, M.C. 1097
Kennedy, E.T. 418, 433, 437n, 437n
Kennedy, J., *see* Vanzetti, D. 1153
Kenyon, D.E. 793n, 802, 804
Kenyon, D.E., *see* Yun, W.-C. 762n
Keon, M., *see* Kanbur, R. 418
Keplinger, K.O. 637
Kerr, J.M., *see* Pender, J.L. 299n
Kevane, M. 306
Key, N. 292
Keynes, J.M. 769, 770, 819, 820, 825, 856, 1151
Khaldi, N. 361
Khan, M.H. 594, 601
Khandker, S.R. 429
Khandker, S.R., *see* Pitt, M. 418, 439n
Khanna, M. 216, 216n, 253
Khanna, M., *see* Zilberman, D. 253, 255
Khatri, Y. 604
Khoju, M.R. 556
Khor, L.B., *see* Winegarden, C.R. 497
Khoury, N., *see* Perrakis, S. 1152
Kiefer, J., *see* Dvoretzky, A. 836n
Kiefer, N. 158
Kiefer, N., *see* Kapteyn, A. 159n
Killingsworth, M. 408, 440
Kilmer, R.L., *see* Taylor, T.G. 881n, 904
Kim, C.S. 919
Kim, S. 495
Kimball, M.S. 109n
Kimhi, A. 352, 353, 408, 429, 440, 538
Kimle, K.L. 1152
Kimuyu, P.K., *see* Pinckney, T.C. 299
King, E.M. 416, 419, 429, 435, 437n
King, G.A., *see* French, B. 707
King, G.A., *see* George, P.S. 887, 943, 943n, 948, 950, 1202
King, R. 319n
King, R.A. 983
King, R.A., *see* Bressler, R.G. 887, 974
King, R.P., *see* Fackler, P.L. 805
Kinney, W. 882
Kinnucan, H.W. 959, 960, 1165
Kinsey, J. 1163
Kiran, P., *see* Newell, A. 305, 305n
Kirman, A.P. 159
Kislev, Y. 8n, 15, 22, 245, 268, 597, 600
Kislev, Y., *see* Evenson, R.E. 22, 22n, 213, 214, 583, 583n
Kivanda, L., *see* Fox, G. 31n
Klasen, S. 415, 424
Kleibenstein, J.B., *see* Fox, J.A. 1099, 1100
Klein, B. 873n, 877, 1109, 1113
Klein, L.R. 8, 677, 688
Klein, N.L. 1091, 1101, 1127
Klemperer, P. 909
Klette, T.J. 225
Kletzer, K.M. 850
Kliebenstein, J.B. 874, 1165
Kliebenstein, J.B., *see* Shin, S.Y. 1100
Kling, C.L., *see* Sexton, R.J. 904n, 1011, 1012, 1012n, 1014
Kling, J. 187n
Kling, K., *see* Kenyon, D.E. 804
Klotz, C. 358
Klotz-Ingram, C., *see* Frisvold, G. 275
Knapp, K.C. 850
Knaul, F. 429
Knetter, M.M. 886
Knetter, M.M., *see* Goldberg, P.K. 886
Knight, F. 91
Knight, T.O. 135, 140n
Knight, T.O., *see* Coble, K.H. 138, 140
Knodel, J. 419
Knoeber, C.R. 874, 1165, 1166, 1200, 1201
Knowles, J.C. 473, 485, 496
Knudsen, N. 677n
Knutson, M. 600
Knutson, R.D. 1122
Kobayashi, K., *see* Suzuki, N. 919
Kocagil, A.E. 800, 808
Kochar, A. 404, 411
Kofi, T.A. 802
Kohls, R.L. 1139, 1160n
Kohzadi, N. 1158
Kolb, R.W. 771, 774

Kolb, R.W., *see* Barrett, W.B. 1158
Kolb, R.W., *see* Gay, G.D. 752n
Kolner, D., *see* Schmiesing, B.H. 556
Kolstad, C.D. 884, 1092, 1111
Koo, A.Y.C. 319n
Koontz, S.R. 907, 907n, 999
Koontz, S.R., *see* Hayenga, M.L. 868n, 974, 1156
Koontz, S.R., *see* Unterschultz, J. 1152
Koontz, S.R., *see* Ward, C.E. 875, 1156, 1157
Kooreman, P. 400
Koppenhaver, G.D. 802
Kortum, S. 583
Kostecki, M.M. 884
Kosters, M. 391, 401
Kotlikoff, L., *see* Altonji, J. 441
Kotwal, A., *see* Eswaran, M. 268, 270, 305
Kouaouci, A., *see* Massey, D.S. 482, 485, 488
Kouaouci, A., *see* Taylor, J.E. 494, 495
Koyck, L. 57
Kraft, D.F. 886, 1149, 1169
Kramer, R.A., *see* Gardner, B.L. 140
Kramer, R.A., *see* Pope, R.D. 98
Kranton, R.E. 308
Krause, M. 100, 101
Kremer, M. 848
Kreps, D.M. 873
Kreps, D.M., *see* Hart, O.D. 850
Krishna, K. 885, 1167
Krishnan, D., *see* Dercon, S. 415
Krishnan, P., *see* Dercon, S. 306n
Kroner, K.F., *see* Brenner, R.J. 806n
Krueger, A.B., *see* Angrist, J. 428
Krugman, P., *see* Brander, J.A. 1154
Kukanza, M.J., *see* Epps, T.W. 805n
Kumar, P. 602
Kung, J.K. 301n
Kupfuma, B. 594
Kupfuma, B., *see* Mudhara, M. 594, 611
Kuroda, Y. 34
Kuserk, G.J. 768
Kutcher, G.P. 305, 305n, 637
Kuyvenhoven, A. 611, 612
Kuznesof, P.M., *see* Olempska-Beer, Z.S. 1087
Kuznets, S. 427
Kwoka, J.E. 881, 882

Lacewell, R.D., *see* Bryant, K.J. 633
Lacewell, R.D., *see* Keplinger, K.O. 637
Lachaal, L. 18, 72
Lacroix, G., *see* Chiappori, P.-A. 397, 398, 419
Lacroix, G., *see* Fortin, B. 398
Laderman, E. 556
LaDue, E. 558
LaDue, E., *see* Miller, L.H. 529, 530
LaDue, E., *see* Novak, M. 529
Laffont, J.-J. 311
Laffont, J.-J., *see* Gasmi, F. 901, 913
LaFrance, J. 1045, 1053, 1070n, 1092, 1191, 1202
LaFrance, J., *see* Green, R. 1202
Lajili, K., *see* Barry, P.J. 520
Lajili, K., *see* Miller, L.H. 521, 529, 530
Laker-Ojok, R. 599, 611
LaLonde, R. 497
Lam, D. 412, 413, 428
Lamm, R.M. 905, 905n, 960
Lancaster, K.J. 1030
Lanclos, D.K. 920
Landefeld, J.S. 1098
Landes, E.M., *see* Becker, G.S. 413, 419n, 421
Lane, J., *see* Waterlow, J.C. 429
Lang, K., *see* Dickens, W.T. 478
Lange, M.D., *see* Huffman, W.E. 352, 353, 370, 440
Langemeier, L.N., *see* Jensen, F.E. 548, 721
Langemeier, M.R. 536
Lansink, A.O. 56, 67
Lanzona, L.A. 416, 417
Lapan, H. 98, 123n, 127–130, 132, 134, 779
Lapan, H., *see* Moschini, G. 130, 132, 133
Laroque, G., *see* Deaton, A. 833–835, 835n, 837n, 852
Larson, D. 62, 472
Larson, D., *see* Mundlak, Y. 24, 26
Lasley, F.A. 276
Lass, D.A. 352, 353, 370
Lass, D.A., *see* Hallberg, M.C. 352
Latimer, R. 600
Lau, L., *see* Feder, G. 582n, 592, 594
Lau, L.I., *see* Jamison, D. 362, 431, 591, 592
Lau, L.J. 8n, 32, 42, 657, 689, 890, 956
Lau, L.J., *see* Chou, E.C. 592
Lau, L.J., *see* Christensen, L.R. 23, 1190
Lau, L.J., *see* Jorgenson, D.W. 1031
Lau, L.J., *see* Yotopoulos, P.A. 8n, 32, 268
Laufer, L. 391, 431
Lave, L.B., *see* Arrow, K.J. 1091
Lavergne, P. 868, 915
Lavoie, N., *see* Chalfant, J.A. 873
Lavoie, N., *see* Sexton, R.J. 1117, 1142, 1154, 1155, 1162, 1198

Lavy, V. 437n
Law, L., *see* Feder, G. 549
Lawrence, J.D., *see* Hayenga, M.L. 874
Lawrence, J.D., *see* Hennessy, D.A. 1166
Lawrence, J.D., *see* Kliebenstein, J.B. 874, 1165
Lawson, J.S., *see* Jensen, F.E. 548, 721
Layard, R. 419
Leach, J. 850
Leahy, J.V. 106
Leamer, E.E. 975, 1004
Learn, E.W., *see* Wetmore, J.M. 1202
Leatham, D.J. 541
Leathers, H.D. 42, 640, 677n
Leathers, H.D., *see* Smale, M. 121, 710, 721
LeBlanc, M. 546
Lechine, V., *see* Browning, M. 396, 397, 399, 412
Lee, H. 70
Lee, J. 551, 558
Lee, J.-W., *see* Barro, R.J. 337n
Lee, J.H., *see* Crain, S.J. 804
Lee, L.-F. 478, 483
Lee, M.-J., *see* Kimhi, A. 408, 440
Lee, W. 517, 556, 559
Lee, W., *see* Barry, P.J. 556, 559
Leffler, K.B., *see* Klein, B. 873n, 1109, 1113
Lehmann, B., *see* Adler, M. 993
Lehmann-Grube, U. 1119
Lehvall, P. 231
Leiby, J.D., *see* Sumner, D.A. 270
Leland, H.E. 1189
Lele, U.J. 992, 993
Lence, S.H. 126n, 134, 751n, 779, 780
Lent, R., *see* Chen, Z. 891n
Lentzner, H., *see* Mensch, B. 435, 437n
Lenz, J.E. 1150
Lenz, J.E., *see* Suzuki, N. 905, 919
Leonard, G., *see* Hausman, J. 900
Leontief, W. 719, 1190, 1204
Lerman, Z. 269
Lerner, A.P. 885, 885n
LeRoy, S.F., *see* Cooley, T.F. 1004
Leslie, J., *see* Cochrane, S.H. 435, 436, 437n
Leslie, J., *see* Martorell, R. 415
Lesser, W.H., *see* Madhavan, A.N. 878
Leuthold, R.M. 182–184, 779, 802, 805, 1146, 1152
Leuthold, R.M., *see* Garcia, P. 193, 805
Leuthold, R.M., *see* Taylor, G.S. 759
Leveen, E.P., *see* de Janvry, A. 217, 220
Leveen, E.P., *see* Hall, B.F. 268, 269
Lever, B.G. 591
Levhari, D., *see* Stark, O. 470, 474
Levine, R. 549, 550
Levinsohn, J., *see* Berry, S.T. 902
Levy, H., *see* Hanoch, G. 95
Levy, M.E. 480
Levy, S. 464
Lewis, W.A. 463, 489–491
Li, D., *see* Vukina, T. 129n
Li, Z., *see* Lin, J.Y. 296
Liang, J.N. 901
Liang, Y., *see* Chatrath, A. 772
Lianos, T.P. 267, 278
Libecap, G.D., *see* Alston, L.J. 297
Librero, A. 593, 601, 602
Lichtenberg, E. 251
Lichtenberg, E., *see* Chambers, R.G. 648, 1190
Lichtenberg, E., *see* Horowitz, J.K. 138, 647
Liefert, W.M. 1087, 1090
Lieten, G.K. 319n
Liew, J., *see* Edwards, F.R. 766
Lifran, R. 536
Ligon, E. 850
Ligon, E., *see* Hueth, B. 1200
Ligon, E., *see* Hueth, L. 1166
Lilburn, M.S., *see* Barefoot, S.F. 1087
Lilja, N. 411, 430n
Lim, H., *see* Shumway, C.R. 633
Lima dos Santos, C.A., *see* Cato, J.C. 1125
Lin, B.H. 1150
Lin, C.-T.J. 1099
Lin, C.-T.J., *see* Crutchfield, S.R. 1087, 1091, 1120
Lin, J., *see* Feder, G. 549
Lin, J.Y. 296, 357
Lin, W. 106, 115, 120, 270, 272
Lin, W.L., *see* Yotopoulos, P.A. 8n, 32
Lindner, R., *see* Halbrendt, C. 1100
Lindrooth, R.C., *see* Anderson, D.W. 911
Lins, D.A. 550
Lins, D.A., *see* Barry, P.J. 556
Lins, D.A., *see* Ellinger, P.N. 535, 556
Lins, D.A., *see* Miller, L.H. 529, 530
Lipsey, R.G., *see* Eaton, B.C. 1085, 1112, 1115, 1172
Lipton, M. 496, 826
Litan, R.E. 1111
Litan, R.E., *see* Herring, P.J. 554
Liu, D.J. 905
Liu, T.-J. 819
Liu, Y., *see* Fleisher, B.M. 364

Lloyd, C.B. 437n
Llnch, C. 1068
Loaharanu, P. 1088
Lobdell, R., *see* Rempel, H. 492
Locke, P.R. 768
Locke, P.R., *see* Knserk, G.J. 768
Loehman, E. 647
Lompo, F., *see* Onédraego, S. 599
Looney, J. 539
Lopez, R.A., *see* Bhuyan, S. 890, 914n, 916, 917, 917n
Lopez, R.E. 34, 35, 35n, 36, 64n, 269, 890, 953
Losq, E. 127
Love, H.A. 113, 647, 886, 891, 892, 892n, 959
Love, H.A., *see* Raper, K.C. 893, 914
Love, H.A., *see* Rausser, G.C. 1192
Love, H.A., *see* Saha, A. 549
Loveless, R., *see* Bare, B.B. 598
Lovell, C.A.K., *see* Fried, H.O. 637n, 655
Lovell, M.C. 195
Lowell, B.L., *see* Bean, F.D. 497
Lowenberg, D.J. 270, 278
Lowenberg-DeBoer, J., *see* Aghib, A. 611, 612
Loyns, R.M., *see* Carter, C.A. 884, 1169, 1170
Lozano Ascencio, F. 492
Lu, Y.C. 594, 600
Lubben, R., *see* Sherrick, B.J. 531
Lucas, R.E. 51, 882, 1038, 1041
Lucas, R.E., *see* Stokey, N.L. 164, 165n
Lucas, R.E.B. 411, 474, 476, 478, 486, 487, 492
Lueck, D., *see* Allen, D.W. 531, 633, 636, 723, 1166, 1201
Lufburrow, J. 529
Luh, Y.H. 65, 67, 68
Lulu, N.M., *see* Trovato, F. 424
Lundberg, S. 385, 397, 400, 401, 407, 410
Luo, H. 140
Luo, X., *see* Feder, G. 549
Lurie, J. 754
Luz Barbosa, M.K.T. 598
Ly, S., *see* Mazzueato, V. 599, 611, 612
Lycette, M., *see* Bnvinic, M. 430n
Lynch, L., *see* Perloff, J.M. 350, 473, 478, 479, 484
Lyon, C.C. 963, 964
Lyon, C.C., *see* Thompson, G.D. 881, 963
Lyon, R.M. 1161

MacArthur, J.D., *see* Scott, M.F. 321n
MacAulay, T.G., *see* Batterham, R.L. 1153n
Maccini, L.J., *see* Blinder, A.S. 832
MacCormick, A.J., *see* Lenthold, R.M. 1146
MacDonald, J.M. 911, 912
MacDougal, G.D.A. 491
MacDougall, N., *see* Zilberman, D. 244
Machina, M.J. 91, 709
MacLaren, D., *see* Carter, C.A. 902n
Macmillan, J. 611
MacMinn, R.D. 98
MacRobert, J., *see* Macmillan, J. 611
Maddala, G.S. 478, 483
Maddox, J.G. 481
Madhavan, A.N. 878
Magat, W.A. 1090
Mahajan, V. 249
Mahmud, W. 495
Mahul, O. 141
Mairesse, J. 615
Makana, D.W. 604
Makanda, D., *see* Akgunkov, S. 604
Makau, B.F. 601
Makki, S.S. 604, 839
Malathy, R. 403, 437n
Malathy, R., *see* Duraisamy, P. 437n
Maldonado, R. 482
Malik, A. 301
Malinvaud, E. 162
Malliaris, A.G. 1152, 1158
Malthns, T.P. 422
Maluccio, J. 390, 441
Manalo, A. 1150
Manaster, S. 767n
Manchester, A.C. 1193
Manchester, A.C., *see* Jesse, E.V. 877n
Mann, S.C., *see* Manaster, S. 767n
Manser, M. 398, 401
Mansfield, E. 231
Mapp, H.P. 535
Mapp, H.P., *see* Teague, M.L. 120
Marcet, A., *see* Den Haan, J.W. 838
Marchant, M.A., *see* Luo, H. 140
Marcus, A.J. 106, 774
Marion, B.W. 276, 867, 903, 905, 905n
Marion, B.W., *see* Connor, J.M. 867, 909, 910, 953
Marion, B.W., *see* Jesse, E.V. 877n
Marion, B.W., *see* Quail, G. 903
Markowitz, H. 95
Marquardt, J., *see* Quail, G. 903
Marquardt, R. 805n
Marra, M.C., *see* Alston, J.M. 576n

Marschak, J. 6
Marschak, J., *see* Arrow, K.J. 836n
Marshall, A. 975, 977, 977n, 1189
Marshall, R.C., *see* Baldwin, L.H. 1161
Martell, T.F. 768
Martella, D., *see* Anandajayasekeram, P. 611, 612
Martella, D., *see* Chisi, M. 611, 612
Martin, J.R. 536
Martin, L. 182–184, 1201
Martin, P.L. 348n, 482, 493, 498, 499, 502
Martin, P.L., *see* Taylor, J.E. 497–499, 1188, 1195
Martin, S., *see* Hinloopen, J. 916n
Martinez, J.C. 597
Martinez, S. 610
Martorell, R. 415
Marttila, J. 915
Maruszko, L.M., *see* Todaro, M.P. 466
Mas-Colell, A. 92
Mason, T.I., *see* Dwyer, G.P. 188, 190, 197
Massell, B.F. 823
Massengill, H.E., *see* Shuford, E. 186n
Massey, D.S. 482, 485, 488, 496
Massey, D.S., *see* Taylor, J.E. 494, 495
Masson, R.T. 878, 881n
Masson, R.T., *see* Baumer, D.L. 878n, 878n
Masson, R.T., *see* Ippolito, R.A. 881
Masson, R.T., *see* Madhavan, A.N. 878
Masters, W.A., *see* Ahmed, M. 599
Matoussi, M.-S., *see* Laffont, J.-J. 311
Matsuoka, S., *see* Pinazza, A.H. 598
Mattila, J.P., *see* Orazem, P.F. 348
Matulich, S.C. 268
Matulich, S.C., *see* Mittelhammer, R.C. 688, 690, 730, 731n, 732
Mazhangara, E., *see* Mudhara, M. 594, 611
Mazzueato, V. 598, 599, 611, 612
McAfee, R.P. 918n
Mccabe, N., *see* Kenyon, D.E. 804
McCalla, A.F. 884
McCarl, B.A. 637
McCarl, B.A., *see* Baker, T.G. 639
McCarl, B.A., *see* Brink, L. 107
McCarl, B.A., *see* Keplinger, K.O. 637
McCarthy, N. 292
McClennen, E.F. 158n
McCloskey, D. 293, 710, 1204
McCorriston, S. 276, 875, 920
McCracken, V.A., *see* Folwell, R.J. 1150
McCurdy, C., *see* Goodwin, B.K. 999, 1004
McDonald, J.M. 1091
McDonald, R. 243
McElroy, M.B. 385, 397–399, 410, 472, 475, 702
McElroy, M.B., *see* Horney, M.J. 403
McFadden, D. 29n, 196n, 725, 1039
McFadden, D., *see* Fuss, M. 23n, 29n, 31n
McGowan, J.J., *see* Fisher, F.M. 912
McGreevy, W.P., *see* Buvinic, M. 430n
McGuckin, T., *see* Antle, J.M. 209n, 218n
McGuire, J.S. 436
McGuirk, A. 25, 27, 72, 217, 249, 250
McGuirk, A., *see* Kenyon, D.E. 802
McGuirk, A., *see* Yun, W.-C. 762n
McIntire, J., *see* Binswanger, H.P. 211
McKay, H., *see* Van Duren, E. 1160
McKinnon, R.I. 127
McKinsey, J., *see* Evenson, R.E. 593, 602
McKissick, J., *see* Turner, S.C. 1161
McLaren, J. 850
McLaren, K.J. 1048
McLaren, K.R. 59
McLaren, K.R., *see* Cooper, R.J. 1048
McLaughlin, E.W. 876
McMillan, J. 296
McMillan, J., *see* McAfee, R.P. 918n
McNamara, K.T., *see* Hearn, D.H. 267, 278
McNeil, T., *see* Tronstad, R. 182
McNew, K. 779, 839, 985n, 1007, 1008
Mcnulty, M.S., *see* Grunewald, O. 798
McQuigg, J.D. 646
McWilliams, B. 234
Mearns, R. 293
Meckling, W., *see* Jensen, M. 304, 305, 519, 520
Medema, S.G. 1187
Meehan, J.W., *see* Rosengren, E.S. 1164
Meehl, P. 196
Mehl, P. 753
Meinzen-Dick, R. 434
Melichar, E. 517
Melitz, J., *see* Crouhy-Veyrac, L. 975
Melnick, R. 894, 904
Mendonca, R., *see* Barros, R. 422
Menger, K. 95n
Menkhaus, D.J. 903
Mensch, B. 435, 437n
Mercier, S., *see* Huffman, W.E. 354
Mesbah, D., *see* Carter, M.R. 306n, 316
Metcalf, D., *see* Nickell, S.J. 915
Metcalf, G.E., *see* Hasset, K.A. 243

Metternick-Jones, M.A., *see* Buffier, B.D. 517, 556
Meyer, J. 96, 100, 103, 539
Meyer, R.L. 558
Meyer, R.L., *see* Esguerra, F. 533
Meyers, W., *see* Bredahl, M.E. 976
Michael, P. 975
Michael, R.T. 430
Michael, R.T., *see* Becker, G.S. 413, 419n, 421
Miedema, A.K. 962
Mighell, R.L. 870, 870n
Migot-Adholla, S. 299
Milgrom, P. 873, 909
Mill, J.S. 975
Miller, B.D. 414, 415, 423n, 424
Miller, L.H. 521, 529, 530
Miller, R.I., *see* Guinnane, T.W. 320
Mills, D.E. 875n
Mills, E.S. 170
Milon, J.W., *see* Lin, C.-T.J. 1099
Min, C., *see* Zellner, A. 187n
Minami, D., *see* French, B. 707
Mincer, J. 338, 339, 391, 401, 405, 430, 467, 486
Mincer, J., *see* Layard, R. 419
Mines, R. 459, 498
Mines, R., *see* Gabbard, S. 348
Minhas, B.S., *see* Arrow, K.J. 23
Mintert, J., *see* Schroeder, T.C. 875
Miracle, D.S. 749
Miranda, M.J. 119, 141, 159n, 160n, 792, 831, 839, 845, 850, 852, 853
Miranda, M.J., *see* Makki, S.S. 839
Miranowski, J., *see* Just, R.E. 308, 1194
Miranowski, J., *see* Orazem, P.F. 180
Mirrlees, J.A. 822
Mischen, P., *see* Richards, T.J. 882n, 963
Mishra, A.K. 410, 411
Misra, S.K. 1088
Mittelhammer, R.C. 8n, 688, 690, 730, 731n, 732
Mittelhammer, R.C., *see* Lenz, J.E. 1150
Mittelhammer, R.C., *see* Wahl, T.I. 1150
Mjelde, J.W., *see* Bryant, K.J. 633
Modest, D.M., *see* Marcus, A.J. 106
Moghnieh, G.A., *see* Featherstone, A.M. 43, 44
Mohan, R. 420, 421, 593
Mohendru, I.D. 990
Mohnen, P., *see* Mairesse, J. 615
Mojduszka, E.M., *see* Caswell, J.A. 1086, 1090, 1114
Mokhtari, M. 975
Mokler, R.S., *see* Leuthold, R.M. 779
Monares, A. 598
Monier-Dilhan, S., *see* Hollander, A. 1163
Monke, E., *see* Tronstad, R. 1150
Monson, M.J., *see* Taylor, T.G. 65
Monteiro, A. 597, 610
Montgomery, M.R. 419
Moock, P. 395n, 430n, 432, 591
Moock, P., *see* Jamison, D. 432, 591, 592
Moock, P., *see* Martorell, R. 415
Mookherjee, D. 311
Mookherjee, D., *see* Banerjee, A. 311n
Moore, C.V., *see* Bessler, D.A. 186n
Moore, C.V., *see* Lin, W. 106, 120, 270, 272
Moore, K., *see* Fischer, M. 529
Moore, S., *see* Simon, J.L. 497
Mora, M. 764
Morcom, C., *see* Kremer, M. 848
Morgan, C.W., *see* McCorriston, S. 276
Morgan, W., *see* Strak, J. 868
Morgenstern, O., *see* von Neumann, J. 93n
Mori, H., *see* Lin, B.H. 1150
Moricochi, F. 597, 610
Moro, D., *see* Moschini, G. 1202
Morooka, Y. 309n
Morris, M.L. 604, 611
Morrison, C.J. 649, 963, 966
Mosak, J.L. 942n
Moscardi, E. 107, 113
Moschini, G. 41, 112, 130, 132, 133, 644, 647, 704, 705n, 709, 712, 726, 1191, 1202
Moschini, G., *see* Holt, M.T. 115, 117
Moschini, G., *see* Lapan, H. 98, 123n, 127–130, 132, 134, 779
Moss, C.B. 112, 1172
Moss, C.B., *see* Featherstone, A.M. 535, 540, 541
Moss, C.B., *see* Purvis, A. 106, 549
Moss, C.B., *see* Thurow, A.P. 243
Moss, L.M., *see* Barry, P.J. 528
Motta, M. 1119
Mruthyunjaya, *see* Kumar, P. 602
Muchnik, E. 598, 610
Mudhara, M. 594, 611
Mudimuk, G., *see* Macmillan, J. 611
Muellbauer, J. 1038, 1040
Muellbauer, J., *see* Deaton, A. 408, 412, 425, 1032, 1202
Mueller, B. 300
Mueller, R.A.E., *see* Gupta, S. 998, 999
Mueller, R.A.E., *see* Sumner, D.A. 797

Mueller, W.F. 878, 1156
Mueller, W.F., *see* Clodius, R.L. 866
Mueller, W.F., *see* Connor, J.M. 867, 909, 910, 953
Mueller, W.F., *see* Marion, B.W. 867
Mueller, W.F., *see* Wills, R.L. 909
Muirhead, S. 1156
Mukhopadhyay, S. 394, 395
Mulherin, J.H. 754
Mullen, J.D., *see* Wohlgenant, M.K. 951, 962, 964
Muller, T. 497
Mullin, W.P., *see* Genesove, D. 915
Mundlak, Y. 8, 8n, 9, 10n, 11, 18, 21, 22, 23n, 24–26, 27n, 30, 30n, 33, 34n, 41, 46, 47, 47n, 48–50, 53, 57, 57n, 62, 68, 72, 72n, 158n, 209n, 431, 633, 637, 651, 691, 698, 709, 712, 713, 723, 726, 1190
Mundlak, Y., *see* Cavallo, D. 72, 251, 252
Mundlak, Y., *see* Coeymans, J.E. 18, 62, 72, 252
Mundlak, Y., *see* Fuss, M. 23n, 31n
Mundlak, Y., *see* Larson, D. 62, 472
Mundlak, Y., *see* McGuirk, A. 25, 27, 72, 217, 249, 250
Mundlak, Y., *see* Rausser, G.C. 1192
Muñoz-Piña, C., *see* Key, N. 292
Munshi, K., *see* Banerjee, A. 311n
Murdock, G.P. 433
Murniningtyas, E., *see* Love, H.A. 886, 891, 892n
Murphy, A. 186, 186n, 187, 187n
Murphy, J.A. 766, 775n
Murphy, K.M., *see* Becker, G.S. 335
Murray, B.C. 956n
Murray, B.C., *see* Anderson, D.W. 911
Murray, C. 422
Murty, A.R., *see* Bidinger, P.D. 308
Murua, J.-R., *see* Alston, J.M. 880
Musick, D.C., *see* Brester, G.W. 962
Mutemeri, L., *see* Macmillan, J. 611
Muth, J.F. 162, 167, 172, 175, 178, 195, 825, 1198
Muth, M.K. 891, 892, 903, 913, 955, 956, 959n
Mwabu, G. 429
Mwabu, G., *see* Evenson, R.E. 363, 425
Mwape, M., *see* Chisi, M. 611, 612
Myers, R.J. 109, 123n, 131, 132, 779, 1005
Myers, R.J., *see* Akgunkov, S. 604
Myers, R.J., *see* Duncan, J. 141
Myers, R.J., *see* Tomek, W.G. 1005
Myers, W.H., *see* Bredahl, M.E. 943n
Nabi, I. 487
Nadiri, M.I. 57, 1027
Nagarajan, G. 309n
Nagase, N., *see* Nawata, K. 373
Nagy, J.G. 594, 597, 600–602
Nakosteen, R.A. 484
NaRanong, V. 416, 428, 437n, 439
Narasimhan, C. 875n
Nartea, G., *see* Barry, P.J. 537
Nash, E.K., *see* Shumway, C.R. 42, 640, 653, 671n, 674, 690, 693, 696
Nash, J.F. 398
Nasr, R. 524
National Commission on Food Marketing 866, 953
National Research Council 436, 1086–1090, 1115
Nawata, K. 373
Neff, D. 556
Neff, D., *see* Hauser, R. 804
Nehring, R., *see* Ball, V.E. 26, 26n, 209n, 272, 273, 365, 661
Nelson, C.H. 111, 113, 549, 647
Nelson, C.H., *see* Khoju, M.R. 556
Nelson, C.H., *see* Loehman, E. 647
Nelson, D.B. 116
Nelson, J. 485
Nelson, K.E., *see* Duewer, L.A. 1126
Nelson, P. 910, 1112
Nelson, R.G. 187, 189, 190, 194, 196, 197, 200
Nelson, R.G., *see* Kinnucan, H.W. 1165
Nelton, S. 527
Nerlove, M. 36n, 48, 115, 158, 159, 159n, 160, 160n, 161, 161n, 162, 163, 166, 166n, 167, 169, 170, 173n, 175, 176, 179n, 180, 180n, 181, 194–196, 198, 418, 419n, 648, 652, 706, 708, 712, 713, 1191, 1203
Nerlove, M., *see* Horvath, B. 158, 172, 196
Netter, J.M., *see* Mulherin, J.H. 754
Netz, J.S. 1150
Nevo, A. 902
Newbery, D.M.G. 89, 98, 113, 127, 128, 265, 270, 310n, 826, 828, 829, 831, 837n, 849
Newbery, D.M.G., *see* Scott, M.F. 321n
Newbold, P., *see* Kellard, N. 1158
Newell, A. 305, 305n
Newman, A.F., *see* Banerjee, A.V. 318, 318n
Newman, D.H. 598
Newman, D.H., *see* Seldon, B.J. 601
Newman, J.L. 412n, 429, 443

Newmark, C.M. 905, 906
Ngenge, A.W., *see* Brorsen, B.W. 999
Nguyen, D. 21
Nichman, M., *see* Waterlow, J.C. 429
Nicholls, W.H. 865, 1198
Nickell, S.J. 915
Nishio, A., *see* Feder, G. 315
Nobay, A.R., *see* Michael, P. 975
Noeme, C., *see* Oustapassidis, K. 868
Noll, R.G., *see* Arrow, K.J. 1091
Nordin, J.A. 1202
Norgaard, R.B. 217, 611
Norman, G., *see* Greenhut, M.L. 1153, 1154
Norman, V., *see* Dixit, A.K. 976
Norton, G.W. 593, 594, 598, 600, 604, 610
Norton, G.W., *see* Alston, J.M. 218, 225, 918, 1119
Norton, G.W., *see* Bouchet, F. 38
Norton, G.W., *see* Easter, K.W. 610
Norton, G.W., *see* Martinez, S. 610
Norton, G.W., *see* Smith, B. 601
Norton, G.W., *see* Sundquist, W.B. 601
Nourse, E.G. 871, 876
Novak, F. 538
Novak, F., *see* Unterschultz, J. 1152
Novak, M. 529
Nuckton, C.F., *see* French, B. 882
Nugent, J. 293
Nunez, J., *see* Ribero, R. 429
Nusser, S.M., *see* Carriquiry, A.L. 1092

Oberai, A.S. 485, 496
Obstfeld, M. 1012
Ocampo, M.B., *see* Librero, A. 601
O'Connell, J., *see* Kinney, W. 882
O'Donnell, C.J. 98
OECD 273–275, 347, 352
Oehmke, J.F. 604
Oehmke, J.F., *see* Akgunkov, S. 604
Oehmke, J.F., *see* Makana, D.W. 604
Oehmke, J.F., *see* Schwartz, L. 598, 611
Oehmke, J.F., *see* Sterns, J.A. 611
Oellermann, C.M. 787
Officer, L. 975
O'Hara, D.J., *see* Cochrane, S.H. 435, 436, 437n
Oi, W.Y. 822
Olempska-Beer, Z.S. 1087
Olinto, P. 304n, 305
Olinto, P., *see* Carter, M.R. 300
Olinto, P., *see* Deininger, K. 294n
Ollinger, M. 1128
Ollinger, M., *see* Crutchfield, S.R. 1087, 1091, 1120
Ollinger, M., *see* Roberts, T. 1091, 1120
Olmstead, A.L. 212, 213, 233
Olmstead, A.L., *see* Martin, P.L. 482
Olmstead, J. 243
Olson, M. 352
Olson-Lanjouw, J. 304n, 310n
O'Mara, G.T., *see* Feder, G. 235
Onchan, T., *see* Feder, G. 296, 299
Orazem, P.F. 180, 336, 348
Orazem, P.F., *see* Baur, R.F. 797
Orazem, P.F., *see* Huang, T.-L. 351
Orden, D., *see* Bouchet, F. 38
Orivel, F., *see* Perraton, H.D. 591
Ormiston, M.B. 101, 103
Ormiston, M.B., *see* Meyer, J. 100, 103
Ortalo-Magné, F., *see* Goodwin, B.K. 975
Ortiz, J., *see* Norton, G.W. 598, 604
Ortiz-Monasterio, R.J.I., *see* Traxler, G. 111
Osborne, N., *see* Hughes, D.R. 558
Ossard, H., *see* Hollander, A. 1163
Otsuka, K. 310, 313, 319n
Otsuka, K., *see* Hayami, Y. 316
Otsuka, K., *see* Nagarajan, G. 309n
Otto 601
Otto, D., *see* White, J.F. 600
Ouédraego, S. 599
Ouédraego, S., *see* Bertelsen, M. 611, 612
Oustapassidis, K. 868
Oustapassidis, K., *see* Vlachvei, A. 910
Overdahl, J.A., *see* Mulherin, J.H. 754

Paarsch, H. 850
Pachico, D.H. 591
Paczkowski, R., *see* Norton, G.W. 593, 598
Padberg, D.I., *see* Caswell, J.A. 1090, 1112
Pagan, A.R. 117
Pagoulatos, E. 909, 911, 917
Pagoulatos, E., *see* Azzam, A.M. 898, 903, 919, 955
Pakes, A., *see* Berry, S.T. 902
Palma, G. 819
Palma, V., *see* da Cruz, E.R. 593, 596, 597, 610
Palmer, J.L. 422, 423
Palmquist, R.B. 1092, 1107
Pang, J.S., *see* Ferris, M.C. 983
Panzar, J.C. 1101, 1117
Panzar, J.C., *see* Baumol, W.J. 267n, 639, 908, 1117
Pardey, P.G. 273, 275, 575n

Pardey, P.G., *see* Alston, J.M. 218, 225, 576n, 577n, 588n, 604, 918, 1119
Pardey, P.G., *see* Craig, B.J. 273, 275, 367
Pardey, P.G., *see* Fan, S. 603
Pardey, P.G., *see* Norton, G.W. 598, 604
Paris, Q. 118, 633, 637n
Parish, R.M. 960
Park, A. 819, 839
Park, A., *see* Williams, J.C. 763n
Park, T., *see* Azzam, A.M. 891, 907
Park, T., *see* Pick, D.H. 886
Parker, D. 239, 254, 963, 1150
Parker, D., *see* Just, R.E. 250, 256n
Parker, R.C. 915
Parliarou, D., *see* Lianos, T.P. 267, 278
Parsons, A., *see* Halbrendt, C. 1100
Parsons, H.L., *see* Brewster, J.M. 47
Pashardes, P. 1068
Pashigian, B.P. 789n
Passel, J.S., *see* Fix, M. 497
Paterno, E.M., *see* Orazem, P.F. 336
Paterson, T.W., *see* Mueller, W.F. 878, 1156
Patrick, G.F. 518, 536, 591
Patrick, G.F., *see* Langemeier, M.R. 536
Patterson, E. 1087
Patterson, P.M. 886, 886n
Paul, A.B. 782, 832
Paul, C.J.M. 1190, 1197
Paxson, C. 408n
Pebley, A.R., *see* Amin, S. 414
Peck, A.E. 752n, 761, 764, 779, 783, 803n, 853, 1153
Peck, A.E., *see* Williams, J.C. 763n
Pederson, G. 556, 559
Pee, T.Y. 597
Peel, D., *see* Michael, P. 975
Pellegrino, A., *see* Massey, D.S. 482, 485, 488
Pellegrino, A., *see* Taylor, J.E. 494, 495
Pender, J.L. 299n
Pender, J.L., *see* Fafchamps, M. 318n
Penson, J.B. 545
Penson, J.B., *see* Hughes, D.W. 555
Peoples, K. 559
Pepper, H.A., *see* Barry, P.J. 556
Perez, M., *see* Librero, A. 593, 601
Perloff, J.M. 349, 350, 473, 478, 479, 484, 1193
Perloff, J.M., *see* Berck, P. 212, 880
Perloff, J.M., *see* Buschena, D.E. 885, 891
Perloff, J.M., *see* Hyde, C.E. 905n, 914, 959
Perloff, J.M., *see* Ise, S. 368
Perloff, J.M., *see* Karp, L.S. 907, 908, 913
Perloff, J.M., *see* Rausser, G.C. 1203
Perloff, J.M., *see* Rubin, D.K. 369
Perrakis, S. 1152
Perrakis, S., *see* Constantatos, C. 1119
Perraton, H.D. 591
Perrin, R.K. 544, 962, 1101, 1111, 1112, 1126
Perrin, R.K., *see* Fulginiti, L. 68
Perry, M.K. 870, 872n
Pesaran, M.H. 116n, 173, 178, 193
Pesek, J., *see* Halbrendt, C. 1100
Peters, H.E. 397, 421
Peters, P., *see* Kennedy, E.T. 437n
Petersen, B., *see* Fazzari, S.M. 547
Petersen, M. 517, 526, 528
Peterson, E.B. 916, 1149
Peterson, E.B., *see* Connor, J.M. 916, 916n
Peterson, E.B., *see* Kambhampaty, S.M. 903, 1156
Peterson, J.R., *see* King, E.M. 419, 435, 437n
Peterson, M.C., *see* Bailey, D. 1161
Peterson, R.A., *see* Mahajan, V. 249
Peterson, W.L. 597, 600
Peterson, W.L., *see* Bredahl, M.E. 600
Peterson, W.L., *see* Davis, J.S. 600
Peterson, W.L., *see* Kislev, Y. 8n, 15, 22, 268
Petraglia, L.M. 879
Petzel, T.E. 799
Pfann, G.A., *see* Hamermesh, D.S. 55
Pflueger, B.W. 526
Pfouts, R.W. 677
Phelps, E.S., *see* Frydman, R. 160
Phillips, M., *see* Just, R.E. 250, 256n
Phimister, E. 536, 537
Pick, D.H. 882n, 886
Piesse, J., *see* Thirtle, C. 604
Piggott, R.R., *see* Myers, R.J. 1005
Pinazza, A.H. 598
Pinches, G.E. 539n
Pinckney, T.C. 299
Pindyck, R.S. 544, 851
Pindyck, R.S., *see* Dixit, A.K. 106, 243, 278
Ping, Tu, *see* Zeng, Yi 423n
Pingali, P., *see* Antle, J.M. 359
Pingali, P., *see* Smale, M. 611
Pingali, P., *see* Traxler, G. 604
Pinherio, A.E., *see* Bravo-Ureta, B.E. 364
Piore, M.J. 498
Pippenger, J., *see* Davutyan, N. 975
Pitt, M. 121, 357, 389, 390, 395, 415, 418, 439n, 441
Place, F., *see* Baland, J.-M. 317

Place, F., *see* Blarel, B. 293
Plain, R., *see* Kastens, T.L. 1145n, 1147
Platteau, J.-P. 291, 297n, 301, 314
Platteau, J.-P., *see* Andre, C. 294
Platteau, J.-P., *see* Baland, J.-M. 317
Platteau, J.-P., *see* Brasselle, A.-S. 296
Plaxico, J.S., *see* Martin, J.R. 536
Plott, C. 188
Pokhrel, T., *see* Morris, M.L. 604, 611
Pollak, R.A. 1032, 1033, 1040–1042
Pollak, R.A., *see* Behrman, J.R. 393
Pollak, R.A., *see* Lundberg, S. 385, 397, 400, 401, 410
Pomareda, C., *see* Norton, G.W. 594, 610
Pope, A., *see* Karp, L.S. 121
Pope, R.D. 97, 98, 103, 104, 109, 112, 115, 118, 119, 631, 639, 650, 661, 675, 694, 703n, 704, 705, 705n, 709, 718
Pope, R.D., *see* Chambers, R.G. 31n, 650, 661, 718n
Pope, R.D., *see* Chavas, J.-P. 118, 182
Pope, R.D., *see* Coble, K.H. 138, 140
Pope, R.D., *see* Gardner, B.D. 270, 278
Pope, R.D., *see* Just, R.E. 104, 110, 111, 478, 647, 650, 703, 714n, 715–718, 1196
Pope, R.D., *see* Shumway, C.R. 42, 640, 653, 671n, 674, 690, 693, 696
Pope, R.D., *see* Tolley, H.D. 110
Popkin, B.M. 415
Popkin, B.M., *see* McGuire, J.S. 436
Porter, R.H. 889n
Porter, R.H., *see* Green, E.J. 906, 907, 907n
Portes, A. 496, 532
Portney, P.R., *see* Arrow, K.J. 1091
Portney, P.R., *see* Harrington, W. 1097
Posada, R.T., *see* Scobie, G.M. 597
Posner, R.A. 915
Powell, M. 1087, 1090
Power, A.P. 598
Powers, M.J. 749, 759
Powers, N.J. 881, 882
Prakash, G. 1012
Pratt, J. 94, 270
Prautzsch, H., *see* Boehm, W. 839
Pray, C.E. 593, 594, 597, 602
Pray, C.E., *see* Evenson, R.E. 608
Prebisch, R. 819, 825
Preckel, P.V., *see* Featherstone, A.M. 535, 540, 541
Preckel, P.V., *see* Nelson, C.H. 111, 113, 647
Preckel, P.V., *see* Peterson, E.B. 1149
Prentice, B.E., *see* Brinkman, G.L. 598
Prentice, P., *see* Peoples, K. 559
Prescott, R., *see* Pope, R.D. 639
President's National Advisory Commission on Rural Poverty 480, 481
Preston, L., *see* Collins, N. 866
Preston, S. 421, 423, 424
Preston, S., *see* Farah, A.A. 437n
Preston, S., *see* Mensch, B. 435, 437n
Primont, D., *see* Blackorby, C. 635n, 658, 668, 725
Priolon, J., *see* Huault, C. 868
Protopapadakis, A.A. 975
Provost, C., *see* Murdock, G.P. 433
Prozecanski, A.C., *see* Blejer, M.I. 483
Pruitt, S.W. 798
Pudasaini, S.P. 362, 591
Purcell, D.L. 576n, 608n
Purcell, W.D. 903
Purcell, W.D., *see* Kambhampaty, S.M. 903, 1156
Purcell, W.D., *see* Yun, W.-C. 762n
Purvis, A. 106, 549
Putler, D.S. 355
Putnam, J.J. 947n
Putnam, R.D. 532
Putsis, W.P. 911
Putsis, W.P., *see* Cotterill, R.W. 901
Pyatt, G. 832
Pyle, D.H. 120
Pyle, D.H., *see* Leland, H.E. 1189

Quail, G. 903
Quance, L., *see* Johnson, G.L. 55, 277, 278, 545, 707
Quance, L., *see* Lu, Y.C. 594, 600
Quance, L., *see* Tweeten, L.G. 8n, 549
Quibria, M.G. 311, 491
Quiggin, J. 91, 140, 709
Quiggin, J., *see* Blarel, B. 293
Quiggin, J., *see* Chambers, R.G. 104, 647, 709
Quirk, J., *see* Fort, R. 773n
Quisumbing, A.R. 406, 411, 416, 431, 442
Quisumbing, A.R., *see* Fafchamps, M. 395, 431
Quisumbing, A.R., *see* Meinzen-Dick, R. 434
Quisumbing, M.A., *see* Nagarajan, G. 309n
Quizon, J., *see* Evenson, R.E. 593, 602

Rabbinge, R., *see* de Koning, G.H.J. 710
Rader, T. 1028
Rahm, M.R. 355, 356

Rahman, M.L. 556
Rahman, O., *see* Strauss, J. 427
Rajan, R., *see* Petersen, M. 517, 526, 528
Rajaram, S., *see* Smale, M. 611
Rajaraman, I. 802
Raju, J.S. 875n
Ram, R. 410
Ramaswami, B. 101, 111
Ramírez, O.A. 112
Ramos, F.A. 482, 488
Rand and Demographic Institute 403
Raney, L., *see* Subbarao, K. 439
Ranis, G. 463, 464, 489
Rao, V. 268, 412, 424n
Rao, V.R., *see* McLaughlin, E.W. 876
Raper, K.C. 893, 914
Rasche, R.H., *see* Meyer, J. 539
Rashid, S., *see* Quibria, M.G. 311
Rask, N., *see* Lee, W. 517
Rask, N., *see* Shih, J.T. 8n
Rassekh, F., *see* Mokhtari, M. 975
Rausser, G.C. 106, 222, 225, 255, 780, 794n, 805, 805n, 854, 881n, 882, 963n, 1185, 1192, 1193, 1197–1199, 1201, 1203
Rausser, G.C., *see* Alexander, C. 1201
Rausser, G.C., *see* Berck, P. 963
Rausser, G.C., *see* Cargill, T.F. 798
Rausser, G.C., *see* Carter, C.A. 774
Rausser, G.C., *see* Foster, W.E. 123n, 520
Rausser, G.C., *see* Goodhue, R.E. 874, 1193, 1201
Rausser, G.C., *see* Innes, R. 98, 123n, 265, 270
Rausser, G.C., *see* Just, R.E. 182–184, 250, 708, 805
Rausser, G.C., *see* Perloff, J.M. 1193
Raut, L., *see* Nerlove, M. 163
Ravallion, M. 193, 194, 976, 1000, 1001, 1002n, 1007, 1009
Ravallion, M., *see* Jalan, J. 318n
Ravenstein, E.G. 462
Rawling, L., *see* Newman, J.L. 429, 443
Ray, D. 121
Ray, D., *see* Banerjee, A. 311n
Ray, S.C. 33
Rayner, A.J. 545
Rayner, A.J., *see* McCorriston, S. 276
Rayner, T., *see* Kellard, N. 1158
Razin, A., *see* Mundlak, Y. 41, 46
Ready, R.C., *see* Buzby, J.C. 1099, 1100
Reardon, T., *see* Sakurai, T. 138
Reca, A., *see* Patterson, P.M. 886
Reder, M.W. 6
Redford, A. 462
Reed, A.J. 939, 965
Reed, M.R., *see* Skees, J.R. 139
Rees, R., *see* Apps, P.F. 398
Regev, U. 647
Regev, U., *see* Hueth, D. 648
Reinganum, J.F. 1111, 1124
Reinganum, J.F., *see* Daughety, A.F. 1111, 1124
Reis, J.A., *see* Hilliard, J.E. 1158
Rempel, H. 492
Rempel, H., *see* House, W.J. 473, 480
Réquillart, V., *see* Lavergne, P. 868, 915
Reviron, S., *see* Huault, C. 868
Reyna, S.P., *see* Downs, R.W. 294
Rhode, P., *see* Olmstead, A.L. 212, 213, 233
Rhodes, J.V. 1165
Rhodes, V.J., *see* Hayenga, M.L. 874
Rhyne, E., *see* Bosworth, B. 557
Ribeiro, J.L. 602, 610
Ribero, R. 418, 429
Ricardo, D. 975
Richard, J.-F., *see* Baldwin, L.H. 1161
Richard, J.-F., *see* Engle, R.F. 1047n
Richards, T.J. 68, 882n, 963
Richardson, D.J. 994, 1007
Ricks, M., *see* Wilson, W. 804
Ridout, M.S., *see* Doyle, C.J. 601
Rieder, P., *see* Regev, U. 647
Riley, J.G., *see* Hirshleifer, J. 91, 158n
Ritson, C. 1139
Rivera-Batiz, F.L. 491
Rivlin, T.J. 839
Ro, K.K. 495
Robbins, P.R., *see* McCarl, B.A. 637
Roberts, B., *see* Barry, P.J. 525
Roberts, J., *see* Milgrom, P. 873, 909
Roberts, K.D. 459
Roberts, M.J., *see* Gollop, F.M. 898n
Roberts, R., *see* Fox, G. 598
Roberts, T. 1091, 1120
Roberts, T., *see* Crutchfield, S.R. 1087, 1091, 1120
Robertson, A.F. 309n
Robinson, C. 484
Robinson, K.L., *see* Tomek, W.G. 946, 948, 959, 962, 963
Robinson, S. 464
Robinson, W.C. 464
Robison, L.J. 91, 520, 539, 544, 556

Robison, L.J., *see* Barry, P.J. 517, 525, 537, 539, 539n, 540, 541, 710, 712, 713, 1189, 1195
Robison, L.J., *see* Hanson, S.D. 533
Robison, L.J., *see* Schmid, A.A. 527
Robison, L.J., *see* Siles, M. 532
Robison, P.J. 532
Rocha, A., *see* Hertford, R. 597
Rochin, R.I., *see* Martin, P.L. 502
Rockafellar, R.T. 1031
Rockin, R., *see* Martin, P.L. 348n
Rockwell, C.S. 765, 766n, 772
Rodrigues da Cruz, E., *see* Luz Barbosa, M.K.T. 598
Roe, T.L. 390, 976
Roe, T.L., *see* Falconi, C. 1092, 1112
Roe, T.L., *see* Gopinath, M. 604, 607
Roessing, A.C. 598
Rogers, E. 229, 234
Rogers, R.T. 867, 868, 868n, 953, 965
Rogers, R.T., *see* Connor, J.M. 867, 909, 910, 953
Rogers, R.T., *see* Petraglia, L.M. 879
Rogerson, W. 872
Roh, J., *see* Nelson, C.H. 549
Rolfo, J. 127, 128, 779
Roll, R. 797, 980
Romain, R., *see* Gunjal, K. 308
Romain, R., *see* Penson, J.B. 545
Romans, J.T. 501
Romer, P. 336, 582n
Rose, A., *see* Gertler, M. 549
Rose, E. 394, 395, 423
Rose, E., *see* Deolalikar, A. 423
Rose, P. 430n
Roseboom, J., *see* Craig, B.J. 273, 275, 367
Roseboom, J., *see* Pardey, P.G. 273, 275, 575n
Rosegrant, M.W. 27, 366, 603, 607
Rosegrant, M.W., *see* Evenson, R.E. 608
Rosegrant, M.W., *see* Roumasset, J.A. 122n
Rosen, S. 166, 1038, 1041, 1092, 1105, 1107, 1113
Rosen, S., *see* Nadiri, M.I. 57
Rosen, S., *see* Willis, R. 478
Rosengren, E.S. 1164
Rosenhouse, S. 420, 420n, 421n
Rosenzweig, M.R. 121, 306n, 370, 371, 388, 395, 405, 408n, 411, 414, 424, 437n, 464, 466, 468, 469, 474, 486–488, 538
Rosenzweig, M.R., *see* Behrman, J.R. 395, 435, 437n
Rosenzweig, M.R., *see* Boulier, B.L. 419n, 437n
Rosenzweig, M.R., *see* Foster, A.D. 347, 356, 362, 363, 434, 435, 643, 713
Rosenzweig, M.R., *see* Pitt, M. 389, 390, 395, 415, 441
Ross, S.A. 544
Rothschild, M. 95, 96
Rothschild, M., *see* Hanoch, G. 43, 892
Roumasset, J.A. 122n, 235
Rouse, R. 469
Roy, P., *see* Bhalla, S.S. 305n
Rozelle, S. 297, 298
Rozelle, S., *see* Turner, M.A. 302n
Rozelle, S., *see* Williams, J.C. 763n
Ruben, R., *see* Kuyvenhoven, A. 611, 612
Rubin, D.K. 369
Rubinstein, M., *see* Cox, J.C. 129n
Rucker, R.R. 559, 883n
Rudebusch, G.D., *see* Diebold, F.X. 187n
Rugman, A.M. 1172
Rugube, L., *see* Macmillan, J. 611
Rui, X., *see* Miranda, M.J. 852, 853
Ruiz-Castillo, J., *see* Deaton, A. 412, 425
Rumbaut, R.G., *see* Portes, A. 496
Runkle, D.E. 193
Runkle, D.E., *see* Keane, M.P. 193
Runsten, D., *see* de Janvry, A. 217, 220
Russell, M., *see* Arrow, K.J. 1091
Russell, N.P., *see* Power, A.P. 598
Russell, R.R., *see* Blackorby, C. 635n, 658, 668, 725
Russell, W., *see* Hadar, J. 95
Rust, J., *see* Kapteyn, A. 159n
Rustco, F.W. 1161
Rutledge, D.J.S. 786, 795
Rutledge, D.J.S., *see* Gray, R.W. 808, 1152
Ruttan, V.W. 14, 577n
Ruttan, V.W., *see* Hayami, Y. 20, 21, 210, 273, 274, 362, 366, 367
Ruttan, V.W., *see* Kawagoe, T. 21, 367
Ruud, P.A., *see* McFadden, D. 196n

Sabot, R.H., *see* Barnum, H.N. 480
Sadan, E. 8n, 9
Sadoulet, E. 310n, 313
Sadoulet, E., *see* Carletto, C. 252
Sadoulet, E., *see* de Janvry, A. 278, 307, 319, 390, 391, 472, 479
Sadoulet, E., *see* Gordillo, G. 315
Sadoulet, E., *see* Key, N. 292
Sadoulet, E., *see* McCarthy, N. 292
Saez, R.R., *see* Shumway, C.R. 37, 38

Safarian, A.E., *see* Eaton, B.C. 1172
Saha, A. 113, 118, 549, 721
Saha, A., *see* Klotz, C. 358
Sahn, D. 429
Sahn, D., *see* Glick, P. 430n
Sahn, D., *see* Senauer, B. 415, 437n
Sahota, G.S. 7n
Sain, C., *see* Martinez, J.C. 597
Sakurai, T. 138
Salant, P., *see* Jensen, H.H. 353, 370
Salant, S.W. 832n, 847
Salant, S.W., *see* Cave, J. 880
Salin, V. 708
Salmon, D. 601
Salop, S.C. 909, 1153
Samuels, W.J., *see* Medema, S.G. 1187
Samuelson, P.A. 92, 391, 656, 659, 687, 688n, 792, 794, 795, 822, 831, 833, 975, 981, 1040, 1042
Sanchez, N., *see* Nugent, J. 293
Sanders, J.H. 599
Sanders, J.H., *see* Ahmed, M. 599
Sanders, J.H., *see* Lilja, N. 411, 430n
Sanders, R.D., *see* Cole, W.E. 466
Sandmo, A. 97, 102, 126, 824
Sanint, L.R., *see* Barry, P.J. 525, 541, 542
Sarap, K. 309
Sarassoro, G.F., *see* Garcia, P. 805
Sargent, T.J. 175, 180, 180n
Sargent, T.J., *see* Hansen, L.P. 180, 181
Sarkar, B., *see* Bidinger, P.D. 308
Sass, T.R. 910
Saupe, W.E., *see* Gould, B.W. 352, 353, 370
Saurman, D.S., *see* Sass, T.R. 910
Savage, L.J. 93, 185
Sawyer, J. 197
Saxena, P.N., *see* Kahlon, A.S. 600
Sayre, K., *see* Smale, M. 611
Sayre, K., *see* Traxler, G. 111
Scandizzo, P.L., *see* Dillon, J.L. 106, 107
Scandizzo, P.L., *see* Kutcher, G.P. 305, 305n, 637
Scarf, H. 832, 849
Schaible, G., *see* Kim, C.S. 919
Scharfstein, D.S., *see* Froot, K.A. 123n
Schechtman, E., *see* Bigman, D. 802
Schechtman, J., *see* Scheinkman, J.A. 833–835, 851, 855
Scheffman, D.T. 900
Scheffman, D.T., *see* Salop, S.C. 909
Scheinkman, J.A. 833–835, 851, 855
Scheinkman, J.A., *see* Benveniste, L. 834
Scherer, F.M. 910
Schiff, M. 294, 471
Schmalensee, R. 189, 906n, 910
Schmalensee, R., *see* Arrow, K.J. 1091
Schmalensee, R., *see* Ashley, R. 1000
Schmelzer, J.R., *see* Marion, B.W. 867
Schmid, A.A. 527
Schmidt, R., *see* Laderman, E. 556
Schmidt, S.S., *see* Fried, H.O. 637n, 655
Schmiesing, B.H. 556
Schmiesing, B.H., *see* Blank, S.C. 1151
Schmitz, A. 220, 274, 597, 1149, 1154, 1157, 1166, 1168, 1169, 1169n, 1170
Schmitz, A., *see* Bredahl, M.E. 1170, 1171
Schmitz, A., *see* Carter, C.A. 774, 884
Schmitz, A., *see* Feder, G. 124, 177, 781, 1150, 1151
Schmitz, A., *see* Hall, L. 905, 905n, 1156
Schmitz, A., *see* Just, R.E. 885n, 1119
Schmitz, A., *see* Leuthold, R.M. 1146
Schmitz, A., *see* Moss, C.B. 1172
Schmitz, A., *see* Shalit, H. 558
Schmitz, A., *see* Turnovsky, S.J. 826
Schmitz, A., *see* Ulrich, A. 598, 601, 607, 610
Schmitz, A., *see* van Kooten, G.C. 1151
Schmitz, A., *see* Vercammen, J. 1203
Schmitz, T. 1154
Schmitz, T., *see* Brooks, H. 1154, 1169
Schmitz, T., *see* Schmitz, A. 1149, 1154, 1169, 1169n
Schnake, L.D., *see* Brorsen, B.W. 961, 962, 1149
Schneider, R., *see* Alston, L.J. 297
Schnitkey, G.D. 534, 538
Schnitkey, G.D., *see* Miranda, M.J. 159n, 160n
Schnitkey, G.D., *see* Novak, F. 538
Schoeni, R.F., *see* Lam, D. 428
Schori-Bachrach, N., *see* Kislev, Y. 245
Schrader, L. 866
Schroeder, T.C. 787, 875
Schroeder, T.C., *see* Goodwin, B.K. 1007, 1010
Schroeder, T.C., *see* Hayenga, M.L. 868n, 974, 1156
Schroeder, T.C., *see* Kastens, T.L. 1145n, 1147
Schroeder, T.C., *see* Ward, C.E. 875, 1156, 1157
Schroeter, J.R. 895, 896, 903, 954, 955, 961, 962
Schroeter, J.R., *see* Azzam, A.M. 917, 963, 965
Schuermann, T., *see* Nerlove, M. 196
Schuh, G.E. 480, 481
Schuh, G.E., *see* Ayer, H.W. 597

Schultz, T.P. 372, 373, 386, 388, 394, 395n, 397, 399, 401, 403–405, 407, 409, 410, 413, 415–417, 419, 420, 422, 423, 423n, 424n, 426–429, 429n, 430n, 434–436, 437n, 438–440, 473, 480, 482, 488, 714, 1194
Schultz, T.P., *see* Fields, G. 430
Schultz, T.P., *see* Mwabu, G. 429
Schultz, T.P., *see* Nerlove, M. 418, 419n
Schultz, T.P., *see* Rosenzweig, M.R. 388, 395, 414, 424, 437n
Schultz, T.W. 12, 12n, 13, 44, 184, 191, 192, 196, 209, 273, 277, 335, 337, 346, 365, 432, 464, 481
Schultz, T.W., *see* Ram, R. 410
Schwab, R.M., *see* Malik, A. 301
Schwart, R., *see* Saha, A. 549
Schwartz, L. 598, 611
Schwartz, L., *see* Sterns, J.A. 611
Schwartz, N.L., *see* Kamien, M.I. 60
Schwert, G.W., *see* Pagan, A.R. 117
Scobie, G.M. 594, 597, 601
Scobie, G.M., *see* St. Pierre, N.R. 1150
Scotchmer, S., *see* Rausser, G.C. 255
Scott, A.D., *see* Grubel, H.B. 490
Scott, M.F. 321n
Seale Jr., A.D., *see* Tramel, T.E. 983
Seale, W., *see* Kenyon, D.E. 804
Seavy, D. 391, 441
Seck, P.A. 599
Seckler, D., *see* Schmitz, A. 220, 274, 597
Seidi, S. 599
Seldon, B.J. 601
Sen, A.K. 312, 414, 415, 424
Senauer, B. 415, 437n
Senauer, B., *see* Kinsey, J. 1163
Sengupta, J.I. 115
Sengupta, K. 307n
Seo, J.K., *see* Ro, K.K. 495
Sere, C. 611
Seskin, E.P., *see* Landefeld, J.S. 1098
Setboonsarng, S. 593, 594, 602
Sethuraman, R., *see* Raju, J.S. 875n
Sexton, R.J. 276, 871, 876, 878, 896, 904n, 1011, 1012, 1012n, 1014, 1117, 1142, 1154, 1155, 1162, 1198
Sexton, R.J., *see* Alston, J.M. 226, 880, 919
Sexton, R.J., *see* Chalfant, J.A. 873
Sexton, R.J., *see* Durham, C.A. 868n, 900, 904, 1154
Sexton, R.J., *see* Huang, S.-Y. 276, 896, 904, 919
Sexton, R.J., *see* Innes, R. 877n
Sexton, R.J., *see* Rogers, R.T. 868, 953, 965
Sexton, R.J., *see* Wann, J.J. 226, 896, 897, 904, 905, 955
Sexton, T.A., *see* Sexton, R.J. 876, 878
Sfeir, R.E., *see* Sengupta, J.I. 115
Shaban, R.A. 312
Shachmurove, Y., *see* Kocagil, A.E. 800, 808
Shalit, H. 558
Shalit, H., *see* Golan, A. 1150
Shalit, H., *see* Melnick, R. 894, 904
Shalit, H., *see* Turnovsky, S.J. 826
Shane, M., *see* Roe, T.L. 976
Sharpe, S.A. 528
Sharpe, W.F. 120
Shavell, S. 1101, 1111
Shearer, E., *see* Strasma, J. 316
Sheffrin, S.M., *see* Goodwin, T.H. 181, 182
Sheldon, I.M. 1159, 1162
Sheldon, I.M., *see* Deodhar, S.Y. 891
Sheldon, I.M., *see* McCorriston, S. 875, 920
Shell, K., *see* Fisher, F.M. 1042
Shepard, L. 529, 881n, 882
Shephard, R. 1038
Shepherd, G.S. 950
Sherrick, B.J. 531, 805
Sherrick, B.J., *see* Barry, P.J. 556
Sherrick, B.J., *see* Miller, L.H. 529, 530
Sherwin, R.A., *see* Stigler, G.J. 974
Shetty, S. 311
Shi, H., *see* Lenz, J.E. 1150
Shi, H., *see* Wahl, T.I. 1150
Shih, J.T. 8n
Shiha, A. 278
Shin, S.Y. 1100
Shogren, J.F., *see* Fox, J.A. 1099, 1100
Shogren, J.F., *see* Shin, S.Y. 1100
Shonkwiler, J.S., *see* Moss, C.B. 112
Shuford, E. 186n
Shumway, C.R. 21n, 30n, 31n, 37, 37n, 38, 42, 362, 633, 640, 652, 653, 657, 660, 661, 669, 671n, 674, 690, 693, 696, 697, 700, 723
Shumway, C.R., *see* Fawson, C. 43, 44
Shumway, C.R., *see* Howard, W.H. 65, 66, 66n
Shumway, C.R., *see* Love, H.A. 892, 959
Shumway, C.R., *see* Raper, K.C. 914
Shumway, C.R., *see* Saha, A. 113, 118, 721
Siamwalla, A. 299
Sidibé, M., *see* Fisher, M.G. 611, 612
Sidibé, M., *see* Seck, P.A. 599
Siegel, D., *see* McDonald, R. 243

Siegel, D., *see* Morrison, C.J. 649
Siegel, M., *see* Evenson, R.E. 433
Siegel, S. 185
Siegfried, J.J. 911n
Sierra, R., *see* Southgate, E. 300
Sigurdson, D. 135
Silber, W., *see* Garbade, K.D. 787, 999
Siles, M. 532
Siles, M., *see* Hanson, S.D. 533
Siles, M., *see* Robison, P.J. 532
Simioni, M., *see* Lavergne, P. 868, 915
Simon, H.A. 197
Simon, J.L. 497
Simon, L., *see* Goodhue, R.E. 874, 1201
Simon, L., *see* Rausser, G.C. 255
Simone, M., *see* Ackerman, K. 883
Sims, C.A., *see* Sargent, T.J. 180n
Sin, R., *see* Sigurdson, D. 135
Singer, H.W. 819, 825
Singh, H.K.M., *see* Oberai, A.S. 485, 496
Singh, I. 269, 338, 344, 385, 390, 431, 441, 471, 479
Singh, R.P., *see* Smale, M. 611
Sinn, H.-W. 96n
Sipahimalani, V. 437n
Sjaastad, E. 296
Sjaastad, L. 427, 467, 487
Skees, J.R. 139
Skees, J.R., *see* Buzby, J.C. 1099, 1100
Skees, J.R., *see* Luo, H. 140
Skoufias, E. 309, 312, 390, 408
Skoufias, E., *see* Jacoby, H. 411
Skully, D. 883, 1090
Slade, M.E., *see* Jacquemin, A. 879
Slade, R., *see* Feder, G. 582n, 592, 594
Slaughter, M.J. 975
Smale, M. 121, 599, 611, 710, 721
Smallwood, D.M. 1092
Smeeding, T., *see* Palmer, J.L. 422, 423
Smidt, S. 765
Smith, B. 601
Smith, C. 521
Smith, D.P. 419
Smith, J.D., *see* Dutt, H.R. 1158
Smith, K., *see* Salin, V. 708
Smith, L.C. 405n, 430n, 433
Smith, M.J., *see* Olempska-Beer, Z.S. 1087
Smith, R. 1156
Smith, V. 188
Smith, V., *see* Thirtle, C. 604
Smith, V.E. 6
Smith, V.H. 138, 140
Smith, V.K. 1091, 1092
Smith, V.K., *see* Arrow, K.J. 1091
Soedjana, T.D., *see* Nerlove, M. 160, 162
Soligo, R., *see* Berry, R.A. 491, 501
Solow, R.M. 14
Solow, R.M., *see* Arrow, K.J. 23
Somwaru, A., *see* Ball, V.E. 26, 26n, 39, 209n, 272, 273, 365, 661
Song, F., *see* Chatrath, A. 772
Song, J.H., *see* Durham, C.A. 868n, 1154
Sonka, S.T. 525
Sonka, S.T., *see* Barry, P.J. 520
Sonka, S.T., *see* Garcia, R. 268
Sonka, S.T., *see* Gustafson, C. 547
Sonka, S.T., *see* Streeter, D.H. 1163
Sorensen, R., *see* Pagoulatos, E. 909, 911, 917
Sosnick, S. 866
Soule, M.J. 356
Southgate, E. 300
Spayd, S., *see* Folwell, R.J. 1150
Spiller, P.T. 974, 1011, 1012n
Spiller, P.T., *see* Bresnahan, T.F. 792, 843
Spiller, P.T., *see* Scheffman, D.T. 900
Spinnewyn, F. 1068
Splett, N.S. 529
Splett, N.S., *see* Ellinger, P.N. 529
Sporleder, T.L. 1160
Spurr, G. 429
Squire, L. 465
Squire, L., *see* Barnum, H.N. 385, 390, 441, 471
Squire, L., *see* Singh, I. 269, 338, 344, 385, 390, 431, 441, 471, 479
Srinivasan, T.N., *see* Bhagwati, J.N. 501
St. Pierre, N.R. 1150
Staatz, J.M. 877
Stael von Holstein, C.-A. 194
Stahl, C. 495
Stam, J. 558
Stamoulis, K.G., *see* Rausser, G.C. 1192
Stanley, J.C., *see* Campbell, D. 200
Stanton, J., *see* Quiggin, J. 140
Starbird, S.A. 1187
Stark, O. 468–470, 474, 477, 478, 485, 486, 488, 496, 497, 501
Stark, O., *see* Lucas, R.E.B. 411, 476, 478, 486, 492
Stark, O., *see* Rosenzweig, M.R. 411, 474, 486
Stavins, R.N., *see* Arrow, K.J. 1091
Steahr, T.E. 1086, 1115, 1121
Steckel, R.H. 429

Stefanou, S.E., *see* Chang, C.C. 56, 66
Stefanou, S.E., *see* Fernandez-Cornejo, J. 271, 272
Stefanou, S.E., *see* Lansink, A.O. 56, 67
Stefanou, S.E., *see* Luh, Y.H. 65, 67, 68
Stein, J.C., *see* Froot, K.A. 123n
Stein, J.L. 770, 777, 802, 853
Steirman, A., *see* Mines, R. 459, 498
Sterns, J.A. 594, 611, 612
Sterns, J.A., *see* Schwartz, L. 598
Stewart, B. 765
Stiegert, K.W. 907, 956n
Stigler, G.J. 906, 918, 974
Stiglitz, J.E. 305, 520–522, 547, 1109, 1112, 1117, 1189
Stiglitz, J.E., *see* Hoff, K. 246, 530
Stiglitz, J.E., *see* Newbery, D.M.G. 89, 98, 113, 127, 128, 265, 270, 310n, 826, 829, 831, 837n
Stiglitz, J.E., *see* Rothschild, M. 95, 96
Stock, J.H. 183n
Stock, J.H., *see* Calomiris, C.W. 548
Stoker, T.M. 1096
Stokey, N.L. 164, 165n
Stoll, H.R., *see* Protopapadakis, A.A. 975
Stone, R., *see* Haygreen, J. 598
Stoneman, P. 246
Storey, G.G., *see* Gillespie, J.M. 875
Storey, G.G., *see* Schmitz, A. 1154, 1169, 1169n
Stover, R. 529
Strak, J. 868
Strasma, J. 316
Straubhaar, T. 483
Strauss, J. 357, 390, 392, 394, 396, 409, 410, 415, 427, 429, 430, 437n, 472, 1123
Strauss, J., *see* Singh, I. 269, 338, 344, 385, 390, 431, 441, 471, 479
Strauss, J., *see* Thomas, D. 415, 427, 437n
Strauss, J.K., *see* Brunner, A.D. 598
Streeter, D.H. 804, 1163
Strotz, R.H. 537
Sturgess, N.H., *see* Alaouze, C.M. 884
Subbarao, K. 439
Suchanek, G., *see* Smith, V. 188
Sulak, D.B., *see* Montgomery, M.R. 419
Sullivan, D., *see* Ashenfelter, O. 959
Sullivan, R., *see* Simon, J.L. 497
Sumelius, J. 601
Sumner, D.A. 270, 278, 353, 370, 797, 893n, 938, 956
Sumner, D.A., *see* Rucker, R.R. 883n
Sumodiningrat, G., *see* Pitt, M. 121, 357
Sun, C-H., *see* Liu, D.J. 905
Sunder, S., *see* Plott, C. 188
Sunding, D.L. 227n, 640, 641, 643, 652, 709, 713, 1191
Sunding, D.L., *see* Hamilton, S.F. 226, 227, 891n, 919
Sunding, D.L., *see* Zilberman, D. 244, 253, 255
Sundquist, W.B. 601
Sutton, J. 868, 909
Suzuki, N. 905, 919
Suzuki, N., *see* Kawaguchi, T. 1154
Svenberg, P. 403n, 415
Swamy, A.V., *see* Kranton, R.E. 308
Swanson, C., *see* Schmiesing, B.H. 556
Swenson, C. 191, 196, 200
Swinand, G., *see* Ball, V.E. 661, 668, 672
Syed, S.H., *see* King, E.M. 419, 435, 437n

Takayama, T. 981, 1153, 1154
Takayama, T., *see* Judge, G.G. 1187
Talpaz, H., *see* Saha, A. 113, 118, 721
Talpaz, H., *see* Shumway, C.R. 21n
Tang, A. 600
Tanner, J.M., *see* Falkner, F. 429
Tanner, J.M., *see* Waterlow, J.C. 429
Tansel, A. 437n
Tansel, A., *see* Schultz, T.P. 427
Tasanasanta, D., *see* Mittelhammer, R.C. 8n
Taubman, P., *see* Behrman, J.R. 393
Tauer, L.W. 43, 120, 539
Tauer, L.W., *see* Weersink, A.J. 547, 548
Taussig, F.W. 798
Tawarangkoon, W., *see* Pruitt, S.W. 798
Taylor, A.M., *see* Obstfeld, M. 1012
Taylor, C.R. 112
Taylor, C.R., *see* Schnitkey, G.D. 534, 538
Taylor, C.R., *see* Tronstad, R. 1150
Taylor, G.S. 759
Taylor, J.B. 838
Taylor, J.B., *see* Fair, R.C. 181
Taylor, J.E. 350, 351, 474, 476–479, 483–488, 492–499, 502, 1188, 1195
Taylor, J.E., *see* Adelman, I. 464, 494, 495
Taylor, J.E., *see* Martin, P.L. 348n, 493, 498, 499, 502
Taylor, J.E., *see* Massey, D.S. 482, 485, 488
Taylor, J.E., *see* Stark, O. 470, 478, 485, 486, 488, 496, 497
Taylor, L.J., *see* Bean, F.D. 497
Taylor, T.G. 65, 881n, 904
Tcha, M. 476, 487

Teague, J.L., *see* Anderson, D.W. 911
Teague, M.L. 120
Teas, R., *see* Stover, R. 529
Tegene, A., *see* Soule, M.J. 356
Teisl, M.F., *see* Bockstael, N.E. 1122
Teixeira, S., *see* Strauss, J. 357
Telser, L.G. 754, 771
Tennbakk, B. 877n
Texas A&M Agricultural Market Research Center 903
Texas Agricultural Market Research Center 1156
Theil, H. 162, 941
Theroux, R.P., *see* Belzer, R.B. 1097
Thierfelder, K.E., *see* Robinson, S. 464
Thiesenhusen, W.C., *see* Dorner, P. 319n
Thijssen, G. 68
Thille, H. 1153
Thilmany, D. 502
Thilmany, D., *see* Taylor, J.E. 502
Thirtle, C. 601, 604
Thirtle, C., *see* Khatri, Y. 604
Thirtle, C., *see* Townsend, R. 604
Thomala, M., *see* Kanbur, R. 418
Thomas, D. 392, 397n, 400, 403, 404, 409, 415, 427, 437n
Thomas, D., *see* Deaton, A. 412, 425
Thomas, D., *see* Strauss, J. 357, 392, 409, 427, 429, 430, 437n
Thomas, J.P., *see* Ligon, E. 850
Thomas, K.. 539
Thompson, G.D. 881, 963
Thompson, G.D., *see* Lyon, C.C. 963, 964
Thompson, G.D., *see* Wilson, P.N. 293
Thompson, R.L. 981
Thompson, S., *see* Canoles, W.B. 765
Thompson, S., *see* Eales, J. 182
Thompson, S.R. 763, 768
Thompson, S.R., *see* Bond, G.E. 778n
Thompson, S.R., *see* Myers, R.J. 779
Thomsen, F.L. 950
Thomsen, M.R., *see* Bailey, D. 1154
Thor, E., *see* Peoples, K. 559
Thraen, C.S., *see* Irwin, S.H. 196
Thraen, C.S., *see* Makki, S.S. 604
Thurman, W.N., *see* Knoeber, C.R. 874, 1165, 1166, 1201
Thurman, W.N., *see* Rucker, R.R. 883n
Thurow, A.P. 243
Thurow, A.P., *see* Salin, V. 708
Thursby, J.C., *see* Thursby, M. 884, 885
Thursby, M. 884, 885
Thursby, M., *see* Krishna, K. 885, 1167
Timmer, C.P. 826, 1000, 1002, 1011
Tintner, G. 5, 6, 6n, 8n
Tirole, J. 906n
Tirole, J., *see* Fudenberg, D. 906n
Tobin, J. 95
Todaro, M.P. 464–467, 470, 476, 480, 483, 500, 501
Todaro, M.P., *see* Harris, J.R. 466
Tokle, J.G. 352, 353, 440
Tolley, G.S., *see* Berger, M.C. 1097
Tolley, H.D. 110
Tomek, W.G. 177, 182, 184, 794, 801, 946, 948, 959, 962, 963, 1005, 1145, 1147
Tomek, W.G., *see* Emerson, P.M. 759
Tomek, W.G., *see* Kahl, K.H. 801n
Tomek, W.G., *see* Leuthold, R.M. 1152
Tomek, W.G., *see* Myers, R.J. 1005
Tomek, W.G., *see* Streeter, D.H. 804
Tomes, N., *see* Becker, G.S. 388, 392
Tomes, N., *see* Robinson, C. 484
Topel, R.H., *see* LaLonde, R. 497
Topel, R.H., *see* Slaughter, M.J. 975
Torok, S.J. 483
Torrey, B.B., *see* Palmer, J.L. 422, 423
Townsend, R. 604
Townsend, R.M. 293, 405, 846
Tozanli, S., *see* Oustapassidis, K. 868
Traill, B. 115, 549, 1160
Tramel, T.E. 983
Traore, S., *see* Henry de Frahan, B. 611
Traxler, G. 111, 604
Traxler, G., *see* Byerlee, D. 611
Tre, J.-P. 611, 612
Treadway, A.B. 51, 158n
Triffin, A.L. 917
Tronstad, R. 182, 1150
Trovato, F. 424
Trujillo, G., *see* Hertford, R. 597
Tsoulouhas, T. 1165, 1200
Tubagus, A.C., *see* Evenson, R.E. 603
Turner, M.A. 302n
Turner, S.C. 1161
Turnovsky, S.J. 193, 759, 826
Turnovsky, S.J., *see* Flemming, J.M. 823
Turnovsky, S.J., *see* Pyle, D.H. 120
Turvey, C.G. 106, 141, 528–530
Tversky, A., *see* Kahneman, D. 108, 709
Tweeten, L.G. 8n, 549
Tweeten, L.G., *see* Braha, H. 601
Tweeten, L.G., *see* Heady, E.O. 62, 544

Tweeten, L.G., *see* Knutson, M. 600
Tweeten, L.G., *see* Makki, S.S. 604, 839
Tyrchniewicz, E.W., *see* Kraft, D.F. 886, 1149, 1169

Uchtmann, D.L., *see* Looney, J. 539
Udry, C. 121, 306, 313, 389, 400, 401, 405, 405n, 406
Uhl, J.N., *see* Kohls, R.L. 1139, 1160n
Uhlig, H., *see* Taylor, J.B. 838
Ulen, T.S., *see* Kolstad, C.D. 1111
Ullah, A., *see* Batra, R.N. 103
Ulrich, A. 598, 601, 607, 610
Ulrich, A., *see* Schmitz, A. 1169
Ulveling, E.F. 8n
Ulveling, E.F., *see* Brannen, P.P. 802n
Umbeck, J. 300n
United Nations 423–425
United Nations Conference on Trade and Development (UNCTAD) 820
United States Bureau of the Census 209
United States Commission on Immigration Reform 488
United States Department of Agriculture (USDA) 135, 880, 903, 918, 953, 1156, 1157, 1185
United States General Accounting Office (USGAO) 133n, 883
United States Senate 666n
Unnevehr, L.J. 598, 1091, 1114
Unnevehr, L.J., *see* Jensen, H.H. 1126
Unnevehr, L.J., *see* Yumkella, K.K. 886
Unni, J. 395
Unterschultz, J. 1152
Urban, T. 1160, 1193
Urrutia, J.L., *see* Malliaris, A.G. 1152, 1158
Uzawa, H. 1038

Valdes, A., *see* Schiff, M. 294
Valdivia, C. 611
Van der Gaag, J. 430n
van der Laan, L., *see* Arhin, K. 883, 884
Van Duren, E. 1160
Van Keulen, H., *see* de Koning, G.H.J. 710
van Kooten, G.C. 1151
van Kooten, G.C., *see* Vercammen, J. 141
van Ravenswaay, E.O. 1092, 1099
van Zyl, J., *see* Khatri, Y. 604
van Zyl, J., *see* Townsend, R. 604
Vandeputte, J.M. 525
Vanker, R.D. 637n, 655n
Vanzetti, D. 1153
Varian, H.R. 43, 44, 655n, 892
Vasavada, U. 64, 65, 65n, 278, 549, 649
Vasavada, U., *see* Chambers, R.G. 707
Veloso, R.F.V., *see* Avila, A.F.D. 610
Venkatesh, P.C., *see* Locke, P.R. 768
Verbrugge, L.M. 423
Vercammen, J. 141, 1154, 1203
Vercammen, J., *see* Hyde, C.E. 138
Verleger, P.K. 853
Viaene, J. 868
Vickner, S.S. 901
Vijverberg, W.P.M. 430
Vijverberg, W.P.M., *see* Deolalikar, A. 391
Vijverberg, W.P.M., *see* Van der Gaag, J. 430n
Vila, J.L., *see* Allaz, B. 1153
Viner, J. 706
Visaria, P.M. 414, 424
Viscusi, W.K. 1098
Viscusi, W.K., *see* Magat, W.A. 1090
Vlachvei, A. 910
Vo, T.T., *see* Capalbo, S.M. 26, 31n
Vogel, S., *see* Adelman, I. 494, 495
Volcani, Z., *see* Mundlak, Y. 34n
Vollmers, A.C. 868
Von Braun, J. 433
von Neumann, J. 93n
Von Pischke, J.D. 558
Von Pischke, J.D., *see* Adams, D.W. 558
von Witzke, H. 1087, 1112
Vroman, W. 497
Vukina, T. 129n
Vukina, T., *see* Tsoulouhas, T. 1165, 1200
Vuong, Q., *see* Gasmi, F. 901, 913

Wachter, K., *see* Floud, R. 409, 429
Wachter, M.L. 528
Wachter, M.L., *see* Pollak, R.A. 1032, 1033, 1040
Wadycki, W.J., *see* Levy, M.E. 480
Wagner, J.J., *see* Feuz, D.M. 1149
Wahl, T.I. 1150
Wahlbin, C., *see* Lehvall, P. 231
Wahlby, O., *see* Nordin, J.A. 1202
Walburger, A.M. 1159
Waldman, D.M., *see* Gertler, P. 1108
Waldorf, W.H. 946, 953n, 965
Waldron, I. 423
Wales, T.J., *see* Diewert, W.E. 637n
Wales, T.J., *see* Lundberg, S. 397, 400, 410
Wales, T.J., *see* Pollak, R.A. 1041, 1042

Walker, T.S., *see* Bidinger, P.D. 308
Wallace, H.A. 194
Wallace, N., *see* Sargent, T.J. 175
Waller, M.L., *see* Thompson, S.R. 768
Wallis, K.F. 181
Walls, W.D., *see* Rustco, F.W. 1161
Walraven, N.A., *see* Rausser, G.C. 794n
Walsh, B.M. 483
Walters, A.A. 8n
Wamulume, M., *see* Deininger, K. 294n
Wang, G.H., *see* Dutt, H.R. 1158
Wann, J.J. 226, 896, 897, 904, 905, 955
Ward, C.E. 875, 903, 1156, 1157
Ward, R.W. 779, 959, 960
Warner, J., *see* Smith, C. 521
Waterlow, J.C. 429
Waterson, M., *see* Cowling, K. 866n, 936
Watson, A.S., *see* Alaouze, C.M. 884
Watson, M.W., *see* Stock, J.H. 183n
Watts, D.G., *see* Leuthold, R.M. 1146
Waugh, F.V. 821, 846, 939, 943, 948–950
Waugh, F.V., *see* Nerlove, M. 1203
Weaver, R.D. 37, 362, 669, 697, 700, 1092
Webb, P., *see* Von Braun, J. 433
Weed, J.A., *see* Preston, S. 421, 423, 424
Weed, J.B., *see* Hardy, W. 529
Weeks, M., *see* Nerlove, M. 196
Weerahewa, J., *see* Chen, K. 919
Weersink, A.J. 547, 548
Weersink, A.J., *see* Turvey, C.G. 528
Wei, K.C.J., *see* Pruitt, S.W. 798
Weinschenck, G. 974
Weiss, A., *see* Stiglitz, J.E. 305, 521, 522, 547, 1189
Weiss, C.R. 267, 278
Welch, F. 359–361, 395n, 432, 589, 601
Welch, K., *see* Barkema, A. 870, 874
Weliwita, A. 907
Wellisz, S., *see* Calvo, G.A. 305
Wendt, H., *see* Oustapassidis, K. 868
Weninger, Q., *see* Just, R.E. 112, 644, 720
Wennergren, E.B. 597
Werden, G.J. 974
Wessells, C.R. 1099
Wessells, C.R., *see* Holland, D. 1100
Westcott, P.C., *see* Lamm, R.M. 960
Westgate, R.A. 598, 610
Wetmore, J.M. 1202
Whalley, J., *see* McMillan, J. 296
Wheatcroft, A.-M., *see* Salant, S.W. 832n
Whinston, M.D., *see* Mas-Colell, A. 92
Whitaker, M.D., *see* Wennergren, E.B. 597
White, B.N.F., *see* Binswanger, H.P. 429
White, J.F. 594, 600, 601
White, M.J. 483
White, T. 638
White, T., *see* Boehlje, M.D. 536
Whitelaw, W., *see* Johnson, G.E. 492
Wiebe, K.D., *see* Carter, M.R. 299
Wiebe, K.D., *see* Soule, M.J. 356
Wijnberger, S., *see* Levy, S. 464
Wilcox, R.T., *see* Narasimhan, C. 875n
Wilkinson, M., *see* Arzac, E.R. 826
Williams, A.W. 188, 196, 197, 200
Williams, A.W., *see* Dwyer, G.P. 188, 190, 197
Williams, A.W., *see* Smith, V. 188
Williams, C. 1004
Williams, J.B. 825
Williams, J.C. 125, 177, 748, 763n, 780, 783, 792, 802, 837n, 838, 843, 847–850, 853, 988, 1197
Williams, J.C., *see* Brennan, D. 763, 851, 853, 1152
Williams, J.C., *see* Peck, A.E. 764
Williams, J.C., *see* Wright, B.D. 763, 771n, 825, 826, 831, 835, 837, 838, 845, 849, 851, 853, 1152
Williams, J.R. 110
Williams, J.R., *see* Coble, K.H. 138, 140
Williams, S., *see* Gunjal, K. 308
Williamson, B., *see* Wachter, M.L. 528
Williamson, J. 975
Williamson, J.G. 466
Williamson, J.G., *see* Hatton, T.J. 482
Williamson, J.G., *see* Higgins, M. 410
Williamson, O. 336
Williamson, O.E. 519, 523, 870, 1117, 1172
Willig, R., *see* Baumol, W.J. 267n, 639, 908, 1117
Willig, R., *see* Schmalensee, R. 906n
Willis, R. 339, 478
Willmann, D.R., *see* Barry, P.J. 526
Wills, R.L. 878, 909
Willson, D., *see* Horvath, B. 196
Wilson, P.N. 293, 556
Wilson, P.N., *see* Patrick, G.F. 518
Wilson, R., *see* Kreps, D.M. 873
Wilson, W. 804
Wilson, W., *see* Yang, S.R. 557
Winegarden, C.R. 497
Winkler, R., *see* Murphy, A. 186, 186n, 187, 187n

Winter, C.K., *see* Archibald, S.O. 1088
Wise, W.S. 601
Witzke, H.P., *see* Ball, V.E. 62, 545
Wohl, J., *see* van Ravenswaay, E.O. 1099
Wohlgemuth, D., *see* Huang, T.-L. 351
Wohlgenant, M.K. 913, 942–948, 950, 951, 958, 960–962, 964–966, 1148, 1155, 1199
Wohlgenant, M.K., *see* Goodwin, B.K. 1014
Wohlgenant, M.K., *see* Muth, M.K. 891, 892, 903, 913, 955, 959n
Wohlgenant, M.K., *see* Sumner, D.A. 938
Woldstein, A., *see* Strasma, J. 316
Wolf, S. 708, 719
Wolfe, B.L., *see* Behrman, J.R. 437n
Wolfe, B.L., *see* Haveman, R. 430, 437n
Wolfowitz, J., *see* Dvoretzky, A. 836n
Wolfson, R.J. 8
Wolpin, K.I. 408n
Wolpin, K.I., *see* Rosenzweig, M.R. 306n, 488, 538
Womack, A.W., *see* Lachaal, L. 18, 72
Wong, K.Y. 491
Wood, J.H. 527
Wood, R.O., *see* Spiller, P.T. 974, 1011, 1012n
Woodland, A.D., *see* O'Donnell, C.J. 98
Woodward, S. 633, 648
Woolley, F. 400
Wooton, I., *see* Davies, J.B. 491, 492
Worden, K., *see* Vroman, W. 497
Working, E.J. 8
Working, H. 177, 182–184, 761, 763, 768, 769, 782, 788, 789, 789n, 806, 851, 852, 1151
World Bank 347, 500, 598
Worrall, T., *see* Ligon, E. 850
Wozniak, G.D. 355, 358
Wright, B.D. 134, 135, 224, 763, 771n, 825, 826, 828, 829, 831, 835, 837, 838, 845, 849, 851, 853, 1150, 1152, 1197
Wright, B.D., *see* Ardeni, P.G. 852n
Wright, B.D., *see* Bobenrieth, E.S.A. 851, 853, 855
Wright, B.D., *see* Brennan, D. 763, 851, 853, 1152
Wright, B.D., *see* Chamley, C. 830n
Wright, B.D., *see* Kletzer, K.M. 850
Wright, B.D., *see* Williams, J.C. 792, 802, 837n, 838, 843, 847–850, 853, 988
Wright, B.D., *see* Yoo, S.J. 854
Wu, C.C. 8n
Wyatt, T.J., *see* Alston, J.M. 576n
Wyatt, T.J., *see* Taylor, J.E. 474, 479, 487, 493, 497
Wyeth, J., *see* Alexander, C. 999

Yang, D.T. 364, 371, 430n, 431
Yang, S.R. 557, 854, 1158
Yao, Y. 297, 298
Yap, L. 473, 476, 480, 483
Yarkin, C., *see* Zilberman, D. 253
Yarnell, J., *see* Folwell, R.J. 1150
Yee, J. 604
Yi, Xu, *see* Zeng, Yi 423n
Yitzhaki, S., *see* Stark, O. 470, 485, 496
Yongping, Li, *see* Zeng, Yi 423n
Yoo, M.S., *see* Garcia, R. 268
Yoo, S.J. 854
Yoshimaru, S., *see* Irwin, S.H. 766
Yotopoulos, P.A. 7n, 8n, 32, 268
Yotopoulos, P.A., *see* Lau, L.J. 8n, 32
Young, D.L. 108
Young, D.L., *see* Mittelhammer, R.C. 8n
Young, D.L., *see* Patrick, G.F. 518
Young, D.P.T. 916
Young, R.P. 519
Young, T., *see* Traill, B. 549
Youngblood, C.E., *see* Clark, J.S. 35
Youssef, N. 419, 422
Youssouf, D., *see* Henry de Frahan, B. 611
Yumkella, K.K. 886
Yun, W.-C. 762n
Yúnez-Naude, A., *see* Taylor, J.E. 488

Zachariah, O.E.R. 598
Zacher, M.W., *see* Finlayson, J.A. 795
Zangwill, L., *see* Chernichovsky, D. 417
Zant, W.R. 848n
Zapata, H.O., *see* Fortenbery, T.R. 1158
Zapata, H.O., *see* Kazmierczak, R.F. 887
Zarnowitz, V. 190, 193, 196
Zegarra, E., *see* Carter, M.R. 307
Zeira, J., *see* Galor, O. 318n
Zellner, A. 187n, 911
Zeng, Yi 415, 423n
Zentner, R.P. 594
Zhang, B., *see* Chalfant, J.A. 45
Zhang, M., *see* Alston, J.M. 226, 919
Zhang, M., *see* Sexton, R.J. 896
Zhao, J., *see* Heiman, A. 239
Zhu, L., *see* McMillan, J. 296
Zilberman, D. 244, 245, 251n, 253, 255, 257
Zilberman, D., *see* Bar-Shira, Z. 709
Zilberman, D., *see* Buschena, D.E. 709

Zilberman, D., *see* Caswell, M.F. 234
Zilberman, D., *see* de Gorter, H. 220, 221
Zilberman, D., *see* Feder, G. 121, 230, 237, 357n, 643, 713
Zilberman, D., *see* Heiman, A. 239
Zilberman, D., *see* Hochman, E. 720
Zilberman, D., *see* Just, R.E. 42, 235, 236, 246, 250, 256n, 640, 690, 696, 706, 710, 885n
Zilberman, D., *see* Khanna, M. 216, 216n, 253
Zilberman, D., *see* McWilliams, B. 234
Zilberman, D., *see* Parker, D. 239, 254, 963, 1150
Zilberman, D., *see* Putler, D.S. 355
Zilberman, D., *see* Rausser, G.C. 1193
Zilberman, D., *see* Sunding, D.L. 640, 641, 643, 652, 709, 713, 1191
Zilberman, D., *see* Wolf, S. 708, 719
Zilcha, I., *see* Benninga, S. 126, 781
Zilcha, I., *see* Eckstein, Z. 318n
Zimmer, M., *see* Nakosteen, R.A. 484
Zimmerman, F. 294n, 306
Zimmerman, G., *see* Laderman, E. 556
Zona, J.D., *see* Hausman, J. 900
Zulauf, C.R., *see* Colling, P.L. 193
Zusman, P. 1198
Zusman, P., *see* Rausser, G.C. 222, 1203

SUBJECT INDEX

absolute risk aversion, 94, 119
acquisitions, 866, 903
actuals, 750, 764
adaptive expectations, 114, 115, 157, 161
adjustment costs, 161, 907
adoption of technology, 209, 210, 219, 228, 229, 231, 232, 234–244, 246–252, 256, 257
adverse selection, 139, 140, 520, 871, 873, 874
advertising, 866, 867, 873, 878, 879, 901, 909, 910, 915, 918, 919
– TV, 910
advertising intensity, 866, 910
advertising–sales ratio, 909–911
agent reputation, 873
agent's "effort", 871
agent's opportunity cost, 872
agents, 871–873
agents-on-links, 981, 983, 986, 987, 1001, 1008
aggregation, 636, 649, 651, 654, 655, 658–660, 666, 667, 679, 680, 684, 714, 724, 728, 963, 964, 968
aggregation qualification condition, 668, 680, 682–686, 689, 697, 701, 725, 728–730
agricultural development lending, 558
Agricultural Experiment Station system (SAES), 575
agricultural extension impacts, 590
agricultural household models, 337, 407, 441
agricultural insurance, 134
agricultural production, 265–267, 277, 280, 359
agricultural research, 575, 918
agricultural supply, 159, 160
Allais paradox, 93
altruism, 390, 441
Amazon, 500
anthropometric indicators of health: height and weight, 409, 413, 427, 437
anthropometric status, 429
anticipatory hedge, 761
antitrust, 865, 876–878, 914, 915, 918, 920
applied agricultural research, 596
arbitrage, 763, 782, 784, 790
ARCH (autoregressive conditional heteroskedasticity), 115
area yield insurance, 141
Arizona and California oranges and lemons, 879
arm's-length contracting, 869
Arrow–Pratt coefficient, 94
Associated Milk Producers, 878
asymmetric information, 137, 520, 547, 874
auction, 869
Australian Wheat Board (AWB), 883, 885
available technology, 16, 18, 23, 77

backward induction, 105, 131
backwardation, 763, 770, 775, 792, 807
banana market
– German, 920
bargaining, 876, 904
– collective, 876
– cooperatives, 876
bargaining game, 884
bargaining models of the family, 400, 401, 405, 410, 416, 442
barriers to entry, 909, 910
basis risk, 125, 759
basis trading, 758, 789
Bayesian framework, 158
beef, 875, 890, 903
– U.S., 891, 895, 902, 911, 917
beef packer market power, 903
beef packers, 903
beef packing, 892, 902, 903, 907, 917
– concentration, 911
beer, 868, 900, 909, 910
beer advertisements, 910
beer concentration, 910
benchmark, 896, 897, 905
benchmark market, 896
Bernoulli utility function, 93
Bertrand behavior, 865, 899, 900
best practice yield, 580
beta distribution, 111
beverages, 920
bilateral monopoly, 865, 876
biotechnology, 265, 271, 274, 275
Botswana, 486

boxed-beef technology, 903, 914
brand introduction, 910
brand name, 916
brand proliferation, 910, 911
brands, 869, 879, 900, 910, 911, 915
– cooperative, 878
– noncooperative, 878
brewery products, 867
brewing, 909
– U.S., 900
Brier score, 186
Britain, 483
broilers, 870, 874
buffer stock, 819, 831, 844–846
butter
– Canada, 919
buyer concentration, 868
buyer's market power, 868–870, 875, 900, 918

California–Arizona citrus industry, 878
call option, 129, 752
Canada, 484
Canadian crop insurance, 135
Canadian Wheat Board (CWB), 883–886
cane sugar industry
– U.S., 915
capacity utilization, 875
capital market, 163
capital stock, 491
capital structure, 542
capital-using technical change, 55
Capper–Volstead Act, 876–878
captive supply arrangements, 875
carrying charge, 763
cartel, 877, 879–881, 907
cash market, 751
cattle, 749, 797, 802, 804, 805, 875
celery, 904
centralized trading authority, 886
certainty equivalent assumption, 166
certainty equivalents, 163
certification, 873
cheating, 879, 906, 907
chewing gum, 867
Chicago Board of Trade, 125, 748, 753, 764
Chicago Mercantile Exchange, 125, 749, 767, 768
China, 459, 462, 493
cigarette industry, 893
– U.S., 910
citrus, 881, 882
classical unobserved-components (UC) model, 175
clearinghouse, 751
closed loop strategy, 908
coalitions, 876
– farmer, 876
Coca-Cola Co, 901
cocoa, 883
cocoa industry
– Ghana, 884
Cocoa Marketing Board, 884
coconut
– Philippines, 885
coconut oil, 885
coconut trade, 891
coffee, 749, 755, 756, 761, 764, 765, 768, 771, 789, 792, 795, 805, 884
coffee exports, 908
coffee roasting, 909
Coffee, Sugar and Cocoa Exchange, 750, 755
coffee-roasting, 898
cointegration, 974, 990, 991, 996–998, 1005–1010, 1015, 1018
cointegration analysis, 995
collateral, 299
collective action, 918
collective bargaining, 876
collective Pareto-efficient models of the family, 396, 415
collectives, 292
collusion, 887
collusive agreement, 906
collusive price leaders, 916
collusive price setting, 906
Colombia, 477, 480, 488
commercials, 760, 772, 777, 789
commitment problem, 881
commodity exchanges, 748, 754
commodity funds, 766
commodity trading advisors, 766
communal tenure, 291
competitive benchmark product, 897
competitive conduct, 876
competitive fringe model, 885, 916
competitiveness, 528
concavity, 20, 31
concentration, 865–868, 892, 903, 905, 906, 909, 910, 912
– grocery/retailing, 869
concentration among brands, 911
concentration in beef packing, 903